

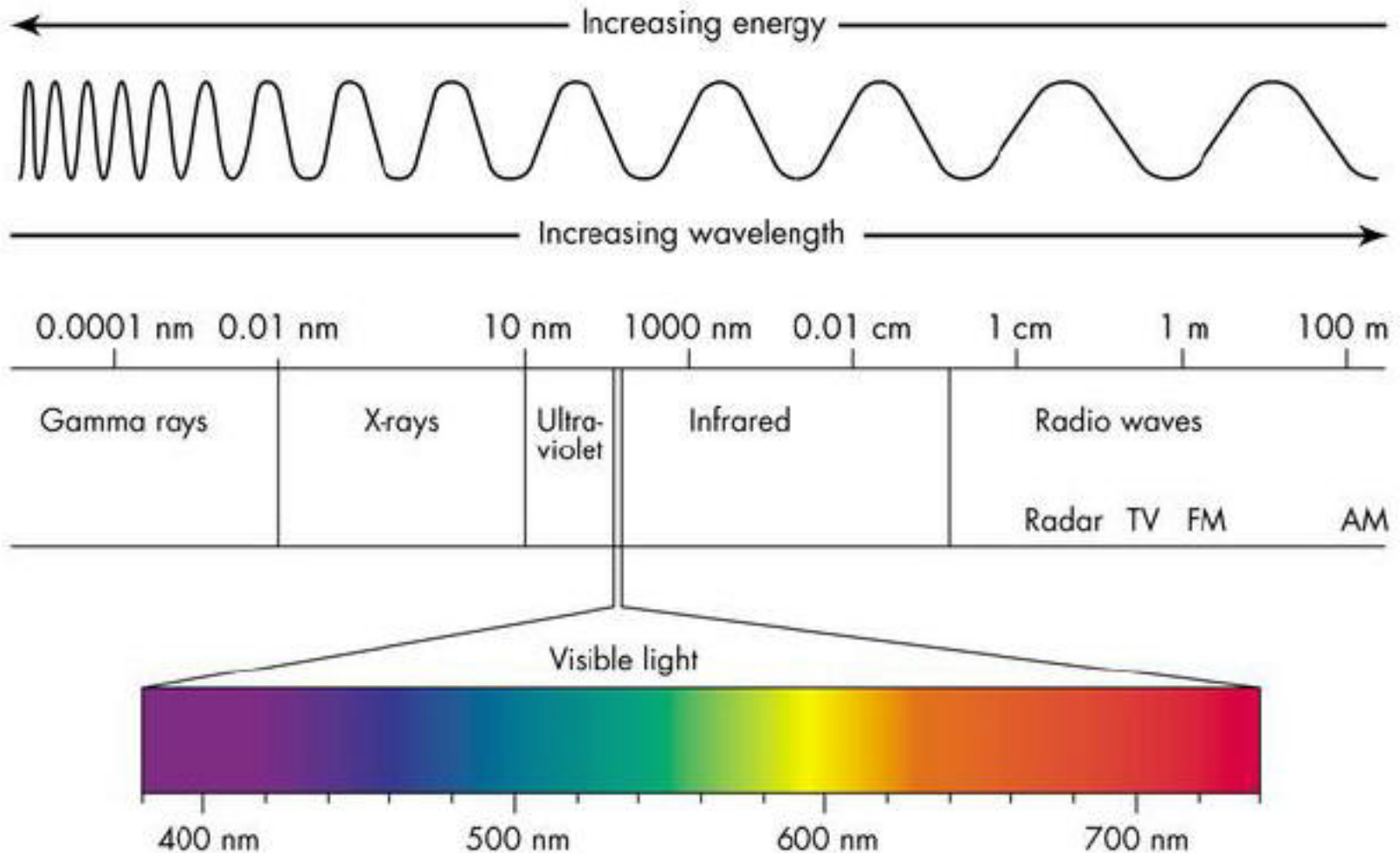
# Infrared Imaging

Sensors and Applications

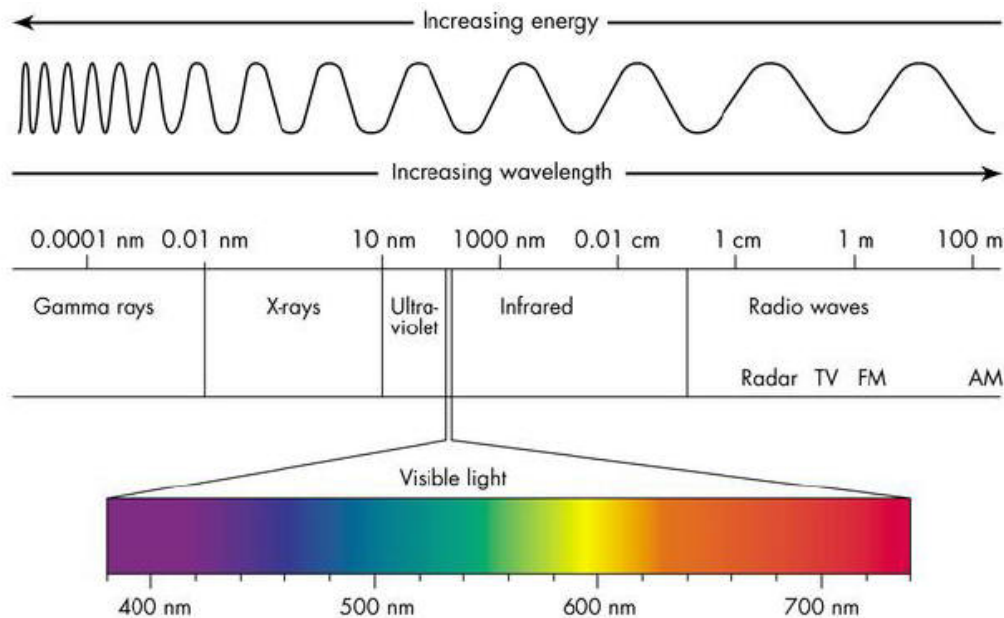
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**Master**

# Electromagnetic spectrum

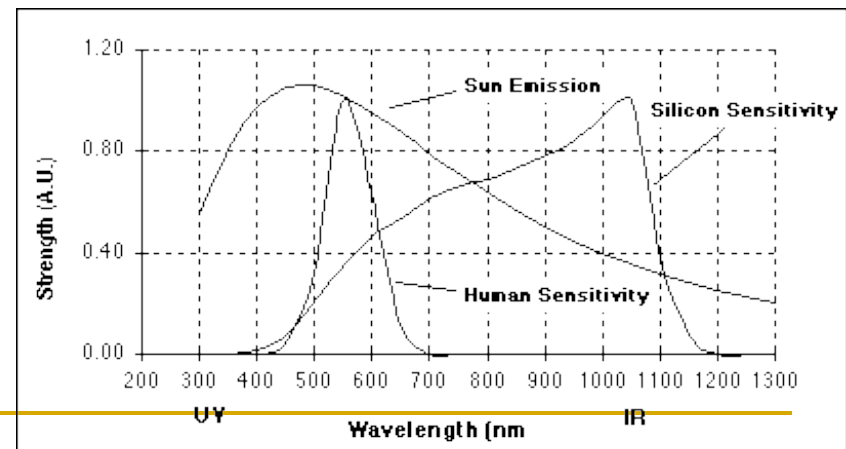
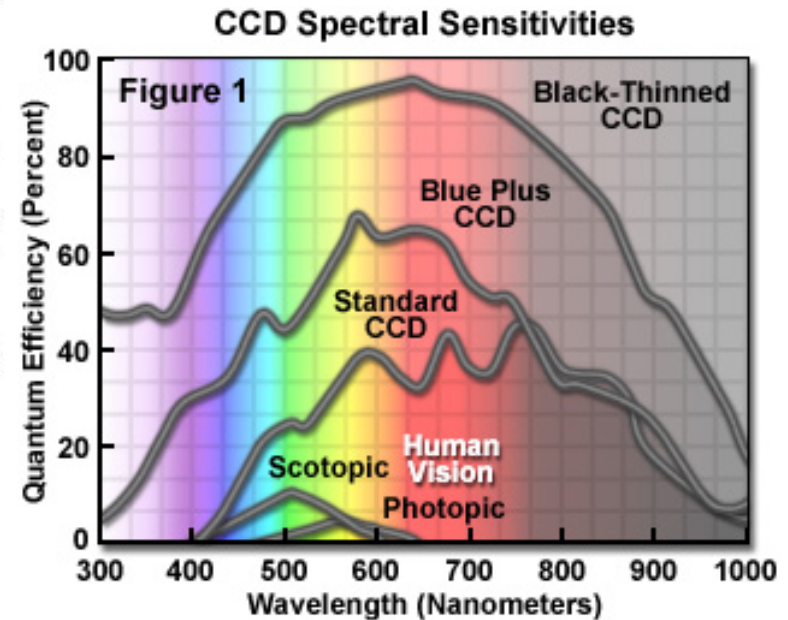


