

Samples of deep learning applications in statistical and quantum physics

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<https://wangleiphy.github.io>

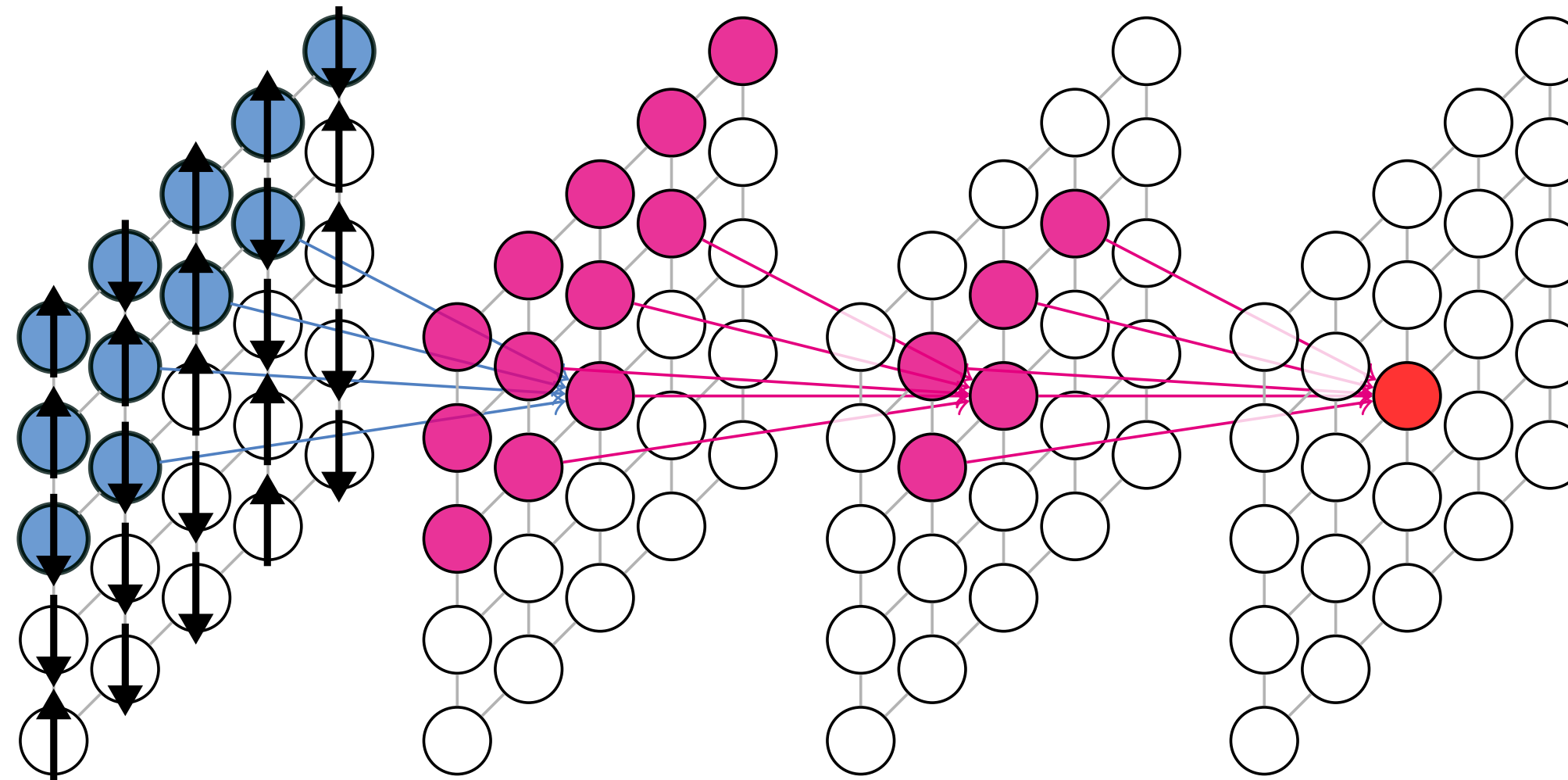
Institute of Physics, Beijing
Chinese Academy of Sciences



