

Chittagong University of Engineering And Technology



Department of Electrical And Electronic Engineering

Project Topic: Design of a Distribution Transformer

Course No : EEE-240

Course Title : Electrical Machine Design

Submitted to : Mrinmoy Dey

Assistant Professor, Dept. of EEE, CUET.

Date of Submission :06-01-2022

Submitted by:

**Rashedul Hasan
ID : 1802079**

**Shafin Hossain
ID : 1802086**

REMARKS

Level : 2

Term : II

Section : B

Group : 15

❖ Objective:

To design a 412 kVA, 3 phase, 50 Hz, 11 KV/415 V distribution transformer.

Given Parameters:

- Tapping $\pm 2.5\%$, $\pm 5\%$ on high voltage side.
- LV is in Wye connection and HV is in Delta connection.
- Cooling ON (self oil cooled);
- Temperature rise over oil 50°C .
- No load loss not more than 7 KW; Percentage impedance 4.5%.

Need to Calculate:

- No load current.
- Efficiency at 75°C on full load, 75% and 50% load at unity power factor.
- Regulation on full load at 75°C at unity power factor and at 0.8 power factor lagging.

❖ Voltage per Turn

Let, voltage per turn = E_t

$$\text{We know, } E_t = \frac{\sqrt{\frac{KVA \times 1000}{\text{no. of legs}}}}{40}$$

$$\text{Therefore, } E_t = \frac{\sqrt{\frac{412 \times 1000}{3}}}{40} \text{ volts/turn [no of legs of three phase core type transformer is 3]}$$

❖ Chosen Magnetic Specification

Here, material for core is chosen as cold rolled grain oriented (CRGO) steel laminations of 0.35 mm thickness.

Specific magnetic loading, $B_{\max} = 1.7 \text{ T}$

❖ Cross Section of the Core

$$E_t = (4.44 \times B_m \times f \times A_i) \text{ Volts}$$

Where, B_m = Flux density in $\text{wb/m}^2 = 1.7 \text{ wb/m}^2$

$$f = 50 \text{ Hz}$$

$$E_t = 9.3 \text{ Volts/turn}$$

$$\begin{aligned} \text{Cross sectional area of the core, } A_i &= \frac{E_t}{4.44 \times f \times B_m} \\ &= 0.024642 \text{ m}^2 = 24642 \text{ mm}^2. \end{aligned}$$

❖ Determining diameter of core

We have chosen seven step cores to make the core nearly circular.

In the case of a 7-step core, the core space factor, $K_i = 0.88$

Stacking factor for laminations, $K_s = 0.92$

If d = diameter of the cross section,

$$A_i = (0.88) \times (0.92) \times (\pi d^2/4)$$

$$\text{Therefore, } d = \frac{4 \times A_i}{0.88 \times 0.92 \times \pi} = \frac{4 \times 24642}{0.88 \times 0.92 \times \pi} = 196.86 \text{ mm}$$

Choosing $d = 200 \text{ mm}$.

$$\begin{aligned} \text{Then area, } A_i &= 0.88 \times 0.92 \times \pi \times (200)^2/4 \text{ mm}^2 \\ &= 25434.33 \approx 25434 \text{ mm}^2 \end{aligned}$$

Now, with this area, we will now check B_m .

❖ Window Area Calculation

We know,

$$S = 3.33 \times A_w \times A_i \times K_w \times \delta \times B_m \times f \times 10^{-3}$$

$$\begin{aligned} \therefore A_w &= \frac{S}{3.33 \times 25434 \times 0.24 \times 2.5 \times 1.65 \times 10^{-6} \times 50 \times 10^{-3}} \\ &= 98272.75 \approx 98273 \text{ mm}^2 \end{aligned}$$

Window space factor (k_w) is taken approximately as 0.24

A_w = Window area;

$$B_m = 1.65 \text{ wb/m}^2 = 1.65 \times 10^{-6} \text{ wb/mm}^2$$

δ = current density taken as 2.5 A/mm^2 ;

S = output in kVA = 412kVA

❖ Core & Window Dimension

Choosing window width = 210mm

Height of window = $98273/210$

$$= 467.97 \approx 468 \text{ mm}$$

Now we consider the height of the window = 500 mm

$$\therefore \text{Window area} = 500 \times 210 \text{ mm}^2 = 105000 \text{ mm}^2$$

The main dimensions of the core

Diameter, $d = 200 \text{ mm}$;

D = distance between the centers of the adjacent limbs

$$= 200 \times 0.95 + 210 \text{ mm} = 400 \text{ mm}$$

Height of window = 500 mm;

$$\therefore \text{Total width} = (400 \times 2) + (200 \times 0.95) = 990 \text{ mm}$$

$$\therefore \text{Total Height} = 500 + (200 \times 0.95) + (200 \times 0.95) = 880 \text{ mm}$$

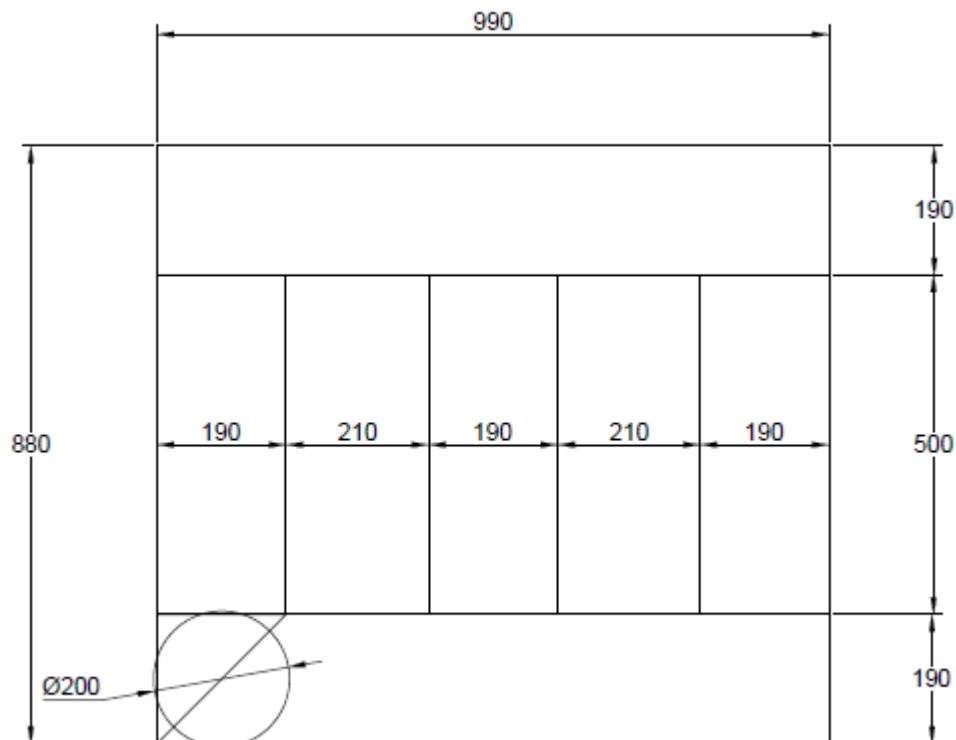


Fig. 01: Schematic of Core & Assembly

❖ Number of turns in LV (Y-connected)

$$\text{Voltage per phase} = 415/\sqrt{3} = 239.6 \text{ V}$$

$$\text{Turns per phase on LV winding} = 239.6/9.3 = 25.76 \approx 26 \text{ turns.}$$

❖ Number of turns in HV (Δ -connected)

$$\text{Voltage per phase} = 11 \text{ kV}$$

$$\text{Turns per phase on HV winding} = 11 \times 10^3 / 9.3 = 1182.795 \approx 1183 \text{ turns.}$$

As the winding of HV is delta connected,
Tapping of $\pm 5\%$ and $\pm 2.5\%$ are to be provided.

