

Portfolio Optimization Credit Risk Managment

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Group Organisation

Portfolio Optimization

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Studying the portfolio optimization process and proposing methods for having an optimal portfolio.

Credit Risk Management

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Getting the Credit Score Card and optimizing the model by using different methods on new dataset.

Contents

1 Portfolio Optimization

- Introduction
- Objectives
- Sharpe Ratio
- Omega Ratio
- Conclusions

2 Credit Risk Management

- Objectives
- Previous work
- Module evaluation
- Comparision SVM and LR
- Results and Conclusions

3 Conclusions

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Introduction

Motivation

Portfolio optimization is the process of selecting the best portfolio (asset distribution), out of the set of all portfolios being considered, subject to maximizing expected return, and minimizing financial risk.

Several mechanisms to manage portfolios:

- Sharpe Ratio
- Omega Ratio

(Maximizing these two functions)

Objectives

Objective

Propose methods to maximize these two functions

- Monte Carlo Simulation
 - Analytical method
-
- Using **3** different datasets (*Istanbul, United States and ETF Stocks*)
 - Studied for **5** time periods (*daily, weekly, monthly, quarterly, semester*)

Sharpe Ratio

Sharpe Ratio measures the performance of an investment compared to a risk-free asset, after adjusting for its risk.

$$\text{Sharpe Ratio} = f(x_1, x_2, \dots, x_n)$$

x_i - percentage of money of asset i

- Non-linear
- Convex

It is used to help investors understand the return of an investment compared to its risk.

Monte Carlo Results

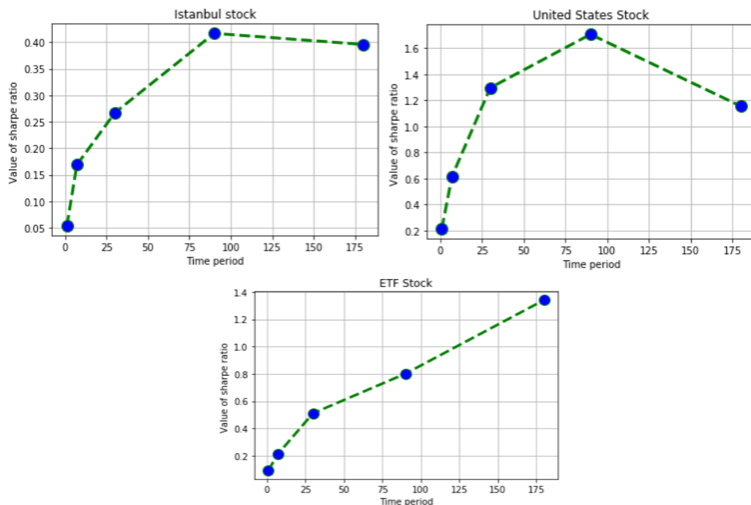
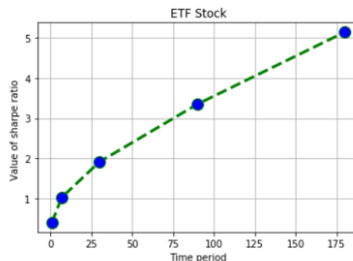
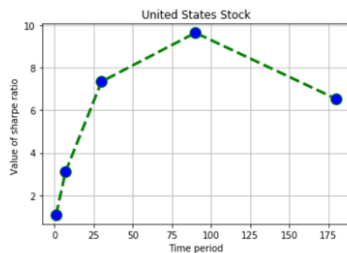
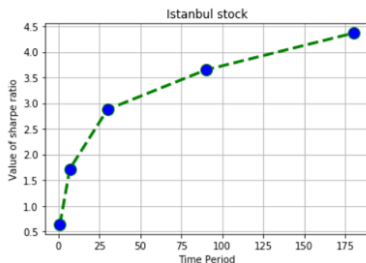


Figure: Monte Carlo results: max Sharpe Ratio value

Analytic method

- Going from non-linear to quadratic programming problem
- Using libraries supporting quadratic programming in Python

