#### Introduction to Data Structure and Algorithm in PYTHON (TREES)

#### Activities for this lab:

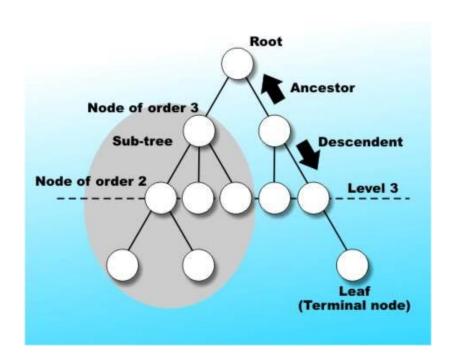
- Explain the concepts of TREE/BST
- ▶ TREE creation and implementation using BST
- ▶ BS-TREE Traversal methods, InOrder, PostOrder and PreOrder
- Lab exercise

#### **TREES**

#### **OVERVIEW**

A tree is a data structure consisting of nodes organized as a hierarchy. A tree T is a set of nodes storing elements such that the nodes have a parent-child relationship that satisfies the following:

- if T is not empty, T has a special tree called the root that has no parent
- each node v of T different than the root has a unique parent node w; each node with parent w is a child of w

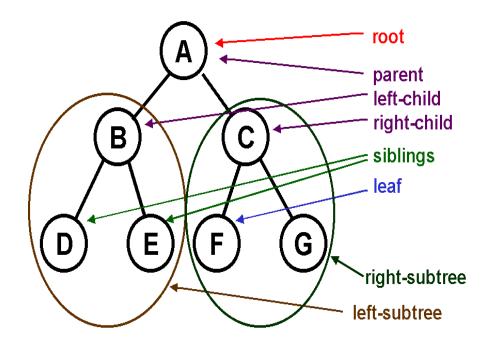


#### AIM:

To perform Binary tree operations:

### **Binary Search Tree:**

A tree whose elements have at most 2 children is called a binary tree. Since each element in a binary tree can have only 2 children, we typically name them the left and right child. It is called a search tree because it can be used to search for the presence of a number in O(log(n)) time.



# Code fragment to create BST class

```
class BSTtree:
    def __init__(self): #constructor of class
        self.root = None
    def create(self,val):
        if self.root == None:
            self.root = Node(val)
        else:
            current = self.root
        while 1:
            if val < current.info:</pre>
```

```
if current.left:
    current = current.left
else:
    current.left = Node(val)
    break;
elif val > current.info:

if current.right:
    current = current.right
else:
    current.right = Node(val)
    break;
else:
    break
```

## **Inorder Traversal**

In an InOrder traversal, we recursively do an InOrder traversal on the left subtree, visit the root node, and finally do a recursive InOrder traversal of the right subtree

```
    Traverse left subtree
    root node,
    traverse right subtree
```

## **Sample Algorithm of Inorder**

```
1. Initialize current as root
2. While current is not NULL
Traverse the leftsubtree, current = current->left
  If current does not have left child
   a. Print current's data
   b. Go to the right, (Traverse Right Subtree)i.e., current = current->right
   Else
   a. In current's left subtree, make current the right child of the rightmost node
   b. Go to this left child, i.e., current = current->left
```

## Code segment for InOrder

```
def inorder(self, node):
    if node is not None:
```

```
self.inorder(node.left)
print (node.info)
self.inorder(node.right)
```

### **PostOrder Traversal**

In a preorder traversal, children node are visited before the node

- Traverse left subtree,
- traverse right subtree,
- visit node

### Code segment for Postorder

```
def postorder(self, node):
    if node is not None:
        self.postorder(node.left)
        self.postorder(node.right)
        print (node.info)
```

## **Pre-order Traversal**

In a preorder traversal, a node is visited before its descendants

- Visit node(Root),
- traverse left subtree,
- traverse right subtree

## Code segment for PreOrder

```
def preorder(self, node):
    if node is not None:
        print (node.info)
        self.preorder(node.left)
        self.preorder(node.right)
```

### <u>Lab Exercise (Indivudual)</u>

Modify the code given in the lab session, Complete the Post order of the tree. Create a Menu that enable user to add node to the tree and enable option for following operations

- Add the insertRightChild / insertLeftChild
- Print PostOrder Traversal ()
- Print Preorder Traversal ()
- Print Preorder Traversal ()
- exit

## **Group Assignment**

Modify/Extend the given code in class, (BST) to enable user insert some nodes, getSize of the tree(), num children(), CourtightChild(), CountleftChild(), deleteLeaf() node and find a given target node from the list of nodes.

SUBMIT BEFORE or By 11.59pm 22<sup>nd</sup> October, 2017