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Courses » LDPC and Polar Codes in 5G Standard

Announcements

Course

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Unit 16 - Week 4 Assignment



Register for **Certification exam**

Assignment 4

Course outline

How to access the portal

Matlab access and Learning Modules

Week 0: Introduction to **Error Correction** Codes

Week 0 : Linear **Binary Block** Codes

Week 0: Assignment

Join the 5G Revolution in India

Week 1: LDPC Codes for 5G

Week 1: 5G Standard

Week 1: **Assignments**

Week 2: Building Blacke for

The due date for submitting this assignment has passed.

As per our records you have not submitted this assignment.

Due on 2019-03-10, 23:59 IST.

1) Consider that you have received the vector r=[-3.2,2.6] .The maximum value allowed **1** point in the decoder is 4, and 6 bits are used to represent the finite precision values. Then, the received vector used by the finite precision decoder is:

[-25, 20]

[-24, 20]

[-3, 3]

[-3, 2]

No, the answer is incorrect.

Score: 0

Accepted Answers:

[-25, 20]

2) Consider a (512,256) polar code with successive cancellation list decoding. The number of 1 point CRC bits used for each codeword is 12. Then, the rate of the code is

1/2

67/131

64/125

61/128

No, the answer is incorrect.

Score: 0

Accepted Answers:

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Week 3 Week 3 Assignments Week 4 Week 4 Assignment Quiz: Assignment 4 Assignment 04: Solutions VIDEO DOWNLOAD Interaction session



 $PM_2 < PM_1$, and both $u^{(1)}$ and $u^{(2)}$ satisfied the CRC.



 $PM_2 < PM_1$, and $u^{(2)}$ satisfied the CRC but $u^{(1)}$ did not.

 $PM_1 \leq PM_2$, and $u^{(2)}$ satisfied the CRC but $u^{(1)}$ did not.



 $PM_1 \leq PM_2$, and both $u^{(1)}$ and $u^{(2)}$ did not satisfy CRC.



No, the answer is incorrect.

Score: 0



Accepted Answers:

 $PM_1 \leq PM_2$, and $u^{(2)}$ satisfied the CRC but $u^{(1)}$ did not.





Use the following information for questions 4 to 9 Say a received vector from a coded-BPSK transmission using an (N,K) polar code over an AWGN channel, is being decoded using the successive cancellation list decoder with a list size of 4. Then, the binary tree representation of the code has a depth $n=\log_2 N$. Consider a node x at depth n-1. Let y and z be its left and right child respectively. During the decoding process, the list of belief vectors received by x from its parent are: $L_1=[3,-5]$, $L_2=[1,4]$, $L_3=[-4,-2]$ and $L_4=[-3,1]$. The corresponding path metrics are $PM_1=12$, $PM_2=14$, $PM_3=16$ and $PM_4=18$. Remember that the path metrics are always arranged in ascending order.

4) If the node y is frozen, then the updated belief vectors and the corresponding path metrics **1** point after the node y has been processed is:



$$\stackrel{-}{L_1}=[3,-5]$$
 , $L_2=[1,4]$, $L_3=[-4,-2]$ and $L_4=[-3,1]$; $PM_1=14$, $PM_2=15$, $PM_3=16$ and $PM_4=19$

$$L_1=[1,4]$$
 , $L_2=[3,-5]$, $L_3=[-4,-2]$ and $L_4=[-3,1]$; $PM_1=14$, $PM_2=15$, $PM_3=16$ and $PM_4=19$

$$L_1=[3,-5]$$
 , $L_2=[1,4]$, $L_3=[-4,-2]$ and $L_4=[-3,1]$; $PM_1=12$, $PM_2=14$, $PM_3=16$ and $PM_4=18$

$$\stackrel{-}{L_1}=[3,-5]$$
 , $L_2=[1,4]$, $L_3=[-4,-2]$ and $L_4=[-3,1]$; $PM_1=12$, $PM_2=15$, $PM_3=17$ and $PM_4=18$

No, the answer is incorrect.

Score: 0

Accepted Answers:

L
$$_1=[1,4]$$
 , $L_2=[3,-5]$, $L_3=[-4,-2]$ and $L_4=[-3,1]$; $PM_1=14$, $PM_2=15$, $PM_3=16$ and $PM_4=19$

5) (Assuming node y is frozen) If the node z corresponds to a message bit, then the updated **1** point path metrics after the node z has been processed is



$$PM_1=14, PM_2=15, PM_3=16$$
 and $PM_4=19$



$$\overline{PM_1}=14$$
, $PM_2=15$, $PM_3=16$ and $PM_4=21$

$$PM_1=14, PM_2=15, PM_3=16$$
 and $PM_4=17$

$$\stackrel{-}{PM_1}=14, PM_2=15, PM_3=21$$
 and $PM_4=22$

No, the answer is incorrect.

