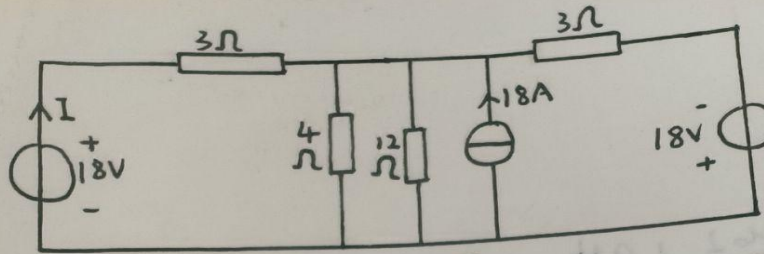


## 电路作业（四）

4—3



将电压源和电流源分别作用

① 先让左侧上“+”下“-”的电压源单独作用时

$$R_{\text{外}} = 3 + \frac{4 \cdot \frac{12 \cdot 3}{12+3}}{4 + \frac{12 \cdot 3}{12+3}} \Omega = 4.5 \Omega$$

$$\therefore I' = \frac{U}{R_{\text{总}}} = 4 \text{ A}$$

② 让电流源单独作用时

$$R_1 = \frac{3 \times 4}{3+4} = \frac{12}{7}$$

$$R_2 = \frac{12 \times \frac{12}{7}}{12 + \frac{12}{7}} = 1.5 \Omega$$

$$R_3 = 3 \Omega$$

$$\text{由并联可得: } I_2 = I \cdot \frac{R_3}{R_2 + R_3} = 12 \text{ A}$$

$$I_1 = I_2 \cdot \frac{12}{12 + \frac{12}{7}} = 10.5 \text{ A}$$

$$I'' = \frac{4}{3+4} \times I_1 = 6 \text{ A}$$

③ 让右侧电压源单独作用时

$$R'_{\text{外}} = R_2 + R_3 = 4.5 \Omega$$

$$\therefore I'_2 = \frac{U}{R'_{\text{外}}} = 4 \text{ A}$$

$$I''' = I'' \cdot \frac{I'_2}{I_2} = 2 \text{ A}$$

$$\therefore I = I' - I'' + I''' = 0$$

# 4-4

(1)

① 先让 2V 的电压源单独作用时

$$i_1' = \frac{U}{R} = \frac{2}{4} A = 0.5 A$$

由 KVL 得:  $U_2' = U - 3 \times 2i_1' = -1V$

② 再让电流源单独作用:

$$i_1 = 0$$

由 KCL 得:  $i_3 + 2i_1 = 1$

$$\therefore i_3 = 3A$$

$$U_2'' = 3i_3 = 9V$$

$$\therefore U_2 = U_2' + U_2'' = 8V$$

(2)

① 5V 的电压源单独作用:

由支路电流法:

$$\begin{cases} 5k \cdot i_1 + 6U' = 5 + 2k \cdot i_2 \\ 3k \cdot i_2 = 6U' + 2k \cdot i_1 \\ U' = -1k \cdot i_1 \end{cases}$$

解得:  $U' = -3V$

② 10V 的电压源单独作用

由支路电流法:

$$\begin{cases} 5k \cdot i_1' + 6U'' = 2k \cdot i_2' \\ 3k \cdot i_2' + 10 = 2k \cdot i_1' + 6U'' \\ U'' = -1k \cdot i_1' \end{cases}$$

解得:  $U'' = 4V$

$$\therefore U = U' + U'' = 1V$$

# 4-8

将电流源与开关看作激励,毫安表为响应

则  $I_m = k_1 I_s + k_2 U$

开关接 1 时,  $U = 0 \Rightarrow k_1 I_s = 40mA$

开关接 2 时,  $U = 10V \Rightarrow k_1 I_s + k_2 U = -60mA$

$$\Rightarrow k_2 = -10mA/V$$

开关接 3 时,  $I_m = k_1 I_s - k_2 U \Rightarrow I_m = 190mA$

$U = 15V$

# 4-12

(a)

(b)

用支路电流法求短路电流

$$\begin{cases} I_1 = 2A \\ 16I_2 + 3 = 9 + 10I_1 \Rightarrow i_{sc} = 0.375A \\ i_{sc} = I_1 - I_2 \end{cases}$$

$$R_{eq} = 10 + 6 = 16\Omega$$

(c)

由KVL:  $10i_1 = 4V + 2i_1$

$$i_1 = 0.5A$$

$$\therefore U_{oc} = 4 - 8i_1 = 0$$

用外加电源法求左回路的等效电阻

$$\begin{cases} U = 8i_1 \\ U = 2(i_1 + i_2) - 2i_1 \Rightarrow U = 2i_2 \\ \therefore R = \frac{U}{i_2} = 2\Omega \\ \therefore R_{eq} = (2 + 5)\Omega = 7\Omega \end{cases}$$

由KCL:  $\begin{cases} 4 + i_1 = i_2 + 2U \\ 8i_1 = -U_1 \\ 8i_1 = 2i_2 \end{cases}$

$$i_1 = \frac{4}{11}A$$

$$i_{sc} = 4 + i_1 = \frac{48}{11}A \approx 4.364A$$

$$R_{eq} = \frac{5 \times (8 + \frac{(\frac{48}{11} - 2U_1) \times 2}{4})}{5 + (8 + \frac{(\frac{48}{11} - 2U_1) \times 2}{4})} \approx 6.471\Omega$$

# 4-17

将除 $R_L$ 外的电路转换为戴维南电路

利用回路电流法:

$$\begin{cases} 4i_1 = 6V + 2i_2 \\ i_2 = -4i_1 \end{cases} \Rightarrow i_1 = 0.6A$$

$$U_{oc} = 6 + (-i_1) \times 2 + 2i_1 = 6V$$

求 $R_{eq}$ : 流控电流源相当于阻值为 $\frac{2i_1}{4i_1} = 0.5\Omega$ 电阻

流控电压源相当于阻值为 $-\frac{2i_1}{6i_1} = -\frac{1}{3}\Omega$ 电阻

$$\therefore R_{eq} = \frac{\frac{2 \times 2}{2+2} \times 0.5}{\frac{2 \times 2}{2+2} + 0.5} + (-\frac{1}{3}) + 4 = 4\Omega$$

$\therefore$  当 $R_L = 4\Omega$ 时, 功率最大.

$$P_{Lmax} = \frac{U_{oc}^2}{4R_L} = 2.25W$$

