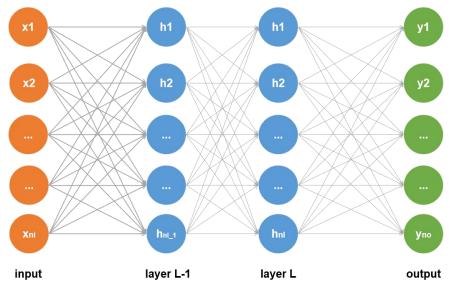
Neural Network

Neural Network is to try to solve the problems by approximation using weights networks. This approach is quite useful. It almost approximate every function by different layered-networks and activation function. All the deep neural network are based on the simple neural network. let's take a close look at neural network. We use a picture to show the neural network.



Forward Neural Network

input

$$\begin{bmatrix} x_1 & x_2 & \cdots & x_d \end{bmatrix} \begin{bmatrix} w_{11} & \cdots & w_{1,ni} \\ \vdots & \ddots & \vdots \\ w_{d1} & \cdots & w_{d,ni} \end{bmatrix} + \begin{bmatrix} b_1 & \cdots & b_{ni} \end{bmatrix} = \begin{bmatrix} a_1^1 & \cdots & a_{ni}^1 \end{bmatrix}$$

$$\begin{bmatrix} h_1^1 & \cdots & h_{ni}^1 \end{bmatrix} = g(\begin{bmatrix} a_1^1 & \cdots & a_{ni}^1 \end{bmatrix})$$

hidden

$$\begin{bmatrix} h_1^{L-1} & \cdots & h_{n_{L-1}}^{L-1} \end{bmatrix} \begin{bmatrix} w_{11} & \cdots & w_{1,n_L} \\ \vdots & \ddots & \vdots \\ w_{n_{L-1},1} & \cdots & w_{n_{L-1},n_L} \end{bmatrix} + \begin{bmatrix} b_1 & \cdots & b_{n_L} \end{bmatrix} = \begin{bmatrix} a_1^L & \cdots & a_{n_L}^L \end{bmatrix}$$

$$\begin{bmatrix} h_1^L & \cdots & h_{n_L}^L \end{bmatrix} = g \begin{bmatrix} a_1^L & \cdots & a_{n_L}^L \end{bmatrix}$$

output

$$\begin{bmatrix} h_1^L & \cdots & h_{n_L}^L \end{bmatrix} \begin{bmatrix} w_{11} & \cdots & w_{1,n_o} \\ \vdots & \ddots & \vdots \\ w_{n_L,1} & \cdots & w_{n_L,n_o} \end{bmatrix} + \begin{bmatrix} b_1 & \cdots & b_{no} \end{bmatrix} = \begin{bmatrix} a_1^o & \cdots & a_{n_o}^o \end{bmatrix}$$
$$\begin{bmatrix} y_1^o & \cdots & y_{n_o}^o \end{bmatrix} = g \begin{pmatrix} a_1^o & \cdots & a_{n_o}^o \end{pmatrix}$$

We can define our cost function based on the computational model accordingly. Here, we use cross-entropy as cost function.

$$L = y * \log(soft \max(y^{o}))$$

Backward Propagation to update weights

output layer

$$\frac{\partial L}{\partial y^{o}} = \begin{pmatrix} \frac{\partial L}{\partial y_{1}^{0}} & \cdots & \frac{\partial L}{\partial y_{n_{0}}^{0}} \end{pmatrix}$$

$$\frac{\partial y^{o}}{\partial a^{o}} = g_{o}(a^{o})$$

$$\frac{\partial a^{o}}{\partial w^{o}} = (h^{L})_{1}^{T} & \cdots & (h^{L})_{n_{o}}^{T}, \frac{\partial a^{o}}{\partial b^{o}} = (1_{1} & \cdots & 1_{n_{o}})$$