Analytic method results



Results comparison

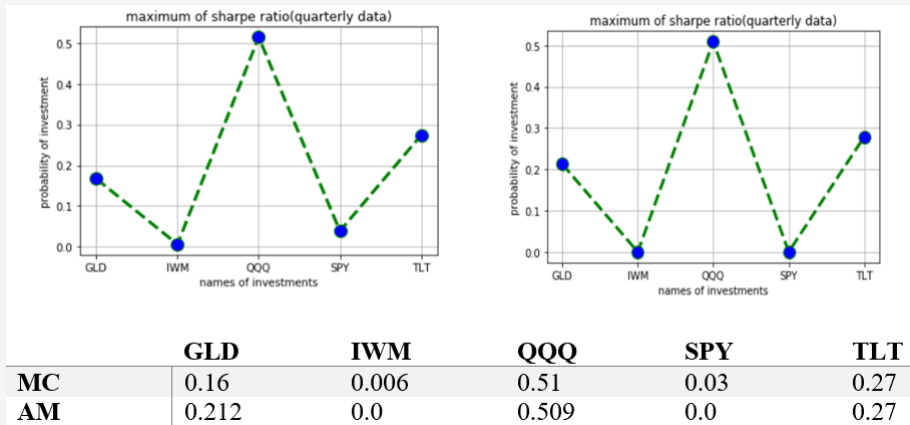


Figure: Values of the weights for the assets of ETF stock: MC (left) AM (right)

Results comparison

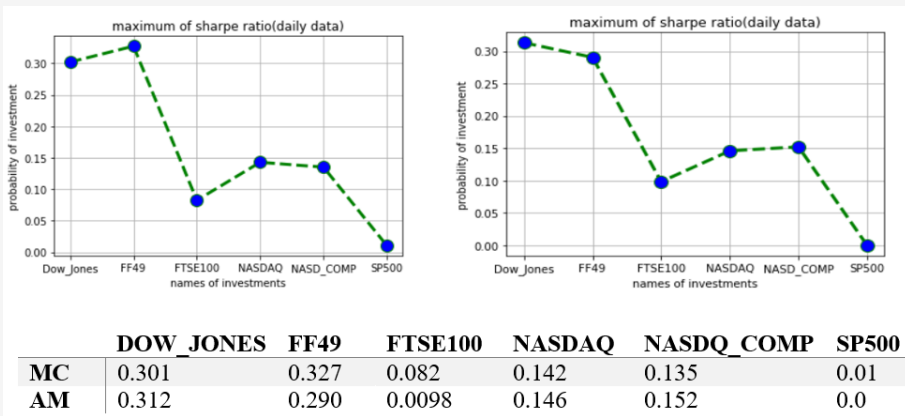


Figure: Values of the weights for the assets of United States stock

Results comparison

$$\text{Omega Ratio} = f(x_1, x_2, \dots, x_n, L)$$

x_i - percentage of money of asset i

- Non-linear
- Non-convex

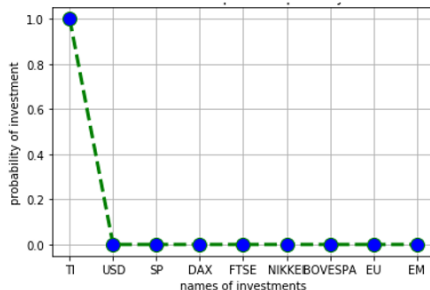
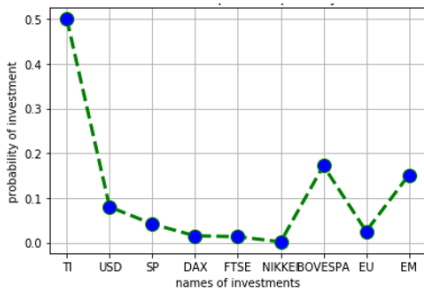
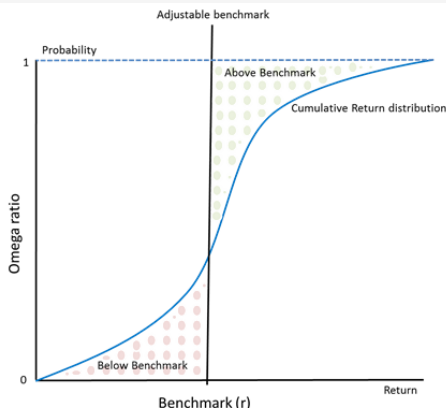