Tapping	5%	Normal	2.5%
More	$1183 + 1183 \times .05 = 1243$	1183	$1183 + 1183 \times .025 = 1213$
Less	$1183 - 1183 \times .05 = 1124$		$1183 - 1183 \times .025 = 1254$

❖ Low Voltage Winding

$$\text{Current per phase} = \frac{(412 \times 10^3)}{\sqrt{3} \times 415} = 139 \text{ A.}$$

Here, we chose helical cylindrical coil.

$$\text{Current density, } \delta = 2.5 \text{ A/mm}^2 \text{ (assumed).}$$

$$\text{Area of L.V. conductor, } a_2 = 573/2.5 = 229.2 \text{ mm}^2 \approx 230 \text{ mm}^2.$$

Choosing, rectangular copper conductor from IS: 6160: 1977 specs,

$$\text{Let, Cross Section} = T \times W.$$

Taking them in a ratio of 1.42:1,

$$\text{Cross Section} = 9 \text{ mm} \times 12.8 \text{ mm.}$$

$$\text{Since there is 2 conductor strips, L.V. area, } a_2 = 9 \times 12.8 \times 2 \text{ mm}^2 = 230.4 \text{ mm}^2 = 230 \text{ mm}^2.$$

❖ High Voltage Winding

$$\text{Current in H.V. winding per phase} = \frac{(103 \times 412)}{3 \times 11 \times 10^3} = 12.48 \text{ A.}$$

$$\begin{aligned} \text{Cross section of conductor for H.V. winding, } a_1 &= 12.48/2.5 \\ &= 4.992 \text{ mm}^2. \end{aligned}$$

Choosing disc coil and round conductor where, d = diameter of conductor.

$$\text{Now, } a_1 = \pi d^2 / 4$$

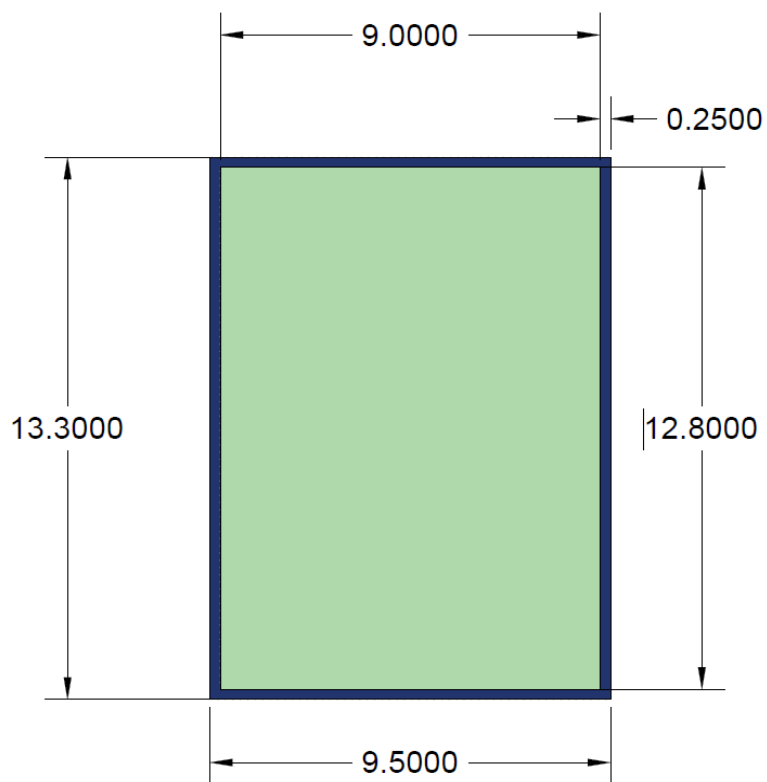
$$\text{or, } d^2 = 6.356 \therefore d = 2.52 \text{ mm.}$$

$$\begin{aligned} \text{Copper area in window} &= 2 (a_1 T_1 + a_2 T_2) = 2 (4.992 \times 1243 + 230 \times 26) \text{ mm}^2 \\ &= 24370.112 \text{ mm}^2. \end{aligned}$$

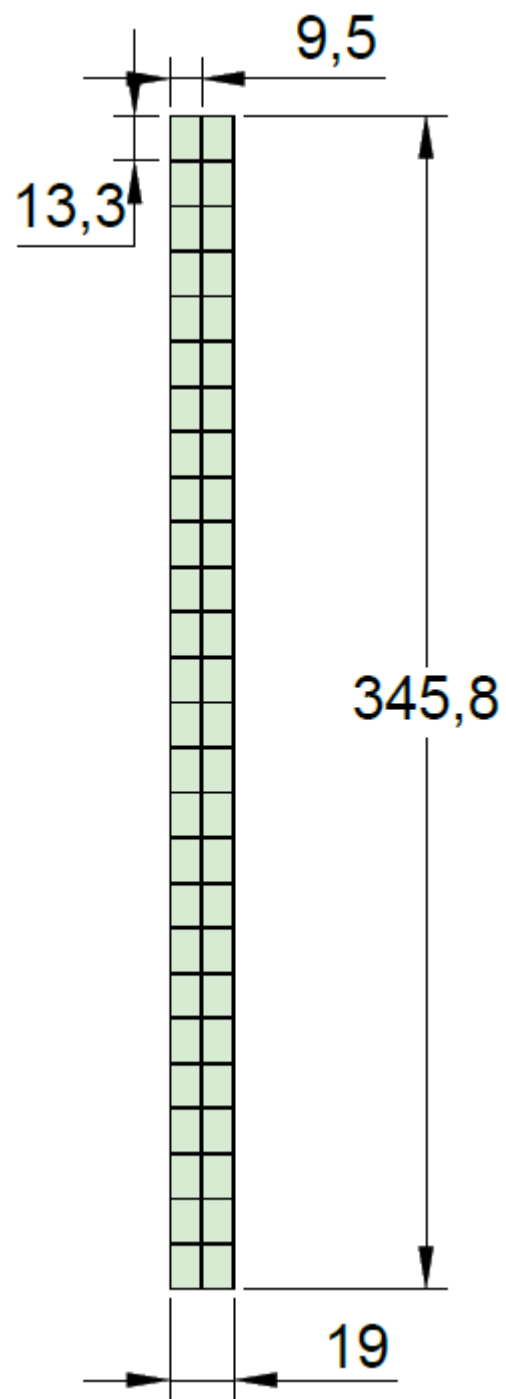
$$\begin{aligned} \text{Now for this dimensions, we get window space factor, } k_w &= 24370.112 / 98486 \\ &= 0.247 \approx 0.25 \text{ (chosen)} \end{aligned}$$

