

```

import random
import math
import matplotlib.pyplot as plt
# Initial configuration [3, 1, 2, 0]
initial_state = [3, 1, 2, 0]

# Function to calculate the number of conflicts (attacking queens)
def count_conflicts(state):
    conflicts = 0
    n = len(state)
    for i in range(n):
        for j in range(i + 1, n):
            # Check if two queens are in the same row or diagonals
            if state[i] == state[j] or abs(state[i] - state[j]) == abs(i - j):
                conflicts += 1
    return conflicts

# Function to generate a neighbor by randomly changing one queen's position
def generate_neighbor(state):
    neighbor = state[:]
    idx = random.randint(0, len(state) - 1)
    new_position = random.randint(0, len(state) - 1)
    neighbor[idx] = new_position
    return neighbor

# Simulated Annealing algorithm
def simulated_annealing(initial_state, initial_temp=1000, cooling_rate=0.9, max_iter=1000):
    current_state = initial_state
    current_temp = initial_temp
    current_energy = count_conflicts(current_state)

    best_state = current_state
    best_energy = current_energy
    temperatures = []
    energies = []

    for iteration in range(max_iter):
        temperatures.append(current_temp)
        energies.append(current_energy)
        # Generate a neighboring state
        neighbor = generate_neighbor(current_state)
        neighbor_energy = count_conflicts(neighbor)
        # If the neighbor is better, accept it
        if neighbor_energy < current_energy:
            current_state = neighbor
            current_energy = neighbor_energy
        else:
            # Accept the neighbor with some probability based on temperature
            probability = math.exp((current_energy - neighbor_energy) / current_temp)
            if random.random() < probability:
                current_state = neighbor
                current_energy = neighbor_energy

    # Update the best solution found
    if current_energy < best_energy:
        best_state = current_state
        best_energy = current_energy

    # Cool down the temperature
    current_temp *= cooling_rate

    # If no conflicts, we found a solution
    if current_energy == 0:
        break

```

```
return best_state, best_energy, temperatures, energies

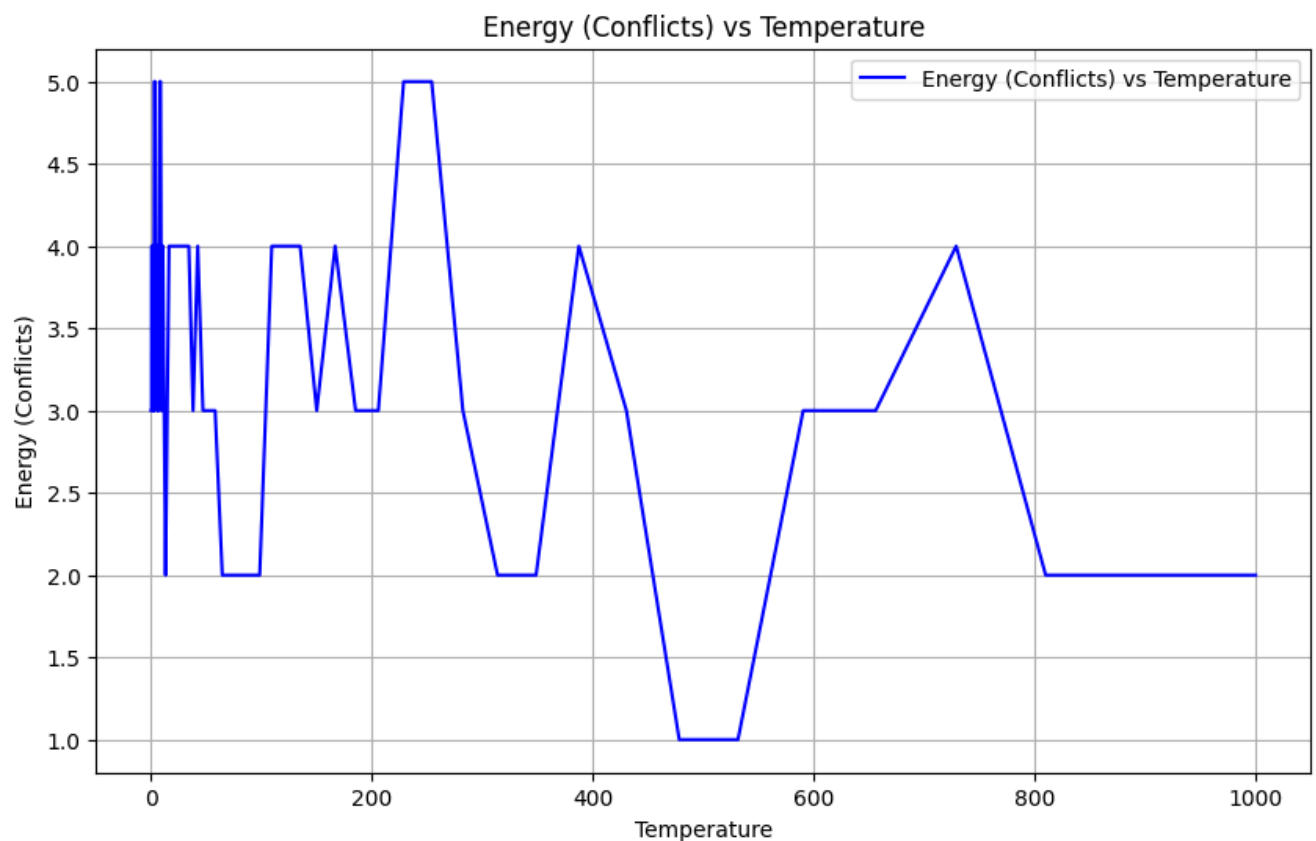
# Run the simulated annealing algorithm on the initial state
solution, energy, temperatures, energies = simulated_annealing(initial_state)

# Print the results
print(f"Solution: {solution}")
print(f"Number of conflicts: {energy}")
plt.figure(figsize=(10, 6))

# Plot Temperature vs Energy (Conflicts)
plt.plot(temperatures, energies, label='Energy (Conflicts) vs Temperature', color='blue')
plt.title('Energy (Conflicts) vs Temperature')
plt.xlabel('Temperature')
plt.ylabel('Energy (Conflicts)')
plt.grid(True)
plt.legend()

plt.show()
```