Figure: Values of the weights for the assets of Istanbul stock

Omega Ratio

$$\text{Omega Ratio} = f(x_1, x_2, \dots, x_n, L)$$

- Non-linear
- Non-convex



Monte Carlo Results

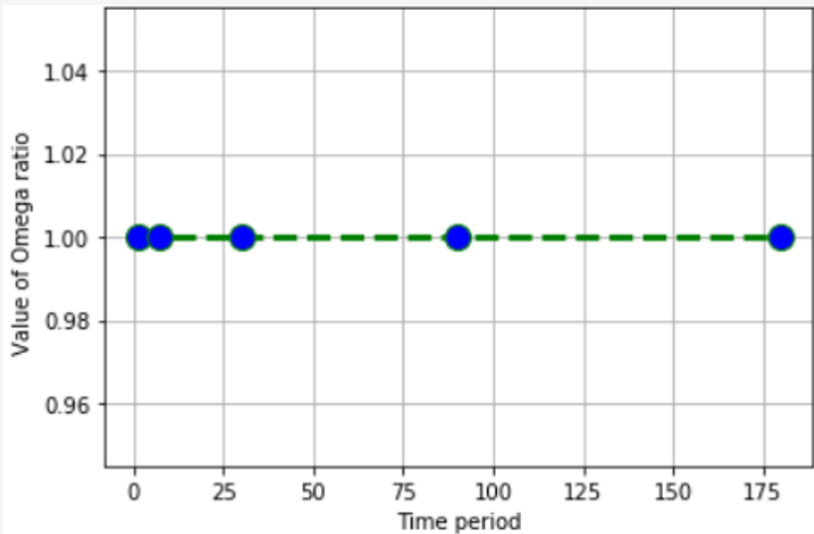


Figure: Monte Carlo results: max Omega Ratio for all datasets

Analytic method

L is usually chosen by the investor by considering how much risk he want to take.

Approximate the value of L by solving a linear programming
Approximation from non-linear to linear programming of
Omega Ratio problem

Analytic method results



Figure: Analytic method: max Omega Ratio value

Conclusions

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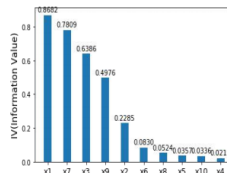
Objective

Finding the module which can help bank do the right choice for issuing credit card and reduce the risk.

Data explication and feature selection

	Label	Explanation
X0	SeriousDlqin2yrs	Good clients and defaulting clients
X1	RevolvingUtilizationOfUnsecuredLines	Recycling of unsecured loans/Credit card and personal credit limit, except for real estate and non-amortization debts, which are divided by the sum of credit lines, such as car loans)
X2	Age	Age of client
X3	NumberOfTime30-59DaysPastDueNotWorse	Times of 35-59 days overdue but not bad
X4	DebtRatio	Debt ratio
X5	MonthlyIncome	Monthly income real
X6	NumberOfOpenCreditLinesAndLoans	Number of open credits and loans, open loans (instalments such as car loans or mortgages) and credit (such as credit cards)
X7	NumberOfTimes90DaysLate	The number of times the client has overdue for 90 days or more
X8	NumberRealEstateLoansOrLines	Real estate loans or quotas: Mortgage and real estate lending including home equity credit lines
X9	NumberOfTime60-89DaysPastDueNotWorse	Times of 60-89 days overdue but not bad
X10	NumberOfDependents	Number of dependents not including myself

Figure: Data explication



x1--RevolvingUtilizationOfUnsecuredLines.
 x7--NumberOfTimes90DaysLate
 x3--NumberOfTime30-59DaysPastDueNotWorse
 x9--NumberOfTime60-89DaysPastDueNotWorse
 x2--age
 x6-- NumberOfOpenCreditLinesAndLoans
 x8-- NumberRealEstateLoansOrLines
 x5-- MonthlyIncome
 x10-- NumberOfDependents
 x4-- DebtRatio

Figure: Feature selection

logistic regression

Logit Regression Results

Dep. Variable:	SeriousDlqin2yrs	No. Observations:	99785
Model:	Logit	Df Residuals:	99779
Method:	MLE	Df Model:	5
Date:	Sun, 15 Dec 2019	Pseudo R-squ.:	0.2214
Time:	19:50:11	Log-Likelihood:	-17593.
converged:	True	LL-Null:	-22595.
Covariance Type:	nonrobust	LLR p-value:	0.000

	coef	std err	z	P> z	[0.025	0.975]
const	2.7302	0.016	171.528	0.000	2.699	2.761
RevolvingUtilizationOfUnsecuredLines_woe	0.6379	0.017	37.261	0.000	0.604	0.671
age_woe	0.5660	0.035	15.974	0.000	0.497	0.635
NumberOfTime30-59DaysPastDueNotWorse_woe	0.5504	0.017	31.964	0.000	0.517	0.584
NumberOfTimes90DaysLate_woe	0.5878	0.014	40.689	0.000	0.559	0.616
NumberOfTime60-89DaysPastDueNotWorse_woe	0.4437	0.019	23.599	0.000	0.407	0.481

Figure: Results of Regression Logistic

Result

Several scorecard parameters: the base score, PDO (the ratio doubles the score), and the quality ratio.