Score: 0

Accepted Answers:

$$PM_1=14$$
, $PM_2=15$, $PM_3=16$ and $PM_4=17$



6) (Assuming node y is frozen) If node z corresponds to a message bit, then the list of hard-decision vectors (corresponding to the ascending order of path metrics) that x sends to its parties: 6) (Assuming node y is frozen) If node z corresponds to a message bit, then the list of



$$u^{(1)} = [0,0]$$
 , $u^{(2)} = [1,1]$, $u^{(3)} = [1,1]$ and $u^{(4)} = [0,0]$



$$\overset{-}{u^{(1)}}=[1,1]$$
 , $u^{(2)}=[0,0]$, $u^{(3)}=[0,0]$ and $u^{(4)}=[1,1]$



$$u^{(1)} = [0,1]$$
 , $u^{(2)} = [1,0]$, $u^{(3)} = [0,1]$ and $u^{(4)} = [1,0]$



$$u^{(1)} = [1,0]$$
 , $u^{(2)} = [1,0]$, $u^{(3)} = [0,1]$ and $u^{(4)} = [0,1]$

No, the answer is incorrect.

Score: 0

Accepted Answers:

$$u^{(1)} = [0,0]$$
 , $u^{(2)} = [1,1]$, $u^{(3)} = [1,1]$ and $u^{(4)} = [0,0]$

7) If the node y corresponds to a message bit, then the updated path metrics after the node y 1 point has been processed is

$$\overline{PM_1}=12$$
 , $PM_2=14$, $PM_3=15$ and $PM_4=16$

$$PM_1=12, PM_2=14, PM_3=15$$
 and $PM_4=15$



$$\overline{PM_1}=14$$
 , $PM_2=15$, $PM_3=16$ and $PM_4=16$



$$PM_1=12, PM_2=14, PM_3=16$$
 and $PM_4=16$

No, the answer is incorrect.

Score: 0

Accepted Answers:

$$PM_1=12$$
, $PM_2=14$, $PM_3=15$ and $PM_4=15$

8) (Assuming node y corresponds to a message bit) If the node z is frozen, then the updated $\boldsymbol{1}$ point path metrics after the node z has been processed is



$$PM_1=14,\,PM_2=15,\,PM_3=17$$
 and $PM_4=21$

 $\stackrel{-}{PM_1}=14$, $PM_2=15$, $PM_3=17$ and $PM_4=17$



$$PM_1=14$$
 , $PM_2=15$, $PM_3=21$ and $PM_4=22$



$$PM_1=14, PM_2=15, PM_3=17$$
 and $PM_4=20$

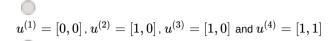
No, the answer is incorrect.

Score: 0

Accepted Answers:

$$PM_1=14$$
, $PM_2=15$, $PM_3=17$ and $PM_4=20$

9) Let the list of belief vectors received by node x from its parent be: $L_1 = [2,4]$, 1 point $L_2 = [-4,5]$, $L_3 = [3,2]$ and $L_4 = [1,2]$ and let the corresponding path metrics be $PM_1=4$, $PM_2=7$, $PM_3=10$ and $PM_4=13$. If both y and z correspond to message bits, then the list of hard-decision vectors(corresponding to the ascending order of path metrics) that $oldsymbol{x}$ sends to its parent is:





$$u^{(1)} = [0,0]$$
 , $u^{(2)} = [1,0]$, $u^{(3)} = [1,0]$ and $u^{(4)} = [0,1]$



$$u^{(1)} = [0,0]$$
 , $u^{(2)} = [1,0]$, $u^{(3)} = [1,0]$ and $u^{(4)} = [0,1]$



$$\overset{-}{u^{(1)}} = [0,1]$$
 , $u^{(2)} = [1,0]$, $u^{(3)} = [0,1]$ and $u^{(4)} = [1,0]$



$$\overset{-}{u^{(1)}}=[1,0]$$
 , $u^{(2)}=[1,0]$, $u^{(3)}=[0,1]$ and $u^{(4)}=[0,1]$



No, the answer is incorrect.

Score: 0

Accepted Answers:

$$u^{(1)} = [0,0]$$
 , $u^{(2)} = [1,0]$, $u^{(3)} = [1,0]$ and $u^{(4)} = [0,1]$

10)Consider decoding a received vector from a coded-BPSK transmission using the (32,20) Polar code over an AWGN channel, with the successive cancellation list decoder. If the list size is 4, the codeword bit position (numbered from 1 to N) at which the fourth decoder gets activated is .(Use the same reliability sequence as mentioned in class).

No, the answer is incorrect.

Score: 0

Accepted Answers:

(Type: Numeric) 12

1 point

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