

# PKC Based Broadcast Authentication using Signature Amortization for WSNs

Yongsheng Liu, *Student Member, IEEE*, Jie Li, *Senior Member, IEEE*,  
and Mohsen Guizani, *Fellow, IEEE*

**Abstract**—Public Key Cryptography (PKC) is widely used for broadcast authentication. Intensive use of PKC for broadcast authentication, however, is thought to be expensive to resource constrained sensor nodes. In this paper, we propose a novel PKC based broadcast authentication scheme using signature amortization for Wireless Sensor Networks (WSNs). The proposed scheme exploits only one Elliptic Curve Digital Signature Algorithm (ECDSA) signature to authenticate all broadcast messages. Thus, the overhead for the signature is amortized over all broadcast messages. Besides low overhead, the proposed scheme retains high security that is as strong as conventional PKC based broadcast authentication schemes. Moreover, the proposed scheme can achieve immediate authentication and does not require time synchronization. For the implementation of the proposed scheme, an efficient public key distribution protocol is also presented in this paper. Experimental results of a testbed show that the overhead for authenticating a broadcast message is reduced significantly.

**Index Terms**—Broadcast authentication, signature amortization, wireless sensor networks.

## I. INTRODUCTION

A WIRELESS Sensor Network (WSN) consists of one or more powerful base stations and hundreds of sensor nodes [1]. Base stations serve as gateways between Internet users and sensor nodes. Sensor nodes integrated with microcontroller, Radio Frequency (RF) transceivers and sensing units are spatially scattered into a specific area and monitor physical and environmental conditions. Due to potential applications in environmental monitoring, target tracking and object detection, etc, WSNs have been drawing great attention in recent years.

In WSNs, broadcast transmission is one of the fundamental communication primitives. Primarily, there are two kinds of broadcast transmissions. One is the network broadcast, which may be used by a base station for committing network queries [2] and disseminate code images [3]. The other is the local broadcast, which may be used for discovering neighbors [4] and exchange routing information [2]. Eavesdropping on the omnidirectional broadcast transmission, an adversary is able to

intercept broadcast messages, change the intercepted messages on behalf of itself and rebroadcast them. Even, the adversary may fabricate messages and inject them to the network. These malicious messages may cause crash of sensor nodes or destruction of the entire network. To defend WSNs against malicious messages, it is necessary to authenticate broadcast messages, referred to as broadcast authentication.

Providing broadcast authentication for WSNs, however, encounters many challenges. The primary one is stringent resource constraints on sensor nodes. It results in conventional Public Key Cryptography (PKC) based broadcast authentication schemes are believed to be too expensive for WSNs. For instance, it takes 14 seconds for an exponential operation of 1024-bit RSA on Mica1 motes [5]. Besides resource constraints, sensor nodes are vulnerable to node compromise attacks [6]. This renders application of conventional symmetric key cryptography based broadcast authentication schemes to WSNs impractical.

Perrig *et al.* [7] propose a well-known broadcast authentication scheme for WSNs, called  $\mu$ TESLA.  $\mu$ TESLA exploits symmetric key cryptographic operations to authenticate broadcast messages. Thus, it is efficient to WSNs.  $\mu$ TESLA, however, is resilient to node compromise attacks because of delayed disclosure of secret keys. Many variants of  $\mu$ TESLA are proposed for WSNs (e.g., [8] [9] [10] [11]) to improve its performance. The variants as well as  $\mu$ TESLA, however, are subject to the following defects. First, maintenance of time synchronization in WSNs is a complicated task. Second, distribution of the initial parameters introduces heavy overhead since it is implemented by the unicast transmission. Third, delayed authentication is inevitable.

Ren *et al.* [12] and Du *et al.* [13] propose to authenticate broadcast messages of WSNs with PKC since overhead of PKC for WSNs has significantly been reduced by using Elliptic Curve Cryptography (ECC). Nevertheless, the PKC based broadcast authentication schemes so far are not affordable by current generation of sensor nodes because of the intensive use of Elliptic Curve Digital Signature Algorithm (ECDSA). Gennaro *et al.* [14] propose signature amortization to sign efficiently digital streams. A number of improvements are developed soon (e.g., [15] [16] [17] [18] [19]).

In this paper, to avoid intensive use of ECDSA, we propose a novel PKC based broadcast authentication scheme using signature amortization for WSNs. The proposed scheme exploits only one ECDSA signature to authenticate all broadcast messages. Thus, the overhead of the signature is amortized over

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Y. Liu is with the Graduate School of Systems and Information Engineering, University of Tsukuba, Tsukuba Science City, 305-8573, Japan (e-mail: liuyongsheng@osdp.cs.tsukuba.ac.jp).

J. Li (corresponding author) is with the Faculty of Engineering, Information and Systems, University of Tsukuba, Tsukuba Science City, 305-8573, Japan (e-mail: lijie@cs.tsukuba.ac.jp).

M. Guizani is with Qatar University, Qatar (e-mail: mguizani@ieee.org).  
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all broadcast messages (section IV). Besides low overhead, the proposed scheme retains high security that is as strong as conventional PKC based broadcast authentication schemes (section IV). Moreover, defects of  $\mu$ TESLA can be overcome: the proposed scheme does not require time synchronization (section III), has an efficient public key distribution protocol (section III) and can achieve immediate authentication that a receiver authenticates a broadcast message upon receiving it (section IV).

The rest of this paper is organized as follows. The system model is introduced in section II. The proposed PKC based broadcast authentication scheme using signature amortization is presented in section III. Overhead and security of the proposed scheme are analyzed in section IV. Evaluations using a testbed are illustrated in section V. We conclude this paper in section VI.

## II. SYSTEM DESCRIPTION

For simplicity, we consider only the case of one base station within a WSN. Since WSNs are generally composed of a collection of base stations and sensor nodes are connected to them, the proposed scheme can also be implemented with a WSN having multiple base stations. We assume that there is only one base station that is endowed with sufficient energy supply. Furthermore, it cannot be compromised by adversaries, which is a common assumption in the literature of WSNs (e.g., [20]). Contrary to the base station, sensor nodes are resource constrained and vulnerable to adversaries. We assume that a sensor node is able to perform a limited number of PKC operations but not many. In the WSN, both the network broadcast and the local broadcast are considered. For clarity, we consider that one sender broadcasts messages to many receivers. In the network with multiple senders, each sender and its corresponding receivers are just the case we are considering. The sender may be the base station or a sensor node.

In a WSN, there may be several adversaries with powerful resources (e.g., laptops). They can launch both external as well as internal attacks. In the external attacks, adversaries can eavesdrop for sensitive information, inject forged messages, and replay previously intercepted messages. They can also launch Denial-of-Service (DoS) attacks and jam the communication channel. But, we assume that the DoS and jam attacks cannot continue constantly without being detected and removed. In the internal attacks, adversaries are able to compromise some sensor nodes and obtain the sensitive information (e.g., secret keys). Later, the sensitive information may be used for attacking the rest of sensor nodes in the network.