# Visible image sensors

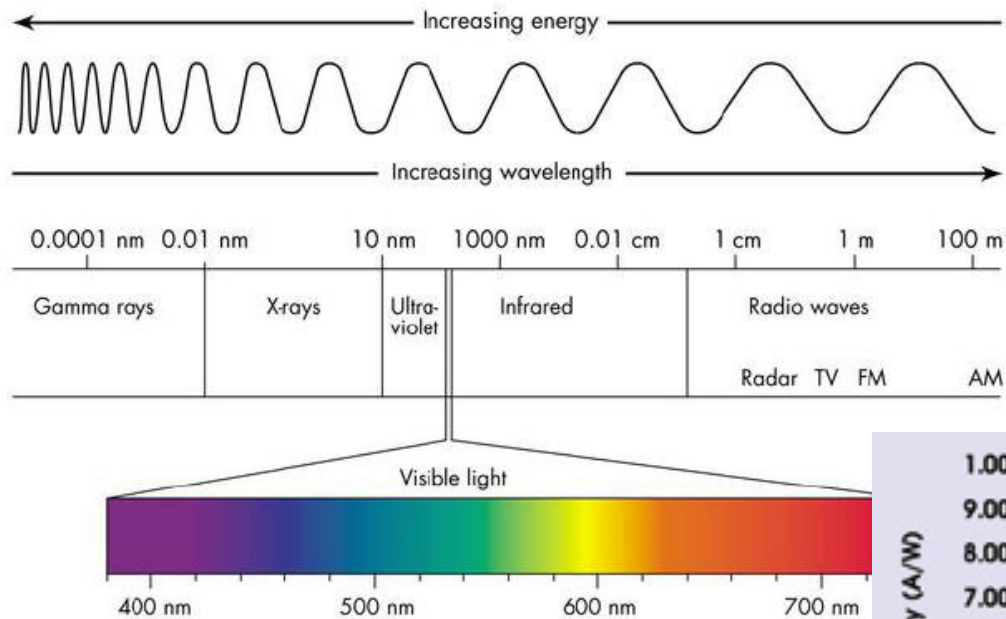


Sensitivity is limited by the spectral characteristic of the silicon

Silicon sensors

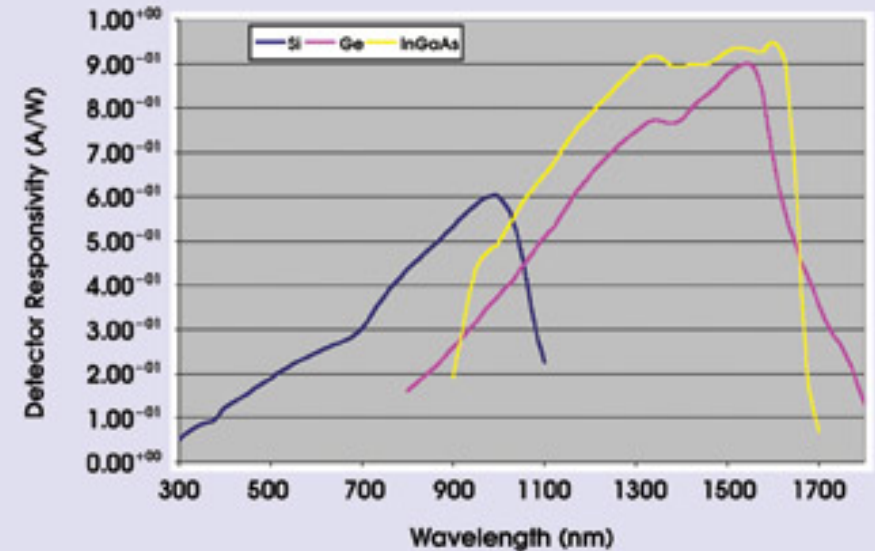


# Infrared Sensors



Example : Germanium

If the sensor is realised with an other material, the spectral sensitivity is different



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# Infrared Sensors

- **Photonic Sensors**

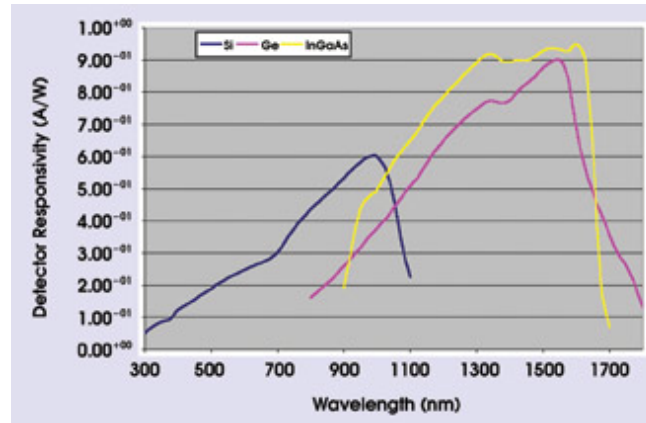
The amplitude of the signal is proportional to the photon flux expressed as the number of photons per second.

- **Thermal detectors**

The amplitude of the electrical signal is proportionnal to the radiant energy expressed in watts.

# Infrared Sensors

Photonic Sensors : photodiodes, photocell...

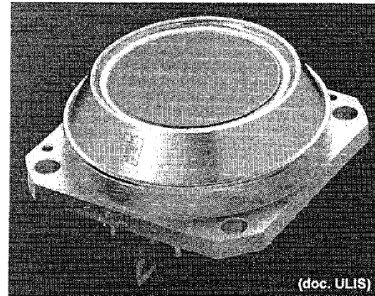


Thermal sensors : Thermocouples, Bolometers

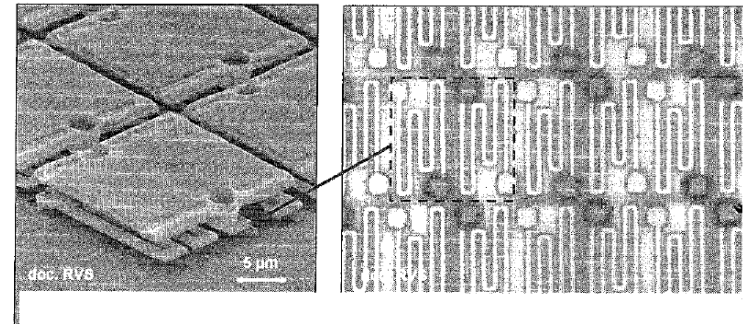
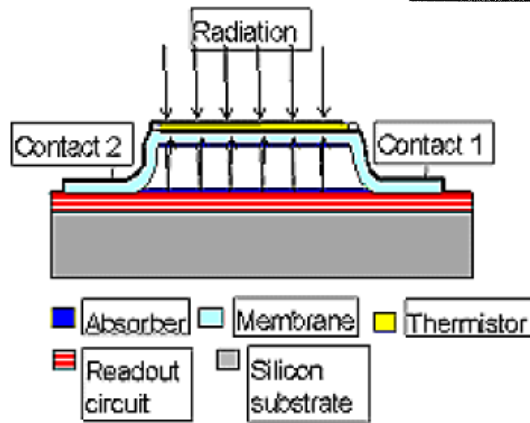
The sensors is thermally affected by the heat

# Infrared Sensors

## Bolometers

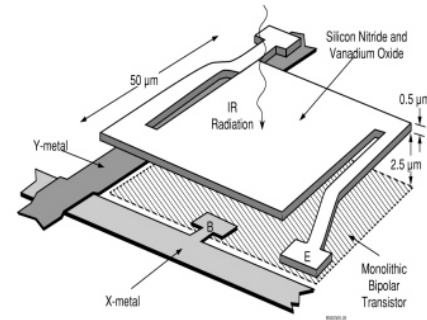


Scheme of micro-bolometer in cross



$$\frac{dR}{R} = \beta dT_d$$

$\beta$  temp coefficient of the bolometer ( $K^{-1}$ )



**Metallic  
resistance**

$$R = R_0 (1 + \alpha_m T_d) \quad R_0, R \text{ at } 0 \text{ K}$$

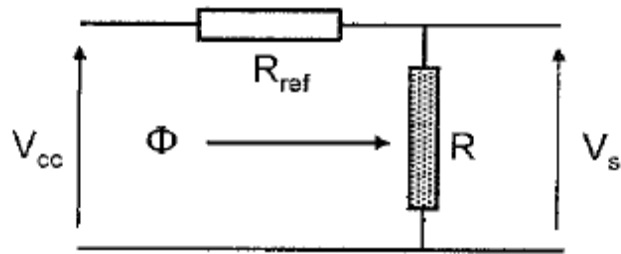
$$\beta = \frac{\alpha_m}{1 + \alpha_m T_d}$$

**Semi-conductor  
materials**

$$R = K e^{\frac{\alpha_{sc}}{T_d}}$$

$$\beta = -\frac{\alpha_{sc}}{T_d^2}$$

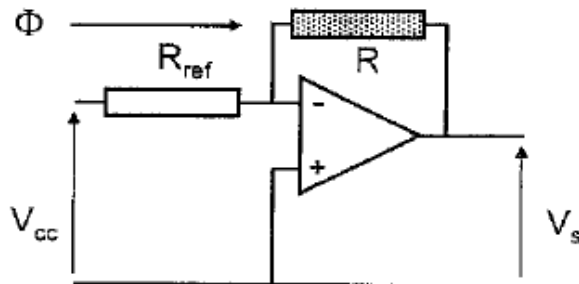
# Infrared Sensors



$$V_s = \frac{R}{R + R_{ref}} V_{cc}$$

pour  $R_{ref} \gg R$  :

$$\mathcal{S} = \frac{dV_s}{dT} \approx \mathcal{B} \frac{R}{R_{ref}} V_{cc}$$



$$V_s = -\frac{R}{R_{ref}} V_{cc}$$

$$\mathcal{S} = -\mathcal{B} \frac{R}{R_{ref}} V_{cc}$$

Wheastone bridge could be used too.



# Families of IR cameras



The near infrared spectral range covers 0.7 microns to 1.7 microns



The short wave spectral range has many uses in research with a spectral range that covers 1 microns to 3 microns.



The mid wave spectral range covers 3 microns to 5 microns of the infrared spectral range.



For obvious reasons, the long wave spectral range is the most common among thermal cameras on the market. Long wave infrared covers 7 or 8 microns to 14 microns

# Infrared Cameras



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# Application to thermography

- One of the main application of IR is the thermography :

the goal is to determine the temperature of an object using IR image of this object

---

# What are Infrared Rays?

Infrared ray is similar to light, excepted that it cannot be perceived by the eye

All objects above 0K emit IR

The higher the temperature is, the more energy is emitted.

Only hot objects (few hundred degrees °C) emit radiation which can be perceived by the eyes.

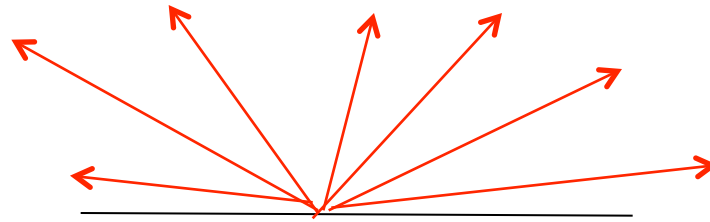
Example :



The visible rays stimulates our eyes  
The infrared rays is absorbed by our skin

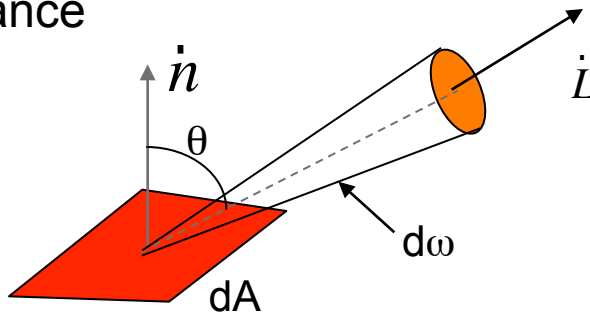
**Infrared cameras is only sensible to IR**

