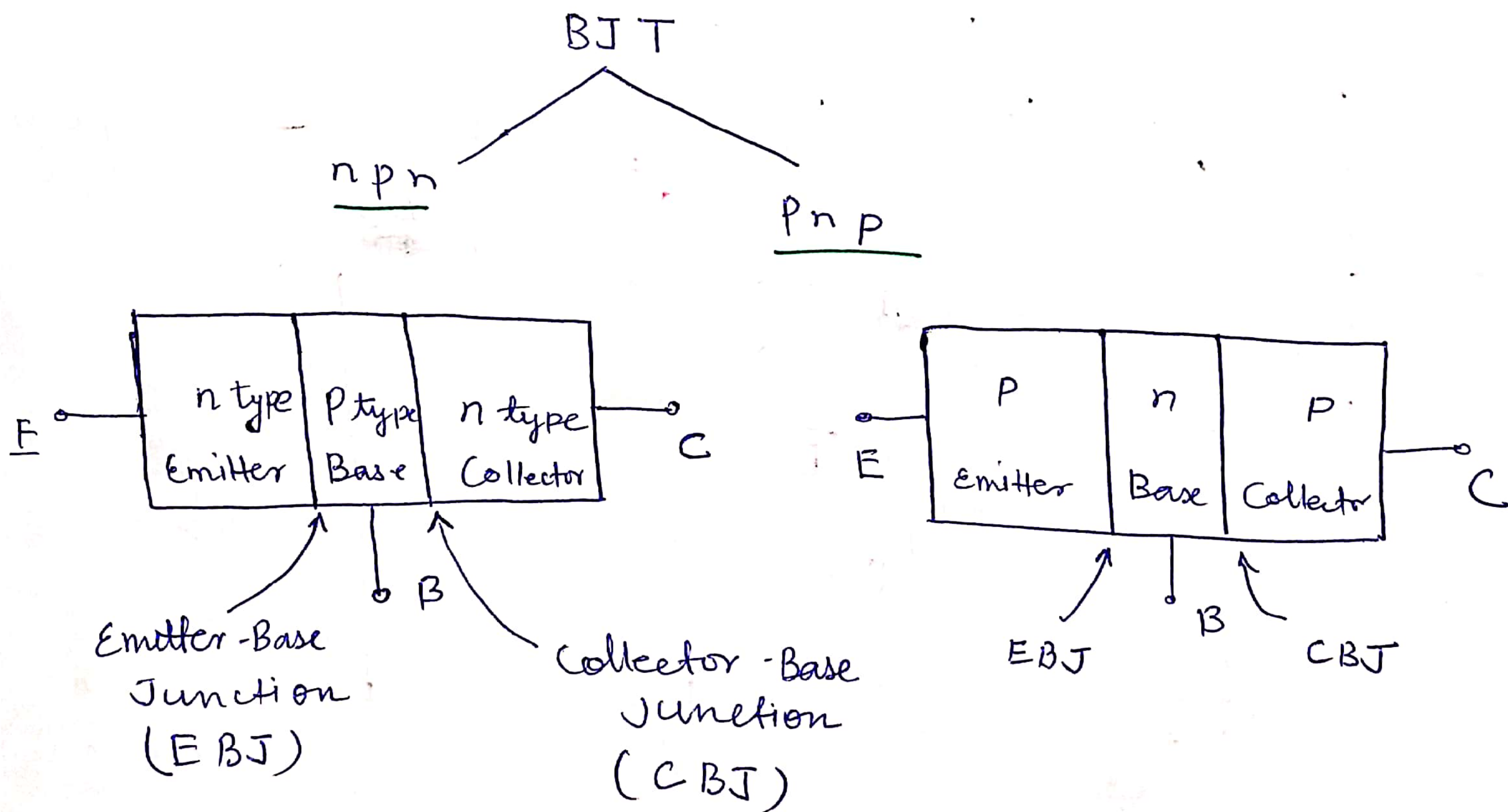


BIPOLAR JUNCTION TRANSISTOR (BJT)

- * BJT is a three terminal device
- * The voltage between two terminals is used to control the current in third terminal.
~~They are also known as~~
Therefore it works as Voltage controlled current source (VCCS).
- * Invented in 1948, at Bell Lab. { The inventors got the Nobel prize in 1956.
- * Currently BJT has been almost completely replaced by other device MOSFET (we will study this later in this unit).
- * However it is a popular choice for discrete circuit design
- * Some other area applications:
 - Radio Frequency (RF) circuits
 - ECL - A high speed digital logic
 - BiCMOS - technology

