Week 5 Quiz

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Due Monday Oct 21st, 11:59pm

Instructions

Replace the Name and UNI in cell above and the notebook filename

Replace all '____' below using the instructions provided.

When completed,

In [1]: **import** pandas **as** pd

- 1. make sure you've replaced Name and UNI in the first cell and filename
- 2. Kernel -> Restart & Run All to run all cells in order
- 3. Print Preview -> Print (Landscape Layout) -> Save to pdf
- 4. post pdf to GradeScope

```
import numpy as np
        import matplotlib.pyplot as plt
        import seaborn as sns
        sns.set style('darkgrid')
        %matplotlib inline
In [2]: # Sklearn provides a set of commonly used example datasets.
        # They can be accessed through the datasets submodule.
        from sklearn import datasets
        # We're going to use the Linnerud dataset to practice Regression in sklearn.
        # The Linnerud dataset is a tiny multi-output regression dataset. It consist
        # of three excercise (data) and three physiological (target) variables
        # collected from twenty middle-aged men in a fitness club.
        linnerud = datasets.load linnerud()
        # The features of the dataset contain data on 3 exercises
        # Chins - number of chinups
        # Situps - number of situps
        # Jumps - number of jumping jacks
        # Note that the features and target come as numpy matrices.
        # We'll first load the features into a pandas dataframe.
        df = pd.DataFrame(linnerud.data,columns=linnerud.feature_names)
```

We'll also add the target to our dataframe.

```
# Note also that this dataset contains multiple targets.
# We'll only consider one of them: Weight
df['Weight'] = linnerud.target[:,linnerud.target_names.index('Weight')]
# For more information on the dataset, uncomment the print command below
#print(linnerud.DESCR)
# print the first 3 rows
df.head(3)
```

Out[2]: Chins

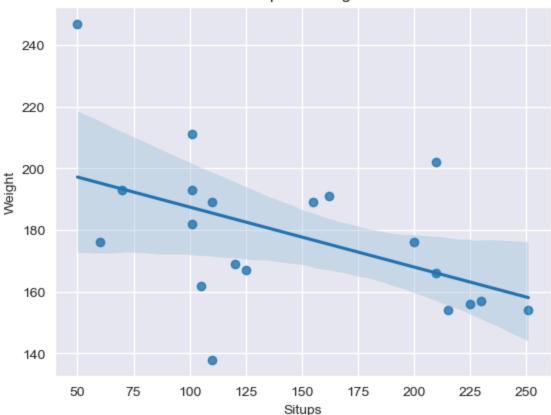
	Chins	Situps	Jumps	Weight
0	5.0	162.0	60.0	191.0
1	2.0	110.0	60.0	189.0
2	12.0	101.0	101.0	193.0

```
In [3]: # What is the relationship between Situps and Weight?

# Plot a scatterplot and best-fit line with
# Situps on the x-asix vs Weight on the y=axis
# using seaborn sns.regplot()

sns.regplot(x="Situps", y="Weight", data=df)
plt.title("Situps vs Weight")
plt.xlabel("Situps")
plt.ylabel("Weight")
plt.show()
```

Situps vs Weight



```
In [4]: # The above plot should indicate a potentially negative relationship
             between Situps and Weight
        # How much does Weight go down if Situps goes up?
        # To answer this we'll train a simple linear model.
        # First import LinearRegression from sklearn.linear_model
        from sklearn.linear model import LinearRegression
        # Create a variable X containing the independent variable 'Situps'
        # Note that sklearn expects X to be two dimensional
            so you must use one of the methods discussed in class
            to return a two dimensional object
        X = df[['Situps']]
        # Create a variable y containing the dependent variable 'Weight'
        # Note that y should only be one dimensional,
             so a Series (single column of a dataframe) works fine here
        y = df['Weight']
        # Instantiate a LinearRegression object with default parameter settings
            and store as lr
        lr = LinearRegression()
        # Fit lr using the X and y defined above
        lr.fit(X, y)
        # Using the learned parameters in coef_,
            by how much do we expect Weight to go down when Situps goes up by 1?
```

```
# Print with a precision of 2
print(f"Weight goes down by {lr.coef_[0]:.2f} when Situps goes up by 1.")

# Using the learned parameter intercept_,
# what should we expect weight to be when when Situps is 0?
# Print with a precision of 2
print(f"Expected weight when Situps is 0 is {lr.intercept_:.2f}.")
```

Weight goes down by -0.19 when Situps goes up by 1. Expected weight when Situps is 0 is 206.92.

```
In [8]: # How is Weight related to all 3 features?
        # Create a list containing the 3 feature names we're interested in
             as strings: Chins, Situps, Jumps
        # Store as feature names
        # We do this to make sure we don't include 'Weight' in the
            regression as an independent variable
        from sklearn.linear model import LinearRegression
        feature_names = ['Chins', 'Situps', 'Jumps']
        # Instantiate a second LinearRegression model with default parameters
        # and store as mlr
        # Fit this model using all of the columns in feature names and our y from at
        mlr = LinearRegression()
        mlr.fit(df[feature_names], y)
        # For each feature name in feature_names, print out the name and
             corresponding learned coefficient
        # It looks like one of the features actually has a positive relationship.
        # Print coefficient values with a precision of 2.
        for feature, coef in zip(feature_names, mlr.coef_):
            print(f"{feature}: {coef:.2f}")
```