For the sake of convenience, we make use of the following notations. The base station is denoted by  $bs$ . It holds a key pair  $(PR_{bs}, PU_{bs})$  where  $PR_{bs}$  is the private key and  $PU_{bs}$  is the public key.  $PU_{bs}$  is assumed to be stored by all sensor nodes in the network. The sender is denoted by  $s$ . It holds a key pair  $(PR_s, PU_s)$  where  $PU_s$  is the public key and  $PR_s$  is the private key. Corresponding to sender  $s$ , receivers are denoted by a vector  $R_s = [r_i]_{i=1,\dots,c}$ , in total  $c$  receivers. Broadcast messages from sender  $s$  to receivers in  $R_s$  are

denoted by a vector  $M = [m_i]_{i=1,\dots,n}$ , in total  $n$  messages. The broadcast messages in  $M$  are organized through extended blocks. An extended block is regarded as a unit authenticating broadcast messages in  $M$ . The extended blocks are denoted by a vector  $EB = [EB_i]_{i=0,\dots,k}^T$  in total  $k+1$  extended blocks. The first extended block  $EB_0$  contains an authenticator. An authenticator is the additional information to authenticate an extended block (e.g., the Message Authentication Code (MAC) or the signature). Each of the other extended blocks contains  $b$  broadcast messages in  $M$  and a specified authenticator. We assume that the number of broadcast messages  $n$  is an integer multiple of  $b$ , i.e.,  $n = kb$ . If not, simply let extended block  $EB_k$  contain  $(n \bmod b)$  messages provided that  $k = \lceil n/b \rceil$ . Encryption of a message  $m$  is denoted by  $E(K, m)$  where  $K$  is the key. Similarly, decryption of a message  $m$  is denoted by  $D(K, m)$  where  $K$  is the key.

**Definition 1** (Authenticated Relation ( $AR$ )).  $AR$  on  $EB$  consists of ordered pairs  $\langle EB_i, EB_j \rangle$  where authenticator in  $EB_i$  is used to authenticate  $EB_j$ .

**Definition 2** (Collision resistant hash  $H$ ).  $H$  is the hash satisfying that it is computationally infeasible to find a pair of inputs  $(x, y)$  such that  $x \neq y$  and  $H(x) = H(y)$ .

**Definition 3** (Certificate). A certificate consists of a public key and the identity of the public key's owner, both of which are signed by a trusted third party called Certificate Authority (CA).

## III. PROPOSED PKC BASED BROADCAST AUTHENTICATION SCHEME USING SIGNATURE AMORTIZATION

We propose a novel PKC based broadcast authentication scheme using signature amortization for WSNs, which meets the following properties.

- Low overhead. The computation and communication overhead is to the same degree of the Keyed-Hash Message Authentication Code (HMAC).
- Strong authenticity. Confidence of a receiver in authenticating broadcast messages is as strong as each extended block in  $EB$  is authenticated by an ECDSA signature.
- Immediate authentication. A receiver can authenticate broadcast messages upon receiving them.
- No time synchronization. Time synchronization is not required.
- Resilience to node compromise attacks. It is impossible for an adversary to exploit a compromised receiver to launch a valid broadcast authentication.

The proposed PKC based broadcast authentication scheme using signature amortization exploits one ECDSA signature to authenticate all broadcast messages. The only one signature is used to authenticate the authenticator in  $EB_0$ . The authenticator in  $EB_0$  is used to authenticate  $EB_1$  that contains  $b$  broadcast messages in  $M$  and one authenticator. The authenticator in  $EB_1$ , in its turn, is used to authenticate  $EB_2$  that contains  $b$  broadcast messages in  $M$  and one authenticator. The process continues until  $EB_k$ . As a result, all broadcast messages can be authenticated with only one signature while the overhead of the signature is amortized over them.

This section is presented in three parts. The first part presents procedures of signature amortization. The second part details the ECDSA signature. The third part introduces an efficient public key distribution protocol for implementing the proposed scheme.

### A. Signature Amortization

The signature amortization part is presented by three steps: generating extended blocks step, broadcasting extended blocks step and verifying extended blocks step.

1) *Generating Extended Blocks Step*: Based on the definition of  $AR$ , the basis to construct extended blocks is provided by theorem 1.

**Theorem 1.** *All broadcast messages in  $M$  will be authenticated if  $EB_0$  is authentic and all ordered pairs  $\langle EB_{i-1}, EB_i \rangle$ ,  $1 \leq i \leq k$ , belong to authenticated relation  $AR$  on  $EB$ .*

*Proof:* This is proved by mathematical induction. The basic step is authentication of  $EB_1$ .  $EB_1$  is authenticated by the authenticator in  $EB_0$  which is authentic. Hence,  $b$  broadcast messages in  $EB_1$  will be authenticated. In the inductive step, suppose  $EB_{j-1}$ ,  $2 \leq j \leq k$ , is authentic. Then, the authenticator in  $EB_{j-1}$  can be used to authenticate  $EB_j$  since  $\langle EB_{j-1}, EB_j \rangle$  belongs to  $AR$  on  $EB$ . Thus,  $b$  messages in  $EB_j$  will be authenticated. In short,  $n$  broadcast messages in  $M$  will be authenticated. ■

Authenticators for extended blocks can be generated by three classes of functions roughly: message encryption, MAC and hash function. Symmetric encryption, MAC and hash function are efficient to WSNs. Symmetric encryption and MAC require two input parameters: a secret key and a message. The shared secret key between the sender and receivers is vulnerable to node compromise attacks. Therefore, we adopt a collision resistant hash to produce authenticators for extended blocks.

With the collision resistant hash to produce authenticators, extended blocks are generated as follows.