❖ Design and Layout of LV Winding

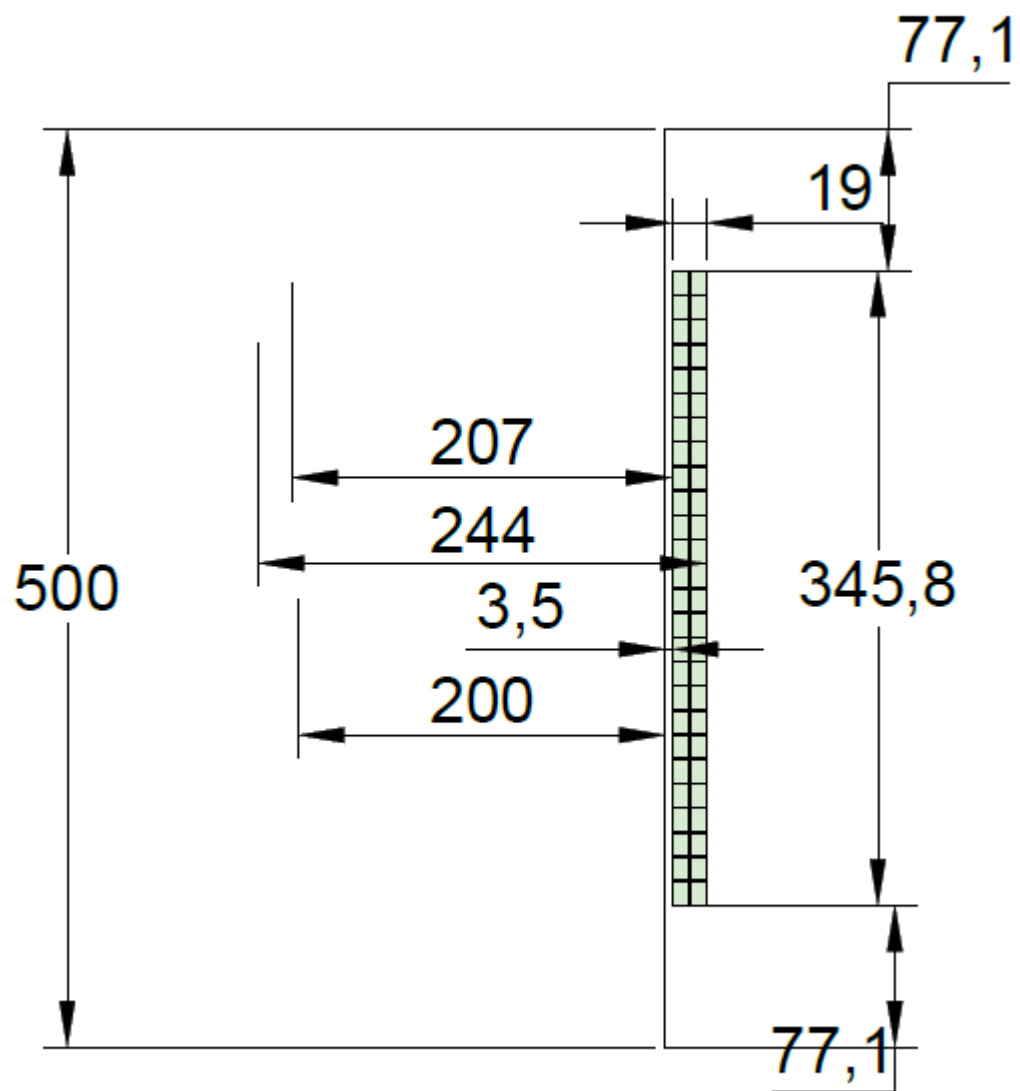
- Number of turns in L.V = 26.
- Size of conductor = 2 strips of 9×12.8 .
- We consider paper insulation of conductor is = 0.25 mm.
- With paper insulation, 2 strips of conductor = $(9 + 0.25) \text{ mm} \times (12.8 + 0.25) \text{ mm}$.
- Choosing **1 layer** for L.V. winding, turns per layer = 26.
- Width of conductor 13.05 mm is taken along the window with 2 conductor sides $9.25 + 9.25 = 18.5 \text{ mm}$ forming conductor per layer.
- For 1 layer, the dimension of conductors width wise = 18.5 mm.
- Height of L.V winding in window = $26 \times 13.05 = 339.3 \text{ mm} \approx 340 \text{ mm}$ (chosen)
- Thickness of L.V coil = 18.5 mm.
- Distance between core and L.V coil = 3.5 mm.
- Inside diameter of L.V coil = $200 + (2 \times 3.5) = 207 \text{ mm}$.
- Outside diameter of L.V. winding = $207 + (2 \times 18.5) = 244 \text{ mm}$.
- Mean diameter of L.V. coil = $207 + 18.5 = 225.5 \text{ mm}$.
- Mean length of turn of L.V. coil = $\pi \times d = 225.5 \times \pi = 708.43 \text{ mm}$.



(a) Dimension of single conductor in the layer



(b) Dimension of LV coils in 1 layer



(c) Overall Layout of LV coil

Fig. 02: Design and Layout of LV Winding

❖ Design and Layout of HV Winding

- The distance between LV and HV = 12 mm.
- Inside diameter of H.V. = $244 + (12 \times 2) = 268 \text{ mm}$.
- Split H.V. winding in 4 coils each with turns = $1243/4 = 310.75 \approx 311$ (chosen).
- The size of conductor = 2.52 mm.
- With paper insulation on conductor, the diameter = $(2.52 + 0.25) \text{ mm} = 2.77 \text{ mm}$.
- Choosing **9 layers**, Turns per layer = $311/9 = 34.56 \approx 35$.
- Height of winding in each H.V. coil = $35 \times 2.77 = 96.95 \approx 97 \text{ mm}$.
- Thickness of each coil = $9 \times 2.77 = 24.93 \text{ mm}$.
- Outside diameter of H.V. coil = $268 + (2 \times 24.93) = 317.86 \text{ mm}$.
- Mean diameter of H.V. coil = $268 + 24.93 = 292.93 \text{ mm}$.
- Mean length of turn = $\pi \times d = 292.93 \times \pi = 920.27 \text{ mm}$.
- Height of H.V. coils in window = $(97 \times 4) + 8 + 8 + 8 = 412 \text{ mm}$.
- The space required between coils and core on either side is taken as 44 mm.
- The height of window required = $412 + 44 \times 2 = 500 \text{ mm}$.