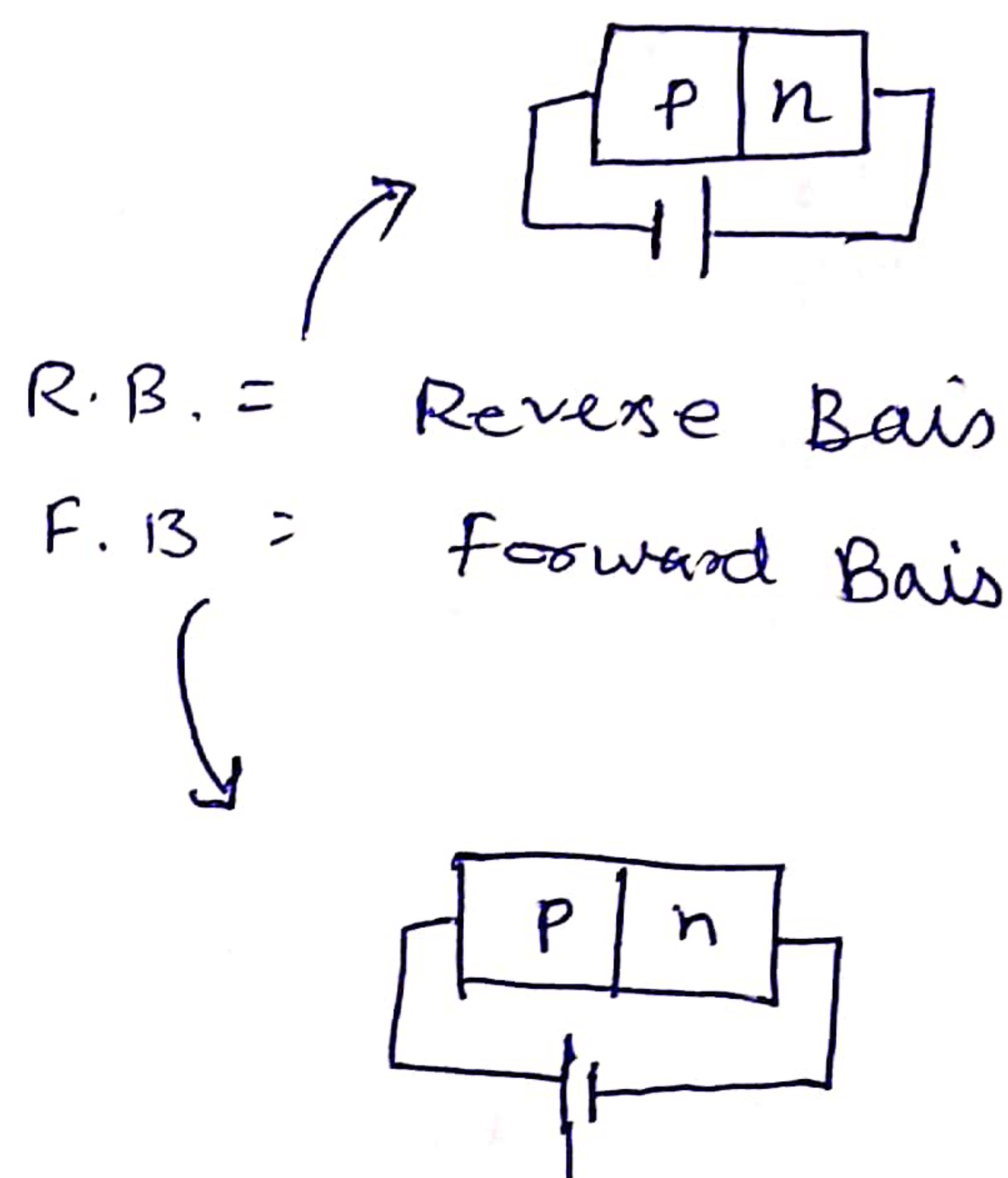
DEVICE STRUCTURE



MODES OF OPERATION

- * Depending upon the Bias condition of two junction (EBJ & CBJ), different modes of operations are obtained

Mode	EBJ	CBJ
Cut-off	Reverse Bias	Reverse Bias
Active	F.B.	R.B.
Reverse Active	R.B.	F.B.
Saturation	F.B.	F.B.