All  $n$  broadcast messages in  $M$  is partitioned into  $k$  blocks  $B_1, \dots, B_k$ . Every block  $B_i$ ,  $1 \leq i \leq k$ , contains  $b$  messages, denoted by  $|B_i| = b$ . These blocks comprise a vector  $B = [B_i]_{i=1, \dots, k}^T$  that is expressed in the matrix form as shown in equation (1), recalling that we assume that  $n = kb$ .

$$B = \begin{bmatrix} B_1 \\ \vdots \\ B_k \end{bmatrix} = \begin{bmatrix} m_1 & \dots & m_b \\ \vdots & \vdots & \vdots \\ m_{(k-1)b+1} & \dots & m_{kb} \end{bmatrix} \quad (1)$$

Messages in each row of  $B$ , accurately block  $B_i$ , are concatenated into a long string, denoted by  $CON(B_i)$  as shown in equation (2).

$$CON(B_i) = m_{(i-1)b+1} || \dots || m_{ib}, 1 \leq i \leq k \quad (2)$$

Then,  $CON(B_i)$ ,  $1 \leq i \leq k$ , is padded with authenticators, denoted by  $PAD(CON(B_i))$  as shown in equation (3).  $CON(B_j)$ ,  $1 \leq j \leq k-1$ , is padded with digest  $d_{j+1}$  which is the digest of  $PAD(CON(B_{j+1}))$ , as shown in equation (4) where  $H$  is a collision resistant hash. Note that  $CON(B_k)$  is

padded with random characters which is denoted by  $d_{k+1}$  for consistency.

$$PAD(CON(B_i)) = CON(B_i) || d_{i+1}, 1 \leq i \leq k \quad (3)$$

$$d_{j+1} = H(PAD(CON(B_{j+1}))), 1 \leq j \leq k-1 \quad (4)$$

Block  $B_i$  and digest  $d_{i+1}$  comprise an extended block  $EB_i$ , i.e.,  $EB_i = [B_i \ d_{i+1}]$ ,  $1 \leq i \leq k$ . Let  $EB_i$ ,  $1 \leq i \leq k$ , comprise a vector  $EB^*$ , i.e.,  $EB^* = [EB_i]_{i=1, \dots, k}^T = [B_i \ d_{i+1}]_{i=1, \dots, k}^T$ . Because  $EB^*$  stands for an extended matrix of  $B$ ,  $EB_i$  is called an extended block.

Note that exceptional  $EB_0$  only contains an authenticator. The authenticator is digest  $d_1$  that is the collision resistant hash value of  $PAD(CON(B_1))$ , i.e.,  $d_1 = H(PAD(CON(B_1)))$ . The authenticity of  $d_1$  is guaranteed by a signature generated by sender  $s$  with  $PR_s$ . Thus,  $EB_0 = d_1 || E(PR_s, d_1)$ .

Until this point, all extended blocks have been generated. For clarity, let all extended blocks comprise a vector  $EB$ , i.e.,  $EB = [EB_i]_{i=0, \dots, k}^T$ . The complete description of generating  $EB$  is presented in algorithm 1. Fig. 1 illustrates an example of generating  $EB$  for 9 broadcast messages, in which every 3 broadcast messages constitute a block.

#### Algorithm 1 Generation of $EB$

- 1: Partition  $n$  broadcast messages in  $M$  into  $k$  blocks  $B_1, \dots, B_k$  as shown in equation (1)
- 2: Initialize  $d_{k+1}$  with a string of random characters
- 3: **for**  $i = k; i \geq 1; i = i - 1$  **do**
- 4:   Concatenate messages in  $B_i$  to generate  $CON(B_i)$  as shown in equation (2)
- 5:   Pad  $CON(B_i)$  with digest  $d_{i+1}$  to generate  $PAD(CON(B_i))$  as shown in equation (3)
- 6:   Compute digest  $d_i$  of  $PAD(CON(B_i))$  with a collision resistant hash as shown in equation (4)
- 7:   Let  $EB_i = [B_i \ d_{i+1}]$
- 8: **end for**
- 9: Sign digest  $d_1$  with sender  $s$ 's private key  $PR_s$  to generate  $EB_0 = d_1 || E(PR_s, d_1)$
- 10: Let  $EB = [EB_i]_{i=0, \dots, k}^T$

Based on theorem 1 and generating process of  $EB$ , authenticating  $n$  broadcast messages in  $M$  proceeds as follows. The signature in  $EB_0$  is used to authenticate  $d_1$ .  $d_1$ , in its turn, is used to authenticate  $EB_1$  that contains  $B_1$  and  $d_2$ . Then,  $d_2$  is used to authenticate  $EB_2$  that contains  $B_2$  and  $d_3$ . This process continues until  $EB_k$ . Eventually,  $n$  broadcast messages in  $M$  will be authenticated.

2) *Broadcasting Extended Blocks Step*: In generating extended blocks step, all ordered pairs  $\langle EB_{i-1}, EB_i \rangle$ ,  $1 \leq i \leq k$ , belong to  $AR$  on  $EB$ . That is  $EB_i$ 's authentication depends on  $EB_{i-1}$ . Thus,  $EB_{i-1}$  should reach receivers before  $EB_i$ . This is fulfilled by the sequential broadcast and reliable broadcast described as follows.

The sequential broadcast is that extended blocks are broadcast according to  $AR$  on  $EB$ . Sender  $s$  broadcasts  $EB_{i-1}$  before  $EB_i$ . For simplicity, messages in each extended block are broadcast according to their indexes, i.e., sending sequence for  $EB_i$  is  $m_{(i-1)b+1}, m_{(i-1)b+2}, \dots, m_{ib}$ . Digest  $d_{i+1}$  in  $EB_i$  could be sent together with a broadcast message in  $EB_i$  since

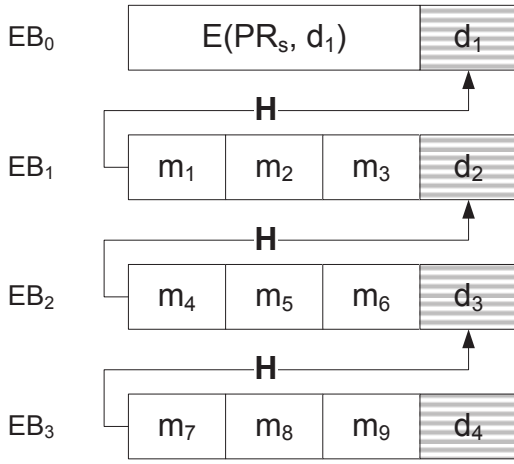


Fig. 1. An example of generating  $EB = [EB_i]_{i=0,\dots,3}^T$  for 9 broadcast messages ( $EB_i$ : extended block  $i$ ;  $E(PR_s, d_1)$ : encryption of  $d_1$  with private key  $PR_s$ ;  $d_i$ : digest  $i$ ;  $H$ : collision resistant hash;  $m_i$ : broadcast message  $i$ ).

the size of a digest is relatively small. On receiving a broadcast message  $m_j$ , a receiver in  $R_s$  checks whether  $m_j$  belongs to current extended block, say,  $EB_i$ , whose digest,  $d_i$ , has been received and authenticated with  $EB_{i-1}$ . If  $m_j$  belongs to  $EB_i$ , the receiver tries authenticating  $EB_i$  and broadcasts  $m_j$  to its neighbors after a short backoff. This means all receivers exchange messages of  $EB_i$  with each other. During the exchange, a receiver may receive multiple copies of  $m_j$  from different neighbors. Thus, the receiver would obtain  $m_j$  with high probability though each transmission is not reliable. In short, the unreliable transmission is counteracted by making full use of broadcast nature. If  $m_j$  belongs the block  $EB_{i+1}$  which follows  $EB_i$  and  $EB_i$  has not been authenticated yet, that indicates all messages of  $EB_i$  has been broadcast. The receiver would not get missing messages later. Hence, the receiver buffers  $m_j$  and broadcasts an acknowledgement to ask for the missing messages belonging to  $EB_i$ . After authentication of  $EB_i$ ,  $m_j$  will be broadcast.