❖ Percentage Reactance

- LV mean length of turn = $225.5 \times \pi = 708.43 \text{ mm}$.
- HV mean length of turn = $292.93 \times \pi = 920.27 \text{ mm}$.
- Average, $L_{mt} = \frac{708.43 + 920.27}{2} = 814.35 \text{ mm}$
- $AT = L.V \text{ Amp} \times L.V. \text{ turn} = 573 \times 26 = 14898$.
- Mean height of coils, $h_c = (412 + 340) / 2 = 376 \text{ mm}$.

$$a + \frac{b_1 + b_2}{3} = 12 + \frac{24.93 + 18.5}{3}$$

$$= 26.48 \text{ mm.}$$

$$\text{Therefore, \% } X = \frac{2\pi f \mu_0 L_{mt} (AT)}{h_c E_t} \times \left(a + \frac{b_1 + b_2}{3} \right)$$

$$= \frac{2\pi \times 50 \times 4\pi \times 10^{-7} \times 0.81435 \times 14898 \times 0.02648}{0.376 \times 9.3}$$

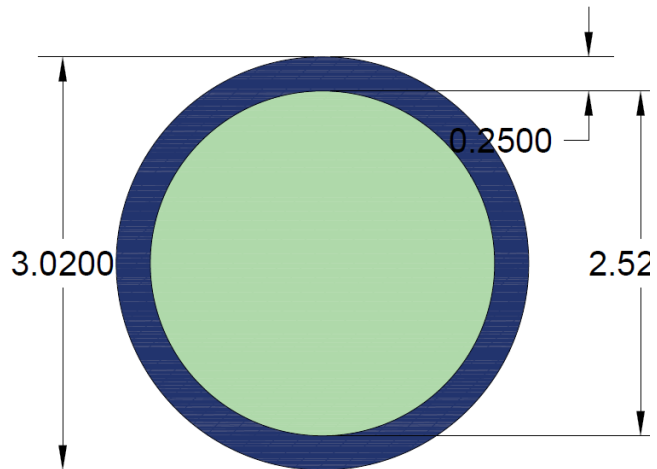
$$= 0.03627 \text{ p.u.} = 3.63\%.$$

Here,

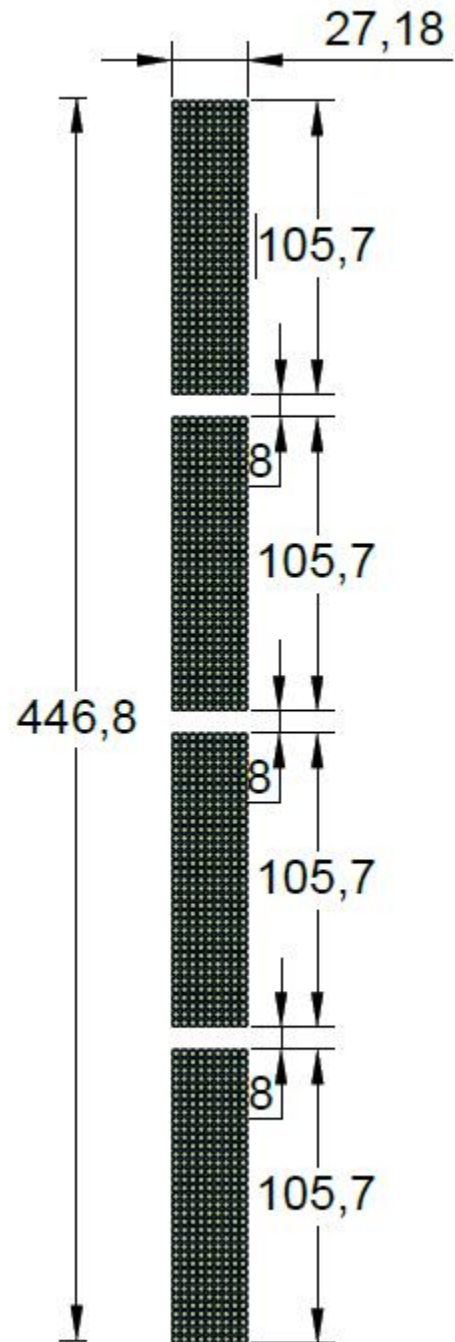
$a = 12 \text{ mm};$

$b_1 = \text{width of HV} = 24.93 \text{ mm}$

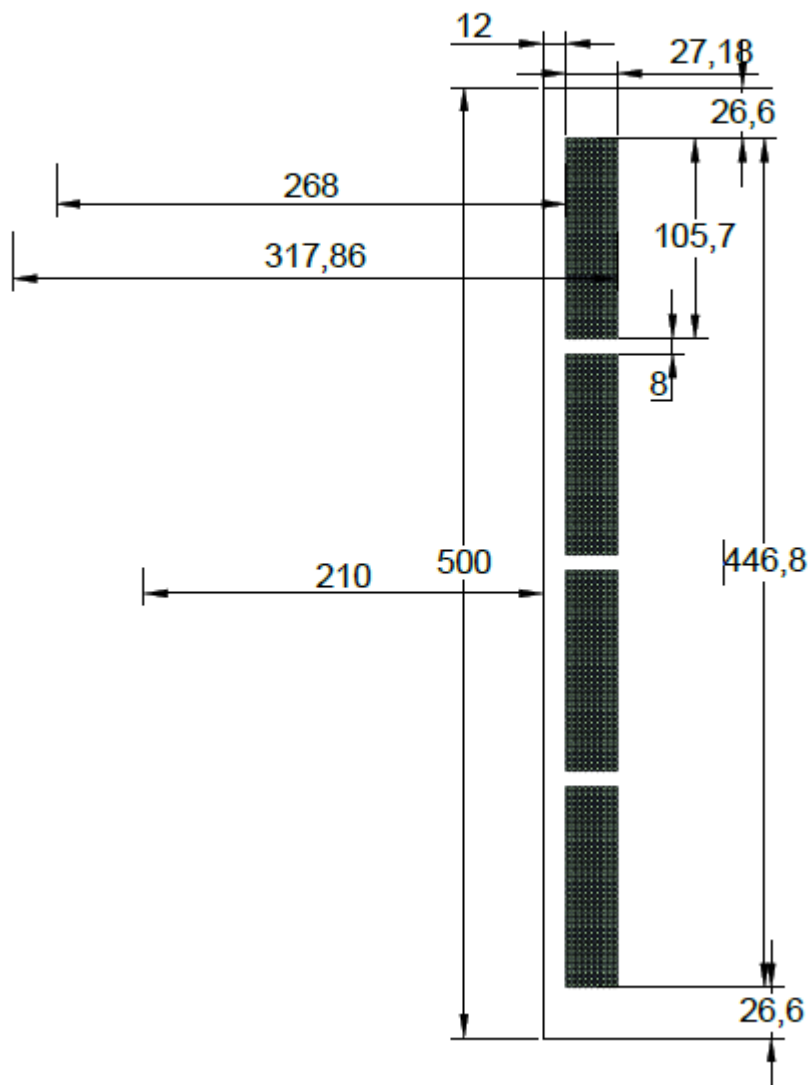
$b_2 = \text{width of LV} = 18.5 \text{ mm}$