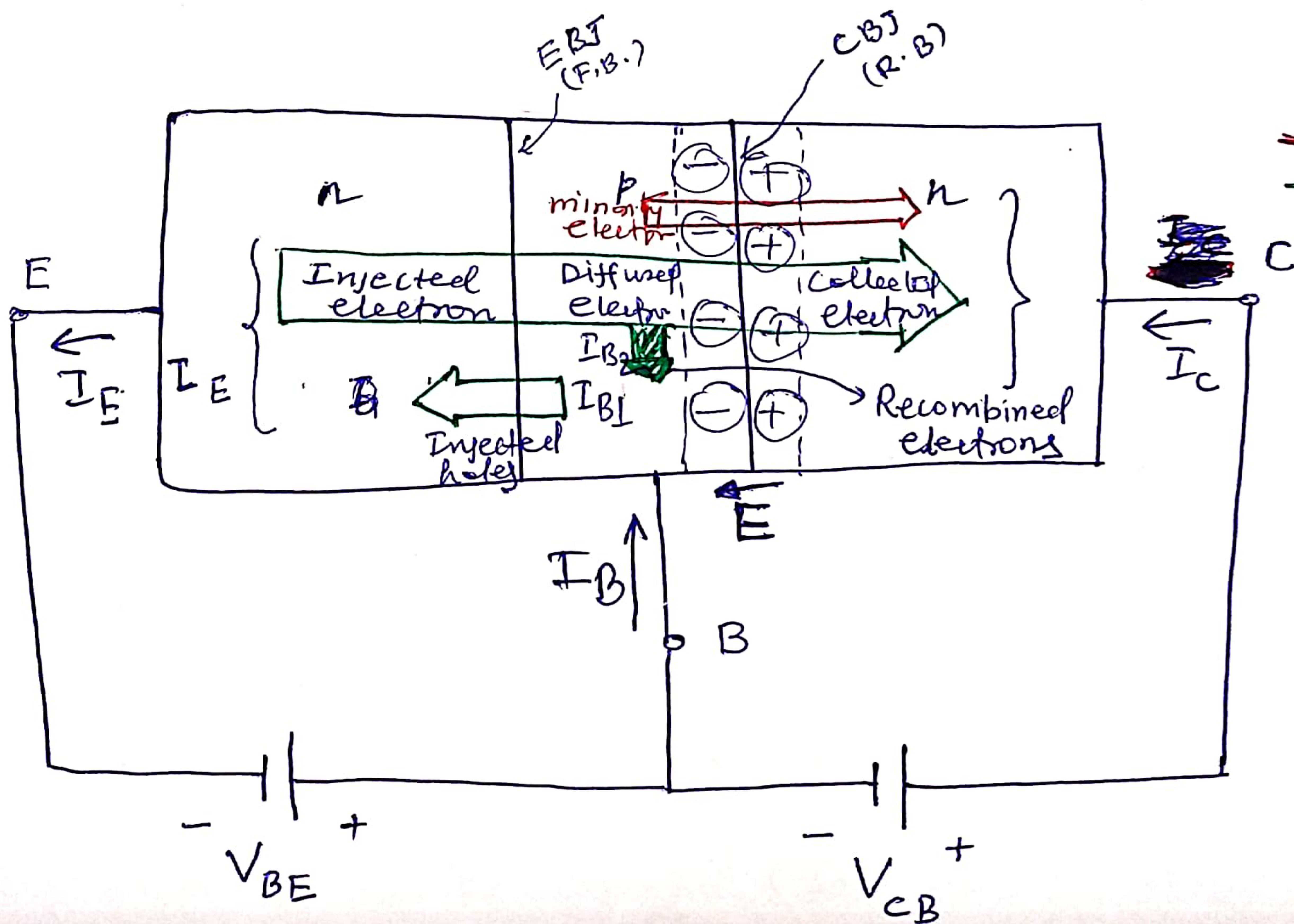


- * Active mode (also known as forward active mode) is most important modes of operation. In this mode the ~~trans~~ BJT operates as an Amplifier

- * BJT operates as switch in Cutoff & Saturation mode

OPERATION OF npn TRANSISTOR

- * We consider the Active Mode i.e. EBJ \rightarrow F.B. CBJ \rightarrow R.B.



— minority electron
— majority e^-

Doping

$E > C > B$

Width

$C > E > B$

- * The depletion width of the EBJ is very thin (due to F.B.), hence it is not considered. The R.B. at the CBJ will cause a wide depletion width, which is shown in the figure.
- * The majority e^- from E-region will be injected into B-region. Similarly majority holes from B-region will be injected in E-region. The two will constitute a current I_E that will flow out of the emitter lead.
- * Generally E-region is highly doped, therefore e^- component of emitter current dominates.
- * Since the Base region is very thin ~~very~~, most of the electrons (that are injected from E to B) will diffuse through the base region and will reach to the boundary of CBJ, where they will be easily swept by the E .
- * The e^- thus "collected" to the C-region will constitute the collector ^{current} ~~region~~, I_C .