The reliable broadcast is performed by acknowledgements and replies. To reduce communication overhead, we let one acknowledgement specify all missing messages of one extended block but the size of an acknowledgement be several bits larger than that to one missing message. The acknowledgement contains two fields. The first field specifies the identity of an extended block. The second field is a bit-vector indicating all missing messages in one extended block. The bit-vector is a mapping to all messages in one extended block. Thus, the size of the bit-vector equals the number of messages in the extended block. The receiver's neighbors are responsible for rebroadcasting the lost messages specified in an acknowledgement. Since the neighbors broadcast  $m_j$  belonging to  $EB_{i+1}$  to the receiver, they possess all messages belong to  $EB_i$ . Hence, it is unnecessary to ask sender  $s$  that may be multi-hops far away for  $m_j$ . To avoid collision, each neighbor selects a random time to delay its reply.

We employ the sequential broadcast and reliable broadcast to guarantee the successful authentication of extended blocks with low overhead. As well, they ensure the integrity of  $M$  to applications.

3) *Verifying Extended Blocks Step*: According to broadcasting extended blocks step,  $EB_0$  reaches receivers in  $R$  first.  $d_1$  in  $EB_0$  is authenticated by the signature, that is, if  $D(PU_s, E(PR_s, d_1)) = d_1$ ,  $d_1$  is authentic. Extended blocks in  $EB^*$  are authenticated in an efficient way, just using a collision resistant hash. Digest  $d_i$ ,  $1 \leq i \leq k$ , in  $EB_{i-1}$  that reaches receivers in  $R$  in advance is used to authenticate  $EB_i$ , that is, if  $H(m_{(i-1)b+1} || \dots || m_{ib} || d_{i+1}) = d_i$ ,  $EB_i$  is authentic.

### B. The ECDSA Signature

The ECDSA signature is on the basis of ECC, which offers equivalent security with substantially smaller key size compared to RSA [21] [22] [23] (e.g., a 160-bit key of ECC offers the same level of security as a 1024-bit key of RSA). Thus, ECC has the advantages in computation, bandwidth and memory savings. Because of the advantages,  $d_1$  in  $EB_0$  is signed with an ECDSA signature. Here, we introduce briefly generation and verification of the ECDSA signature according to the description in [24].

Sender  $s$  and receivers in  $R_s$  establish elliptic curve domain parameters  $T = (p, a, b, G, q, h)$  in advance. Storing  $T$  in sensor nodes before deployment is an option.  $p$  is a prime that specifies the finite field  $F_p$ .  $a$  and  $b$  are coefficients of the elliptic curve  $y^2 \equiv x^3 + ax + b \pmod{p}$  where  $4a^3 + 27b^2 \not\equiv 0 \pmod{p}$ .  $G$  refers to the base point on the elliptic curve.  $q$  is a prime indicating the order of  $G$ .  $h$  is the cofactor  $h = \#E_p(a, b)/q$  where  $\#E_p(a, b)$  stands for the number of points on the elliptic curve.

To sign digest  $d_1$ , sender  $s$  creates the key pair  $(PR_s, PU_s)$  that satisfies  $PU_s = PR_s G$  where  $PR_s$  is an integer in  $F_p$  and  $PU_s$  is a point on the elliptic curve. Then, it selects an ephemeral key pair  $(u, U)$  that satisfies  $U = uG$  where  $u$  is an integer in  $F_p$  and  $U$  is a point on the elliptic curve. It computes  $r \equiv x_U \pmod{q}$  where  $x_U$  is the  $x$  coordinate of point  $U$ , and  $d_e = H(d_1)$  where  $H$  is a collision resistant hash. It sets  $e = d_e$  if  $\lceil \log_2 q \rceil \geq L_{d_e}$  where  $L_{d_e}$  refers to the length of  $d_e$ . Otherwise, let  $e$  equal the leftmost  $\lceil \log_2 q \rceil$  bits of  $d_e$ . At last, it computes  $w \equiv u^{-1}(e + rPR_s) \pmod{q}$ .  $r$  and  $w$  are the ECDSA signature. The complete expression of  $EB_0$  is  $EB_0 = d_1 || r || w$ .

Verification of  $d_1$  proceeds as follows. The receiver computes  $d_e = H(d_1)$  where  $H$  is a collision resistant hash. Then, it sets  $e = d_e$  if  $\lceil \log_2 q \rceil \geq L_{d_e}$  where  $L_{d_e}$  refers to the length of  $d_e$ . Otherwise, let  $e$  equal the leftmost  $\lceil \log_2 q \rceil$  bits of  $d_e$ . It computes  $v_1 \equiv ew^{-1} \pmod{q}$ ,  $v_2 \equiv rw^{-1} \pmod{q}$ ,  $V = v_1 G + v_2 PU_s$ , and  $v \equiv x_V \pmod{q}$  where  $x_V$  is  $x$  coordinate of point  $V$ . At last, it compares  $v$  to  $r$  to verify whether  $d_1$  is authentic.

### C. Public Key Distribution Protocol

To bootstrap the broadcast authentication, receivers in  $R_s$  should get the public key  $PU_s$  from sender  $s$ .  $PU_s$ 's distribution should be in an authenticated manner because adversaries may inject forged  $PU_s$  [25]. Furthermore,  $PU_s$ 's distribution should introduce low overhead to resource constrained sensor nodes [26]. With these in mind, we propose to distribute  $PU_s$  through a certificate described in definition 3. The proposed

public key distribution protocol is implemented by three steps as follows, where base station  $bs$  acts as CA because it cannot be compromised by adversaries. Note that sensor nodes are preloaded with base station  $bs$ 's public key  $PU_{bs}$ .

- 1) Sender  $s$  sends a request  $RE_s$  to base station  $bs$  and asks for generation of a certificate. The request  $RE_s$  contains sender's identity  $ID_s$  and public key  $PU_s$ , i.e.,  $RE_s = ID_s || PU_s$ .
- 2) Base station  $bs$  replies with a certificate  $C_s$ , which contains the certificate's identity  $ID_c$  and request  $RE_s$ , signed by base station  $bs$  with its private key  $PR_{bs}$ . The whole expression is  $C_s = ID_c || ID_s || PU_s || E(PR_{bs}, ID_c || ID_s || PU_s)$ .
- 3) Sender  $s$  broadcasts  $C_s$  to all receivers in  $R_s$ .