$$\frac{\partial a^{o}}{\partial h^{L}} = w^{o}$$

hidden layer

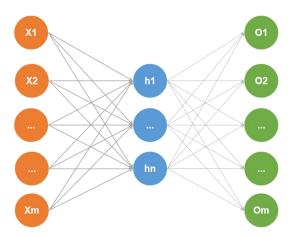
$$\frac{\partial h^{L}}{\partial a^{L}} = g'_{L}(a^{L})$$

$$\frac{\partial a^{L}}{\partial w^{L}} = (h^{L-1})_{1}^{T} \cdots (h^{L-1})_{n_{L}}^{T}, \frac{\partial a^{L}}{\partial b^{L}} = (1_{1} \cdots 1_{n_{L}})$$

$$\frac{\partial a^{L}}{\partial h^{L-1}} = w^{L}$$

AutoEncoder

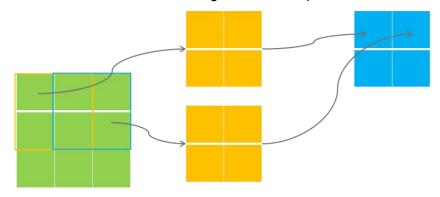
AutoEncoder is neural network that tries to reconstruct inputs. The number of AutoEncoder is quite small which means we use less nodes to capture as more features as possible.



Convolutional Neural Networks

It consists of Convolution and Pooling operations. These basic operations are the elements of deep convolutional neural network. The key idea is to design

convolutional layers. In order to visualize the computational model, we use matrix multiplication. Here, we one-channel image as an example.



$$\begin{bmatrix} x_{11} & \cdots & x_{1d} \\ \vdots & \ddots & \vdots \\ x_{n1} & \cdots & x_{nd} \end{bmatrix} \begin{bmatrix} w_{11} & w_{12} & w_{13} \\ w_{21} & w_{22} & w_{23} \\ w_{31} & w_{32} & w_{33} \end{bmatrix} = \begin{bmatrix} c_{11} & \cdots & c_{1k} \\ \vdots & \ddots & \vdots \\ c_{m1} & \cdots & c_{mk} \end{bmatrix}$$

To better illustrate the operation, we use very simple matrix. For Convolutional operation,

filter

$$\begin{bmatrix} w_{11} & w_{12} \\ w_{21} & w_{22} \end{bmatrix} \rightarrow \begin{bmatrix} w_{11} \\ w_{12} \\ w_{21} \\ w_{22} \end{bmatrix}$$

input

$$\begin{bmatrix} x_{11} & x_{12} & x_{13} \\ x_{21} & x_{22} & x_{23} \\ x_{31} & x_{32} & x_{33} \end{bmatrix} \rightarrow \begin{bmatrix} x_{11} & x_{12} & x_{21} & x_{22} \\ x_{12} & x_{13} & x_{22} & x_{23} \\ x_{21} & x_{22} & x_{31} & x_{32} \\ x_{22} & x_{23} & x_{32} & x_{33} \end{bmatrix}$$

Then we can find the product of the two matrices.

$$\begin{bmatrix} x_{11} & x_{12} & x_{21} & x_{22} \\ x_{12} & x_{13} & x_{22} & x_{23} \\ x_{21} & x_{22} & x_{31} & x_{32} \\ x_{22} & x_{23} & x_{32} & x_{33} \end{bmatrix} \begin{bmatrix} w_{11} \\ w_{12} \\ w_{21} \\ w_{22} \end{bmatrix} = \begin{bmatrix} h_{11} \\ h_{12} \\ h_{21} \\ h_{22} \end{bmatrix}$$

$$\begin{bmatrix} h_{11} \\ h_{12} \\ h_{21} \\ h_{22} \end{bmatrix} \rightarrow \begin{bmatrix} h_{11} & h_{12} \\ h_{21} & h_{22} \end{bmatrix}$$

The gradient descent can be calculated.

$$\frac{\partial h}{\partial w} = \begin{bmatrix} x_{11} & x_{12} & x_{21} & x_{22} \\ x_{12} & x_{13} & x_{22} & x_{23} \\ x_{21} & x_{22} & x_{31} & x_{32} \\ x_{22} & x_{23} & x_{32} & x_{33} \end{bmatrix} \begin{bmatrix} 1 \\ 1 \\ 1 \end{bmatrix}$$

