Learning Algorithm:

At each time step, the agent observes the unity environment which depicts the current state (s_t) , then the agent selects an action based upon stochastic policy

$$\nabla_{\theta_i} L_i(\theta_i) = \mathbb{E}_{s,a,r,s'} \Big[\Big(y_i^{DQN} - Q(s,a;\theta_i) \Big) \nabla_{\theta_i} Q(s,a;\theta_i) \Big]$$
 The loss function:

For each time step, $\{s,a,r,s'\}$ is regarded as a transition, while θ_i is the weight at i-th time step, with y_i^{DQN} to be the target value to be updated only at the end of each episode. In the following Algorithm 1, the symbol ϕ is in fact a function with respect to θ , the same as the above-mentioned loss function.

Algorithm 1: deep Q-learning with experience replay.

Initialize replay memory D to capacity NInitialize action-value function Q with random weights θ Initialize target action-value function \hat{Q} with weights $\theta^- = \theta$ For episode = 1, M do

Initialize sequence $s_1 = \{x_1\}$ and preprocessed sequence $\phi_1 = \phi(s_1)$

For t = 1,T do

With probability ε select a random action a_t

otherwise select $a_t = \operatorname{argmax}_a Q(\phi(s_t), a; \theta)$

Execute action a_t in emulator and observe reward r_t and image x_{t+1}

Set $s_{t+1} = s_t, a_t, x_{t+1}$ and preprocess $\phi_{t+1} = \phi(s_{t+1})$

Store transition $(\phi_t, a_t, r_t, \phi_{t+1})$ in D

Sample random minibatch of transitions $(\phi_j, a_j, r_j, \phi_{j+1})$ from D

Set
$$y_j = \begin{cases} r_j & \text{if episode terminates at step } j+1 \\ r_j + \gamma \max_{a'} \hat{Q}(\phi_{j+1}, a'; \theta^-) & \text{otherwise} \end{cases}$$

Perform a gradient descent step on $(y_j - Q(\phi_j, a_j; \theta))^2$ with respect to the network parameters θ

Every C steps reset $\hat{Q} = Q$

End For

End For

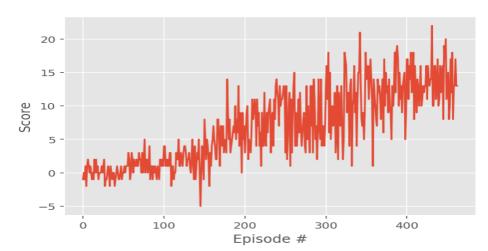
Source

Plot of Rewards:

Plot and report the number of episodes needed to solve the environment:

Episode 100	Average	Score:	0.55	
Episode 200	Average	Score:	3.53	
Episode 300	Average	Score:	7.81	
Episode 400	Average	Score:	11.17	
Episode 463	Average	Score:	13.00	
Environment solved in 363 episodes!				

Total Training time = 9.9 min



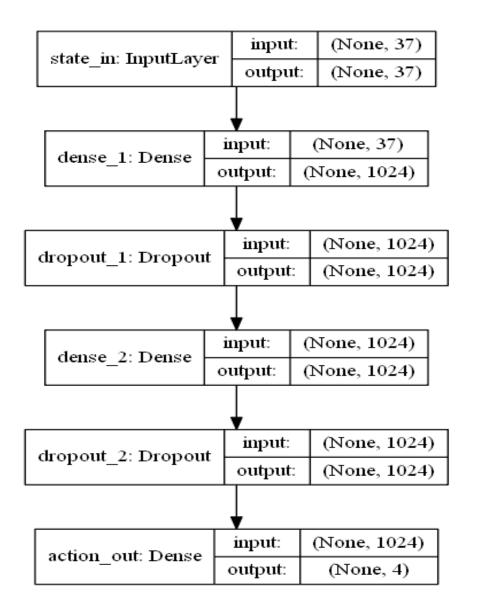
Average Score: 13.00

The problem was solved by taking merely 363 episodes, comparable to a benchmark metric of 1800 episodes, within only 9.9 minutes training on an RTX 2060 GPU locally. See the <u>result</u> uploaded to YouTube of an agent collecting bananas efficiently.

Parameters are as follows (using Keras):

Layer (type)	Output	Shape	Param #
state_in (InputLayer)	(None,	37)	0
dense_1 (Dense)	(None,	1024)	38912
dropout_1 (Dropout)	(None,	1024)	0
dense_2 (Dense)	(None,	1024)	1049600
dropout_2 (Dropout)	(None,	1024)	0
action_out (Dense)	(None,	4)	4100

Total params: 1,092,612 Trainable params: 1,092,612 Non-trainable params: 0



Note that initially in hidden layers only 64 units have been assigned for each layer, and the model fails to converge at an early stage. After adding units up to 1024 for each the performance still cannot converge ideally before 1800 episodes, but it is discovered that the score grew faster at early episodes than the 64-unit-layers model architecture, which might be caused by too much correlations produced between different state samples. As a result, two Dropout layers were introduced with 0.2 possibility for each to be dropped out immediately after each hidden layer as a solution. The model finally yields to a much better result as it not only converges faster than previous model structures, but also completed training by acquiring an average score of +13 points within 363 episodes, even better than many incumbent models.

Ideas of Future Work:

- 1. Lessening numbers of parameters might help increase the efficiency of Q-Network.
- 2. Integrating all DQNs in fashion into the Rainbow will be highly likely to optimize the final performance.