	A	B	C	D	E	F	G	H	I
1	SeriousDlqinq	BaseScore	zationOf	age	-59DaysP	Times90	-89DaysP	Score	
2	112283	1	435	-19	-9	-27	-34	-23	323
3	62127	1	435	-19	15	-14	-34	-23	360
4	43871	1	435	-19	-3	-14	-34	-23	342
5	103321	1	435	-19	-9	-14	-34	-23	336
6	65734	1	435	22	11	-14	-34	-23	397
7	26964	1	435	-19	-2	-14	-34	-23	343
8	24938	1	435	21	-9	-14	-34	-23	376

Figure: Credit Score Card

Module evaluation

Verify how predictive the model is. Automatic calculation of ROC and AUC

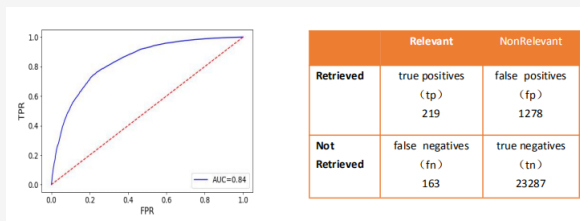


Figure: ROC curve which demonstrate the effect of binary classification and Confusion Matrix

Credit dataset

- German credit dataset - 1000 sample
- Credit data: imbalanced data

Confusion Matrice		[[188 1309] [145 23305]]				
		precision	recall	f1-score	support	
bad clients	0	0.56	0.13	0.21	1497	
good clients	1	0.95	0.99	0.97	23450	
accuracy				0.94	24947	
macro avg		0.76	0.56	0.59	24947	
weighted avg		0.92	0.94	0.92	24947	

Figure: Results of LR for GiveMeSomeCredit

- Balance data
 - LR : using SMOTE before LR
 - SVM : using parameter "classweight='balanced'" in the fuction SVC

Balancing data

- SMOTE : a simple upsampling method to directly copy a few samples of the minority class and add them to the sample set.

		precision	recall	f1-score	support
Good clients	1	0.82	0.86	0.84	148
Bad clients	2	0.55	0.46	0.50	52
accuracy				0.76	200

Figure: Results of LR in German data

		precision	recall	f1-score	support
	1	0.87	0.80	0.84	148
	2	0.54	0.65	0.59	52
accuracy				0.77	200

Figure: Results of LR after SMOTE in German data

- SVC(classweight='balanced') : Increasing C value of the weights based on the class.

$$C_j = C * w_j$$

$$w_j = \frac{n}{k * n_j}$$

C is the hyperparameter responsible for penalizing misclassified data.

Support vector machines(SVM)

- In python, two methods SVC and LinearSVC.
- **SVC** : five different kernel functions of SVC method.
 - SVM rbf
 - SVM linear
 - SVM poly
 - SVM sigmoid
 - SVM precomputed
- Cross Validation: find the optimal penalty coefficient C.
- **LinearSVC**: more flexibility in the choice of penalties and loss functions and scale better to large numbers of samples.

	precision	recall	f1-score
0	0.17	0.71	0.28
1	0.98	0.79	0.87
accuracy			0.78

Figure: Results of SVC(kernel=linear) in GiveMeSomeCredit

	precision	recall	f1-score
0	0.56	0.17	0.26
1	0.95	0.99	0.97
accuracy			0.94

Figure: Results of LinearSVC in GiveMeSomeCredit

Comparison of LR and LinearSVC

■ Compare LR and LinearSVC after data balance

```
accuracy of LR: 0.942237543592416
[[ 188 1309]
 [ 145 23305]]
```

	precision	recall	f1-score
0	0.56	0.13	0.21
1	0.95	0.99	0.97
accuracy			0.94

Figure: Results of LR in GiveMeSomeCredit

```
accuracy of LinearSVC: 0.942237543592416
[[ 255 1242]
 [ 199 23251]]
```

	precision	recall	f1-score
0	0.56	0.17	0.26
1	0.95	0.99	0.97
accuracy			0.94

Figure: Results of LinearSVC in GiveMeSomeCredit

Results and Conclusions

- Risk of credit card is considered as binary classification problems.
- Before training the model, feature selection is a important part.
- We compare LR with SVM. SVM represent a better result for the imbalanced data.
- For further research, fuzzy logic is also a good model for credit data.

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THANK YOU FOR YOUR ATTENTION

Questions?