Then we have

$$\begin{bmatrix} x_{11} & x_{12} & x_{13} \\ x_{21} & x_{22} & x_{23} \\ x_{31} & x_{32} & x_{33} \end{bmatrix} \begin{bmatrix} w_{11} & w_{12} \\ w_{21} & w_{22} \end{bmatrix} = \begin{bmatrix} h_{11} & h_{12} \\ h_{21} & h_{22} \end{bmatrix}$$

Through reshape the matrix, we can do the matrix operations easily. We can find the gradient and update weights easily.

For pooling operation,

$$\begin{bmatrix} c_{11} & c_{12} & c_{13} \\ c_{21} & c_{22} & c_{23} \\ c_{31} & c_{32} & c_{33} \end{bmatrix} \rightarrow \begin{bmatrix} c_{11} & c_{12} & c_{21} & c_{22} \\ c_{12} & c_{13} & c_{22} & c_{23} \\ c_{21} & c_{22} & c_{31} & c_{32} \\ c_{22} & c_{23} & c_{32} & c_{33} \end{bmatrix}$$

Find the maximum in each row

$$\begin{bmatrix} c_{11} & c_{12} & c_{21} & c_{22} \\ c_{12} & c_{13} & c_{22} & c_{23} \\ c_{21} & c_{22} & c_{31} & c_{32} \\ c_{22} & c_{23} & c_{32} & c_{33} \end{bmatrix} = \begin{bmatrix} p_{11} \\ p_{12} \\ p_{21} \\ p_{22} \end{bmatrix} = \begin{bmatrix} p_{11} & p_{12} \\ p_{21} & p_{22} \end{bmatrix}$$

Then, we get

$$pooling \begin{bmatrix} c_{11} & c_{12} & c_{13} \\ c_{21} & c_{22} & c_{23} \\ c_{31} & c_{32} & c_{33} \end{bmatrix} = \begin{bmatrix} p_{11} & p_{12} \\ p_{21} & p_{22} \end{bmatrix}$$

For a three-channel image, we can use the same method to do matrix multiplication.

filter

$$\begin{bmatrix} \begin{bmatrix} w_{11}^1 & w_{12}^1 \\ w_{21}^1 & w_{22}^1 \end{bmatrix} \rightarrow \begin{bmatrix} w_{11}^1 \\ w_{12}^1 \\ w_{21}^1 \end{bmatrix} & \begin{bmatrix} w_{11}^1 \\ w_{12}^1 \\ w_{21}^1 \end{bmatrix} & \begin{bmatrix} w_{11}^1 \\ w_{12}^1 \\ w_{21}^1 \end{bmatrix} \\ \begin{bmatrix} w_{11}^1 & w_{12}^1 \\ w_{22}^2 \end{bmatrix} \rightarrow \begin{bmatrix} w_{11}^1 \\ w_{12}^1 \\ w_{22}^1 \end{bmatrix} & \begin{bmatrix} w_{12}^1 \\ w_{22}^1 \\ w_{21}^2 \end{bmatrix} & \begin{bmatrix} w_{12}^1 \\ w_{12}^2 \\ w_{21}^2 \end{bmatrix} \\ \begin{bmatrix} w_{11}^3 & w_{12}^3 \\ w_{22}^3 \end{bmatrix} \rightarrow \begin{bmatrix} w_{11}^3 \\ w_{12}^3 \\ w_{21}^3 \end{bmatrix} & \begin{bmatrix} w_{12}^3 \\ w_{12}^3 \\ w_{21}^3 \\ w_{22}^3 \end{bmatrix} & \begin{bmatrix} w_{12}^3 \\ w_{12}^3 \\ w_{21}^3 \\ w_{22}^3 \end{bmatrix} & \begin{bmatrix} w_{12}^3 \\ w_{12}^3 \\ w_{21}^3 \\ w_{22}^3 \end{bmatrix} & \begin{bmatrix} w_{12}^3 \\ w_{12}^3 \\ w_{22}^3 \\ w_{22}^3 \end{bmatrix} & \begin{bmatrix} w_{12}^3 \\ w_{12}^3 \\ w_{22}^3 \\ w_{22}^3 \end{bmatrix} & \begin{bmatrix} w_{12}^3 \\ w_{12}^3 \\ w_{22}^3 \\ w_{22}^3 \end{bmatrix} & \begin{bmatrix} w_{12}^3 \\ w_{12}^3 \\ w_{22}^3 \\ w_{22}^3 \end{bmatrix} & \begin{bmatrix} w_{12}^3 \\ w_{12}^3 \\ w_{22}^3 \\ w_{22}^3 \end{bmatrix} & \begin{bmatrix} w_{12}^3 \\ w_{12}^3 \\ w_{22}^3 \end{bmatrix} & \begin{bmatrix} w_{12}^3 \\ w_{12}^3 \\ w_{22}^3 \\ w_$$