# What are Infrared Rays?



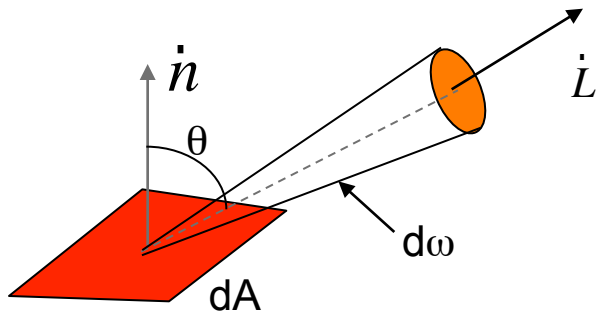
the emission of IR rays is omnidirectional

the intensity of ray in one direction is called : luminance



$$L = \frac{d^2\Phi}{dA \cos \theta d\omega} \quad (\text{candela / m}^2)$$

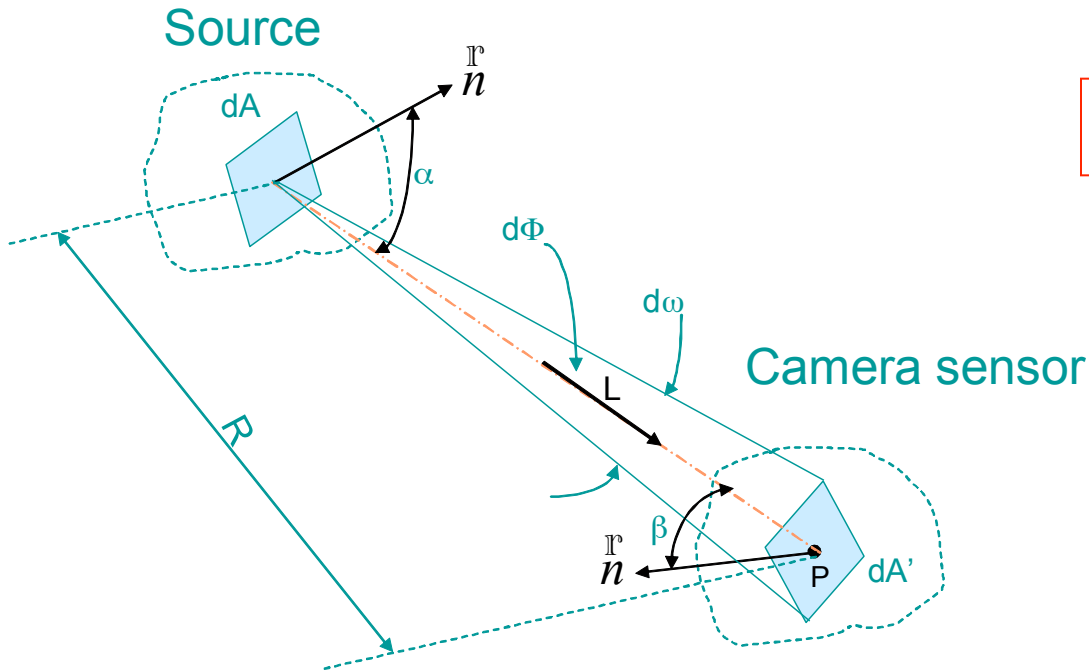
# What are Infrared Rays?



$$L = \frac{d^2\Phi}{dA \cos \theta d\omega} \quad (\text{candela} / \text{m}^2)$$

$$E = \frac{d\Phi}{dA} \quad \text{Irradiance (Wm}^{-2}\text{)}$$

# What a Infrared Camera can measure ?



$$d\Phi = L \cdot dA \cdot \cos \alpha \cdot d\omega$$

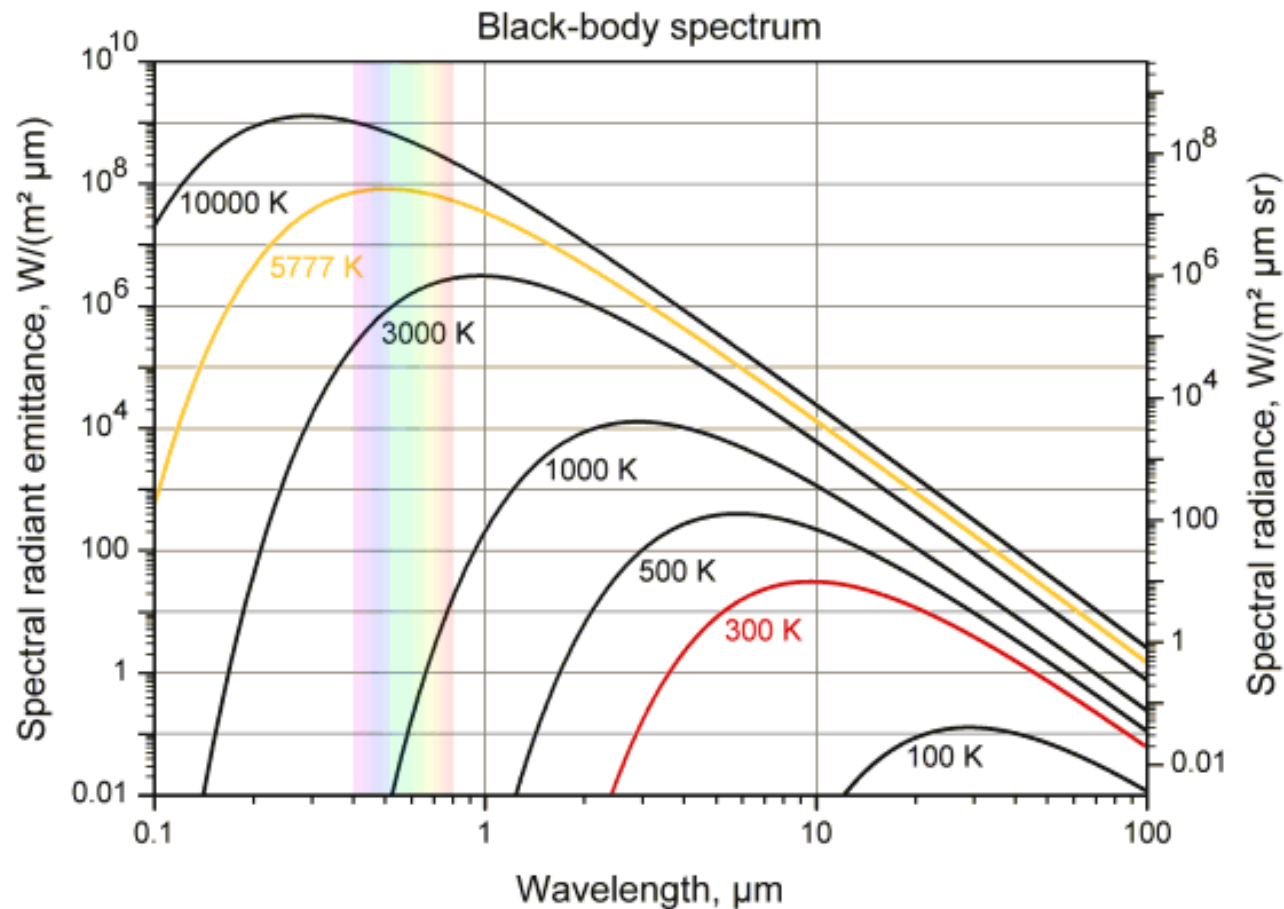
$$d\omega = \frac{dA' \cdot \cos \beta}{R^2}$$

$$dE = \frac{L \cdot dA \cdot \cos \alpha \cdot \cos \beta}{R^2}$$

# Planck's Law, Wien's law

The luminance depends to the temperature of the material.

The spectral domain of  
the emmitted rays depends also to the temperature





# Planck's Law, Wien's law

## Planck's Law

$$L^{\circ}(\lambda, T) = \frac{2hc^2}{\pi\lambda^5} \cdot \frac{1}{\exp(\frac{hc}{\lambda kT}) - 1}$$



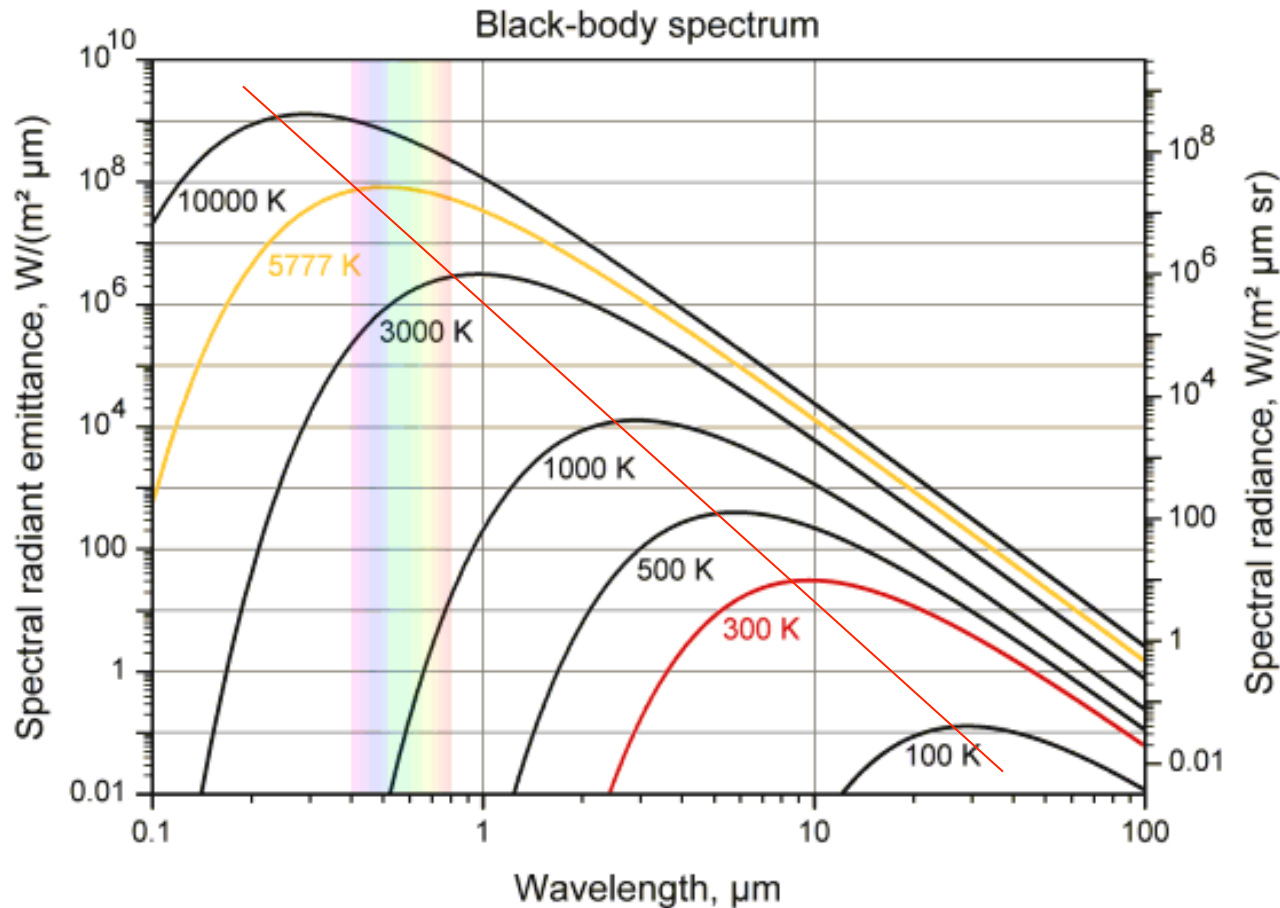
$c = 299\,792\,458$  m/s (light celerity)

$h = 6,626\,17 \times 10^{-34}$  J.s (Planck's constant)

$k = 1,380\,66 \times 10^{-23}$  J/K (Boltzmann's constant)

$T$  = temperature of the material (in K)