Variational autoregressive network

$$\mathcal{L} = \sum_x q(\mathbf{x}) [\ln q(\mathbf{x}) + \beta E(\mathbf{x})]$$

Direct sampling, variational upper bound free energy



<https://github.com/wdphy16/stat-mech-van>

Quantum state
Sharir, et al '19

Gradient Estimators

$$\mathbb{E}_{\mathbf{x} \sim q_{\theta}(\mathbf{x})}[f(\mathbf{x})]$$

Reinforcement learning,
Variational MC,
Variational inference
...

REINFORCE

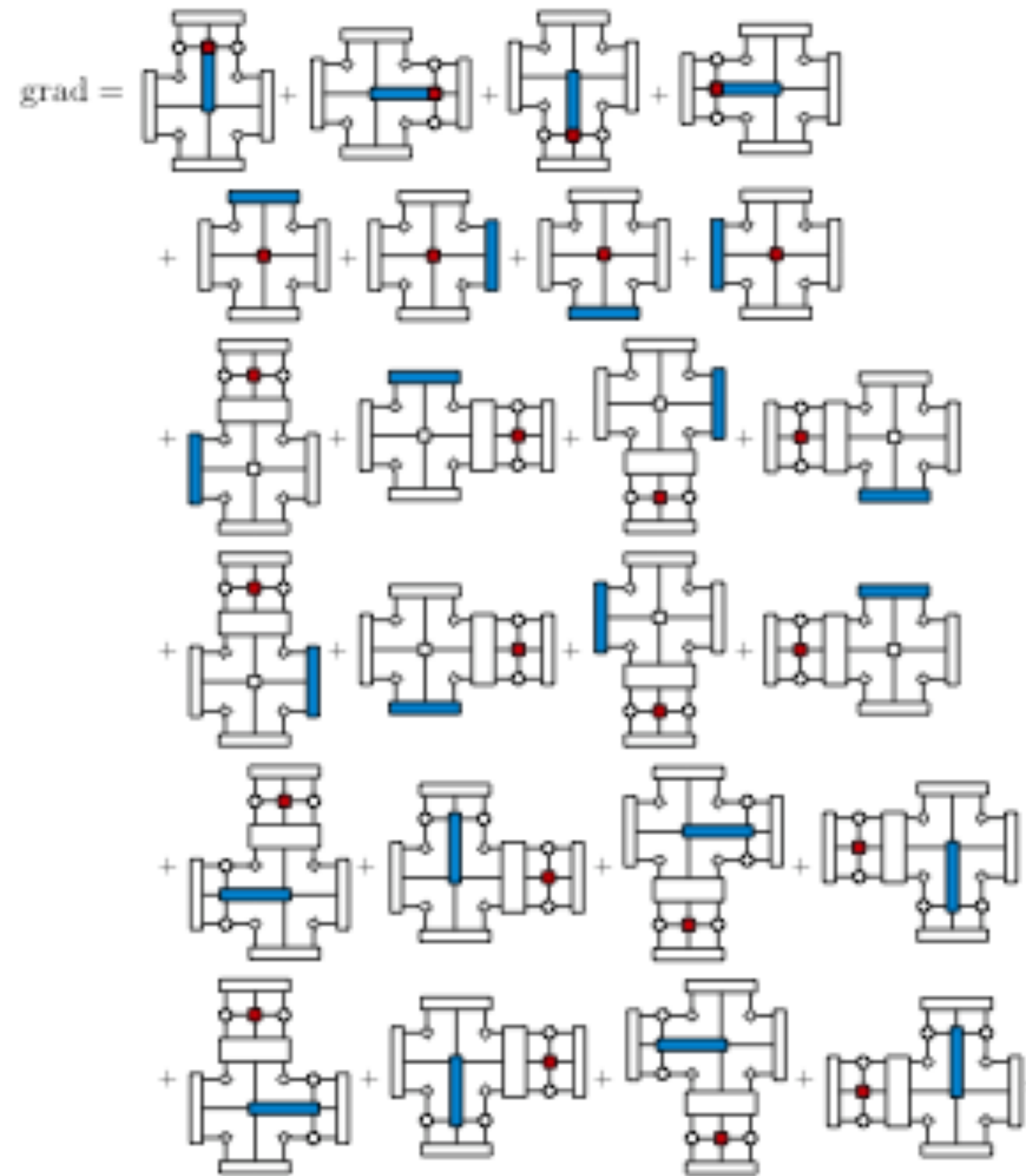
$$\nabla_{\theta} \mathbb{E}_{\mathbf{x} \sim q_{\theta}(\mathbf{x})}[f(\mathbf{x})] = \mathbb{E}_{\mathbf{x} \sim q_{\theta}(\mathbf{x})}[f(\mathbf{x}) \nabla_{\theta} \ln q_{\theta}(\mathbf{x})]$$