The collector current is given by

$$I_C = I_S e^{V_{BE}/V_T}$$

where, I_S (saturation current) =
$$\frac{A_E q D_n n_i^2}{N_A W}$$

\downarrow Emitter Area
 \uparrow Effective Base width

- * Remark: (i) I_C is independent of V_{CB} !

The I_C depends on the diffused e^- (and hence injected e^- from E-region), and thus will not be affected by change in V_{CB} .

(ii) $I_C \propto A_E$

Larger the junction area larger will be I_C therefore I_S is also known as Scale current.

- * If we also consider the flow of minority e^- from B to C region, the I_C will combine the two components

$$I_C = I_{C_{\text{majority}}} + I_{C_{\text{minority}}}$$

I_{C0} is minority current component and also known as leakage current and is very-very small as compared to majority component

- * The Base current is composed of two components

$$I_B = I_{B1} + I_{B2}$$

where I_{B1} is due to the holes injected from B to E

& I_{B2} is due to the holes that have been supplied by the external battery ~~to~~ ^{to} that ~~is lost~~ ^{are} recombined with ~~for~~ ^{few} electrons travelling towards collector

- * We can observe that I_B is a constant fraction of I_E (or I_C)

i.e.

$$I_B = \frac{I_C}{\beta} = \frac{I_S}{\beta} e^{V_{BE}/V_T}$$

where β is called current gain (Range: 50 - 200)