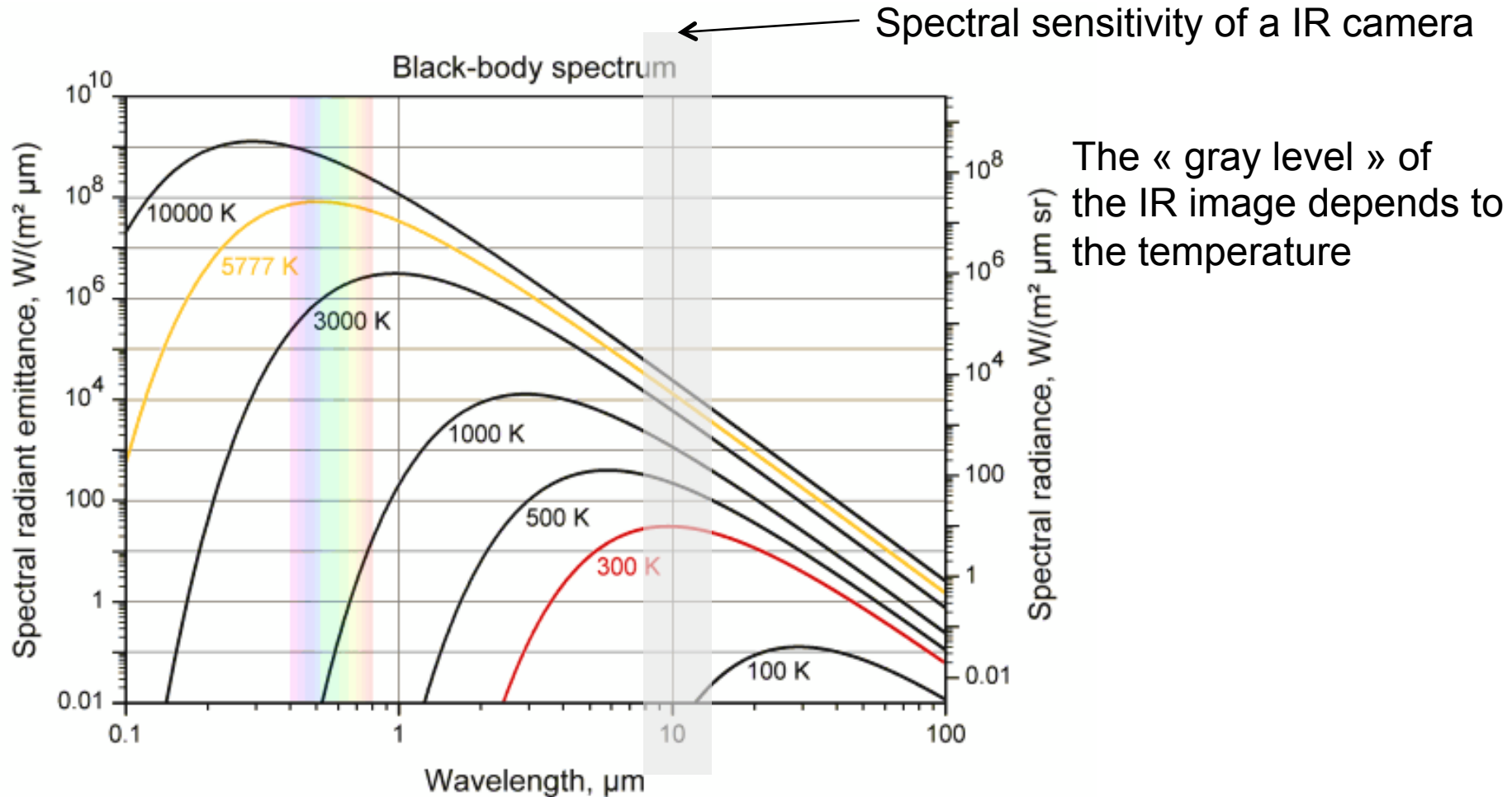
# Planck's Law, Wien's law



$$\lambda_{\text{max}} = \frac{2898}{T} [\mu\text{m}]$$

Wien's displacement law

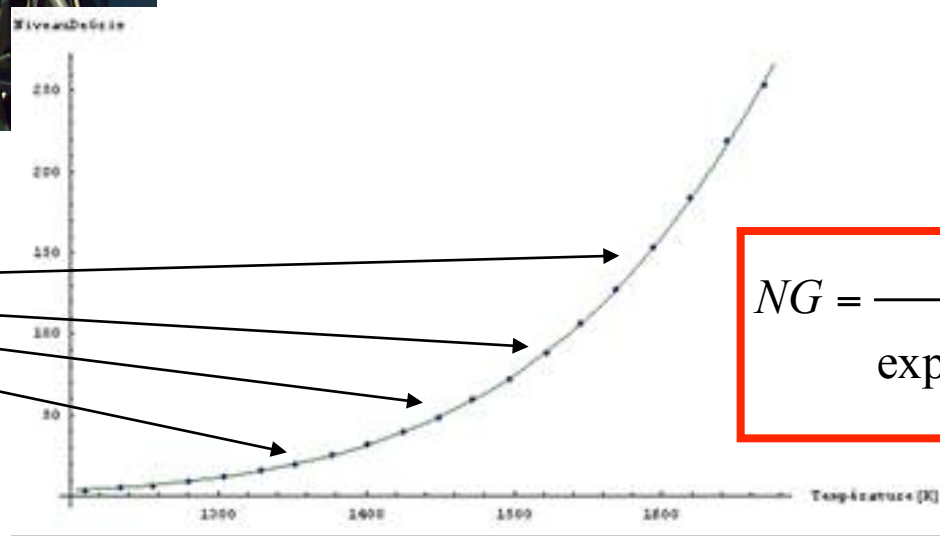
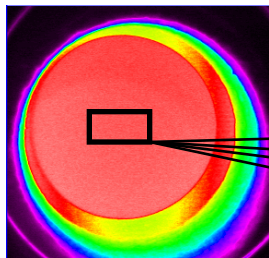
# Application to thermography



# Application to thermography



The « gray level » of the IR image depends to the temperature

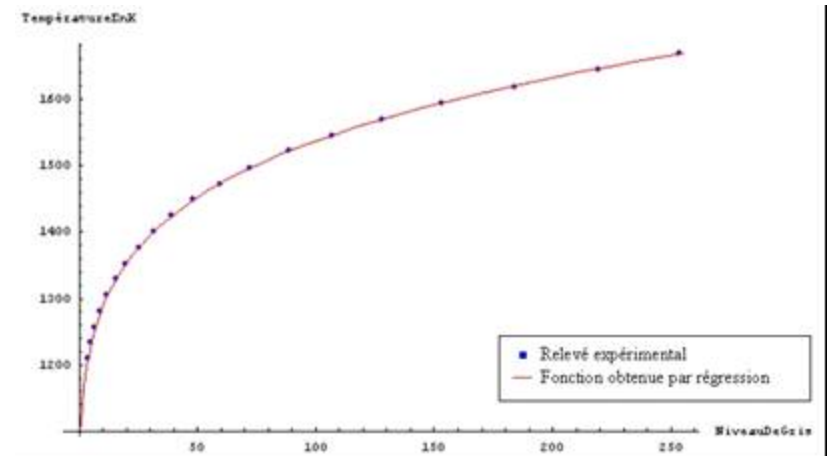
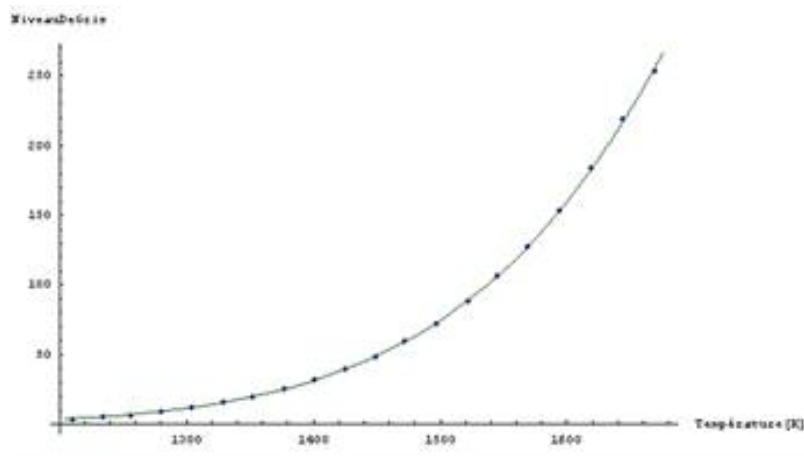