$$\begin{bmatrix} x_{11}^1 & x_{12}^1 & x_{13}^1 \\ x_{21}^1 & x_{22}^1 & x_{23}^1 \\ x_{31}^1 & x_{32}^1 & x_{33}^1 \end{bmatrix} \rightarrow \begin{bmatrix} x_{11}^1 & x_{12}^1 & x_{21}^1 & x_{22}^1 \\ x_{12}^1 & x_{13}^1 & x_{22}^1 & x_{23}^1 \\ x_{21}^2 & x_{22}^1 & x_{23}^2 & x_{33}^1 \end{bmatrix} \rightarrow \begin{bmatrix} x_{11}^1 & x_{12}^1 & x_{21}^1 & x_{22}^1 \\ x_{12}^1 & x_{13}^1 & x_{22}^1 & x_{31}^1 & x_{32}^1 \\ x_{21}^2 & x_{22}^1 & x_{22}^2 & x_{23}^2 \\ x_{21}^2 & x_{22}^2 & x_{23}^2 & x_{22}^2 \\ x_{22}^2 & x_{22}^2 & x_{23}^2 & x_{23}^2 \\ x_{22}^2 & x_{22}^2 & x_{23}^2 & x_{23}^2 \\ x_{22}^2 & x_{22}^2 & x_{23}^2 & x_{23}^2 \\ x_{22}^2 & x_{22}^2 & x_{23}^2 & x_{22}^2 \\ x_{22}^2 & x_{23}^2 & x_{22}^2 & x_{23}^2 \\ x_{22}^2 & x_{23}^2 & x_{23}^2 & x_{22}^2 \\ x_{22}^2 & x_{23}^2 & x_{23}^2 & x_{23}^2 \\ x_{23}^2 & x_{23}^2 & x_{23}^2 & x_{23}^2 \\ x_{22}^2 & x_{23}^2 & x_{23}^2 & x_{23}^2 \\ x_{23}^2 & x_{23}^2 & x_{23}^2 & x_{23}^2 \\ x_{24}^2 & x_{24}^2 & x_{24}^2 & x_{24}^2 & x_{24}^2 & x_{24}^2 \\ x_{24}^2 & x_{24}^2 & x_{24}^2 & x_{24}^2 & x_{24}^2 \\ x_{25}^2 & x_{24}^2 & x_{25}^2 & x_{25}^2$$