- * The emitter current can be given by

$$I_E = I_C + I_B \quad (KCL)$$

$$I_E = I_C \left(1 + \frac{1}{\beta}\right)$$

$$I_E = \left(\frac{\beta + 1}{\beta}\right) I_C$$

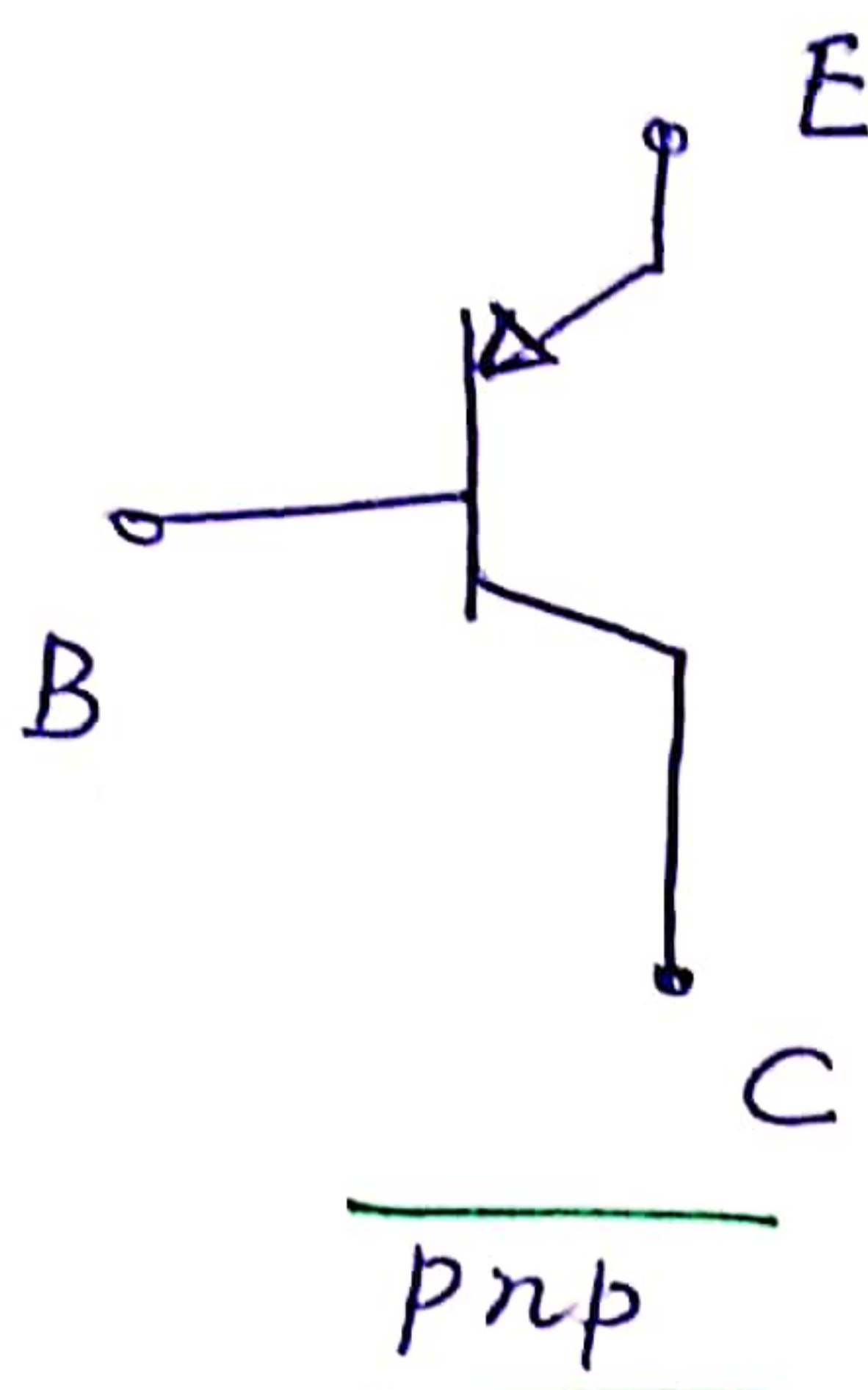
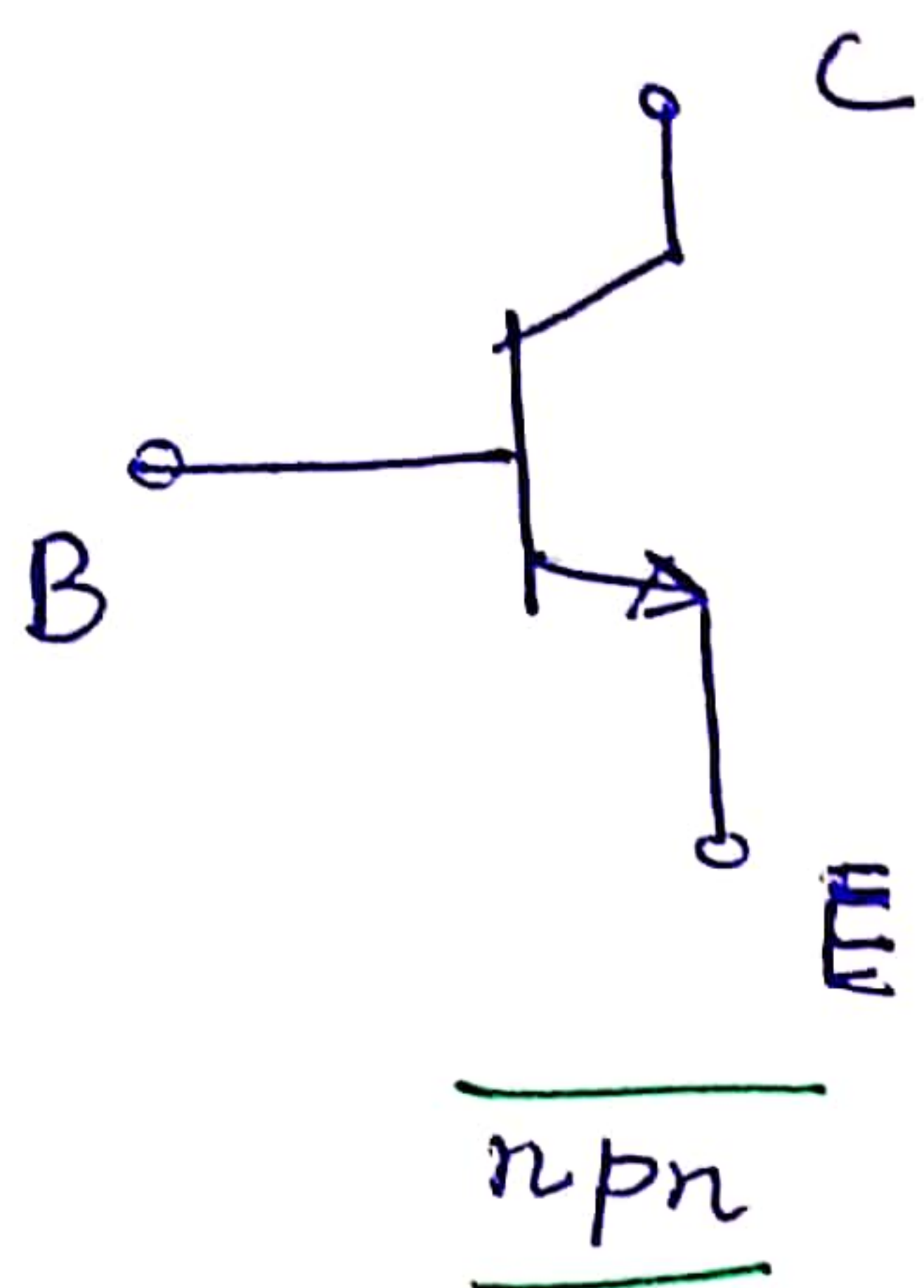
~~$$I_E = \alpha I_C$$~~