Reparametrization Trick $\mathbf{x} = g_{\theta}(\mathbf{z})$

$$\nabla_{\theta} \mathbb{E}_{\mathbf{x} \sim q_{\theta}(\mathbf{x})}[f(\mathbf{x})] = \mathbb{E}_{\mathbf{z} \sim p(\mathbf{z})}[\nabla_{\theta} f(g_{\theta}(\mathbf{z}))]$$

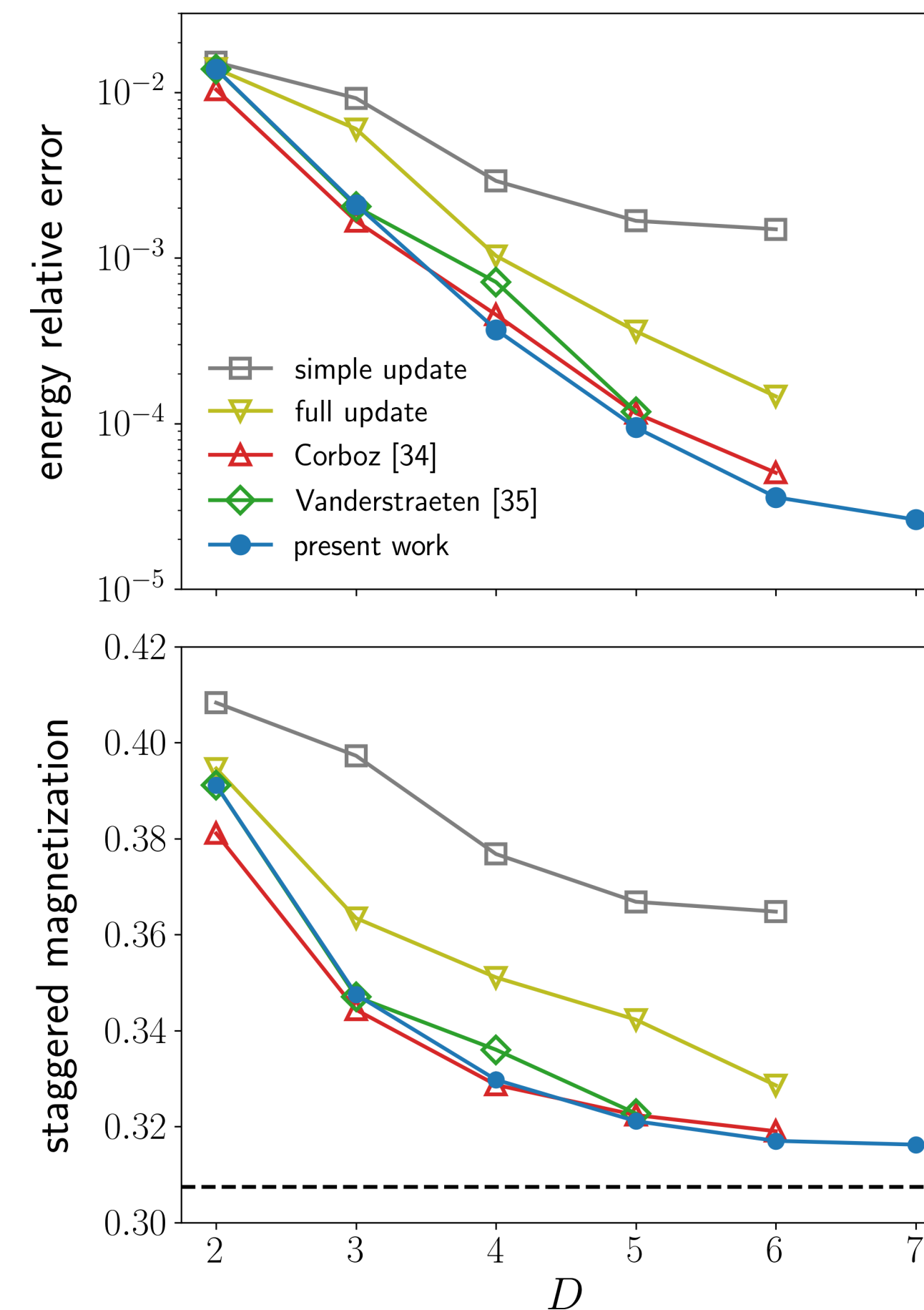
Back to tensor networks

Hand derived gradient



Vanderstraeten '16, Corboz '16

