

Logbook 4 (Weeks 17-22)

<https://github.com/ZMRamsey/APDCoursework.git>

The full package, including a copy of this logbook, is stored in this git repository.

Modelling Circuits

```
>> OR*kron(NOT,AND)

ans =

      0      0      0      0      1      1      1      0
      1      1      1      1      0      0      0      1

fx >> |
```

Quantum Computing

C		B		A
$\begin{bmatrix} 0 \\ 1 \end{bmatrix}$	<- H <-	$\frac{1}{\sqrt{2}} \begin{bmatrix} 1 \\ -1 \end{bmatrix} = \begin{bmatrix} 0.707 \\ 0.707 \end{bmatrix}$	<- H <-	$\begin{bmatrix} 0 \\ 1 \end{bmatrix}$
$\begin{bmatrix} 1 \\ 0 \end{bmatrix}$		$\frac{1}{\sqrt{2}} \begin{bmatrix} 1 \\ 1 \end{bmatrix}$		$\begin{bmatrix} 1 \\ 0 \end{bmatrix}$

Probability model makes reversibility impossible

Correctness

```
public static int cube(int n) {
    int cube = 0, threeNsquared = 0, threeN = 0;
    int i = 0;

    [1] assert cube == i*i*i : cube;
    assert threeN == 3*i : threeN;
    assert threeNsquared == 3*i*i : threeNsquared;

    while (i < n) {

    [2]     assert cube == i*i*i : cube;
    assert threeN == 3*i : threeN;
    assert threeNsquared == 3*i*i : threeNsquared;

        cube = cube + threeNsquared + threeN + 1;
```

```

[3]    assert cube == (i+1)*(i+1)*(i+1);
        assert threeN == 3*i;
        assert threeNsquared == 3*i*i;

        threeNsquared = threeNsquared + (2*threeN) + 3;

[4]    assert cube == (i+1)*(i+1)*(i+1);
        assert threeN == 3*i;
        assert threeNsquared == 3*(i+1)*(i+1);

        threeN = threeN + 3;

[5]    assert cube == (i+1)*(i+1)*(i+1);
        assert threeN == 3*(i+1);
        assert threeNsquared == 3*(i+1)*(i+1);

        i++;

[6]    assert(cube == i*i*i);
        assert(threeN == 3*i);
        assert(threeNsquared == 3*i*i);
    }
[7]    assert(cube == n*n*n);
        assert(threeN == 3*n);
        assert(threeNsquared == 3*n*n);
        assert(i==n);

    return cube;
}

```

[1] Cube is i^3 , threeN is $3i$, and threeNsquared is $3(i^2)$. These are the main assertions through the program to prove it is correct.

[2] See [1].

[3] Cube is now $(i+1)^3$ which is preparing for the increment of i .

[4] threeNsquared is now $3*(i+1)^2$ to prepare for the increment of i also.

[5] threeN is now $3*(i+1)$ again to prepare for the increment.

[6] i has been incremented, and so the assertions return to the main assertions from [1]

[7] The main assertions remain, but i is replaced with n to prove that the function returns the cube of n .

Self Assessment

Week	Score	Reasoning
Modelling Circuits	2	<i>A matrix has been created of the final result</i>
Quantum Computing	3	<i>There are matrices for the values at A, B, and C of the Hadamard gates</i>
Correctness	3	<i>The algorithm has been proven, with explanation of the assertions in place</i>
Complexity	0	<i>Not completed</i>