(a) Dimension of single conductor in the layer



(b) Dimension of HV coil with 9 layers



(c) Overall layout of HV coil

Fig. 03: Design and Layout of HV Winding

❖ Percentage Resistance

We Know, $\rho_{20} = 0.01724 \Omega/\text{mm}^2/\text{m}$ and $\alpha_{20} = 0.00393$

$$\begin{aligned}\text{At } 75^\circ\text{C, } \rho_{75} &= \rho_{20}\{1 + \alpha_{20}(75-20)\} \\ &= 0.01724(1 + 0.00393 \times 55) = 0.021 \Omega/\text{mm}^2/\text{m}\end{aligned}$$

- Resistance of low voltage (L.V.) winding (per phase), [R= $\rho L/A$]

$$\begin{aligned}R &= \frac{0.021 \times 708.43 \times 26}{230 \times 1000} \Omega \\ &= 0.00168 \Omega \text{ (per phase).}\end{aligned}$$

- Resistance of high voltage (H.V.) winding (per phase), [R= $\rho L/A$]

$$\begin{aligned}R &= \frac{0.021 \times 920.27 \times 1243}{4.992 \times 1000} \Omega \\ &= 4.81 \Omega \text{ (per phase).}\end{aligned}$$

Now, Ratio of transformation = $(11 \times 10^3) / 239 = 46$

Resistance of L.V. winding = 0.00168Ω (per phase)

Resistance of H.V. winding = 4.81Ω (per phase).

Now,

Equivalent resistance referred to H.V. winding (per phase),

$$R_{eq} = 4.81 + 0.00168 \times (46)^2 \Omega = 8.36 \Omega.$$

Therefore,

Percentage resistance, % R = (Eq. Resistance / Base Resistance)

$$\begin{aligned}\text{Therefore, \%R} &= \frac{8.36}{11 \times 10^3 / 12.48} \times 100\% = 0.00948 \text{ p.u} \\ &= 0.948\%.\end{aligned}$$

❖ Percentage Impedance

Finally, % X = 3.63%.

% R = 0.948%.

∴ Percentage impedance, %Z = $\sqrt{(3.63^2 + 0.948^2)}$

$$= 3.75 \%$$

which is acceptable as the acceptable limit is (3.5-4.5)%.

❖ Weight of Iron in Core and Yoke Assembly

- The volume of the core and yoke is given by = $A_i \times \{ (990 \times 2) + (500 \times 3) \} \text{ mm}^3$
 $= 25434 \times 3480 \text{ mm}^3$
- Weight of iron = $7.85 \times 1000 \text{ kg /m}^3$.
- Weight of core and yoke = $(25434 \times 3480 \times 7.85) \div (1000 \times 1000)$
 $= 694.8 \text{ kg}$
- Core loss at $B_{\text{max}} = 1.65 \text{ wb/m}^2$ is 1.3 watts/kg (From fig.06)
- Core loss in transformer = $694.8 \times 1.3 = 903.24 \text{ watts (approximately)}$

❖ Magnetizing Volt-Amperes

- For $B_{\text{max}} = 1.65 \text{ wb/m}^2$,
VA/kg from the curve is 10 VA/kg (From fig.06)
- Magnetizing volt amperes = $694.8 \times 10 = 6948 \text{ VA}$

❖ Weight of LV Winding

- We know, density of copper= 8.89 g/cm³
- Number of turns=26 & a₂=230 mm²
- Mean length of turn=708.43 mm
- Weight of L.V. winding (per limb) = $\frac{8.89 \times 230 \times 708.43 \times 26}{1000 \times 1000} = 37.66 \text{ kg}$

❖ Weight of HV Winding

- Number of turns = 1243; normal = 1183;
- a₁ = 4.992 mm²;
- Mean length of turn = 920.27 mm.
- Weight of 4 coils (one limb) = $\frac{8.89 \times 4.992 \times 920.27 \times 1243}{1000 \times 1000} \text{ kg}$
= 50.76 kg (for all turns)
- For normal turns,
Weight of the coils (one limb) = $\frac{8.89 \times 4.992 \times 920.27 \times 1183}{1000 \times 1000} \text{ kg}$
= 48.31kg.

❖ Total Weight of Copper(Cu) in Transformer

$$3(\text{Weight}_{\text{LV}} + \text{Weight}_{\text{HV}}) = 3(50.76 + 48.31) \text{ kg}$$
$$= 297.21 \text{ kg}$$

❖ Copper Loss and Load Loss at 75°C

- H.V. current per phase = 12.48 A
- Copper loss for 3 phases = $3 \times I^2 \times r$
 $= 3 \times 12.48^2 \times 8.36 = 3906.2 \text{ Watts}$

Let, stray loss be about 7%.

- load loss (at 75°C) = $3906.2 \times 1.07 = 4179.634 \text{ Watts}$
- Iron loss = 903.24 watts Therefore,
- Total loss = $(903.24 + 4179.634)$
 $= 5082.874 \text{ watts.}$

❖ Calculation of Performance

- **Efficiency on full load** at unity power factor:

Output = $412 \times 1000 \times 1$ watts.

$$\text{Efficiency} = \frac{(412 \times 1000)}{(412 \times 1000 + 5082.874)} \times 100\% = 98.78\%$$

- **Efficiency on 3/4th full load** at unity power factor:

Core loss = 903.24 watts;

$$\text{Load loss on } 3/4 \text{ load} = 5082.874 \times (3/4)^2 = 2859.12 \text{ W}$$

$$\text{Total loss} = 903.24 + 2859.12 \text{ W} = 3762.36 \text{ watts}$$

$$\text{Efficiency on } 3/4 \text{th of full load} = \frac{3/4 \times 412 \times 1000}{3/4 \times 412 \times 1000 + 3762.36} \times 100\% = 98.99\%$$

- **Efficiency on 1/2 of full load** at unity power factor:

Core loss = 903.24 watts;

$$\text{Load loss on } 1/2 \text{ load} = 5082.874 \times (1/2)^2 = 1270.72 \text{ W}$$

$$\begin{aligned} \text{Total loss} &= (903.24 + 1270.72) \\ &= 2173.96 \text{ watts.} \end{aligned}$$

$$\text{Efficiency on } 1/2 \text{ of full load} = \frac{1/2 \times 412 \times 1000}{1/2 \times 412 \times 1000 + 2173.96} \times 100\% = 98.96\%$$

❖ Regulation on Full Load at Unity Power Factor

$$\% R = 0.948\% ; \quad \% X = 3.63\%$$

- $(V+IR)^2 + (IX)^2 = E^2$

$$\text{or, } (1+0.00948)^2 + (0.00363)^2 = E^2$$

$$\text{or, } E^2 = 1.019$$

$$\text{or, } E = 1.009$$

$$\text{Regulation} = 1.009 - 1 = 0.009 \text{ p.u.} = 0.9\%$$

❖ Regulation on Full Load at 0.8 Power Factor Lagging

$$\begin{aligned} & [IR \cos \phi + IX \sin \phi] \% \\ & = [0.948 \times 0.8 + 3.63 \times 0.6] \% = 2.94\% \end{aligned}$$

❖ Core Loss Current, Magnetizing Current, No-load Current

- Core loss = 903.24 Watts.