$$NG = \frac{A}{\exp\left[\frac{B}{T}\right] - 1}$$

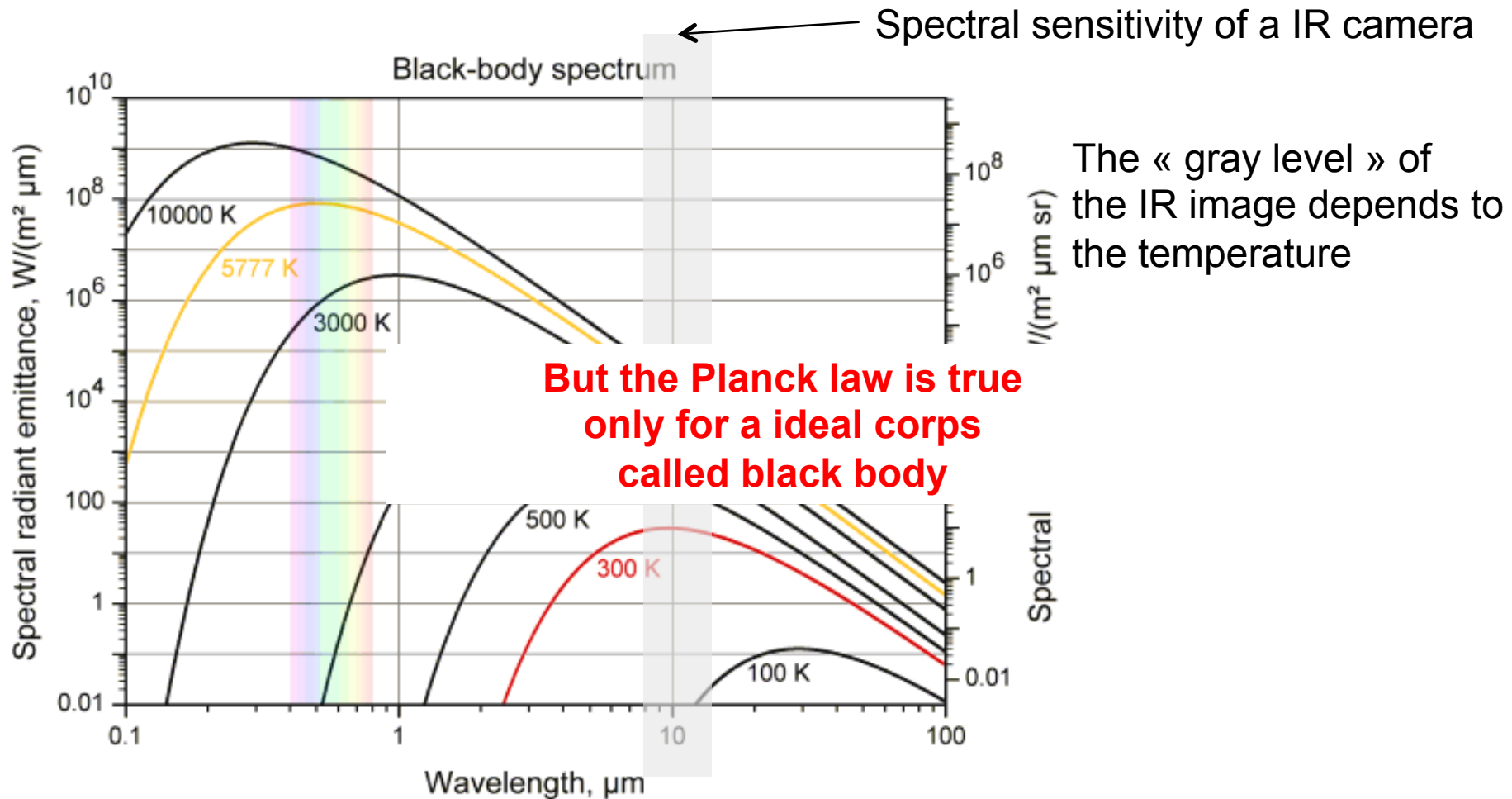
# Application to thermography

$$NG = \frac{A}{\exp\left[\frac{B}{T}\right] - 1}$$

$$T = \frac{B}{\text{Log}\left[1 + \frac{A}{NG}\right]}$$



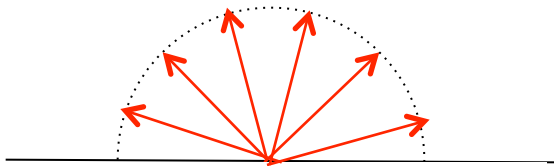
# Application to thermography



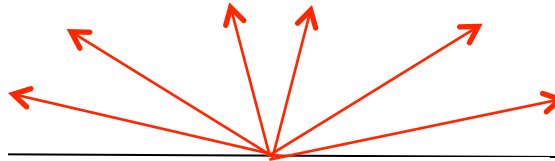
# Black Body

A black body in thermal equilibrium has two notable properties:

- It is an ideal emitter: it emits as much or more energy at every frequency than any other body at the same temperature.
- It is a diffuse emitter: the energy is radiated isotropically, independent of direction.



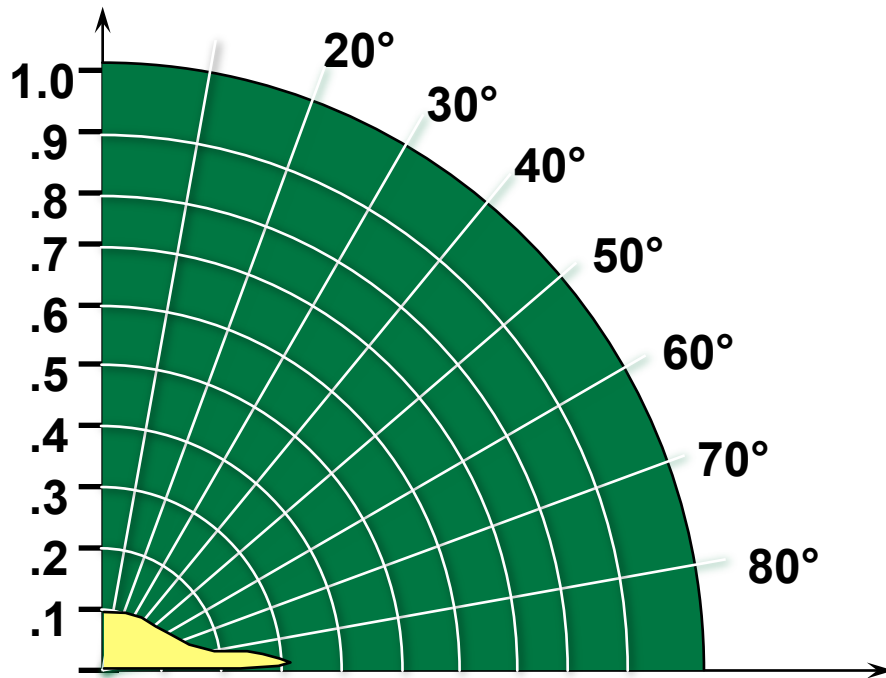
Luminance of a black body at temperature  $T$



Luminance of a real object at temperature  $T$

# Emissivity

The ratio between the luminance of a real material and a black body is called emissivity

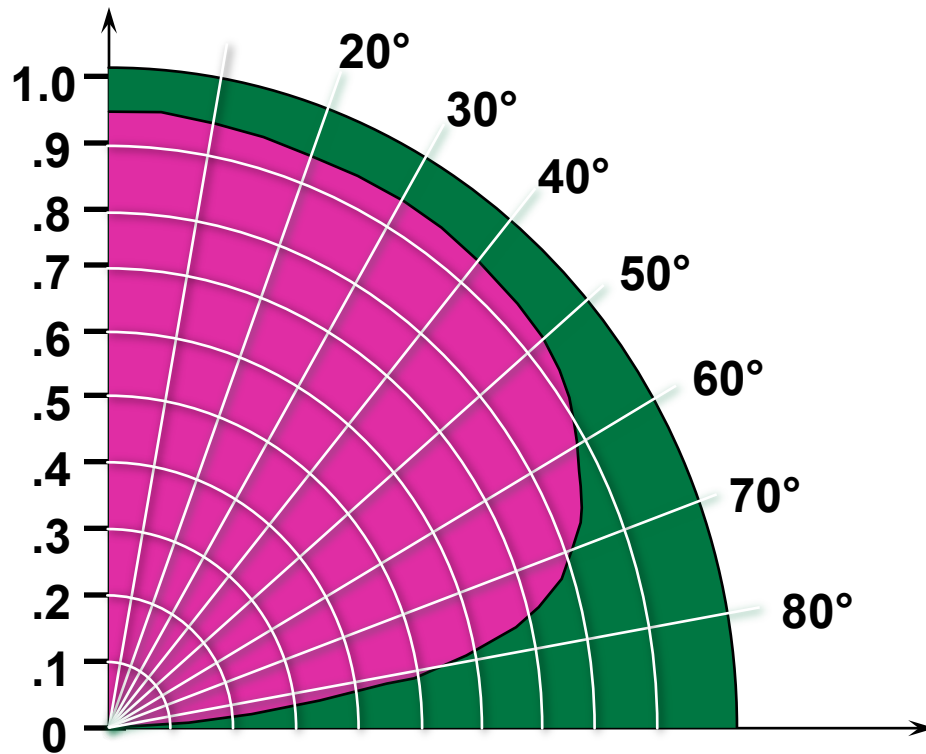


Example for polished metal



# Emissivity

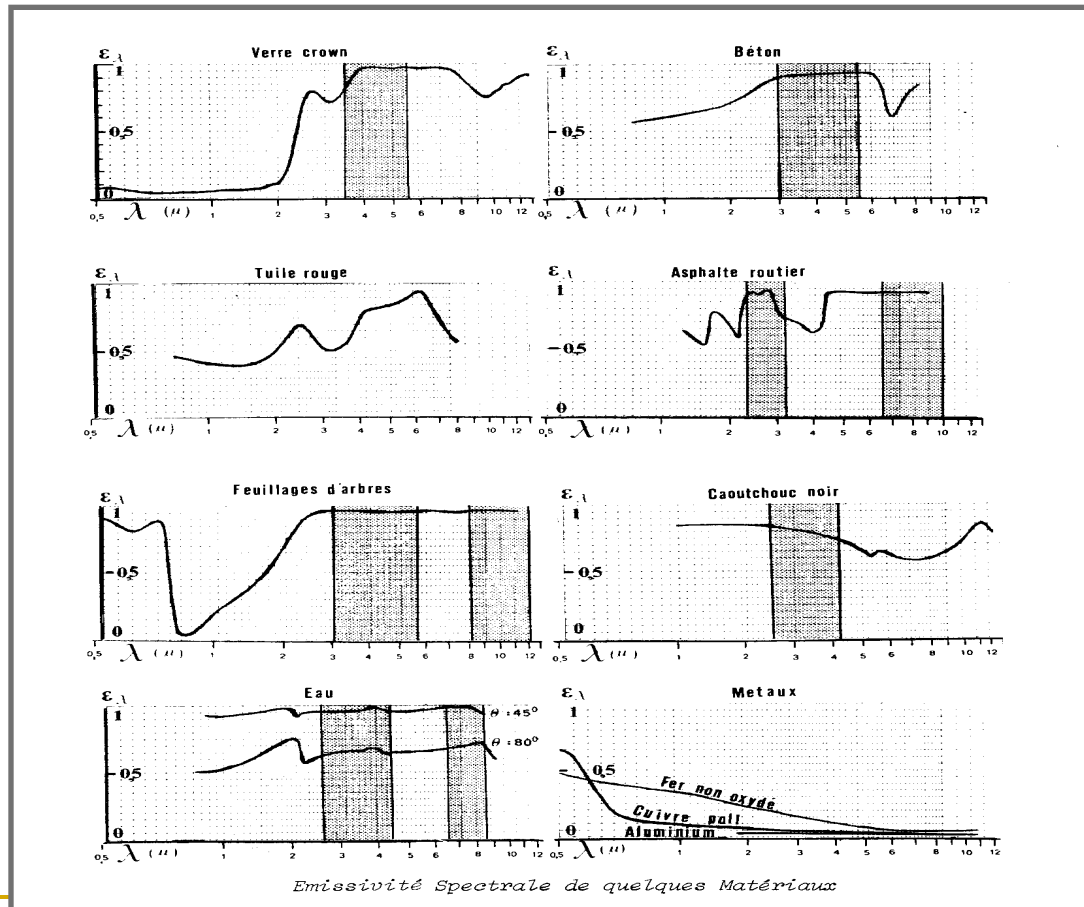
The ratio between the luminance of a real material and a black body is called emissivity



