Week1

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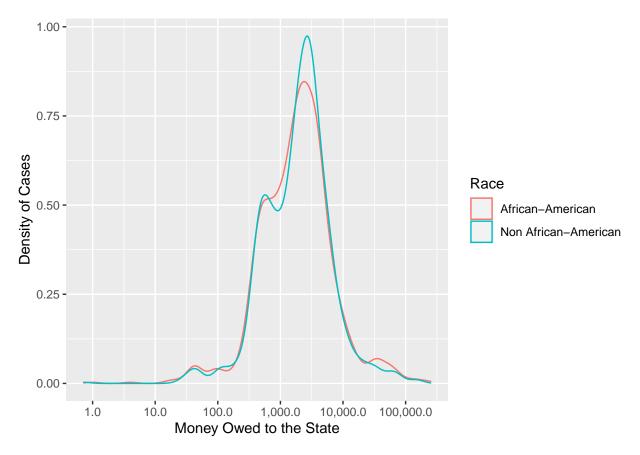
1/15/2022

Question 1

```
##### Question 1
### A
AlabamaCourt <- read_csv("AlabamaCourt.csv")</pre>
## Rows: 2926 Columns: 14
## -- Column specification ------
## Delimiter: ","
## chr (4): race, sex, court_action, atty
## dbl (10): person, county_num, case_year, dob_year, amountpaid, amountdue, pr...
## i Use 'spec()' to retrieve the full column specification for this data.
## i Specify the column types or set 'show_col_types = FALSE' to quiet this message.
AC<-AlabamaCourt
### B
AC$black <- ifelse(AC$race == "B", 1,0)
AC$amountremain <- (AC$amountdue - AC$amountpaid)
### C
## African-American
 AC.Black<- AC %>%
 filter(black == 1)
 stargazer(as.data.frame(AC.Black[c("amountremain", "amountdue", "amountpaid")]),
           type = "text")
##
## -----
## Statistic N
                     Mean
                             St. Dev. Min
## amountremain 1,366 3,568.939 10,222.090 0.000 161,076.000
## amountdue 1,366 4,040.682 10,339.030 0.000 163,642.000
## amountpaid 1,366 471.743 1,095.375 0.000 20,366.000
```

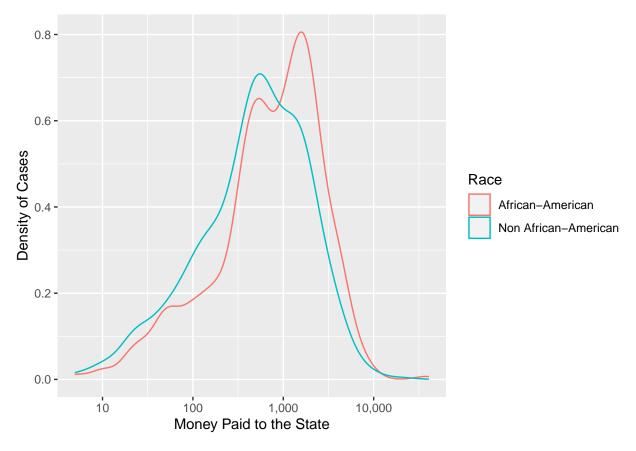
```
## Non-Black
 AC.NonBlack <- AC %>%
   filter(black != 1)
 stargazer(as.data.frame(AC.NonBlack[c("amountremain", "amountdue", "amountpaid")]),
          type = "text")
##
## -----
              N
                     Mean
                             St. Dev.
                                      Min
## -----
## amountremain 1,560 3,582.679 12,659.160 0.000 251,650.000
## amountdue 1,560 4,398.811 12,997.500 0.000 262,245.000
## amountpaid 1,560 816.132 1,834.353 0.000 40,328.000
## Create three kernel density plots that compare the distributions
 ## of the variables
## amountremain", \amountdue", \amountpaid",
## respectively, for African-Americans and non-African-Americans.
ggplot(AC, aes(x=amountremain, colour = (black==1))) +
 geom_density() +
 scale_x_continuous(trans = 'log10',
                  breaks=c(1,10,100,1000,10000,100000),
                  labels=comma,name="Money Owed to the State") +
 ylab("Density of Cases") +
 scale_color_discrete(name="Race",
                    labels=c("African-American", "Non African-American"))
```

- ## Warning: Transformation introduced infinite values in continuous x-axis
- ## Warning: Removed 657 rows containing non-finite values (stat_density).



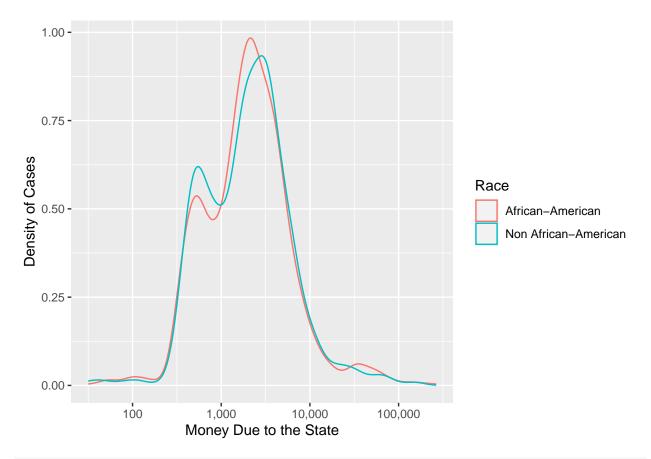
Warning: Transformation introduced infinite values in continuous x-axis

Warning: Removed 1343 rows containing non-finite values (stat_density).



Warning: Transformation introduced infinite values in continuous x-axis

Warning: Removed 69 rows containing non-finite values (stat_density).