AD optimized iPEPS

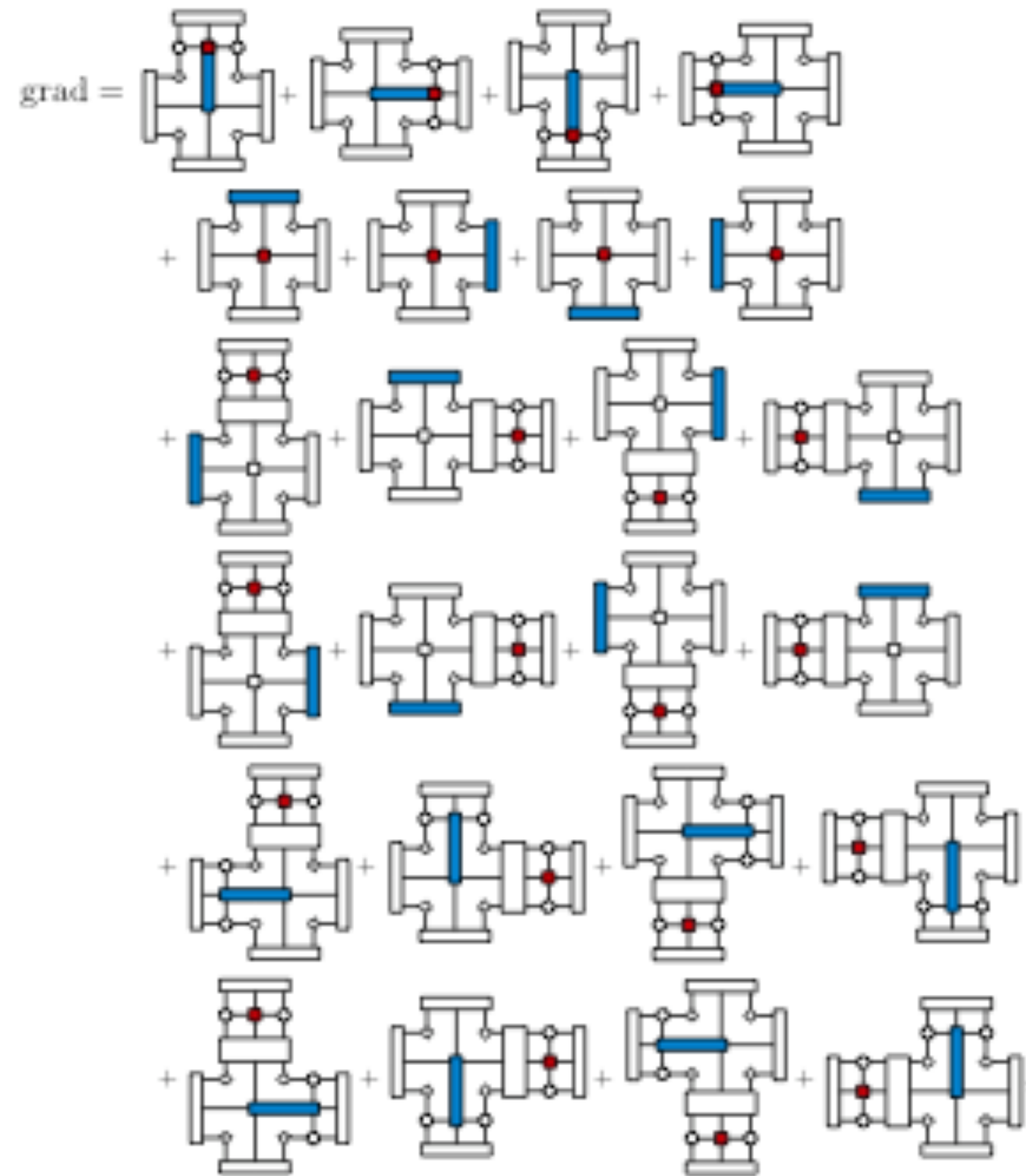


<https://github.com/wangleiphy/tensorgrad>

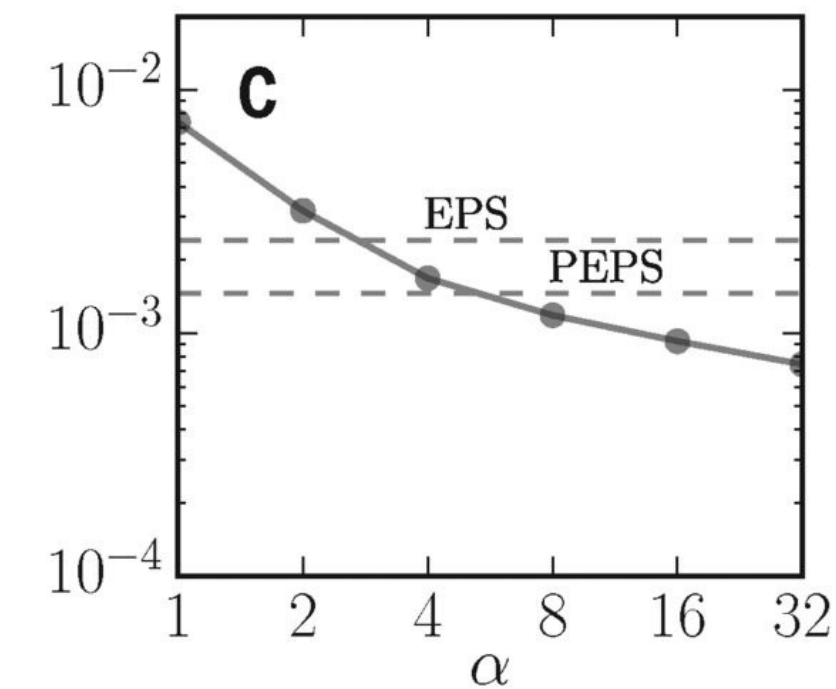
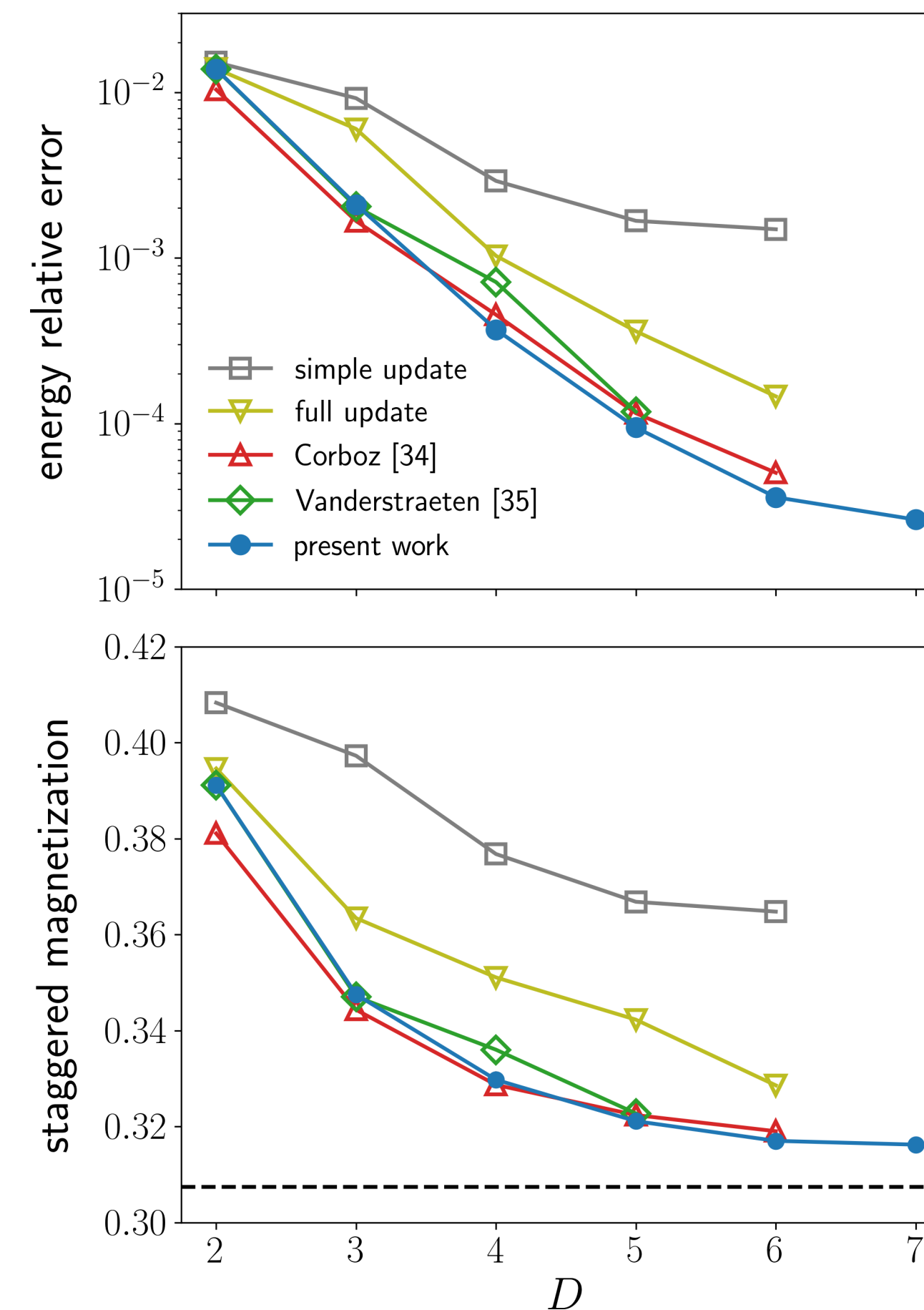
Back to tensor networks

10x10
RBM

Hand derived gradient



AD optimized iPEPS



Vanderstraeten '16, Corboz '16

<https://github.com/wangleiphy/tensorgrad>