Class 2 (Week 1): SPE in depth, part I

0. Business items

- Co-syllabus
- Student info sheet
- Your "ideal week"

1. Recall from last time...

• A **descriptively adequate** grammar not only assigns correct grammaticality judgments and truth conditions, but does so in a way that captures the significant, psychologically real generalizations.



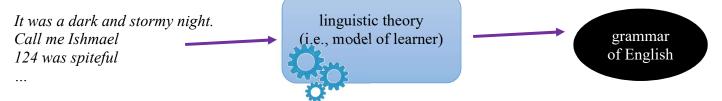
2. Why is it hard to develop a <u>descriptively</u> adequate grammar in phonology?

- Well, first—what does it even mean for a machine like the above to "capture a generalization"?
 - If we want to check whether it "captures" the English generalization that [-iz] is the plural after sibilants...ideas? Let me wait for at least 3 hands up.

- If a speaker already knows a word, feeding it into the machine is uninformative!
 - o Known words don't tell us anything about what generalizations the speaker has learned—they may have simply memorized those words.)
- Constructing novel phonological situations to put speakers in is a challenge.
 - Contrast this with syntax, where it's easier to construct sentences that—presumably—the speaker has not encountered before.
- The more novel the situation, the less sure we can be that we're testing what we want to test (loanwords? composing/judging poetry? making puns? language games?)
- In 200A, we'll mostly ignore this problem and proceed as though generalizations that we notice in the data are real to speakers.
 - o But keep in mind that this is not good! We need a higher standard
 - o In 201A there will probably be a more emphasis on methods for determining which generalizations are real.

3. Why is it hard to develop an explanatorily adequate theory?

• Recall: an **explanatorily adequate linguistic theory** is a function that, given a realistic set of utterances, produces a descriptively adequate grammar..



- Suppose we could magically achieve descriptive adequacy for all real languages.
 - o That only tells us which generalizations people have extracted for existing sets of data
 - We don't know what people would do if faced with a language with different generalizations

This problem tends to get ignored

- In the English example...
 - O Suppose we're convinced by the wug test that English speakers' grammar includes the rule "use the [iz] form of the plural after sibilants".
 - → Exposed to the English data, learners choose a grammar with that rule
 - O But we still know nothing about the learnability of "use the [iz] form of the plural after non-sibilants".
 - If the data had somehow reflected this rule instead, would children be able to learn it?
- To build our linguistic theory, we need to know which generalizations people can extract or tend to extract from all kinds of learning data, not just attested learning data.
 - o Are some generalizations preferred to others?
 - Are there hard limits on learnability?
- Again, this won't be our focus this quarter, but some interesting things you could read:
 - Becker, Ketrez & Nevins 2011 and Becker, Nevins & Levine 2012 tackle this problem in a very interesting way, by comparing potential generalizations that exist within the same language—Turkish and English, here.



• Bowers 2012 argues that a sudden, one-generation change in Odawa happened because the data crossed the line into something that children couldn't learn.



So much for big picture.

Now let's get into the nuts and bolts of how one theory works and what it predicts.

Material that's new to you: you can focus on the mechanics

Material that's familiar to you: you can focus on the theoretical predictions

SPE (Chomsky & Halle 1968) rule notation review SPE = *The Sound Pattern of English*

4. An example: SPE's main stress rule (p. 240)—let's just admire it for a minute

$$V \rightarrow [1 \text{ stress}] / \begin{bmatrix} X _C_0 \begin{pmatrix} \begin{bmatrix} -\text{tense} \\ \gamma \text{stress} \\ V \end{bmatrix} C_0^1 \begin{pmatrix} \begin{bmatrix} \alpha \text{voc} \\ \alpha \text{cons} \\ -\text{ant} \end{bmatrix} \end{pmatrix} \\ - \begin{pmatrix} (\{fik\}At\} \\ [+D]C_0\} \end{pmatrix} \begin{cases} c_1 + C_0 >_1 \begin{bmatrix} -\text{stress} \\ -\text{tense} \\ -\text{cons} \end{bmatrix} [+\text{cons}]_0 \\ c_1 \begin{bmatrix} -\text{seg} \\ c_2 - \text{FB} >_2 \end{bmatrix} >_1 C_0 [\beta \text{stress}] C_0 <_2 V_0 C_0 >_2 \end{cases}$$

Conditions:

$$\beta = {1 \choose 2}$$

 $\gamma \le 2$ [in another version, says γ is 2 or weaker]

X contains no internal #

(Not much is said in SPE about these "conditions", except that they are truth-functional. It makes a big difference to the theory's computational power what restrictions we place on them.)