E

```
# In the graph "Paid", it appears that there is significantly higher peak that African Americans
# have paid higher sums. The lines are slighly dissimilar prior to that mark with more non blacks
# have paid slightly less sums. After that $1000 mark African Americans seem to pay more than the rest
# In the graph "Due" the graphs are generally similar with slight differences.
# Around $1000 non-blacks have been charged more where as Afrian Americans have more been charged aroun
# 5,000 mark.
# In the graph "owed" non blacks owe more than African Americans.
```

According to these numbers it appears that while non-blacks owe more, they have also paid less.

The most telling graph would "Money due" where there is a slight difference in amount charged to Afri

I think more data about income disparity could build a more telling story about racist policies in LF

Question 2

CollegeBasketball <- read_csv("CollegeBasketball.csv")

```
## Rows: 241 Columns: 9
## -- Column specification ------
## Delimiter: ","
## chr (3): Date, Favorite, Underdog
## dbl (6): Favorite3, Underdog3, PredictedDifference, PredictedPoints, ActualD...
##
## i Use 'spec()' to retrieve the full column specification for this data.
## i Specify the column types or set 'show_col_types = FALSE' to quiet this message.
```

```
{\tt basketball} \textcolor{red}{<-} {\tt CollegeBasketball}
```

A

basketball\$super <- (basketball\$PredictedDifference - basketball\$ActualDifference)
mean(abs(basketball\$super))</pre>

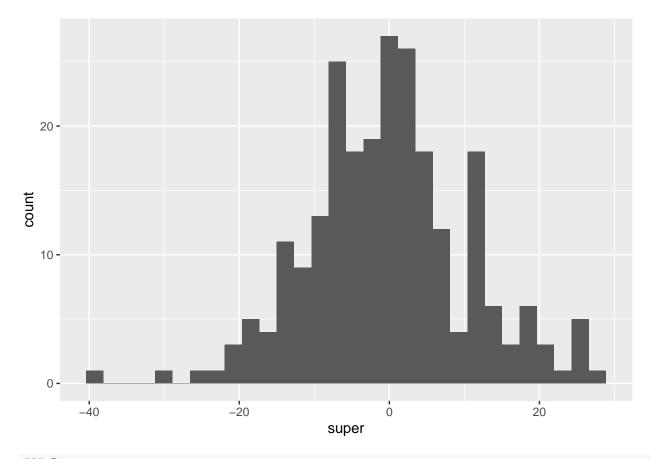
[1] 8.26971

abs(mean(basketball\$super))

[1] 0.1659751

```
ggplot(basketball, aes(x=super)) +
geom_histogram()
```

'stat_bin()' using 'bins = 30'. Pick better value with 'binwidth'.



B

basketball\$Differential <- rep(NA, length(basketball\$Favorite))</pre>

for(i in 1:length(basketball\$Differential)){

```
basketball$Differential[i] <-if(basketball$super[i] < 0 ) {</pre>
  } else if (basketball$super[i] == 0) {
    ^{\rm H}{\rm E}^{\rm H}
  } else if (basketball$super[i] > 0 ) {
    01.0
  } else {}
}
mean(basketball$Differential=="W")
## [1] 0.5020747
mean(basketball$Differential=="E")
## [1] 0.02904564
mean(basketball$Differential=="L")
## [1] 0.4688797
### C
basketball$PointDiffer <- (basketball$PredictedPoints - basketball$ActualPoints)</pre>
### D
basketball$ptsdummy <- rep(NA, length(basketball$Favorite))</pre>
for(i in 1:length(basketball$ptsdummy)){
  basketball$ptsdummy[i] <- if(basketball$PointDiffer[i] == 0 ) {</pre>
  } else if(basketball$PointDiffer[i] > 0 ) {
    "F"
  else if(basketball$PointDiffer[i] < 0) {</pre>
    "M"
  }
  else {}
mean(basketball$ptsdummy=="F")
## [1] 0.5726141
mean(basketball$ptsdummy=="T")
## [1] 0.04149378
```

```
mean(basketball$ptsdummy=="M")
## [1] 0.3858921
mean(basketball$PointDiffer == 0)
## [1] 0.04149378
### E
# Prob W / M
# the prob. that fav won by more points than expected *when* More pionts were scored than expected
mean(basketball$ptsdummy=="M" & basketball$Differential=="W")/mean(basketball$ptsdummy=="M")
## [1] 0.4301075
# Prob L | M
# Fav earned less points than expected *when* more points were scored than expected
mean(basketball$ptsdummy=="M" & basketball$Differential=="L")/ mean(basketball$ptsdummy=="M")
## [1] 0.5483871
# Prob W / F
# the prob. that fav won by more points than expected *when* less points were scored than expected
mean( basketball$ptsdummy=="F"& basketball$Differential=="W") / mean(basketball$Differential=="W")
## [1] 0.6363636
# Prob L | F
# Fav earned less points than expected *when* fav won by more points than expected
mean(basketball$ptsdummy=="F" & basketball$Differential=="L") / mean(basketball$ptsdummy=="F")
## [1] 0.4057971
### F
# Write a paragraph or two, in which you make conclusions about whether the
# evidence is consistent with my theory based on the data being summarized in
# the previous parts of this question.
# There is some consistency, as shown below by the numbers.
# Fav get more pionts when less combined points
0.6363636
```

[1] 0.6363636

the prob. that fav won by more points than expected *when* More pionts were scored than expected 0.4301075

[1] 0.4301075

Fav earned less points than expected *when* fav won by more points than expected 0.4057971

[1] 0.4057971

W = Fav won by more points than expected

 $\# E = Fav \ won \ by \ exact \ points \ they \ were \ expected$

L = Fav earned fewer points than expected

M = More combined points were scored than expected

T = combined points were exact as expected

F = Less combined pionts were scored than expected