$$\begin{bmatrix} x_{11}^1 & x_{12}^1 & x_{21}^1 & x_{22}^1 & x_{21}^1 & x_{22}^1 & x_{21}^2 & x_{21}^2 & x_{22}^2 & x_{11}^3 & x_{12}^3 & x_{21}^3 & x_{22}^3 \\ x_{12}^1 & x_{13}^1 & x_{22}^1 & x_{21}^1 & x_{22}^1 & x_{22}^2 & x_{23}^2 & x_{13}^3 & x_{22}^3 & x_{23}^3 \\ x_{21}^1 & x_{22}^1 & x_{31}^1 & x_{32}^1 & x_{21}^2 & x_{22}^2 & x_{23}^2 & x_{32}^2 & x_{23}^3 & x_{31}^3 & x_{32}^3 \\ x_{22}^1 & x_{23}^1 & x_{32}^1 & x_{33}^1 & x_{22}^2 & x_{23}^2 & x_{23}^2 & x_{32}^2 & x_{33}^3 & x_{32}^3 & x_{33}^3 & x_{32}^3 \\ x_{22}^1 & x_{23}^1 & x_{32}^1 & x_{33}^1 & x_{22}^2 & x_{23}^2 & x_{23}^2 & x_{32}^2 & x_{33}^2 & x_{23}^3 & x_{33}^3 & x_{32}^3 \\ x_{22}^1 & x_{23}^1 & x_{32}^1 & x_{33}^1 & x_{22}^2 & x_{23}^2 & x_{23}^2 & x_{33}^2 & x_{23}^3 & x_{33}^3 & x_{32}^3 \\ x_{21}^2 & x_{21}^1 & x_{22}^1 & x_{22}^1 & x_{22}^1 & x_{22}^2 & x_{23}^2 & x_{23}^2 & x_{23}^3 & x_{23}^3 & x_{33}^3 & x_{32}^3 \\ x_{21}^2 & x_{21}^3 & x_{22}^1 & x_{22}^1 & x_{22}^2 & x_{23}^2 & x_{23}^2 & x_{23}^2 & x_{23}^2 & x_{23}^3 & x_{23}^3 & x_{33}^3 \\ x_{21}^3 & x_{22}^3 & x_{22}^3 & x_{23}^3 & x_{23}^3 & x_{33}^3 & x_{32}^3 \\ x_{21}^3 & x_{22}^3 & x_{22}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 \\ x_{21}^3 & x_{22}^3 & x_{22}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 \\ x_{21}^3 & x_{22}^3 & x_{22}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 \\ x_{22}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 \\ x_{22}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 \\ x_{22}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 \\ x_{22}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 \\ x_{23}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 \\ x_{23}^3 & x_{23}^3 & x_{23}^3 & x_{23}^3 \\ x_{23}^3 & x_{23}^3 & x_{23}^3 \\ x_{23}^3 & x_{23}^3 & x_{23}^$$

In the optimization process, the learning rate has an impact on the accuracy, which means it influences the convergence. In practice, the learning rate should be quite small to avoid fluctuation. The filters required need to be designed carefully to achieve the high accuracy results.

This project is to revisit neural network. We focus on the neural network design. The theories mentioned above are the guideline for designing neural networks. We build a computational model as follows. There are several .py files.

<Lib>

```
import tensorflow as tf
from tensorflow.examples.tutorials.mnist import input_data
import numpy as np
import matplotlib.pyplot as plt
import os

default_mode = 'SNN'

""" Parameters of Simple Neural Network """
snn_param = {
    'learning_rate': 0.01,
    'num_steps': 1000,
    'batch_size': 128,
    'display_step': 100,
    'num_inputs': 784,
    'num_classes': 10,
    'hidden1': 256,
```

```
weights snn = {
   'h1': tf.Variable(tf.random_normal([snn_param['num_inputs'],
snn param['hidden1']])),
   'h2': tf.Variable(tf.random normal([snn param['hidden1'],
snn param['hidden2']])),
   'out': tf.Variable(tf.random normal([snn param['hidden2'],
snn_param['num_classes']]))
biases snn = {
   'b1': tf.Variable(tf.random_normal([snn_param['hidden1']])),
   'b2': tf.Variable(tf.random_normal([snn_param['hidden2']])),
   'out': tf.Variable(tf.random normal([snn param['num classes']]))
weights cnn = {
cnn param['filter1'],
                                  cnn_param['channel'],
cnn param['hidden1']])),
   'wc2': tf.Variable(tf.random normal([cnn param['filter2'],
cnn_param['filter2'],
```

```
cnn param['hidden1'],
cnn param['hidden2']])),
   'wdl': tf.Variable(tf.random normal([cnn param['fc1'], cnn param['fc2']])),
   'out': tf.Variable(tf.random_normal([cnn_param['fc2'],
cnn param['num classes']]))
biases cnn = {
   'bc1': tf.Variable(tf.random normal([cnn param['hidden1']])),
   'bc2': tf.Variable(tf.random_normal([cnn_param['hidden2']])),
   'bd1': tf.Variable(tf.random normal([cnn param['fc2']])),
   'out': tf.Variable(tf.random normal([cnn param['num classes']]))
weights ae = {
   'encoder h1': tf. Variable (tf. random normal ([ae param['num inputs'],
ae param['hidden1']])),
   'encoder h2': tf.Variable(tf.random normal([ae param['hidden1'],
ae param['hidden2']])),
   'decoder_h1': tf.Variable(tf.random_normal([ae_param['hidden2'],
ae param['hidden1']])),
   'decoder h2': tf. Variable (tf. random normal ([ae param ['hidden1'],
ae param['num inputs']])),
biases ae = {
   'encoder b1': tf.Variable(tf.random normal([ae param['hidden1']])),
   'encoder b2': tf.Variable(tf.random normal([ae param['hidden2']])),
   'decoder_b1': tf.Variable(tf.random_normal([ae_param['hidden1']])),
   'decoder b2': tf. Variable (tf. random normal ([ae param['num inputs']])),
```