- core loss current, $I_c = \frac{903.24}{3 \times 11000} \text{ A}$
 $= 0.027 \text{ A}$

- Magnetizing VA = 6948;

- Magnetizing current, $I_m = \frac{6948}{3 \times 11000} = 0.2105 \text{ A}$

- No load current per phase, $I_o = \sqrt{(0.027^2 + 0.2105^2)}$
 $= 0.212 \text{ A}$

- Current per phase = 12.48 A

- No load current = $\frac{0.212}{12.48} \times 100 \%$
 $= 1.699\% \text{ of full load current}$

❖ Design of Tank:

From HV coil on the core,

- The distance between coils on adjacent limbs=82.14mm

$$[400-317.86(\text{outside diameter of HV}=82.14)]$$

- Outside diameter of HV=mm
- Clearance at each end=44.5mm (Assumed)

Length of the tank = $317.86 \times 3 + 82.14 \times 2 + 44.5 \times 2 = 1206.86\text{mm} \approx 1207\text{mm}$

Breadth of the tank = $317.86 + 60 \times 2\text{mm} = 437.86 \approx 438$

Height of the tank = $880 + 50\text{mm for base} + 250 \text{ for oil level above core}$
 $= 1180\text{mm} + 250 \text{ for leads etc.} = 1430\text{mm}$

Inside dimension of the tank of the transformer = $1207 \times 438 \times 1430$ (Length \times Breadth \times Height)