Example for dielectric

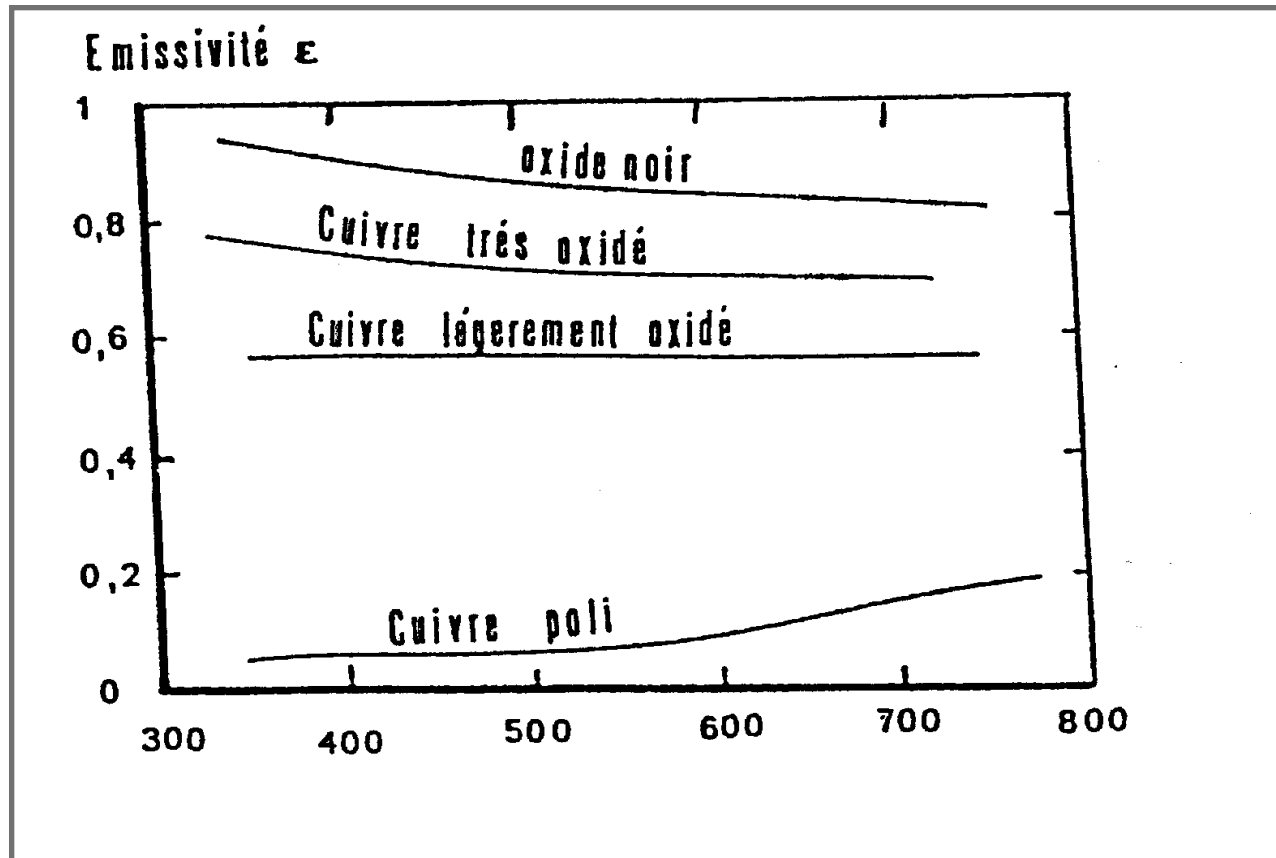
# Emissivity

Emissivity depends to the material and to the wavelength

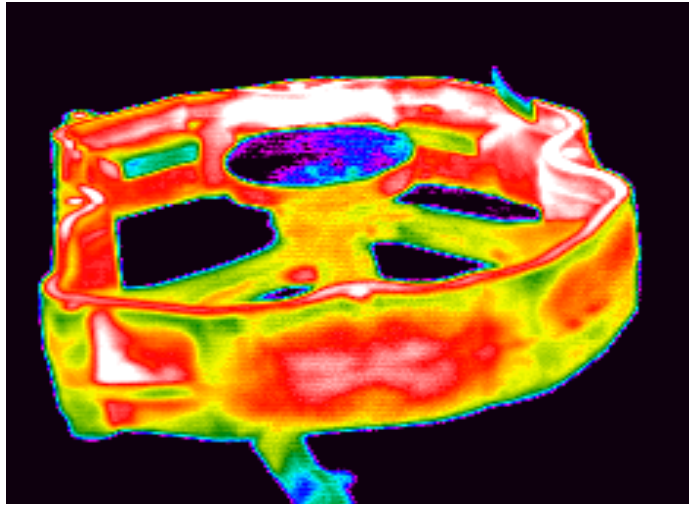


# Emissivity

Emissivity depends to roughness of the surface



# Emissivity

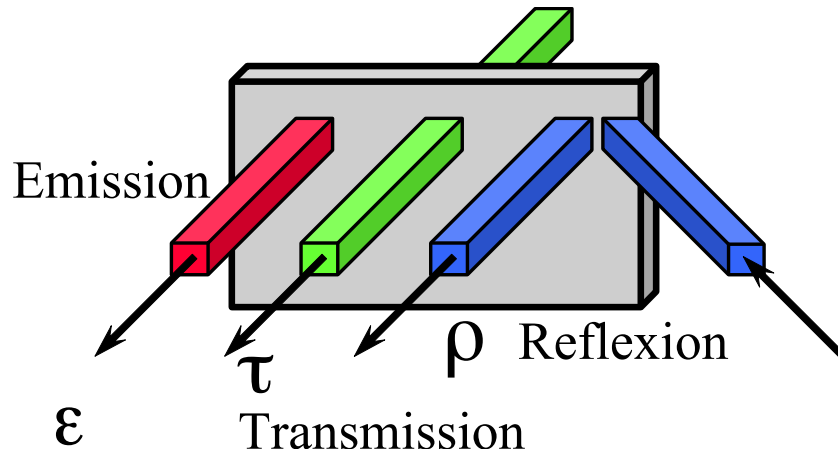


# Reflexion and Transmission

As in visible domain, rays can be reflected on a surface or can be transmitted through a material.

Finally we can consider that the luminance in one direction is the sum of :

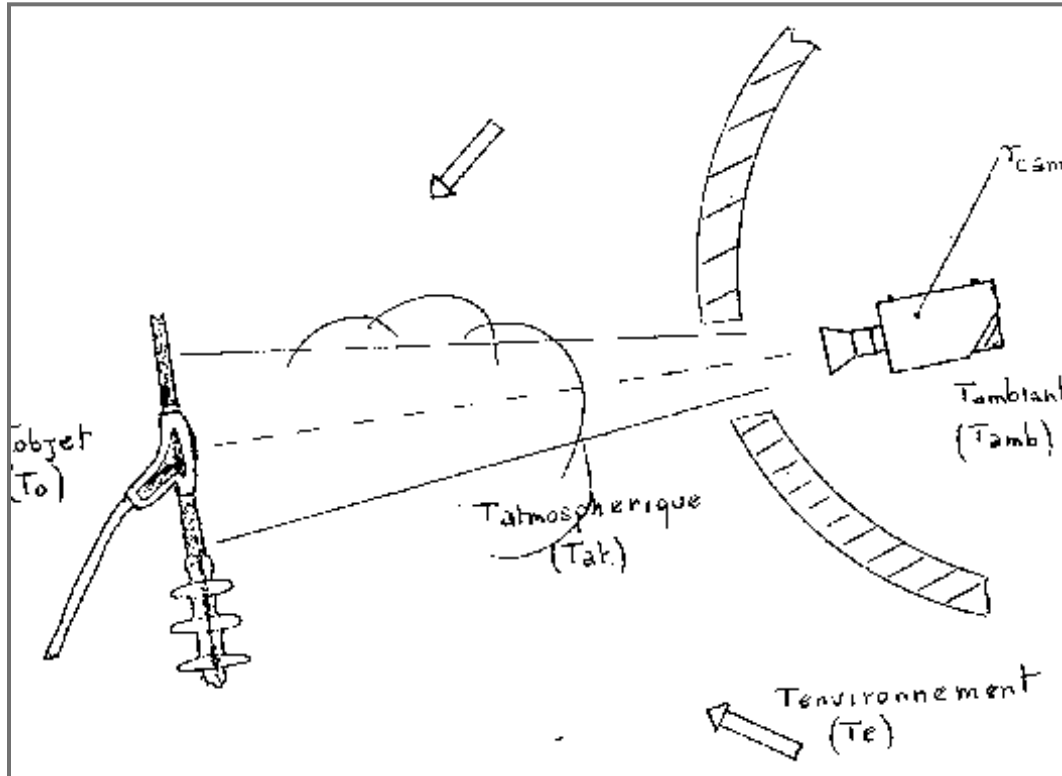
- what is emitted by the material
- what is transmit through the material
- what is reflected on the surface of the material



Kirchoff's law :

$$\alpha + \epsilon + \tau = 1$$

# Luminance measured by the camera



## Hypothesis

- Opaque object
- Gray body
- Surface Temperature is  $T_{obj}$
- Environment similar to Black Body at  $T_{env}$
- Atmosphere similar to Black Body at  $T_{atm}$
- Atmosphere coefficient transmission  $\tau_{atm}$

$$L' = \tau_{atm} \varepsilon_0 L_{obj} + \tau_{atm} (1 - \varepsilon_0) L_{env} + (1 - \tau_{atm}) L_{atm}$$

# Luminance measured by the camera

Simplified equation

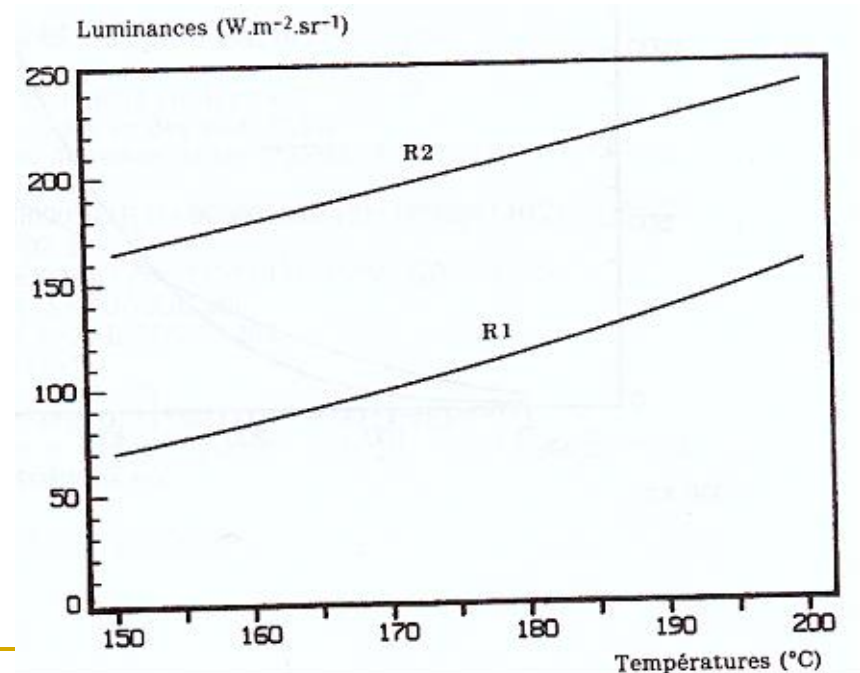
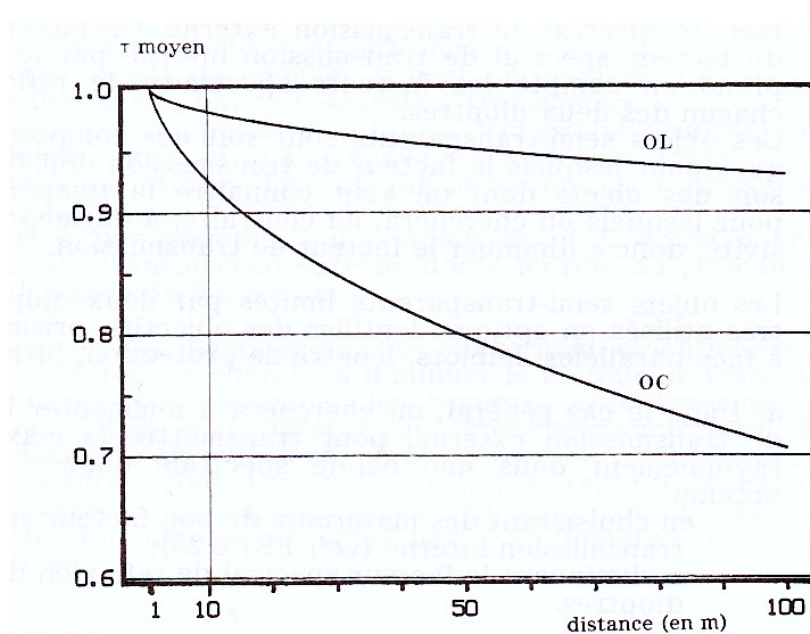
if  $T_{\text{env}} = T_{\text{atm}}$

$$L' = \tau_{\text{atm}} \epsilon_0 L_{\text{obj}} + (1 - \epsilon_0 \tau_{\text{atm}}) L_{\text{env}}$$