<Load_Data>

```
from Lib import *

def load_data():

    filename = "DataSet/"

    mnist = input_data.read_data_sets(filename, one_hot=True)

return mnist
```

<Training>

```
from Lib import *
from SimpleNeuralNetwork import snn_model_fn
from ConvolutionalNeuralNetwork import cnn_model_fn
from AutoEncoder import ae_model_fn
from Storage import get_path

def train(mnist, mode):
```

```
if mode == 'SNN':
  elif mode == 'CNN':
  elif mode == 'AE':
def train snn(mnist, model path):
  x = tf.placeholder("float", [None, snn_param['num_inputs']])
  y = tf.placeholder("float", [None, snn_param['num_classes']])
      for step in range(1, snn param['num steps'] + 1):
         if step % snn_param['display_step'] == 0 or step == 1:
            loss, acc = sess.run([loss_op, accuracy], feed_dict={x: batch_x,
           sess.run(accuracy, feed_dict={x: mnist.test.images,
```

```
def train_cnn(mnist, model_path):
  x = tf.placeholder("float", [None, cnn_param['num_inputs']])
   y = tf.placeholder("float", [None, cnn param['num classes']])
  saver = tf.train.Saver()
      for step in range(1, cnn_param['num_steps'] + 1):
         batch x, batch y = mnist.train.next batch(cnn param['batch size'])
         sess.run(train_op, feed_dict={x: batch_x, y: batch_y, keep_prob: 0.8})
         if step % cnn_param['display_step'] == 0 or step == 1:
             loss, acc = sess.run([loss op, accuracy], feed dict={x: batch x,
      print("Testing Accuracy:", sess.run(accuracy, feed dict={x:
mnist.test.images[:256],
mnist.test.labels[:256],
```

```
def train ae(mnist, model path):
   x = tf.placeholder("float", [None, ae_param['num_inputs']])
         batch x, = mnist.train.next batch(ae param['batch size'])
         sess.run(train_op, feed_dict={x: batch_x})
         if step % ae_param['display_step'] == 0 or step == 1:
             loss = sess.run(loss_op, feed_dict={x: batch_x})
                  "{:.4f}".format(loss))
         g = sess.run(decoder_op, feed_dict={x: batch_x})
             canvas_orig[i * 28:(i + 1) * 28, j * 28:(j + 1) * 28] =
batch_x[j].reshape([28, 28])
```

```
canvas_recon[i * 28:(i + 1) * 28, j * 28:(j + 1) * 28] =
g[j].reshape([28, 28])

print("Original Images")
plt.figure(figsize=(n, n))
plt.imshow(canvas_orig, origin="upper", cmap="gray")
# plt.show()

print("Reconstructed Images")
plt.figure(figsize=(n, n))
plt.imshow(canvas_recon, origin="upper", cmap="gray")
plt.show()
```

