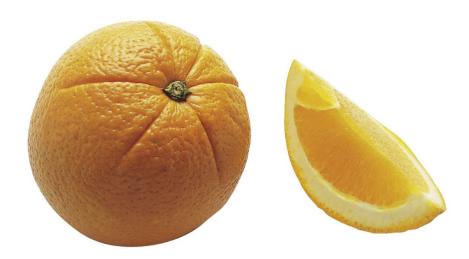
## **Machine Learning & Artificial** Intelligence for Data **Scientists: Classification** (Part1)

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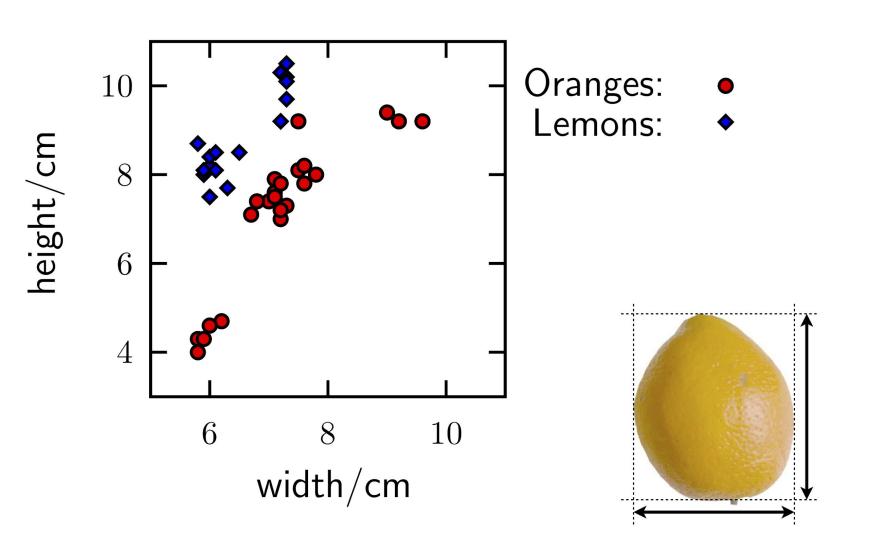
### Again some data, and a problem

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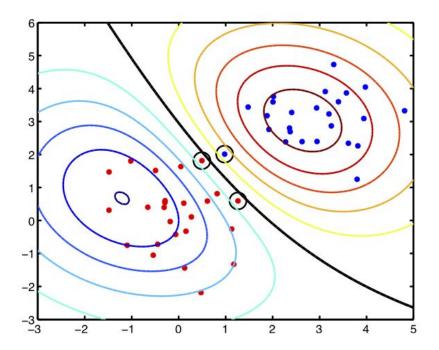
Source: <a href="https://homepages.inf.ed.ac.uk/imurray2/teaching/oranges\_and\_lemons/">https://homepages.inf.ed.ac.uk/imurray2/teaching/oranges\_and\_lemons/</a>





#### **Classification**

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- $\triangleright$  A set of N objects with attributes (usually vector)  $\mathbf{x}_n$ .
- $\triangleright$  Each object has an associated response (or label)  $t_n$ .
- ▶ Binary classification:  $t_n = \{0,1\}$  or  $t_n = \{-1,1\}$ ,
  - ▶ (depends on algorithm).
- ▶ Multi-class classification:  $t_n = \{1, 2, ..., K\}$ .

#### Probabilistic v non-probabilistic classifiers

\_\_\_ Classifier is trained on  $\mathbf{x}_1, \dots, \mathbf{x}_N$  and  $t_1, \dots, t_N$  and then used to classify  $\mathbf{x}_{new}$ .

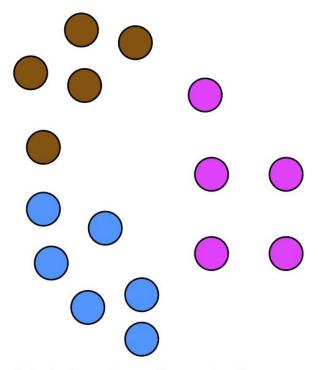
- Probabilistic classifiers produce a probability of class membership  $P(t_{\text{new}} = k | \mathbf{x}_{\text{new}}, \mathbf{X}, \mathbf{t})$ 
  - e.g. binary classification:  $P(t_{\text{new}} = 1 | \mathbf{x}_{\text{new}}, \mathbf{X}, \mathbf{t})$  and  $P(t_{\text{new}} = 0 | \mathbf{x}_{\text{new}}, \mathbf{X}, \mathbf{t})$ .
- ▶ Non-probabilistic classifiers produce a hard assignment
  - ightharpoonup e.g.  $t_{\text{new}} = 1$  or  $t_{\text{new}} = 0$ .
- Which to choose depends on application....