To determine the real temperature of the object using  $L'$ , we need to know  $\epsilon_0$  and  $\tau_{\text{atm}}$  and  $L_{\text{env}}$

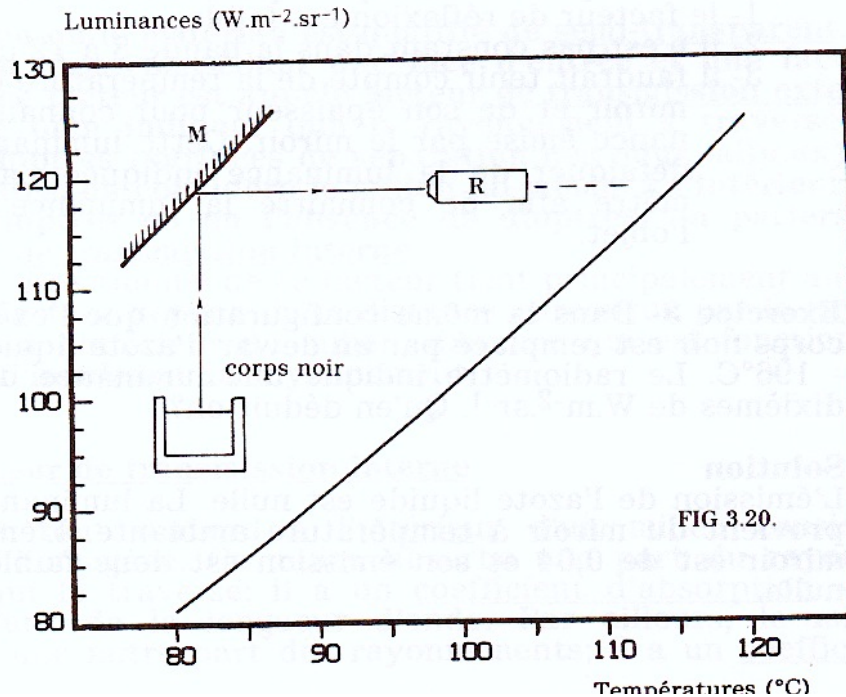
# Effect of transmission coefficient on temperature measurement

Two IR sensors R1 et R2 respectively working in the SW range (3-5  $\mu\text{m}$ ) and Long Wave range (8 to 12  $\mu\text{m}$ ) observe a black body situated at 10 meters which temperature is set to 180°C. Using the calibration curves, what are the indicated luminance and what are the apparent temperature?(radiations emitted by the atmosphere will be neglected).





# Effect of Reflexion on temperature measurement



A IR sensor  $R_2$  observes a black body thanks to a mirror which reflexion coefficient is equal to 0,96. The sensor indicates a luminance of  $100 \text{ Wm}^{-2} \text{ sr}^{-1}$ . What is the appearing temperature? What is the true temperature?

# Effect of Emissivity on temperature measurement

A metal plate is heated by induction to a temperature of  $180^{\circ}\text{C}$ . Its emissivity is 0.2 in the LW spectral band

This plate is then covered with a paint in order to increase its emissivity (avoid annoying reflexion). The IR sensors indicate  $140 \text{ W m}^{-2} \text{ sr}^{-1}$ .

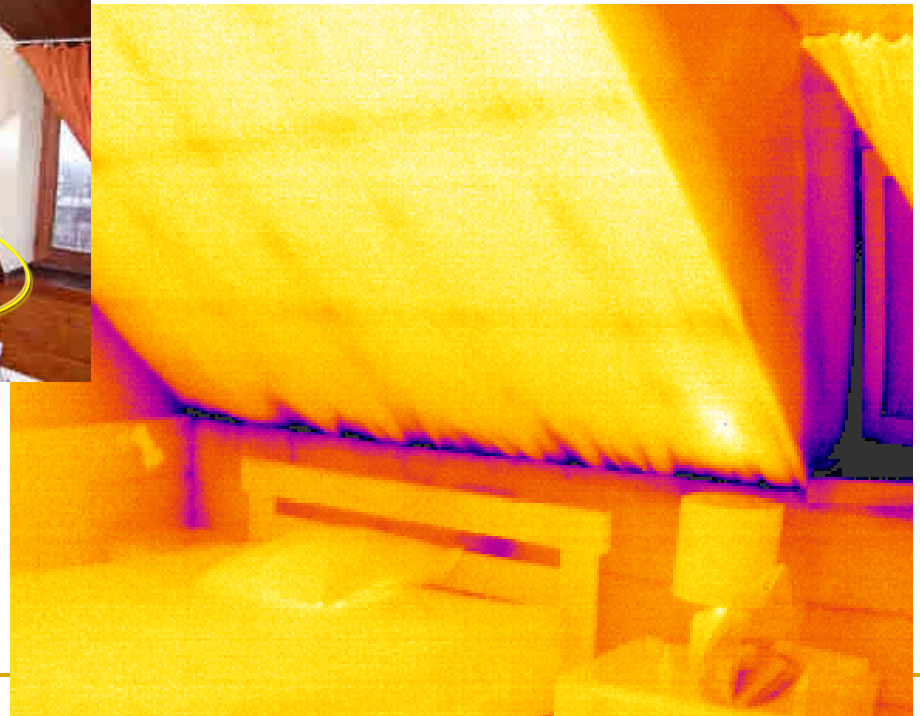
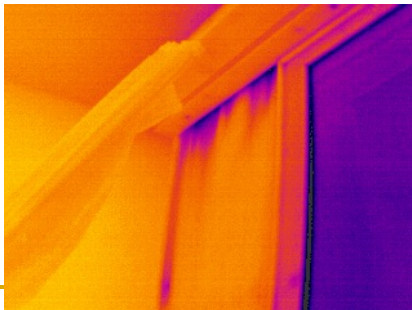
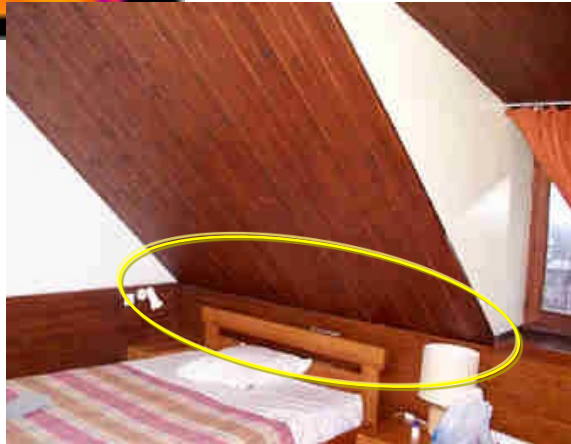
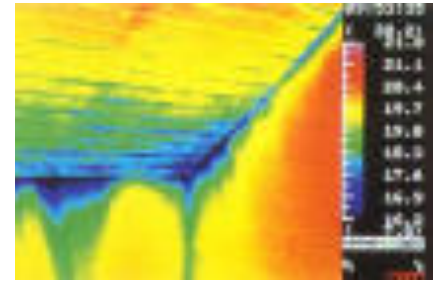
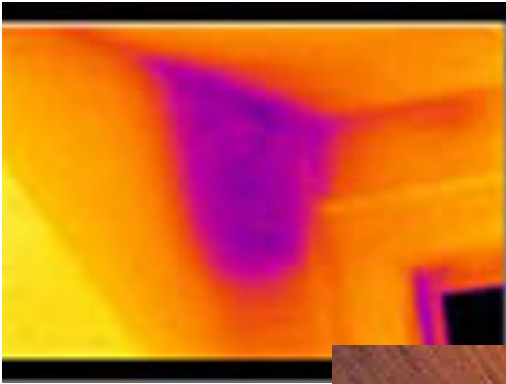
What is the emissivity of the material (paint + metal) assuming isothermy between the plate and the coating?

What is the transmission coefficient of the paint?

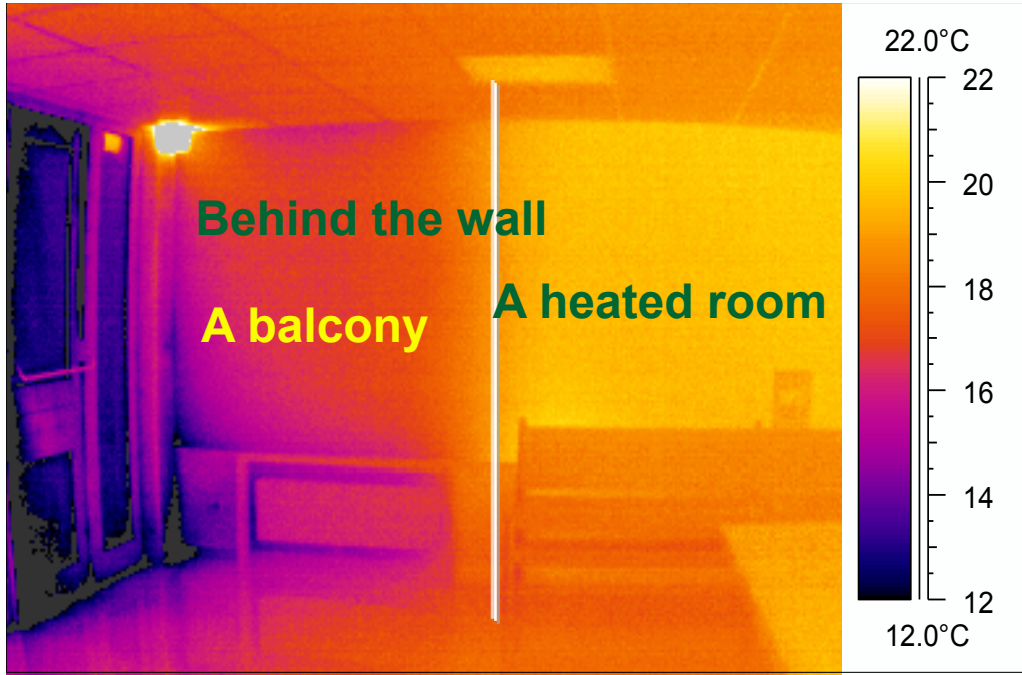
What happens if one doubles the layer thickness? (hint: Beer Lambert's law).