- Don't worry—you'll almost never encounter a rule this complicated!!!
- Let's step through the crucial elements of rule notation.

5. Features

- You can think of a feature as a function that takes a phone and emits a value like + or –
- E.g., voice assigns + to [b, d, m, o, a] and to [p, t, s, h]
- Features usually have some phonetic definition, e.g...
 - o voice (spoken languages) means "vocal folds are vibrating"
 - o spread (sign languages) means "fingers are abducted, away from middle finger" (Ormel et al. 2017)
- So what does [+voice] or [-spread] mean? As we'll see, it depends on where it appears in a rule!

6.
$$A \rightarrow B/X$$
 Y

Example:
$$\begin{bmatrix} +syll \\ -low \end{bmatrix} \rightarrow [+high] / _ CC#$$

- "XAY is rewritten as XBY", or, to put it another way, "A is rewritten as B when preceded by X and followed by Y''.
- A is the **affected segment**, focus, or target of the rule.
- B is the **structural change** that the rule requires
- X Y is the **context** for the rule
- XAY is the structural description

We'll use A, B, X, and Y to stand for these positions throughout this handout.

- 7. Something we'll skip, but for your reference: $A \rightarrow B/X \quad Y/P \quad Q$
- ➤ Means "PXAYQ is rewritten as PXBYQ".
- I.e., $A \rightarrow B / PX$ YQ.
 - Except that ordering for "expansion conventions" (which we haven't discussed yet) is affected—see SPE pp. 72-77.

8. Left side of the arrow, "A"

A can be a feature matrix or Ø.

- $\ge \underline{\text{If } A \text{ is a feature matrix}}, \text{ like } \begin{bmatrix} +\text{syllabic} \\ -\text{low} \end{bmatrix}, \text{ then the rule looks for any segment that is$ **nondistinct** $}$
- Two feature matrices are **distinct** iff there is some feature F whose value is different in the two matrices.
 - $% = \frac{1}{2}$ Which of the following are distinct from $\begin{bmatrix} +syll \\ -low \end{bmatrix}$?

A:
$$\begin{bmatrix} +syll \\ -low \\ +round \\ +back \end{bmatrix}$$
B:
$$\begin{bmatrix} -low \\ -round \end{bmatrix}$$
C:
$$\begin{bmatrix} -syll \\ -low \\ +high \end{bmatrix}$$

$$\mathbf{B}: \begin{bmatrix} -low \\ -round \end{bmatrix}$$

$$\mathbf{C} : \begin{bmatrix} -\text{syll} \\ -\text{low} \\ +\text{high} \end{bmatrix}$$



- This means that if A doesn't mention some feature F, it doesn't care about it—that part of the rule matches segments that are +F, or -F, or even fail to have a value for F.
- Sometimes, if A is meant to pick out a single phone, we use a phonetic symbol instead:

$$\mathbf{u} \rightarrow [-\text{high}] / \underline{\hspace{1cm}} (C) \#$$

O This is a good idea for readability, but in order to determine how long the rule is (e.g., if you think learners prefer short rules), you'd have to expand the IPA symbol into a feature matrix.

- Po you want a quick review of the features [high/low/front/back/round?
 - A: yes, I want a quick review

 B: no, I don't need a review



What's the smallest feature matrix that "u" could abbreviate if the language's vowel inventory is i, a, u? If it's i, a, u, o? If it's i, y, a, u, o?