The public key distribution protocol is efficient for WSNs. Public key  $PU_s$  included in  $C_s$  is distributed through broadcast (step 3). Certificate  $C_s$  remains valid over a long period unless it is explicitly revoked by base station  $bs$ . It means that private key  $PR_s$  corresponding to  $PU_s$  in  $C_s$  can be used to sign many chains of extended blocks. Moreover, if the intended receivers are changed without revocation of  $C_s$ , just rebroadcasting  $C_s$  is required. Note that receivers do not need to contact CA throughout the protocol.

The public key distribution protocol may undergo attacks that adversaries mislead traffic or jam the communication to the CA. If there are multiple CAs, i.e., more than one base station, the effect of the attacks will be relieved to an extent. Alternatively, Kong *et al.* [27] proposed to exploit sensor nodes to achieve multiple CAs.

#### IV. ANALYSIS OF OVERHEAD AND SECURITY

In this section, we analyze the proposed PKC based broadcast authentication scheme using signature amortization in terms of overhead and security.

##### A. Overhead

The overhead of the proposed scheme is analyzed according to the following aspects.

- Computation overhead: average time to authenticate one broadcast message in  $M$  at the sender side and the receiver side.
- Communication overhead: average authenticator size per broadcast message in  $M$ .
- Authentication delay: time delay to authenticate an extended block at the receiver side.
- Memory overhead: memory size to buffer all extended blocks at the sender side and memory size required to authenticate one extended block at the receiver side.

In the computation and communication overhead, we calculate the average overhead relative to one broadcast message in order to facilitate the comparison with other broadcast authentication schemes. Note that the overhead of the public key distribution protocol is not included in the following analysis since it is trivial compared to authenticating broadcast messages.

1) *Computation Overhead*: Suppose the time to generate an ECDSA signature, to verify an ECDSA signature and to compute a collision resistant hash is denoted by  $T_{sign}$ ,  $T_{verify}$  and  $T_{hash}$ , respectively.

The average time to authenticate one broadcast message in  $M$  at the sender side is  $T_s$  as shown in equation (5). The asymptotic upper bound of  $T_s$  is  $O(T_{hash}/b)$  given that  $n = kb$ .

$$T_s = \frac{T_{sign} + kT_{hash}}{n} \quad (5)$$

The average time to authenticate one broadcast message at the receiver side is  $T_r$  as shown in equation (6). The asymptotic upper bound of  $T_r$  is  $O(T_{hash}/b)$  given that  $n = kb$ .

$$T_r = \frac{T_{verify} + kT_{hash}}{n} \quad (6)$$

2) *Communication Overhead*: Suppose lengths of an ECDSA signature and a digest are denoted by  $L_{sig}$  and  $L_d$ , respectively. The average authenticator size per broadcast message is  $L_{au}$  as shown in equation (7). The asymptotic upper bound of  $L_{au}$  is  $O(L_d/b)$  given that  $n = kb$ .

$$L_{au} = \frac{L_{sig} + (k+1)L_d}{n} \quad (7)$$

3) *Authentication Delay*: There is no delay to authenticate the first extended block  $EB_0$  at the receiver side because it is authenticated by an ECDSA signature. Authentication delay of an extended blocks in  $EB^*$  is decided by the arrival time of the first broadcast message and last broadcast message of the extended block. Suppose the arrival time of the first broadcast message and last broadcast message of extended block  $EB_i$ ,  $1 \leq i \leq k$ , is denoted by  $t_{(i-1)b+1}$  and  $t_{ib}$ , respectively. The time delay to authenticate  $EB_i$  at the receiver side is  $T_i$  as shown in equation (8). It is obvious that  $T_i$  equals zero if  $b = 1$ , which means immediate authentication in lemma 2.

$$T_i = t_{ib} - t_{(i-1)b+1} \quad (8)$$

**Lemma 2** (Immediate authentication). *The proposed scheme achieves immediate authentication when an extended block in  $EB^*$  contains just one broadcast message in  $M$ .*

4) *Memory Overhead*: Suppose the size of a broadcast message in  $M$  is denoted by  $L_m$ .

The memory size for buffering all extended blocks at the sender side is  $LM_s$  as shown in equation (9).

$$LM_s = L_{sig} + nL_m + (k+1)L_d \quad (9)$$

The first extended block is authenticated by an ECDSA signature so there is no need for receivers to buffer it. Memory size required to authenticate an extended block in  $EB^*$  at the receiver side is  $LM_r$  as shown in equation (10), where  $2L_d$  refers to one digest in the previous extended block and one digest in the current extended block.

$$LM_r = bL_m + 2L_d \quad (10)$$

The memory overhead is affordable to resource constrained sensor nodes in general. This is because a sensor node has a large external storage equipment although the RAM of a sensor node is relatively small. For instance, a TelosB sensor node is equipped with a measurement serial flash of 1024K

bytes. Therefore, if extended blocks are beyond the capability of the RAM at the sender side, they can be buffered in an external storage equipment on a temporary basis.

At last, we conclude the overhead analysis with a theorem below.

**Theorem 3** (Low overhead). *The computation and communication overhead of the proposed scheme is to the same degree of HMAC.*

*Proof:* The computation overhead of the proposed scheme at the sender side and the receiver side is the same,  $O(T_{hash}/b)$ . The communication overhead of the proposed scheme is  $O(L_d/b)$ . HMAC is computed by  $MAC(K, m) = H((K_0 \oplus opad) || H((K_0 \oplus ipad) || m))$  according to [28].  $K$  is a secret key, and after necessary pre-processing, it is transformed to  $K_0$ .  $opad$  is the outer pad.  $ipad$  is the inner pad.  $H$  denotes a collision resistant hash. Thus, the computation overhead of HMAC at the sender side and the receiver side is also the same,  $2T_{hash}$ . The communication overhead of HMAC is  $L_d$ . ■

## B. Security

The proposed scheme is on the basis of PKC so it should inherently be resilient to node compromise attacks and provide non-repudiation. Moreover, it offers as strong authenticity as conventional PKC based broadcast authentication schemes provide.