➞ Solution: [2, 0, 3, 1]  
Number of conflicts: 0

[+ Code](#)[+ Text](#)

Start coding or [generate](#) with AI.

Wur

Kas-6

Simulated Annealing CN, max steps = 1000, initial temp.  
current\_state  $\leftarrow$  random board with N-queens  
current\_energy  $\leftarrow$  calculate\_conflicts(current\_state)  
temp  $\leftarrow$  initial\_temp.

for step in 0 to max\_steps:

if current\_energy = 0:  
return current\_state

neighbor\_state  $\leftarrow$  copy of current\_state  
col  $\leftarrow$  random column.

row  $\leftarrow$  random row

neighbor  $\leftarrow$  low

neighbor\_energy  $\leftarrow$  calculate\_conflicts(neighbor\_state)

delta\_energy  $\leftarrow$  neighbor\_energy - current\_energy

if delta\_energy < 0 or random number < exp(-delta\_energy / temp):  
current\_state  $\leftarrow$  neighbor\_state  
current\_energy  $\leftarrow$  neighbor\_energy

temp  $\leftarrow$  temp \* cooling\_rate.  
Return None.

State Space Diagram:-

$[3, 1, 3, 0] \rightarrow 2$

$[3, 1, 3, 0] \rightarrow 2$

$[2, 1, 3, 0] \rightarrow 1$

$[2, 1, 3, 3] \rightarrow 3$

$[1, 1, 3, 3] \rightarrow 4$

$[1, 1, 3, 2] \rightarrow 3$

$[0, 1, 3, 2] \rightarrow 2$

$[0, 1, 3, 1] \rightarrow 2$

$[0, 3, 3, 1] \rightarrow 2$

$[0, 3, 3, 2] \rightarrow 2$

$[2, 3, 3, 2] \rightarrow 4$

$[3, 3, 3, 2] \rightarrow 4$

$[2, 3, 3, 2] \rightarrow 4$

$[2, 0, 3, 2] \rightarrow 3$

Solution =  $[2, 1, 3, 0] \rightarrow 1$

number of conflicts.

A12-11-24