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1.

1 6 3

1 7 3

1 6 4

1 7 4

1 6 5

1 7 5

2 6 3

2 7 3

2 6 4

2 7 4

2 6 5

2 7 5

- The pseudocode gives us all the permutation of outer, inner and middle.
- Explanation: we know that we do 'outer' at first, 'middle' the second and 'inner' the third. According to the order in the list, in the first loop, outer is 1, middle is 3 and inner is 6, so it will print '1 6 3'. In the next loop, in order, inner becomes 7 and it will print '1 7 3'. After that, outer is 1 as well but middle becomes 3 and inner is 6. We can get all the result after we do the loop 12 times in order.
- Besides, we should pay attention to the order of 'outer, inner and middle' in the result.

2.

•10.10110

• Explanation:

$$e = \sum_{n=0}^{\infty} \frac{1}{n!} = \frac{1}{1} + \frac{1}{1} + \frac{1}{1 \cdot 2} + \frac{1}{1 \cdot 2 \cdot 3} + \dots$$

When $n = 0, 1, \dots, 6$:

$$e \approx 1+1+1/2+1/6+1/24+1/120+1/720 \approx 2.7180555555555554$$

Integral part:

$$2/2=1...0 \quad 1/2=0...1 \quad \text{So } 2 \rightarrow 10$$

Decimal part:

$0.718055 \times 2 = 1.43611$. $0.43611 \times 2 = 0.87222$ $0.87222 \times 2 = 1.74444$ $0.74444 \times 2 = 1.48888$
 $0.48888 \times 2 = 0.97776$
So $0.71805555 \rightarrow 0.10110$
So the binary form of e is 10.10110

3.

```
i = 0
while n > 0 do
    c ← mod_2(n)
    L[i] ← c
    n ← div_2(n)
    i = i + 1
return L[i]
```

•Explanation: As we know, we should keep dividing the number (or quotient) by 2 and assign the remainder (either 0 or 1) to a_i . When the quotient is 0, we end the algorithm. And the $L[i]$ is what we need.