**Lemma 4** (Resilience to node compromise attacks). *The proposed scheme is resilient to node compromise attacks.*

*Proof:* The information sensitive to broadcast authentication in a receiver is  $PU_{bs}$ ,  $PU_s$  and a digest, say,  $d_i$  in  $EB_{i-1}$ . They will be disclosed to an adversary if any receiver is compromised. However, with  $PU_{bs}$ , the adversary cannot create a valid certificate. With  $PU_s$ , an adversary cannot generate the signature for  $EB_0$  either. With  $d_i$ , an adversary cannot forge  $EB_i$  because  $H$  is a collision resistant hash. In short, an adversary cannot exploit a compromised sensor node to impersonate a valid sender. ■

**Lemma 5** (Non-repudiation). *Sender  $s$  cannot deny that messages in  $M$  are broadcast by itself.*

*Proof:* The public key distribution protocol guarantees authenticity of public key  $PU_s$ . Corresponding to  $PU_s$ , private key  $PR_s$  is held by sender  $s$ . Hence, only sender  $s$  has the right to create extended blocks. If all extended blocks are buffered by a receiver, the receiver can naturally prove the identity of sender  $s$ . Also, a receiver can identify sender  $s$  with  $EB_0$  because it is computationally infeasible for an adversary to generate correct digest  $d_1$  in  $EB_0$  with forged messages. ■

**Lemma 6.** *The authenticity provided by the proposed scheme is equivalent to each extended block in  $EB$  is authenticated by an ECDSA signature.*

*Proof:* The extended blocks in  $EB$  can be divided into two groups:  $EB_0$  and the extended blocks in  $EB^*$ .  $EB_0$  contains an ECDSA signature to authenticate  $d_1$ . The extended

block in  $EB^*$  is authenticated by the digest in its previous extended block. Without loss of generality, we prove that the authenticity of  $EB_i$ ,  $1 \leq i \leq k$ , is equivalent to authentication by an ECDSA signature. As shown in equation (4),  $EB_i$  is the input to compute  $d_i$  in  $EB_{i-1}$ . Likewise,  $EB_{i-1}$  is the input to compute  $d_{i-1}$  in  $EB_{i-2}$ . Finally,  $EB_1$  is the input to compute  $d_1$  in  $EB_0$ . Because the computation in each step is conducted with a collision resistant hash, it is computationally infeasible for an adversary to forge  $EB_i$  without changing  $d_1$ . In a word, changing  $EB_i$  results in that the verification of  $d_1$  in  $EB_0$  with the ECDSA signature fails. ■

**Theorem 7** (Strong authenticity). *The proposed scheme is as secure as conventional PKC based broadcast authentication schemes.*

*Proof:* In the proposed scheme, we do not arbitrarily reduce the length of keys in order to meet the low overhead required by resource constrained sensor nodes. Moreover, authenticity of each extended block is equivalent to being authenticated by an ECDSA signature. Hence, the proposed scheme retains as high security as conventional PKC based broadcast authentication schemes offer. ■

## V. IMPLEMENTATION AND EXPERIMENTAL RESULTS

We conduct experiments on a multi-hop testbed consisting of TelosB sensor nodes. Using the testbed, we study the performance of the proposed scheme. For simplicity, we have considered a multi-hop testbed consisting of several sensor nodes. Since this is a small set of a real life WSN, we believe that our experimental results can also be applied to the network with hundreds of sensor nodes. For comparison, we also implement a message oriented signature scheme which represents conventional PKC based broadcast authentication schemes and HMAC which represents conventional symmetric key cryptography based broadcast authentication schemes.

### A. Implementation

The testbed with the maximum hop of three consists of seven TelosB sensor nodes [29]. Microcontroller of TelosB is 16-bit 8 MHz MSP430 that has 10K bytes RAM and 48K bytes ROM. RF transceiver is CC2420 whose maximum data rate is 250 kbps and frequency band is 2400 MHz. The topology of the testbed as shown in Fig. 2 is formed by filtering messages on each sensor node that stores the addresses of its neighbors. The dashed lines in Fig. 2 indicate that two sensor nodes are connected. For example, when sensor node 2 broadcasts a message, the sender and receivers 1, 3, and 4 can receive it. In the testbed, one sensor node acts as the sender generating and broadcasting extended blocks. The broadcast extended blocks are verified by other six sensor nodes that act as receivers.

Both sides-program (sender and receiver) of the proposed scheme are implemented by NesC on TinyOS 2.1. The ECDSA signature program is improved from TinyECC [30]. The domain parameters of the ECDSA signature are secp160r1 defined by [31]. Thus, the signature size is 44 bytes. The collision resistant hash adopts 64-bit truncation of SHA-1, which has been used previously (e.g., [32]).



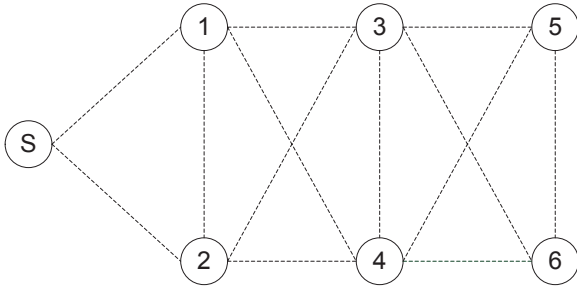


Fig. 2. Topology of the testbed (S: sender; 1, 2, 3, 4, 5, 6: receivers.)

The sender broadcasts 100 messages in total, which is enough to exhibit the trend of the overhead. Sending rate of the sender satisfies the Poisson distribution with average value of 0.2 message per second. After receiving broadcast messages, receivers rebroadcast them after a random delay within 2 seconds. The backoff for acknowledgements and replies is also 2 seconds. Each broadcast message has a payload of 20 bytes. To observe the influence of the size of an extended block, we conduct experiments with  $b = 1, 2, 5, 10$ , which are denoted by SA1, SA2, SA5 and SA10, respectively.

For the purpose of comparison, we also has implemented HMAC [28] and a message oriented signature scheme denoted by SIGS. Messages in SIGS are signed and verified by an ECDSA signature whose domain paraments is secp160r1. HMAC uses 64-bit truncation of SHA-1 to produce a digest.

### B. Experimental Results

The experimental results are presented in terms of computation overhead, communication overhead, authentication delay and memory overhead.

1) *Computation Overhead*: For the purpose of comparison, the computation overhead of the proposed scheme is measured by the average execution time to authenticate one broadcast message at the sender side and the receiver side. Because the average execution time changes with different number of messages, we summarize results of 20, 40, 60, 80 and 100 broadcast messages, respectively. The average execution time at the sender side is shown in Fig. 3. SIGS constantly consumes more than 3000 ms to sign a broadcast message. The heavy overhead of SIGS is effectively amortized over broadcast messages in the proposed scheme. Moreover, the effect became more manifest as the number of broadcast messages increases. When the number of broadcast messages is 100, the average execution time of SA1, SA2, SA5 and SA10 reduces to 60 ms. Fig. 4 shows the average execution time at the receiver side. To focus on the comparison between the proposed scheme with HMAC, the overhead of SIGS that is fixed more than 3900 ms is excluded from the figure. Execution time of SA1, SA2, SA5 and SA10 approaches that of HMAC which is 20 ms constantly, as the number of messages increases. Although SA1 takes a little more time than SA2, SA5 and SA10 to authenticate one broadcast message at the receiver side, the difference is trivial. That means the size of an extended block has little effect on the execution time.