v

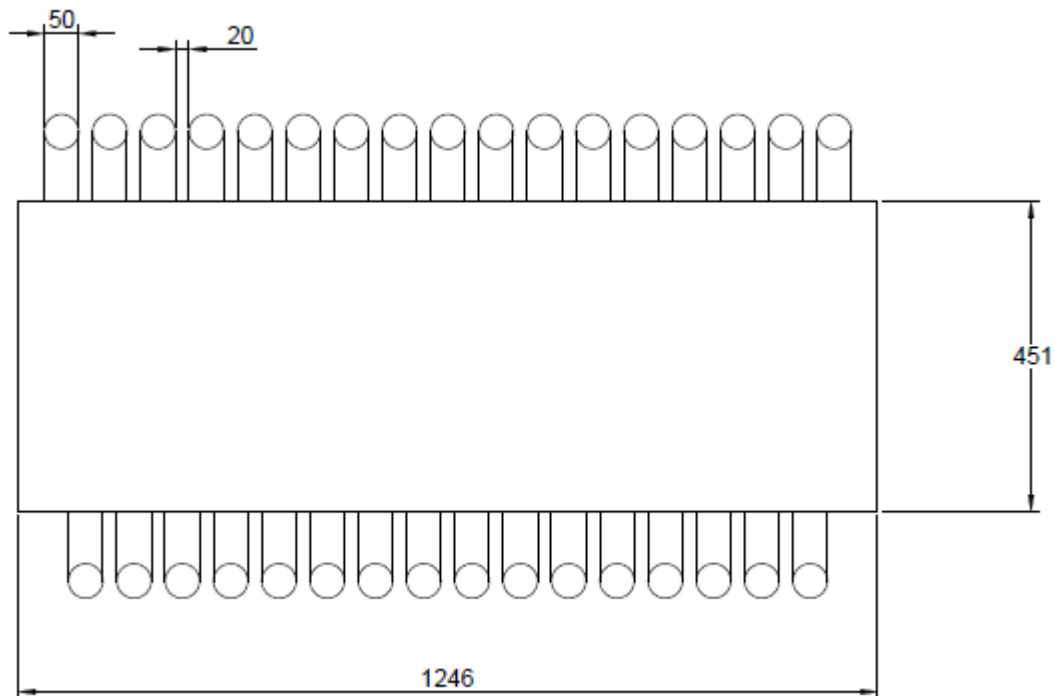


Fig.04:Top View of Transformer with radiator

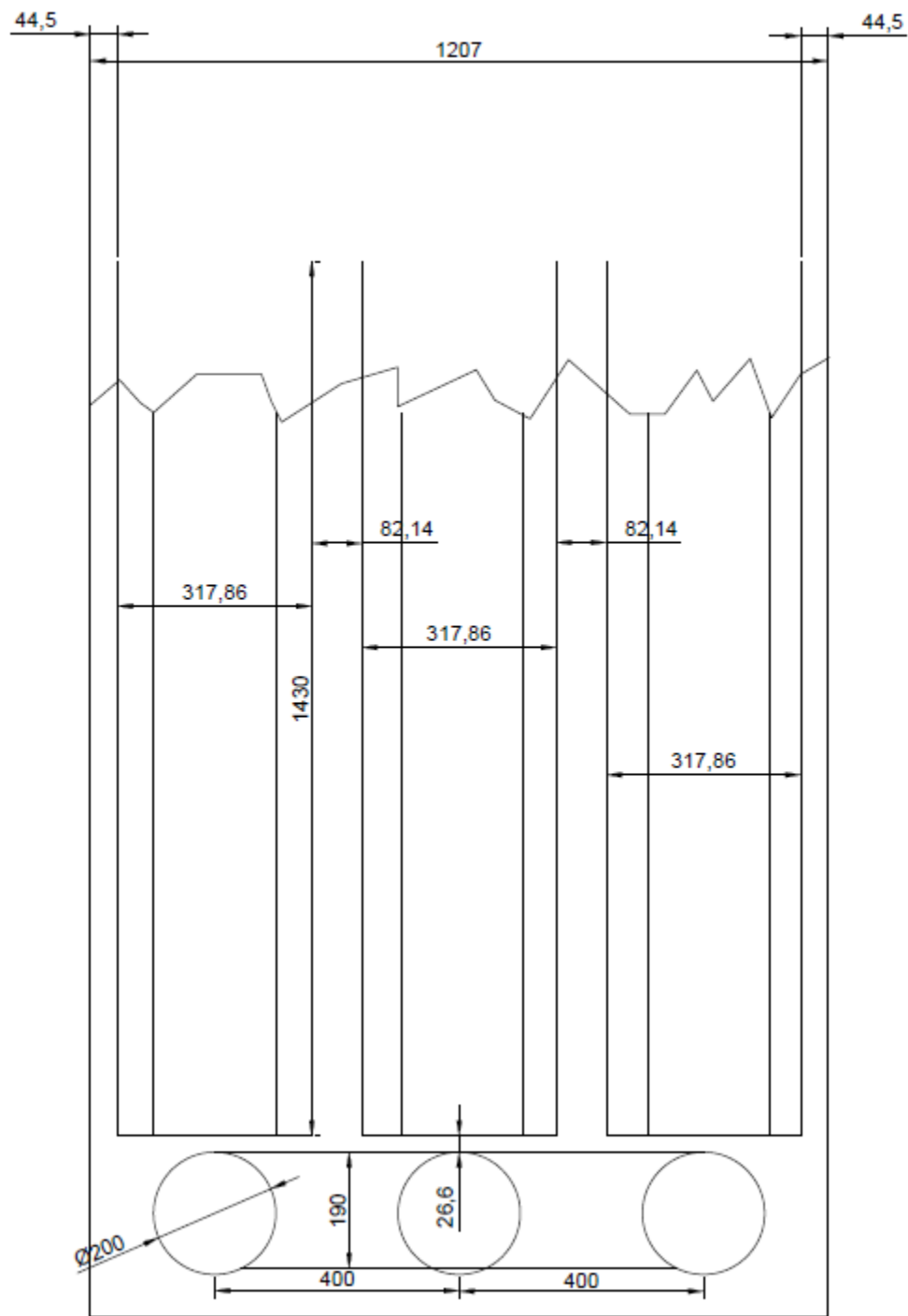


Fig.05: Tank Dimensions

❖ Temperature Rise:

For the dissipation of heat only 4 surfaces of a tank are taken into consideration. The top and bottom are not considered.

$$\text{Surface of the tank} = \frac{1430}{1000} \times \frac{438}{1000} \times 2 + \frac{1430}{1000} \times \frac{1207}{1000} \times 2 = 4.7 \text{ m}^2$$

$$\text{Full load Loss} = 5082.874 \text{ W} = 5.08 \text{ kW}$$

Now,

If 12.5 Watts/m²/°C temperature rise is taken as dissipation due to convection and radiation

$$\therefore \text{The temperature rise} = \frac{5082.874}{12.5 \times 4.7} = 86.52^\circ\text{C}$$

Let, Surface area of all cooling tubes = xS_t

The cooling tube will dissipate the heat using convection and it will be 35% more compared to the flat surface.

- Heat dissipated by cooling tubes = $6.5 \times 135/100 \times xS_t = 8.8xS_t$
- Total heat dissipated by transformer tank surface and the cooling tube = $(12.5 + 8.8x)S_t$

Total heat developed inside the machine is equal to total iron losses and heat copper losses.

- Amount of heat developed = $P_i + P_{cu} = 5.08 \text{ kW}$
- The temperature rise in transformer is, $\theta = \frac{\text{Amount of heat developed}}{\text{Amount of heat dissipated}} = \frac{5.08 \times 1000}{(12.5 + 8.8x)S_t}$
- Here, Surface of tank, $S_t = 4.7 \text{ m}^2$
- Temperature of transformer wall may be limited to 45°C .
Hence, $\theta = 45^\circ\text{C}$; So, $x = 1.31$

- The total number of cooling tubes required = n_t
- $n_t = \frac{\text{Total surface area of tubes}}{\text{Surface area of each tube}} = \frac{xS_t}{\pi \times d_t \times l_t}$
- Length of tube, $l_t = 0.8 h_t = 0.8 \times 1430/1000 = 1.287 \text{ m}$
- Standard diameter of the tube, $d_t = 50 \text{ mm} = 0.05 \text{ m}$
- Center spacing between tube 70 mm

$$\therefore n_t = \frac{1.31 \times 4.7}{\pi \times 0.05 \times 1.287} = 30.45 \approx 31$$

❖ Volume and Weight of Oil

- Volume of tank up to oil level of 1180 mm

$$\begin{aligned} &= \frac{1207}{1000} \times \frac{438}{1000} \times \frac{1180}{1000} \\ &= 0.624 \text{ m}^3 \end{aligned}$$

- Volume of transformer core and copper

$$= \frac{297.21}{8.89 \times 1000} + \frac{694.8}{7.85 \times 1000} = 0.1219 \text{ m}^3$$

- Volume of Oil = Volume of tank up to oil level - Volume of transformer core and copper

$$= (0.624 - 0.1219) = 0.5021 \text{ m}^3$$

- Oil required in transformer = $0.5021 \times 1000 \text{ L} = 502.1 \text{ L} \approx 502 \text{ L}$
- Weight of oil required = $502 \times 0.89 = 446.78 \text{ kg}$

❖ Weight of Tank

If thickness of the tank walls is taken as 5mm,

$$\begin{aligned} \therefore \text{Weight of tank} &= 0.005 \times \left(\frac{1207}{1000} \times \frac{438}{1000} + \frac{1207}{1000} \times \frac{1430}{1000} + \frac{1430}{1000} \times \frac{438}{1000} \right) \times 2 \times 7.85 \times 1000 \text{ kg} \\ &= 226.16 \text{ kg} \end{aligned}$$

❖ Volume and Weight of Oil in Tubes

- 31 tube each of 50 mm diameter and 1.287 m length.
- Therefore, Volume = $\frac{\pi}{4} \times (50/1000)^2 \times 1.287 \times 31$
 $= 0.0783 \text{ m}^3$,
- Volume of oil in tubes = $0.0783 \times 1000 = 78.3 \text{ L}$
- Weight of oil in tubes = $78.3 \times 0.89 = 69.687 \text{ kg}$
- Weight of tube = $\pi \times (50/1000) \times 1.287 \times 0.005 \times 31 \times 7.85 \times 1000 \text{ kg}$
 $= 245.98 \text{ kg}$

❖ Total Weight of Transformer

• Weight of core and yoke assembly	694.8kg
• Weight of copper in windings	297.21kg
• Weight of tank and tubes	226.16kg
	245.98kg
• Weight of oil in tank and tubes	446.78kg
	69.687kg
Total weight	1980.62kg

SUMMARY

❖ Specifications

Transformer designed as per IS: 6061-1971

kVA	412 kVA
H.V. volts	11kV
L.V. volts(No load)	415 V
H.V. current	12.48A
L.V. current	139A
Phase	3
Connection	Delta/star
Vector group	DY11
Percentage impedance	4.5%
H.V. tapping	$\pm 2.5\%$ and $\pm 5\%$
Frequency	50 cy/sec
Temperature rise over oil	60 °C
Type of cooling	Oil Natural

❖ Core & Yoke

Material: CRGO (cold rolled grain oriented) steel laminations 0.25 mm thick; mitred core construction 45° cut.

Voltage per turn, 9.3 volts; Flux density $B_{\max}=1.65 \text{ Wb/m}^2$; Net area of cross-section of core, 25434 mm²; circumscribing circle diameter 200 mm.

Size of core, yoke, and frame: Yoke made of the same section as the core, 3 limb core construction. Distance between centers of adjacent limbs, 400 mm; width of the window, 210 mm; the height of window, 500 mm; Width of the limb 190 mm; overall height of frame 880 mm; overall width of core frame 990 mm.