Chins: -0.48 Situps: -0.22 Jumps: 0.09

```
In [12]: # NOT REQUIRED

# For those that are interested exploring how statsmodels works
! pip install statsmodels

# Import the statsmodels api as sm
import statsmodels.api as sm

# Store the 3 features from df as X
X = df[feature_names]

# Add a constant to X (in order to learn the bias term) using sm.add_constant
X = sm.add_constant(X)

# Instantiate and fit an OLS model using X and df.Weight as y
# and store as sm_model
# Note that in OLS, the target y is the first parameter!
sm_model = sm.OLS(df.Weight, X).fit()
```

```
# Display the model summary
# Note that the coefficients in the summary match the values
# found above using sklearn
sm_model.summary()
```

Requirement already satisfied: statsmodels in /Users/jacksonzhao/miniconda3/envs/eods/lib/python3.9/site-packages (0.14.4)

Requirement already satisfied: numpy<3,>=1.22.3 in /Users/jacksonzhao/minico nda3/envs/eods/lib/python3.9/site-packages (from statsmodels) (1.26.4)
Requirement already satisfied: scipy!=1.9.2,>=1.8 in /Users/jacksonzhao/mini conda3/envs/eods/lib/python3.9/site-packages (from statsmodels) (1.13.1)
Requirement already satisfied: pandas!=2.1.0,>=1.4 in /Users/jacksonzhao/min iconda3/envs/eods/lib/python3.9/site-packages (from statsmodels) (2.2.2)
Requirement already satisfied: patsy>=0.5.6 in /Users/jacksonzhao/miniconda 3/envs/eods/lib/python3.9/site-packages (from statsmodels) (0.5.6)
Requirement already satisfied: packaging>=21.3 in /Users/jacksonzhao/minicon da3/envs/eods/lib/python3.9/site-packages (from statsmodels) (24.1)
Requirement already satisfied: python-dateutil>=2.8.2 in /Users/jacksonzhao/miniconda3/envs/eods/lib/python3.9/site-packages (from pandas!=2.1.0,>=1.4-> statsmodels) (2.9.0.post0)

Requirement already satisfied: pytz>=2020.1 in /Users/jacksonzhao/miniconda 3/envs/eods/lib/python3.9/site-packages (from pandas!=2.1.0,>=1.4->statsmode ls) (2024.1)

Requirement already satisfied: tzdata>=2022.7 in /Users/jacksonzhao/minicond a3/envs/eods/lib/python3.9/site-packages (from pandas!=2.1.0,>=1.4->statsmod els) (2023.3)

Requirement already satisfied: six in /Users/jacksonzhao/miniconda3/envs/eod s/lib/python3.9/site-packages (from patsy>=0.5.6->statsmodels) (1.16.0)

Out[12]:

OLS Regression Results

Dep. Variable:		Weight		R-squared:		ed:	0.268	
Model:		OLS		Adj. R-squared:		ed:	0.131	
Method:		Least Squares		F-statistic:		ic:	1.952	
Date:		Fri, 11 Oct 2024		Prob (F-statistic):			0.162	
Time:		21:36:23		Log-Likelihood:		od: -8	-88.876	
No. Observations:		20		AIC:		IC:	185.8	
Df Residuals:		16		BIC:		IC:	189.7	
Df Model:			3					
Covariance Type:		nonrobust						
	coef	std err	t	P> t	[0.025	0.97	5]	
const	coef 208.2335	std err 13.451	t 15.481	P> t 	[0.025 179.718	0.97 236.74	_	
const			_		-		49	
	208.2335	13.451	15.481	0.000	179.718	236.74	49 78	
Chins	208.2335	13.451	15.481	0.000	-3.428	236.74	49 78 74	
Chins Situps Jumps	208.2335 -0.4750 -0.2177 0.0931	13.451 1.393 0.138	15.481 -0.341 -1.583	0.000 0.738 0.133 0.512	-3.428 -0.509 -0.201	236.74	49 78 74	
Chins Situps Jumps	208.2335 -0.4750 -0.2177 0.0931	13.451 1.393 0.138 0.139	15.481 -0.341 -1.583 0.671	0.000 0.738 0.133 0.512 Watson:	179.718 -3.428 -0.509 -0.201 2.213	236.74	49 78 74	

 Prob(Omnibus):
 0.524
 Jarque-Bera (JB):
 0.219

 Skew:
 0.077
 Prob(JB):
 0.896

 Kurtosis:
 3.489
 Cond. No.
 463.

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.