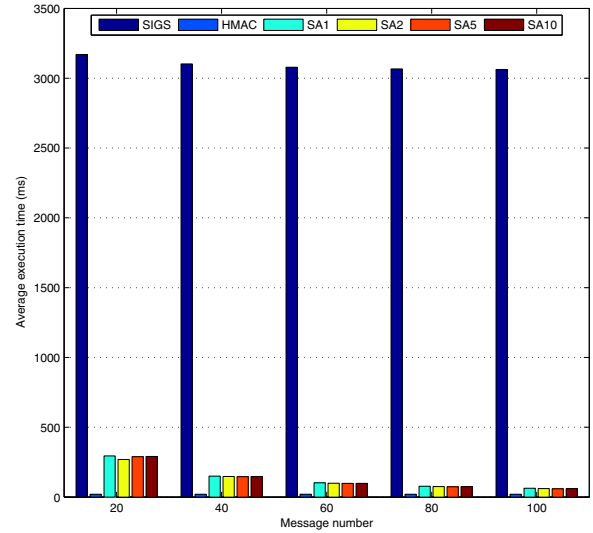


Fig. 3. Average execution time to authenticate one broadcast message at the sender side (SIGS: message oriented signature; HMAC: keyed-Hash MAC; SA1: proposed scheme with  $b = 1$ ; SA2: proposed scheme with  $b = 2$ ; SA5: proposed scheme with  $b = 5$ ; SA10: proposed scheme with  $b = 10$ ).

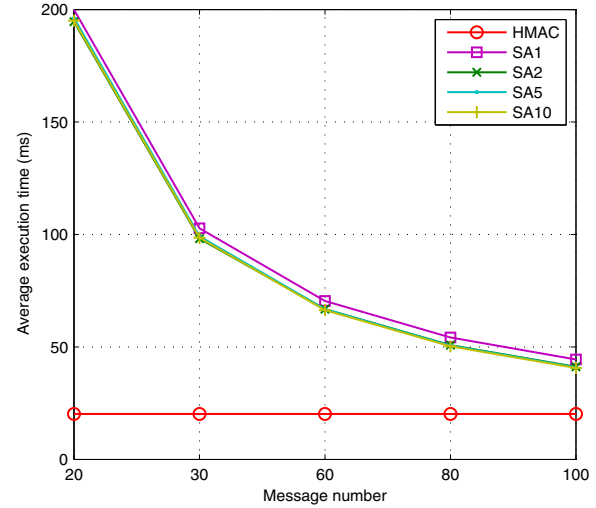


Fig. 4. Average execution time to authenticate one broadcast message at the receiver side (HMAC: keyed-Hash MAC; SA1: proposed scheme with  $b = 1$ ; SA2: proposed scheme with  $b = 2$ ; SA5: proposed scheme with  $b = 5$ ; SA10: proposed scheme with  $b = 10$ ).

2) *Communication Overhead*: First, the computation overhead of the proposed scheme is measured by average authenticator size per broadcast message. Because the average authenticator size changes with different number of messages, we summarize results of 20, 40, 60, 80 and 100 broadcast messages, respectively. Fig. 5 shows the average authenticator size per broadcast messages. The heavy communication overhead of SIGS, which is 44 bytes, is amortized over broadcast messages in the proposed scheme. The average authenticator size of SA1 is a little more than that of HMAC which is 8 bytes constantly but it approaches 8 bytes with the number of broadcast messages increasing. The average authenticator sizes of SA2, SA5 and SA10 are less than that of HMAC. Another observation is that the average authenticator size becomes small if an extended block contains more broadcast messages.

Second, the communication overhead is measured by the total messages versus the probability of message loss, as

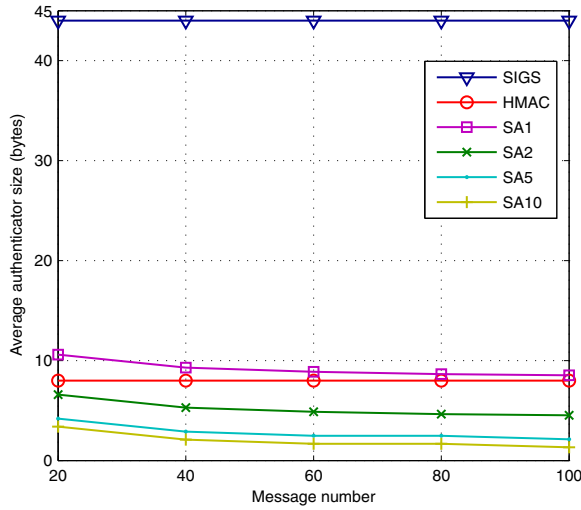


Fig. 5. Average authenticator size per broadcast message (SIGS: message oriented signature; HMAC: keyed-Hash MAC; SA1: proposed scheme with  $b = 1$ ; SA2: proposed scheme with  $b = 2$ ; SA5: proposed scheme with  $b = 5$ ; SA10: proposed scheme with  $b = 10$ ).

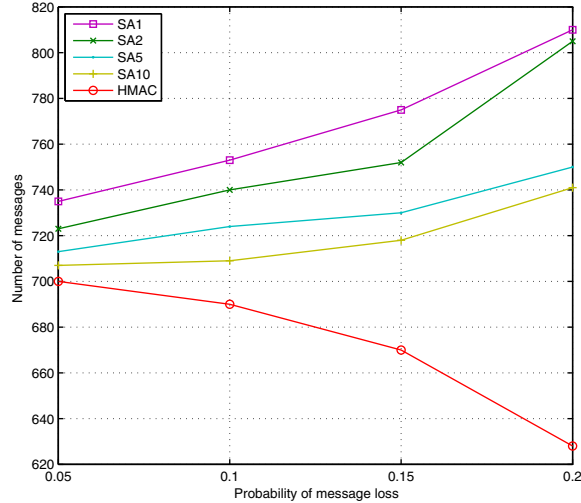


Fig. 6. Total messages versus probability of message loss (HMAC: keyed-Hash MAC; SA1: proposed scheme with  $b = 1$ ; SA2: proposed scheme with  $b = 2$ ; SA5: proposed scheme with  $b = 5$ ; SA10: proposed scheme with  $b = 10$ ).

shown in Fig. 6. The total messages for SA1, SA2, SA5 and SA10 include broadcast messages of extended blocks, acknowledgements and replies. Recalling that there are six receivers in the testbed and the sender broadcasts 100 messages in total, the total messages for SA1, SA2, SA5 and SA10 are more than 700. Obviously, SA10 needs the least acknowledgements and replies to offer the reliable broadcast, for instance, 41 acknowledgements and replies when the probability of message loss is 0.2. One reason is it leaves more time for receivers exchanging messages belonging to current extended block. The other reason is one acknowledgement can specify 10 lost messages at most. Note that the acknowledgement for SA10 is 9 bits larger than that for SA1. Each receiver in HMAC lacks about 10 messages on average when the probability of message loss is 0.2. If each lost message is retrieved by one acknowledgement and one reply. It would cause 120 transmissions.