Take a minute to write down your answer, then I'll ask for raised hands

- Sometimes we also use C to abbreviate [-syllabic] or V to abbreviate [+syllabic].
 - o Again, this is good for readability.
 - o Be careful when *you* read, though, because some authors, following SPE, use C and V to abbreviate {[-vocalic], [+consonantal]} and [+vocalic, -consonantal].
- ightharpoonup If A is \emptyset , you've got an insertion rule (the idea is that insertion changes "nothing" into something):

$$\emptyset \rightarrow i / C _ C#$$

Why don't we use the empty matrix [] instead of \emptyset ? Take 2 minutes to think about this alone, then I'll give you 2 minutes to discuss it with a partner. If you're stuck, try applying the rule [] \rightarrow i / C_C# to the word /potek/ and the word /bamk/.

- 9. An unsolved issue: underspecified targets (if we have time)
- Imagine a rule like $\begin{bmatrix} +coronal \\ -voice \end{bmatrix} \rightarrow \emptyset / _ #$
 - And imagine we've decided that sonorants in the language in question are underlyingly underspecified for [voice] (meaning they have no value for this feature—some later rule will fill in their voicing values).
 - o E.g., feature matrix for /n/ doesn't contain any kind of [voice], either [+voice] or [-voice].
- ? How should the rule apply to /bil/ according to our definitions?

A: produce [bi]

B: produce [bil]



? Does this seem right? I think there's a case to be made either way. Answer with thumbs up or down and I'll call on one or more people to make their case.

- There's an inconclusive discussion on pp. 382-389 of SPE about whether we should...
 - o change the definition of when a rule is applicable, so that non-distinctness isn't enough
 - o or impose a condition that segments always have to be specified for all the features that a rule's structural description mentions, by the time the rule applies
 - o or impose conditions on lexical entries that will rule out some of these cases

In practice, this won't come up much. If it does, you'll need to decide how the rule should apply and **be explicit** about your decision.

10. After all that, we're finally ready for... the right side of the arrow, "B"

- B also can be a feature matrix or Ø. But, it is totally different from A—it does not pick out a set of units!! Instead, it prescribes a set of changes to apply.
- ➤ If B is a feature matrix, then any of the affected segment's features that are mentioned in B are changed to the value given in B. All other features are left unchanged.

$$\begin{tabular}{ll} \hline @ & What does & $\begin{bmatrix} +syll \\ -low \end{bmatrix}$ $\rightarrow $[+high]$ do to [o]? To [u]? \\ \hline \end{tabular}$$

o If I were the boss of all phonology, there would be a whole different notation, like

$$\begin{bmatrix} +syll \\ -low \end{bmatrix} \rightarrow \| +high \| \quad (I \text{ use this in my undergraduate courses})$$

 \triangleright If B is \emptyset , then the segment that A matched is deleted.

$$C \rightarrow \mathcal{O} / C \#$$
 (why not []?)

• Again, we sometimes use an IPA symbol as an abbreviation for all the feature changes necessary to change anything that could match A into the desired B:

$$\begin{bmatrix} +syll \\ -low \end{bmatrix} \rightarrow i / _ \#$$

- What does the "i" above abbreviate if the language's vowel inventory is i, a, u? If it's i, a, u, o? If it's i, y, a, u, o?
- If A is \emptyset , then the phonetic symbol for B abbreviates the features needed to pick it out of the language's phoneme inventory: $\emptyset \to i / C$ C#

11. Redundancy

The claimed principle that shorter rules are preferred by learners over longer rules (which we'll get to later) means that unnecessary features should be eliminated from A and B.

What is suboptimal about each of the following rules? Take a minute to jot something down

$$\begin{bmatrix} +syll \\ -round \end{bmatrix} \rightarrow \begin{bmatrix} +syll \\ -high \end{bmatrix}$$

$$\begin{bmatrix} +syll \\ -round \end{bmatrix} \rightarrow [+round]$$

$$\begin{bmatrix} +nas \\ +voice \end{bmatrix} \rightarrow [+anterior]$$

(assume the phoneme inventory of English for this last rule)