where, $\alpha = \frac{\beta}{\beta + 1}$

or,
$$I_E = \frac{I_C}{\alpha} = \frac{I_S}{\alpha} e^{V_{BE}/V_T}$$

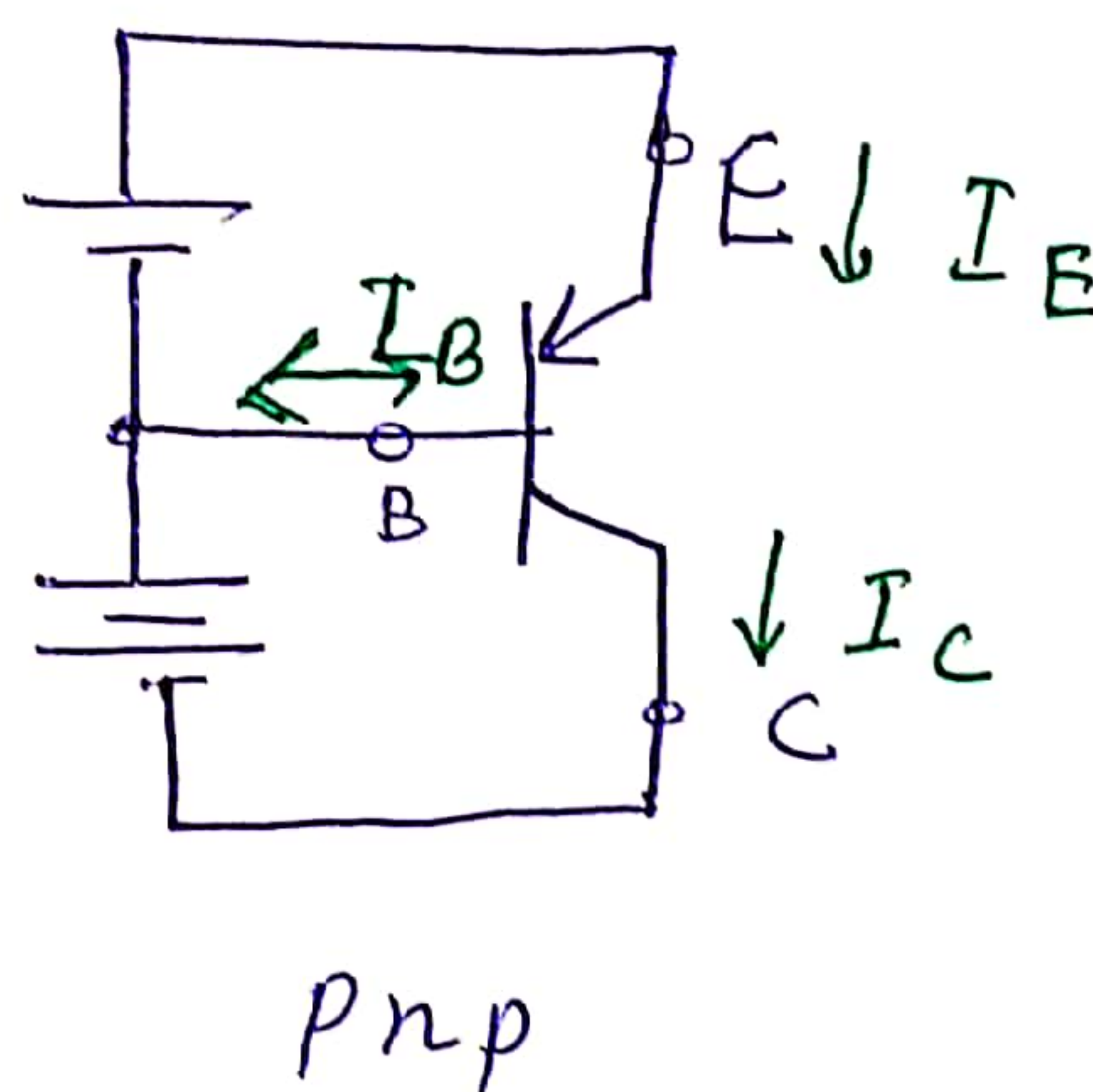
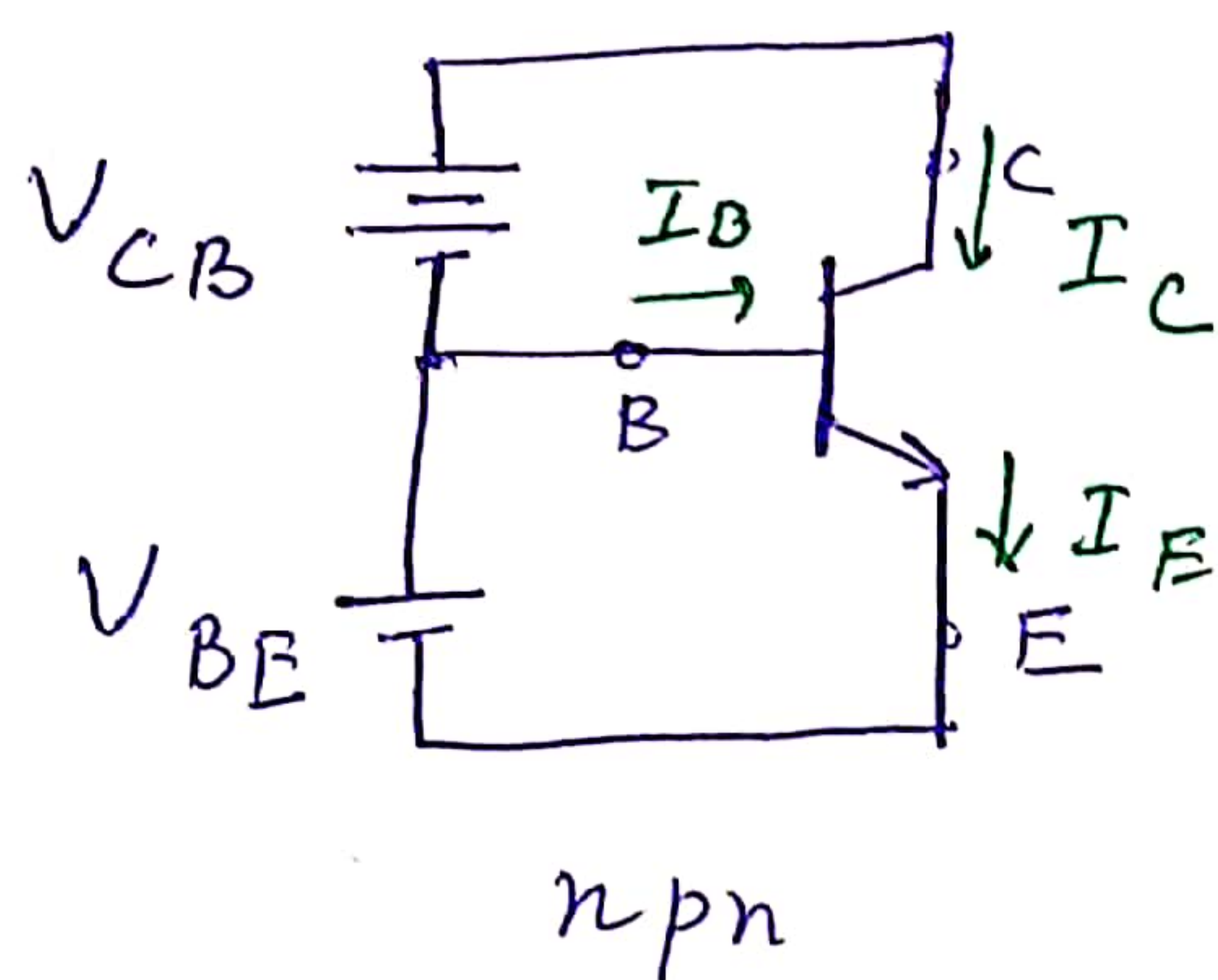
for $\beta = 100$
 $\alpha = 0.99$
 or $\alpha \approx 1$ for high β