#### Probabilistic v non-probabilistic classifiers

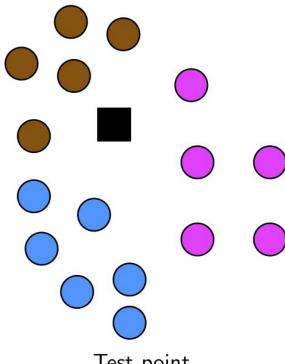
- Probabilities provide us with more information  $P(t_{\text{new}} = 1) = 0.6$  is more useful than  $t_{\text{new}} = 1$ .
  - Tells us how sure the algorithm is.
- Particularly important where cost of misclassification is high and imbalanced.
  - e.g. Diagnosis: telling a diseased person they are healthy is much worse than telling a healthy person they are diseased.
- Extra information (probability) often comes at a cost.

#### **Algorithm 1: K-Nearest Neighbours (KNN)**

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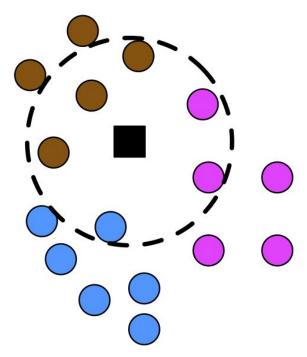
Training data from 3 classes.



Test point.

#### KNN

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Find K = 6 nearest neighbours.

#### KNN

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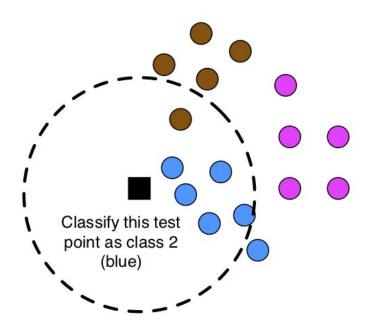




Class one has most votes – classify  $\mathbf{x}_{new}$  as belonging to class 1.

#### KNN

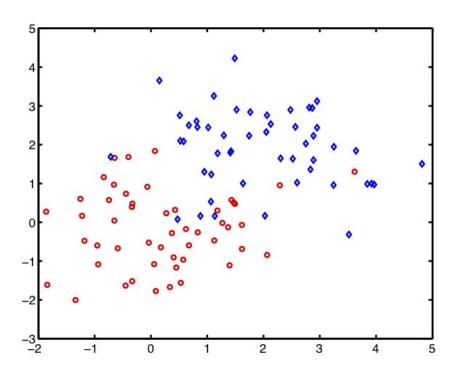
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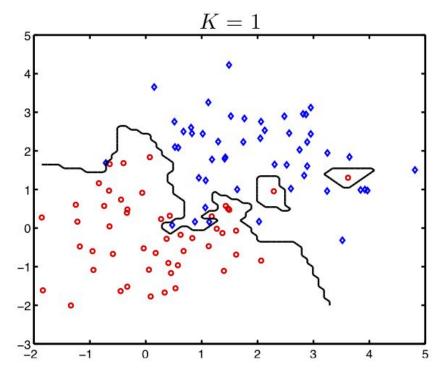


Second example – class 2 has most votes.

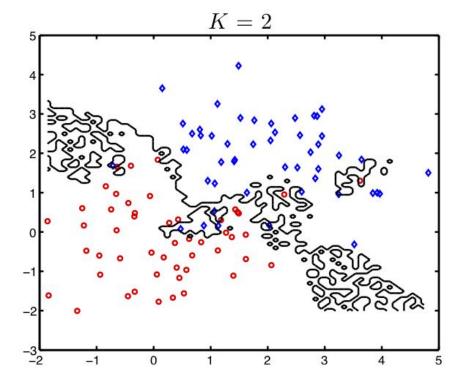
### **KNN: Binary data**

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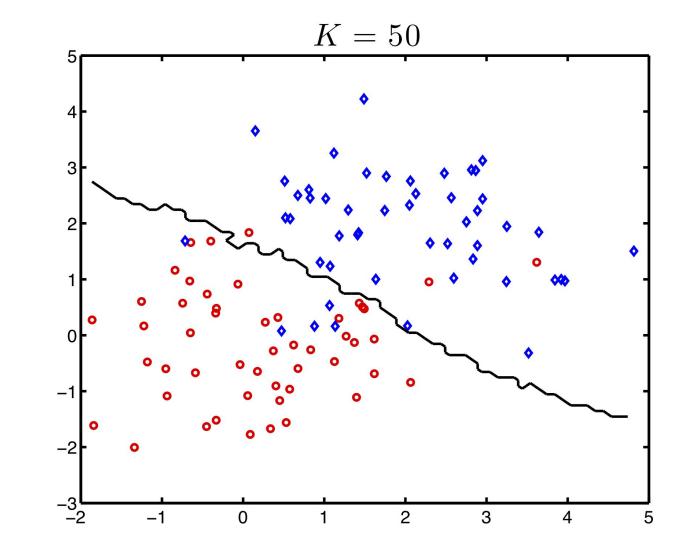




- ► 1-Nearest Neighbour.
- ► Line shows decision boundary.
- ► Too complex should the islands exist?