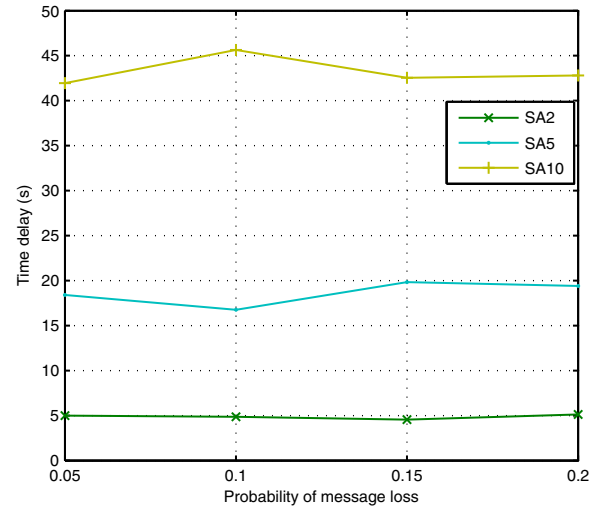


Fig. 7. Time delay to authenticate an extended block (SA2: proposed scheme with  $b = 2$ ; SA5: proposed scheme with  $b = 5$ ; SA10: proposed scheme with  $b = 10$ ).

TABLE I  
MEMORY OVERHEAD AT THE SENDER SIDE (BYTES)

Type	SIGS	HMAC	SA1	SA2	SA5	SA10
ROM	24650	14748	30084	30158	30176	30184
RAM	2433	657	5950	5550	5310	5230

3) *Authentication Delay*: The authentication delay is measured by the time delay to authenticate an extended block at the receiver side. The time delay for SA2, SA5 and SA10 is shown in Fig. 7. SA1 is not included in the figure because it achieves immediate authentication. The sending rate at the sender side meets the Poisson distribution with the average value of 0.2 message per second. The result is averaged on 5 different runs. Apparently, the time delay in Fig. 7 is determined by the size of an extended block. SA2 has the least time delay and SA10 has the largest time delay. The time delay does not increase as the probability of message loss becomes larger. The reason is that most message loss occurs between the sender and its one-hop receivers, receivers 1 and 2, due to only one sender. The message loss increases the authentication delay of the current extended block for receivers 1 and 2. However, the authentication delay for other receivers decreases when receivers 1 and 2 broadcast the current extended block.

4) *Memory Overhead*: Memory overhead of the proposed scheme is measured by the code size and the RAM size at the sender side and the receiver side. The code size and the RAM size at the sender side are shown in table I. The experimental results at the receiver side are shown in table II. The RAM sizes of SA1, SA2, SA5 and SA10 at the sender side are about 3K bytes more than those at the receiver side since the sender buffers all extended blocks while the receiver buffers one extended block. Note that data in both tables include additional TinyOS modules that are used for collecting experimental results. Actually, the code size of the bare HMAC module is about 1.4K bytes actually.

## VI. CONCLUSION

In this paper, we proposed a novel PKC based broadcast authentication scheme using signature amortization for WSNs.



TABLE II  
MEMORY OVERHEAD AT THE RECEIVER SIDE (BYTES)

Type	SIGS	HMAC	SA1	SA2	SA5	SA10
ROM	24490	14676	25042	25060	25106	25106
RAM	2197	532	2681	2701	2761	2861

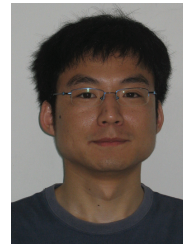
The proposed scheme employs only one ECDSA signature to authenticate all broadcast messages. The overhead of the signature is amortized over all broadcast messages. Besides low overhead, the proposed scheme retains high security as strong as conventional PKC based broadcast authentication schemes. Moreover, the proposed scheme overcomes defects of  $\mu$ TESLA, that is, it does not require time synchronization, has an efficient public key distribution protocol and can achieve immediate authentication. Experimental results show that the overhead of the proposed scheme is to the same degree of HMAC.

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**Yongsheng Liu** received the B.E. degree in computer science and engineering from Dalian University of Technology, Dalian, China, 2005, the M.E. degree in computer science from University of Science and Technology of China, Hefei, China, 2008, and is currently pursuing the Ph.D. degree in computer science at University of Tsukuba, Tsukuba Science City, Japan. His research interests include network security and wireless sensor networks.



**Jie Li** (M'96, SM'2004) is a Professor in Faculty of Engineering, Information and Systems, University of Tsukuba, Japan. He received the B.E. degree in computer science from Zhejiang University, Hangzhou, China, the M.E. degree in electronic engineering and communication systems from China Academy of Posts and Telecommunications, Beijing, China. He received the Dr. Eng. degree from the University of Electro-Communications, Tokyo, Japan. His research interests are in mobile distributed multimedia computing and networking, OS, network security,

modeling and performance evaluation of information systems. He is a senior member of IEEE and ACM and a member of IPSJ (Information Processing Society of Japan). He has served as a secretary for Study Group on System Evaluation of IPSJ and on several editorial boards for the IPSJ Journal and so on, and on Steering Committees of the SIG of System Evaluation (EVA) of IPSJ, the SIG of DataBase System (DBS) of IPSJ, and the SIG of MoBiLe computing and ubiquitous communications of IPSJ. He has also served on the program committees for several international conferences such as IEEE ICDCS, IEEE INFOCOM, IEEE GLOBECOM, and IEEE MASS.



**Mohsen Guizani** (M'89, SM'99, F'09) is currently a Professor and the Associate Vice President for Graduate Studies at Qatar University, Qatar. He was the Chair of the CS Department at Western Michigan University from 2002 to 2006 and Chair of the CS Department at University of West Florida from 1999 to 2002. He also served in academic positions at the University of Missouri-Kansas City, University of Colorado-Boulder, Syracuse University and Kuwait University. He received his B.S. (with distinction) and M.S. degrees in Electrical Engineering; M.S. and Ph.D. degrees in Computer Engineering in 1984, 1986, 1987, and 1990, respectively, from Syracuse University, Syracuse, New York.

His research interests include Computer Networks, Wireless Communications and Mobile Computing, and Optical Networking. He currently serves

on the editorial boards of six technical Journals and the Founder and EIC of *Wireless Communications and Mobile Computing* Journal published by John Wiley (<http://www.interscience.wiley.com/jpages/1530-8669/>). He is also the Founder and the Steering Committee Chair of the Annual International Conference of Wireless Communications and Mobile Computing (IWCMC). He is the author of seven books and more than 270 publications in refereed journals and conferences. He guest edited a number of special issues in IEEE Journals and Magazines. He also served as member, Chair, and General Chair of a number of conferences.

Dr. Guizani served as the Chair of IEEE Communications Society Wireless Technical Committee (WTC) and Chair of TAOS Technical Committee. He was an IEEE Computer Society Distinguished Lecturer from 2003 to 2005. Dr. Guizani is an IEEE Fellow and a Senior member of ACM.