Circuit Symbol & Conventions



⇒ The arrowhead points in the direction of current flow in the emitter

Voltage polarity & current flow in active mode;



Equation to Remember for solving Numericals

$$I_C = I_S e^{V_{BE}/V_T} \quad \text{--- (1)}$$

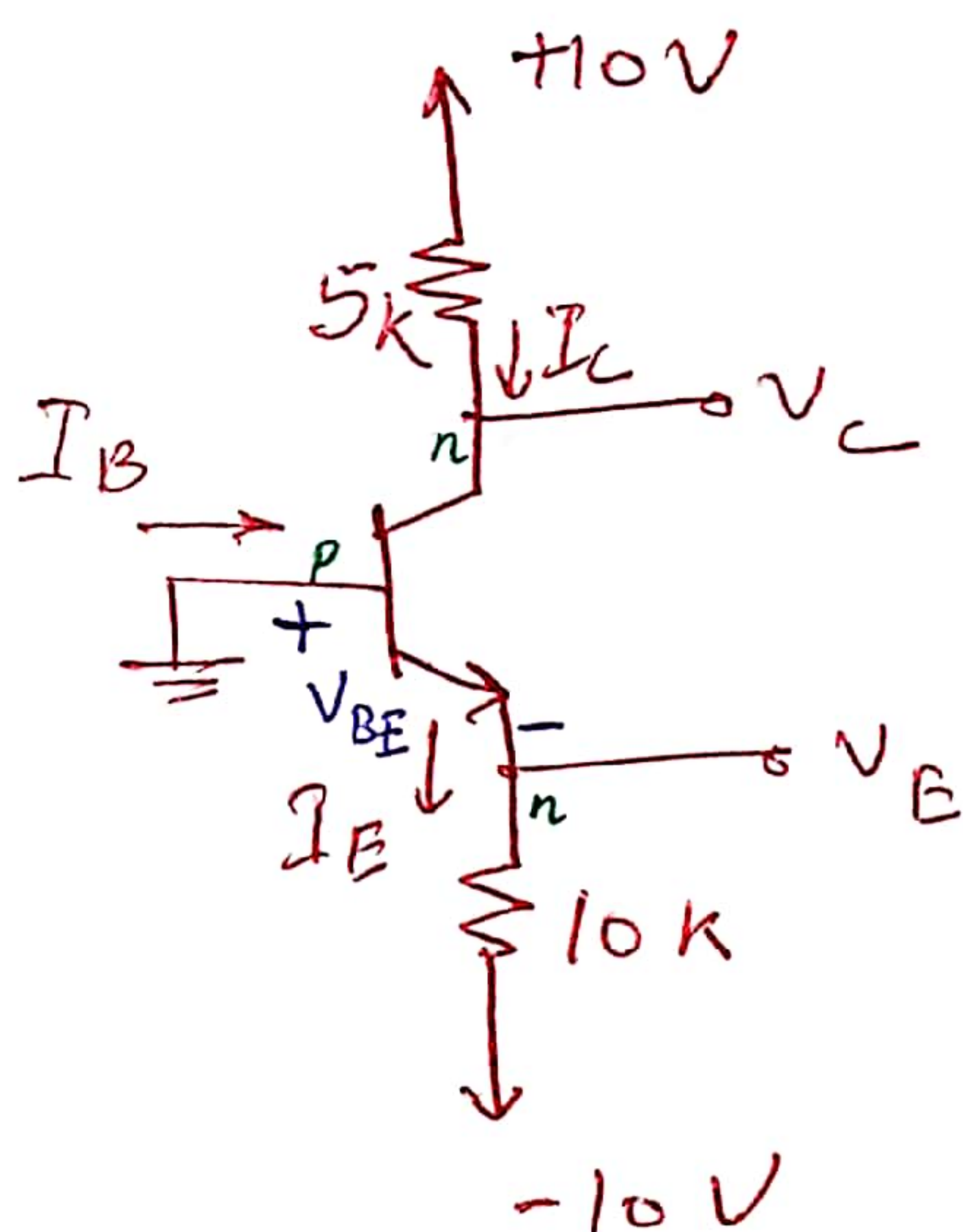
$$I_B = \frac{I_C}{\beta} \quad \text{--- (2)}$$

$$I_E = \frac{I_C}{\alpha} \quad \text{--- (3)}$$

$$I_E = I_C + I_B \quad \text{--- (4)}$$

↳ for transistor operating in active mode

Ex-1 Determine I_E , I_B , I_C and V_C for the circuit shown
Assume $\beta = 50$, $V_{BE} = 0.7V$.



Check mode of operation?

EBT \rightarrow F.B.

CBT \rightarrow R.B. (Since $V_C > 0$)

\downarrow

(Active mode)

Sol

$$V_{BE} = 0.7V$$

$$0 - V_E = 0.7V$$

$$V_E = -0.7V$$

$$\Rightarrow I_E = \frac{V_E - (-10)}{10k} = \frac{-0.7 + 10}{10} = \underline{\underline{0.93mA}}$$

Since $\beta = 50$, we can find $I_B = \frac{I_C}{50}$

$$\text{or } I_C = 50 I_B$$

$$\text{Put, } I_E = I_B + I_C$$

$$= I_B + 50 I_B$$

$$= 51 I_B$$

$$\Rightarrow I_B = \frac{0.93mA}{51} = \underline{\underline{18.2\mu A}}$$

$$\text{Then } I_C = 50 \times 18.2 = \underline{\underline{0.91mA}}$$

$$V_C = 10 - 5 \times I_C$$

$$= 10 - 5 \times 0.91 = \underline{\underline{5.45V}}$$

Ques for further practice: —

① Solved Example: 3.1

② Exercise 3.11

③ Problems 3.21

All from Sedra/Smith "Microelectronic" Book
6th Ed.