# Applications

house → Insulation



# Applications



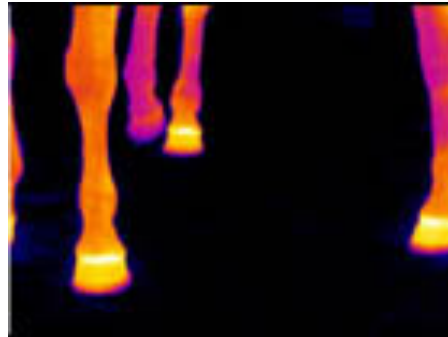
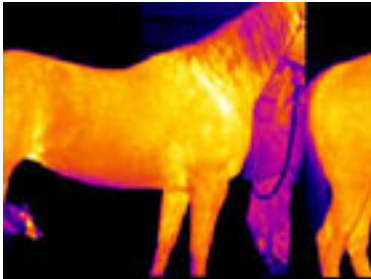
# Applications

## Medicine

-tumors, pneumothorax, muscular lesion .....

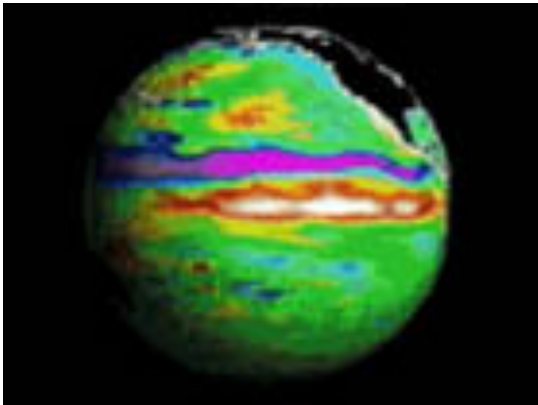
## Veterinarian

-muscular lesion

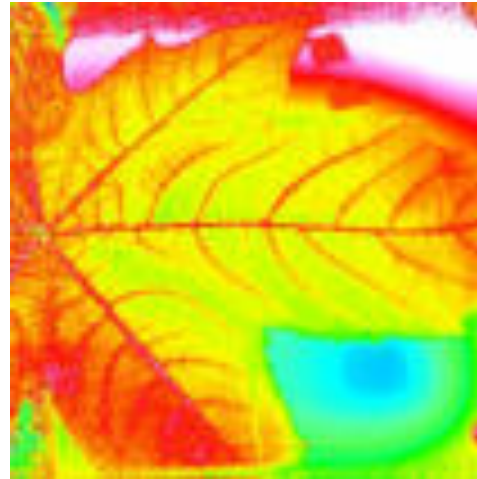


# Application

- Environment

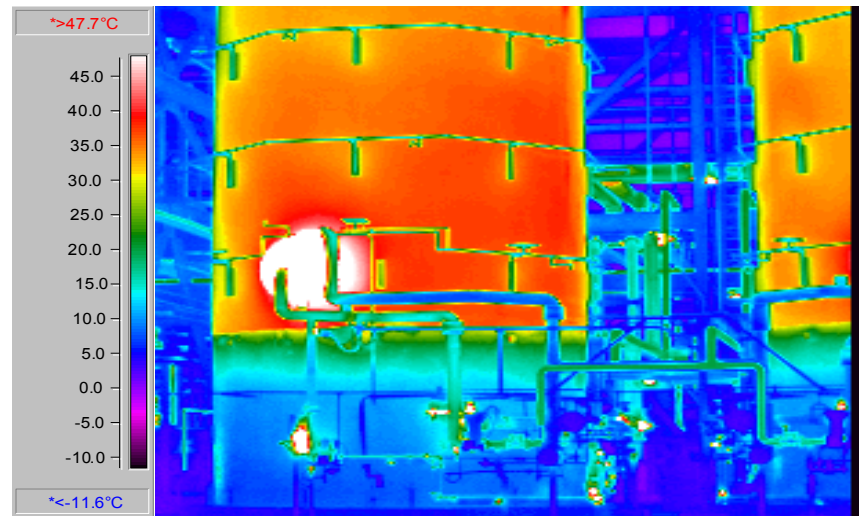
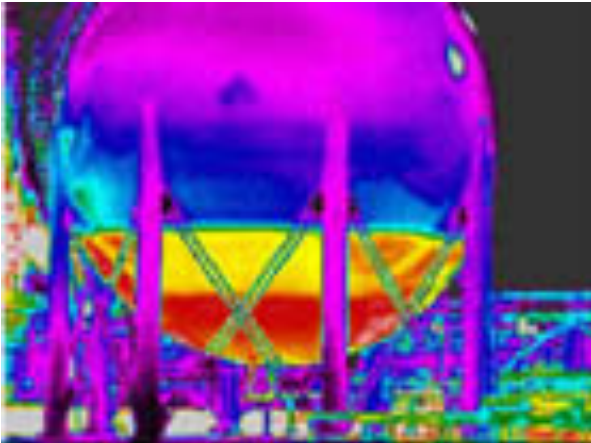


- Biology



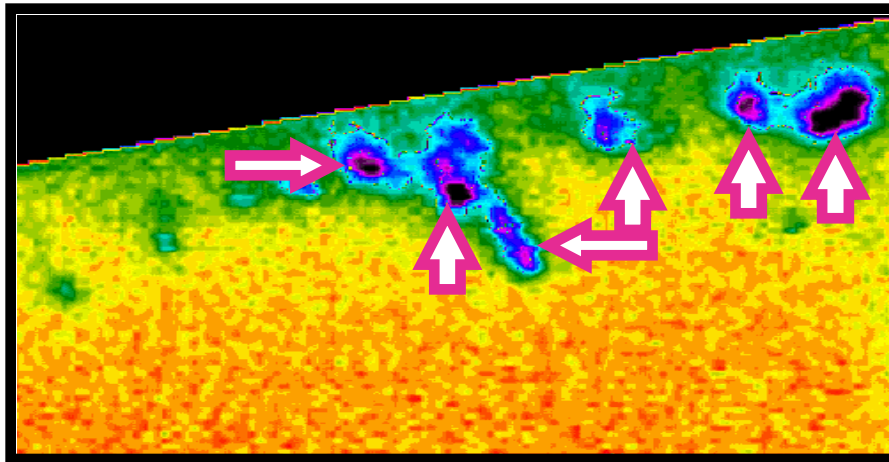
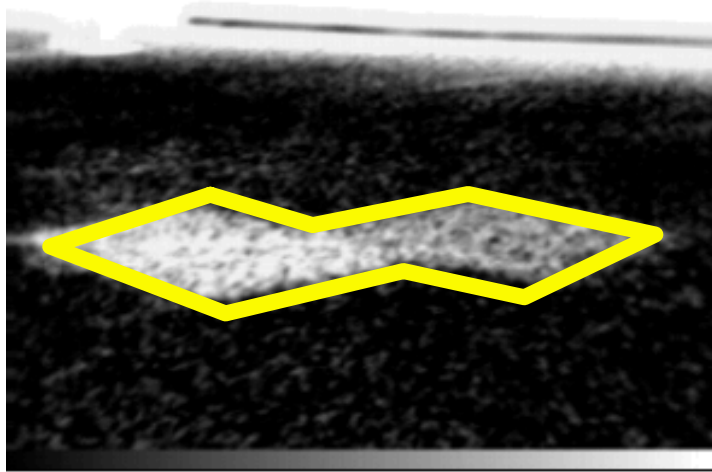
# Application

- Physics and chemistry industries





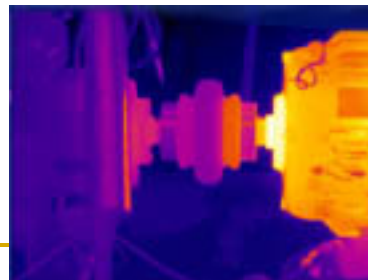
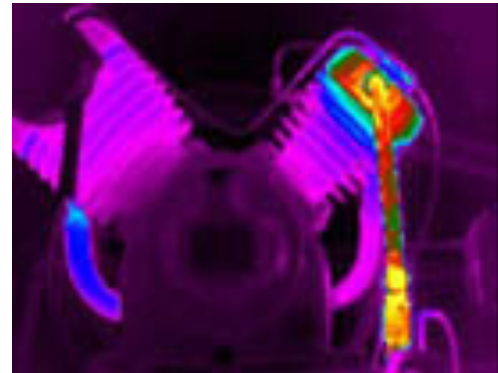
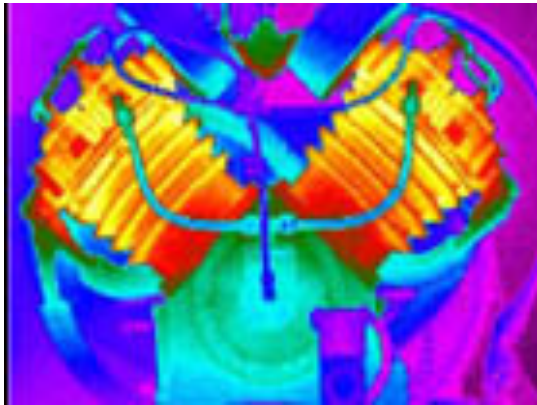
# Application





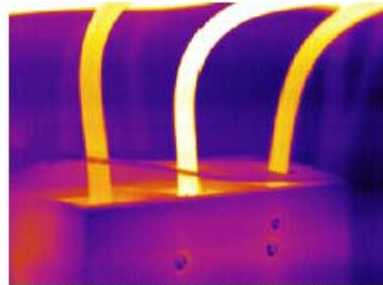
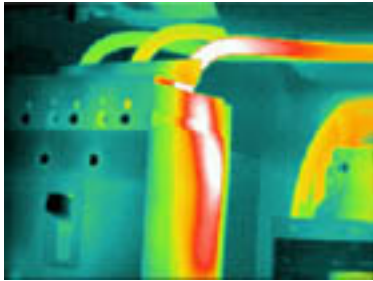
# Application

- Mechanical industry

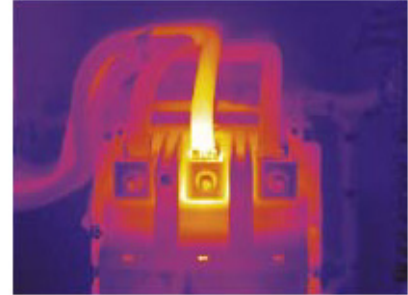


# Application

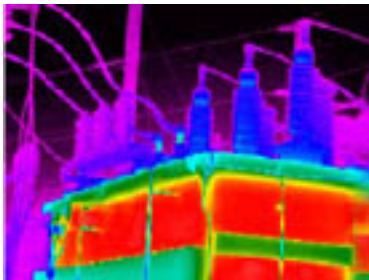
Of course, electrical maintenance



Harmonics problems on circuit feeding a data processing room.



Increased resistance at the bolted connection. Note the trailing off of the thermal energy. If it were a load imbalance the temperature would be the same throughout the conductor.



# Application

And others...