<Evaluation>

```
def snn_evaluation_fn(prediction, y):
    correct_pred = tf.equal(tf.argmax(prediction, 1), tf.argmax(y, 1))
    accuracy = tf.reduce_mean(tf.cast(correct_pred, tf.float32))
    return accuracy

def cnn_evaluation_fn(prediction, y):
    correct_pred = tf.equal(tf.argmax(prediction, 1), tf.argmax(y, 1))
    accuracy = tf.reduce_mean(tf.cast(correct_pred, tf.float32))
    return accuracy
```

<Storage>

```
def get_path(mode):
    return 'Model/' + str(mode) + '/' + str(mode) + '.ckpt'
```

<SimpleNeuralNetwork>

```
from Lib import *
from Evaluation import snn_evaluation_fn

def simple_neural_net_naf(x):
    layer_1 = tf.add(tf.matmul(x, weights_snn['h1']), biases_snn['b1'])
    layer_2 = tf.add(tf.matmul(layer_1, weights_snn['h2']), biases_snn['b2'])
    out_layer = tf.matmul(layer_2, weights_snn['out']) + biases_snn['out']
```

```
def simple_neural_net_af(x):
   layer 1 = tf.nn.relu(tf.add(tf.matmul(x, weights snn['h1']),
biases snn['b1']))
   layer 2 = tf.add(tf.matmul(layer 1, weights snn['h2']), biases snn['b2'])
def snn_cost_fn(logits, y):
  oels=y))
tf.train.AdamOptimizer(learning_rate=snn_param['learning_rate'])
def snn_model_fn(x, y):
```

<ConvolutionalNeuralNetwork>

```
from Lib import *
from Evaluation import cnn_evaluation_fn

def conv2d(x, w, b, strides=1):
    x = tf.nn.conv2d(x, w, strides=[1, strides, strides, 1], padding='SAME')
    x = tf.nn.bias_add(x, b)
```

```
def maxpool2d(x, k=2):
  return tf.nn.max_pool(x, ksize=[1, k, k, 1], strides=[1, k, k, 1],
 adding='SAME')
def conv_net(x, dropout):
      x = tf.reshape(x, shape=[-1, 28, 28, 1])
      conv2 = conv2d(conv1, weights cnn['wc2'], biases cnn['bc2'])
      fc1 = tf.reshape(conv2, [-1,
weights_cnn['wd1'].get_shape().as_list()[0]])
      fc1 = tf.add(tf.matmul(fc1, weights cnn['wd1']), biases cnn['bd1'])
      out = tf.add(tf.matmul(fc1, weights cnn['out']), biases cnn['out'])
def cnn_cost_fn(logits, y):
tf.reduce_mean(tf.nn.softmax_cross_entropy_with_logits(logits=logits,
```

```
def cnn_model_fn(x, y, dropout):
    logits = conv_net(x, dropout)
    prediction = tf.nn.softmax(logits)
    train_op, loss_op = cnn_cost_fn(logits, y)
    accuracy = cnn_evaluation_fn(prediction, y)

return train_op, loss_op, accuracy
```

<AutoEncoder>

```
def encoder(x):
   layer 1 = tf.nn.sigmoid(tf.add(tf.matmul(x, weights ae['encoder h1']),
                             biases ae['encoder b1']))
   layer 2 = tf.nn.sigmoid(tf.add(tf.matmul(layer 1, weights ae['encoder h2']),
                            biases ae['encoder b2']))
def decoder(x):
   layer 1 = tf.nn.sigmoid(tf.add(tf.matmul(x, weights ae['decoder h1']),
                            biases ae['decoder b1']))
  layer 2 = tf.nn.sigmoid(tf.add(tf.matmul(layer_1, weights ae['decoder h2']),
                            biases ae['decoder b2']))
def ae_cost_fn(y_true, y_pred):
  optimizer = tf.train.RMSPropOptimizer(ae param['learning rate'])
def ae_model_fn(x):
```

We also save the model for the future training. Each model store in different folder. Some results are shown below.