12. Right side of the slash (context), "X Y"

- X and Y are strings made up of
 - o feature matrices
 - o IPA symbols, which abbreviate feature matrices
 - o the boundary types # and +, which in SPE also abbreviate feature matrices
 - o at their outside edges, category boundaries
- Feature matrices in X and Y match segments in the same way that A does (i.e., they match a segment if not distinct from it). Phonetic symbols also work the same way
- ➤ <u>Boundaries</u>, # (word boundary) and + (morpheme boundary), are treated in SPE as feature matrices that happen to be [–segmental]:

is
$$\begin{bmatrix} -seg \\ -FB \\ +WB \end{bmatrix}$$
 + is $\begin{bmatrix} -seg \\ +FB \\ -WB \end{bmatrix}$

[FB] is "formative (roughly, morpheme) boundary" and [WB] is "word boundary"

• There are some complications about #: in SPE, it's not exactly equivalent to the place where you'd write a space in ordinary writing, i.e. the boundary between syntactic words.

O SPE also proposes a third boundary type, =, which has the features $\begin{bmatrix} -\sec g \\ -FB \\ -WB \end{bmatrix}$ and is more or less the boundary between nonproductive or nontransparent affixes and stems (e.g., English per=mit). We won't use this one much.

- The term 'unit' is used in SPE to refer to all feature matrices, including true segments and boundaries.
- \triangleright <u>Category boundaries</u> (labeled brackets) like]_{Noun} and _{Verb}[can also be used, but **only at the edges** of X_Y (and if both edges have labeled brackets, the labels have to match):

- By convention, this can be abbreviated as / __ VC]_N
- Piscuss: What is the theoretical claim that Chomsky & Halle are making by imposing this only-at-the-edges condition?

13. Non-distinctness of strings

Here's how we extend the definition of non-distinctness from pairs of units to pairs of strings:

• X (or Y) matches (is non-distinct from) some substring M of a form iff X and M have the same number of units n, and the ith unit of X matches (is not distinct from) the ith unit of M for all $1 \le i \le n$.

14. + is special

- \triangleright If + is included in X and Y, then it is required
- $V \rightarrow \emptyset / _+VC$ does not apply to *ibauk*, because V+VC does not match any substring of it.
- But—this is the special part—extra +s in the form are always OK: $V \rightarrow \emptyset / _VC$ does apply to iba+uns,
 - because "VVC" matches any of $\{VVC, V+VC, VV+C, V+V+C\}$. $A \quad B \quad C \quad D$
 - Which version of the rule is matching here?



doesn't work this special way; it works like any other feature matrix.

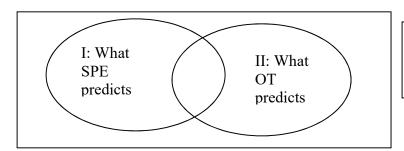
15. Basic rule application

A rule applies to a form if the form contains a string that is non-distinct from XAY.

What if X or Y doesn't appear in the rule $(A \rightarrow B / Y \text{ or } A \rightarrow B / X)$?

16. Summary of SPE review

- We've started going into excruciating detail about how a seemingly simple theory works—why?
 - o In the past, you've probably been taught a theory of convenience that worked well for the course material.
 - It may have cobbled together elements of various proposals, and left various aspects of its implementation vague.
 - Here we're going to try to be very explicit about what are our 2 base theories and what constitutes a departure from them.



Are there real cases that are in I but not II? in II but not I?

- Why structure the course this way?
 - o Doing theory comparison is important and useful!
 - How else will we find a better theory?
- But it also feels like we're covering a bit of history of the field—is that a goal of this course?
 - Not explicitly
 - Though intellectual history is of course an interesting field...
 - o Rather, it's so that you can see what it looks like when a theory is perceived to have problems, and solutions are proposed to those problems¹
 - This should help you feel more equipped to spot and solve theoretical problems yourself!
 - Otherwise it can be hard to know where to start on one's journey from theory-consumer to theory-contributor

Next time

• You may recall seeing symbols like () {} <> * 0 and others in rules, and treating them as convenient abbreviatory conventions. We'll review these symbols and see how SPE takes them seriously as theoretical claims.

17. In closing

• Write on an index card what was the toughest or most confusing thing today (e.g., confusing part of notation?)

¹ Thanks to Amanda Grein for raising this point (p.c.)—I've incorporated her insights here

References

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