- 2-Nearest Neighbour.
- ► What's going on?
- ▶ Lots of ties random guessing.



#### **Problem with KNN**

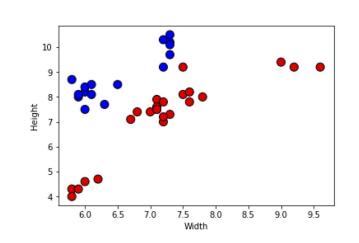
- Class imbalance
  - As K increases, small classes will disappear!
  - Imagine we had only 5 training objects for class 1 and 100 for class 2.
  - For  $K \ge 11$ , class 2 will always win!
- How do we choose K?
  - Right value of K will depend on data.
  - Cross-validation!

```
In [2]: import numpy as np
%matplotlib inline
import pylab as plt
from matplotlib.colors import ListedColormap

# Create color maps
cmap_light = ListedColormap(['#FFAAAA', '#AAFFAA', '#AAAAFF'])
cmap_bold = ListedColormap(['#FF0000', '#00FF00', '#0000FF'])

data = np.loadtxt('orange_lemon.txt', delimiter=',') # load fruit data
X = data[:,1:3]
t = data[:,0]
plt.scatter(X[:,0], X[:,1], c=t, cmap=cmap_bold, edgecolor='k', s=100)
plt.xlabel('Width')
plt.ylabel('Height')
```

#### Out[2]: Text(0, 0.5, 'Height')

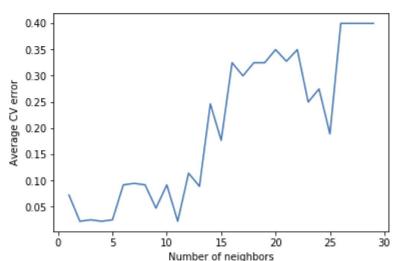


# We can see it with oranges and lemons

```
In [17]: cv_scores = []
    for i in range(1,30,1):
        knn_cv = KNeighborsClassifier(n_neighbors=i)
        cv_scores.append(1-np.mean(cross_val_score(knn_cv, X, t, cv=5)))

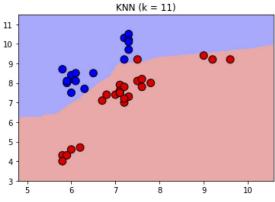
    plt.plot(np.arange(1,30,1),cv_scores)
    plt.xlabel('Number of neighbors')
    plt.ylabel('Average CV error')
    print(np.min(cv_scores))
```

0.0222222222222143



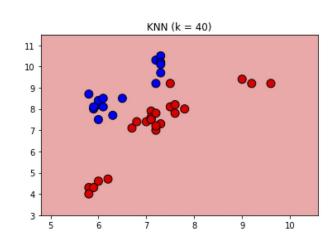
## 5-fold CV to select K

```
In [4]:
          from sklearn.neighbors import KNeighborsClassifier
          from sklearn.model selection import cross val score
          n = 11
          clf = KNeighborsClassifier(n neighbors)
          clf.fit(X, t)
          Z = clf.predict(np.c [xx.ravel(), yy.ravel()])
          # Put the result into a color plot
          Z = Z.reshape(xx.shape)
          plt.pcolormesh(xx, yy, Z, cmap=cmap light)
          # Plot also the training points
          plt.scatter(X[:, 0], X[:, 1], c=t, cmap=cmap bold,
                        edgecolor='k', s=100)
          plt.xlim(xx.min(), xx.max())
                                                      In [3]: # Plot the decision boundary. For that, we will assign a color to each
          plt.ylim(yy.min(), yy.max())
                                                              # point in the mesh [x min, x max]x[y min, y max].
          plt.title("KNN (k = %i)"
                                                              h = .02
                      % (n neighbors))
                                                              x \min_{x \in X} x \max_{x \in X} = X[:, 0] \cdot \min_{x \in X} (x) - 1, X[:, 0] \cdot \max_{x \in X} (x) + 1
                                                              y \min_{x \in X} y \max_{x \in X} = X[:, 1].\min() - 1, X[:, 1].\max() + 1
          Text(0.5, 1.0, 'KNN (k = 11)')
Out[4]:
                                                              xx, yy = np.meshgrid(np.arange(x min, x max, h),
                                                                                  np.arange(y min, y max, h))
```



K = 11

Out[6]: Text(0.5, 1.0, 'KNN (k = 40)')



K = 40

#### **KNN** summary

- Non-probabilistic.
- Fast.
- $\triangleright$  Only one parameter to tune (K).
- ▶ Important to tune it well....
- ...can use CV.
- There is a probabilistic version.
  - Not covered in this course.
- Now onto a (different) probabilistic classifier...