

Function caching = remembering function results for repeated inputs to avoid recalculation.



Why use caching?

- ightharpoonupImproves **speed** for repeated calls.
- Saves **time** for expensive computations.
- 🔆 Useful for **recursive functions, API calls, database queries**.



Normal Function vs Cached Function

| Feature | Normal Function 🐢 | Cached Function 🌳 |
|-------------|----------------------|------------------------------|
| Calculation | Runs every time | Runs only for new input |
| Speed | Slower if repeated | Faster for repeated calls |
| Memory | Minimal | Uses memory to store results |
| Example | Recomputes Fibonacci | Returns stored Fibonacci |

Normal function

```
def add(a, b):
    print("Calculating...")
    return a + b

print(add(2, 3)) # Calculating... 5
print(add(2, 3)) # Calculating... 5
```

Cached function

```
from functools import lru_cache

@lru_cache()
def add(a, b):
    print("Calculating...")
    return a + b
```

```
print(add(2, 3)) # Calculating... 5
print(add(2, 3)) # 5 (from cache  )
```

QCached function **skips recalculation** if it already has the answer.



Using functools.lru_cache

```
from functools import lru_cache
@lru_cache(maxsize=128) # Stores last 128 results
def fibonacci(n):
    if n < 2:
        return n
    return fibonacci(n-1) + fibonacci(n-2)

print(fibonacci(10)) # 55</pre>
```

Notes:

- maxsize = number of results to store (None = unlimited)
- First call → calculates normally 🐌
- Repeated call → instantly returns cached result ≠



Manual caching with dictionary

```
cache = {}
                                                            nums={}
def fibonacci(n):
                                                            def add num(a,b):
                                                              if (a,b) in nums:
    if n in cache:
                                                                return nums[(a,b)]
        return cache[n] # \int Return cached result
                                                              print("calcalating...")
                                                              nums[(a,b)]=a+\bar{b}
    if n < 2:
                                                              return a+b
        result = n
                                                            print(add num(2,3))
    else:
                                                            print(add num(2,3))
                                                            print(add num(7,3))
        result = fibonacci(n-1) + fibonacci(n-2)
                                                            print(nums)
    return result
                                                            (a,b) tuple as key
print(fibonacci(10)) # 55
```

Full control over caching.
More code compared to lru_cache.



How caching works (flow)

- 1. Call function with input x
- 2. Check cache:
- 3. If result exists \rightarrow return cached value
- 4. \P If not → compute → store in cache → return

Flow diagram:

5

When to use caching

- \ragged Recursive functions ightarrow Fibonacci, factorial, DP problems
- Heavy computations that repeat
- Repeated API/database calls

Summary

- Mormal function → always calculates.
- PCached function → remembers results → faster on repeated inputs.
- functools.lru_cache = easy & powerful.
- Manual dictionary caching = **flexible but longer code**.