Weight of core and yoke assembly 801.27 kg;

core loss at $B_{\max} = 1.65 \text{ wb/m}^2$, 1.3 watts per kg ; magnetizing VA = 10 VA / kg

Windings	L.V.	H.V.
Type of winding	Helical	Dick
Current density	2.5 A/mm ²	2.5 A/mm ²
Cross-sectional area of conductor	230 mm ²	4.992 mm ²
Conductor: Copper	2 strips of 9×12.8 mm	Diameter 2.52 mm
Number Of Layers per limb	1	4 discs
Number of turns	26	1183 Normal 1243 max tapping
Number of turns per layer	26	311
Height of winding in window	340 mm	412 mm
Thickness of coil	18.5 mm	24.93 mm
Inside diameter of coil	207 mm	268 mm
Outside diameter of coil	244 mm	317.86 mm
Mean length of turn	708.43 mm	920.27 mm
Resistance at 75 °C	0.00168 ohms	4.81 ohms
Weight of copper for winding per limb	37.66 kg	48.31 kg
Total Weight Of Copper	257.91 kg	

❖ Insulator:

Insulation between core and l.v. winding: pressboard paper

Insulation for conductors: paper

Insulation between layers: Crape paper

Insulation between LV and HV windings: bakelized paper cylinder;

Laminated pressed wood sticks for spacers for cooling.

Class A insulation for O N-type transformers.

❖ Tank:

Temperature rise of oil 86.52°C

Inside dimensions of tank: length 1207 mm; breadth 438 mm; height 1430 mm

Tubes 31, each of 50 mm diameter; 1.287m long

Oil in transformer tank	502 liters
Oil in tubes	78.3 liters
Weight of oil in tank	446.78 kg
Weight of oil in tubes	69.887 kg
Weight of tank	226.16 kg
Weight of tubes	245.98 kg
weight of complete transformer	1980.62 kg

❖ Tappings

The tappings on HV Winding.

Tapping	5%	Normal	2.5%
(+)	1243	1183	1213
(-)	1124		1254

❖ Performance

Percentage resistance	0.948 %
Percentage reactance	3.63%
Percentage impedance	3.75%
Iron loss	903.24 watts
Copper and stray load loss, i.e. load loss at 75° C	4179.634watts
Total loss on full load	5082.874 watts
Efficiency on full load at unity power factor	98.78%
Efficiency on 3/4 th full load at unity power factor	98.99%
Efficiency on 1/2 full load at unity power factor	98.96%
Regulation on full load at unity power factor	0.9%
Regulation on full load at 0.8 power factor lagging	2.94%
Core loss current per phase	0.027 A
Magnetizing current per phase	0.2105 A
No load current per phase	0.212 A 1.699% of full load current

❖ Additional Figures:

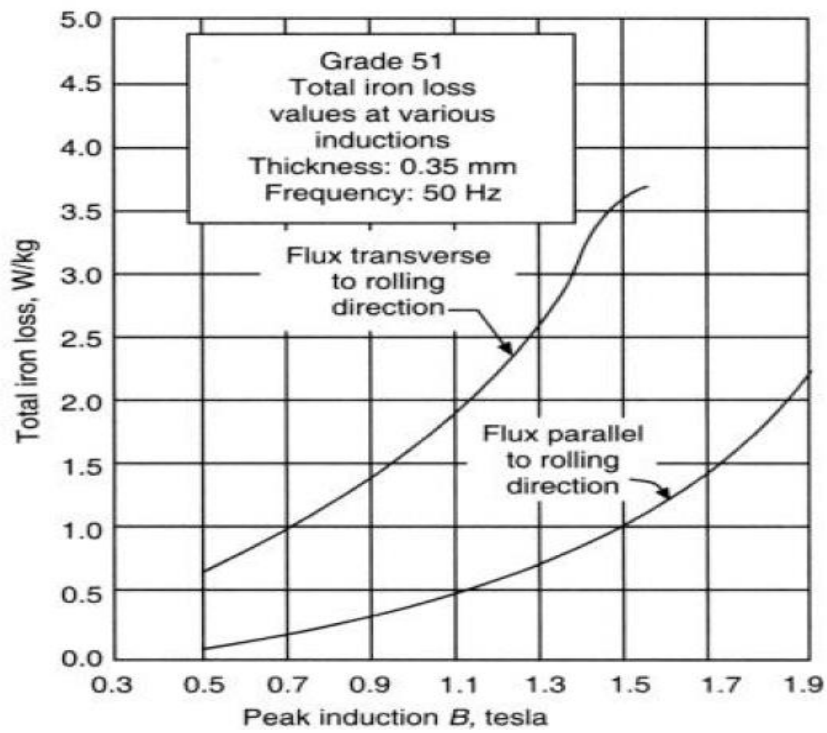


Fig.6: Total iron loss(W/kg) Vs peak induction B (tesla)

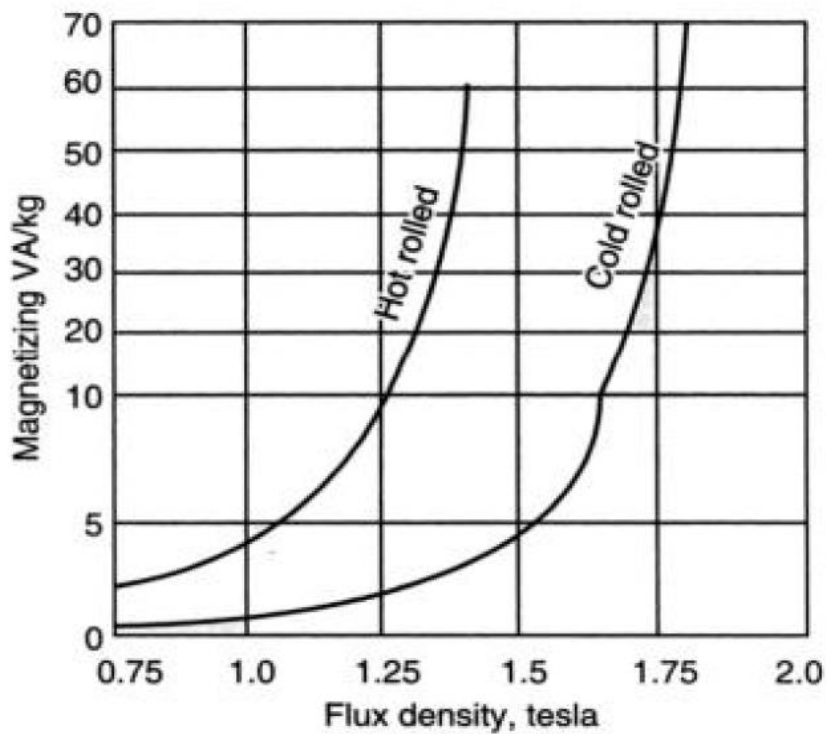


Fig.7: Magnetizing VA/kg VS Flux density(tesla)