<SNN>

Model restored from file: Model/SNN/SNN.ckpt Step 1, Minibatch Loss= 2.0194, Training Accuracy= 0.953 Step 100, Minibatch Loss= 3.7523, Training Accuracy= 0.961 Step 200, Minibatch Loss= 2.9967, Training Accuracy= 0.977 Step 300, Minibatch Loss= 0.6676, Training Accuracy= 0.984 Step 400, Minibatch Loss= 6.8569, Training Accuracy= 0.938 Step 500, Minibatch Loss= 0.7962, Training Accuracy= 0.977 Step 600, Minibatch Loss= 1.6282, Training Accuracy= 0.977 Step 700, Minibatch Loss= 0.0035, Training Accuracy= 1.000 Step 800, Minibatch Loss= 0.6187, Training Accuracy= 0.992 Step 900, Minibatch Loss= 1.7825, Training Accuracy= 0.977 Step 1000, Minibatch Loss= 0.0368, Training Accuracy= 0.992 Training Finished!

Testing Accuracy: 0.9447

<CNN>

Model restored from file: Model/CNN/CNN.ckpt Step 1, Minibatch Loss= 0.2174, Training Accuracy= 0.992 Step 100, Minibatch Loss= 4.4564, Training Accuracy= 0.984 Step 200, Minibatch Loss= 6.0015, Training Accuracy= 0.992 Step 300, Minibatch Loss= 11.2433, Training Accuracy= 0.984 Step 400, Minibatch Loss= 30.3554, Training Accuracy= 0.977 Step 500, Minibatch Loss= 13.1715, Training Accuracy= 0.977 Step 600, Minibatch Loss= 0.0000, Training Accuracy= 1.000 Step 700, Minibatch Loss= 7.5031, Training Accuracy= 0.992 Step 800, Minibatch Loss= 9.0606, Training Accuracy= 0.992 Step 900, Minibatch Loss= 12.8153, Training Accuracy= 0.992 Step 1000, Minibatch Loss= 11.6827, Training Accuracy= 0.977 Training Finished!

Testing Accuracy: 0.98046875

<AE>

Model restored from file: Model/AE/AE.ckpt

Step 1, Minibatch Loss= 0.0406

Step 100, Minibatch Loss= 0.0368

Step 200, Minibatch Loss= 0.0391

```
Step 300, Minibatch Loss= 0.0395
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Step 400, Minibatch Loss= 0.0388

Step 500, Minibatch Loss= 0.0367

Step 600, Minibatch Loss= 0.0386

Step 700, Minibatch Loss= 0.0372

Step 800, Minibatch Loss= 0.0362

Step 900, Minibatch Loss= 0.0365

Step 1000, Minibatch Loss= 0.0389

Step 1100, Minibatch Loss= 0.0370

Step 1200, Minibatch Loss= 0.0381

Step 1300, Minibatch Loss= 0.0342

Step 1400, Minibatch Loss= 0.0394

Step 1500, Minibatch Loss= 0.0374

Step 1600, Minibatch Loss= 0.0357

Step 1700, Minibatch Loss= 0.0342

Step 1800, Minibatch Loss= 0.0335

Step 1900, Minibatch Loss= 0.0371

Step 2000, Minibatch Loss= 0.0345

Step 2100, Minibatch Loss= 0.0344

Step 2200, Minibatch Loss= 0.0333

Step 2300, Minibatch Loss= 0.0345

Step 2400, Minibatch Loss= 0.0330

Step 2500, Minibatch Loss= 0.0322

Step 2600, Minibatch Loss= 0.0341

Step 2700, Minibatch Loss= 0.0318

Step 2800, Minibatch Loss= 0.0297

Step 2900, Minibatch Loss= 0.0312

Step 3000, Minibatch Loss= 0.0321

Training Finished!

Original Images

Reconstructed Images

