

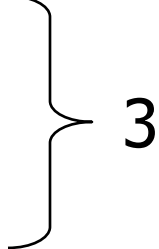
Efficiency

# Runtime Efficiency

- **efficiency:** A measure of the use of computing resources by code.
  - can be relative to speed (time), memory (space), etc.
  - most commonly refers to run time
- Assume the following:
  - Any single program statement takes the same amount of time to run.
  - A function runtime is measured by the total of the statements inside the function body.
  - A loop's runtime, if the loop repeats  $N$  times, is  $N$  times the runtime of the statements in its body.

# Efficiency examples

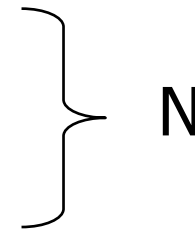
**statement1**  
**statement2**  
**statement3**



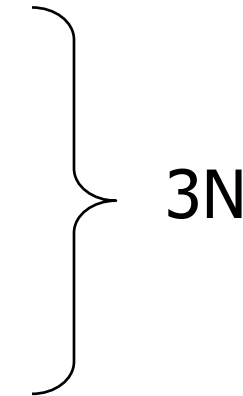
3

For range 1 to N  
**statement4**

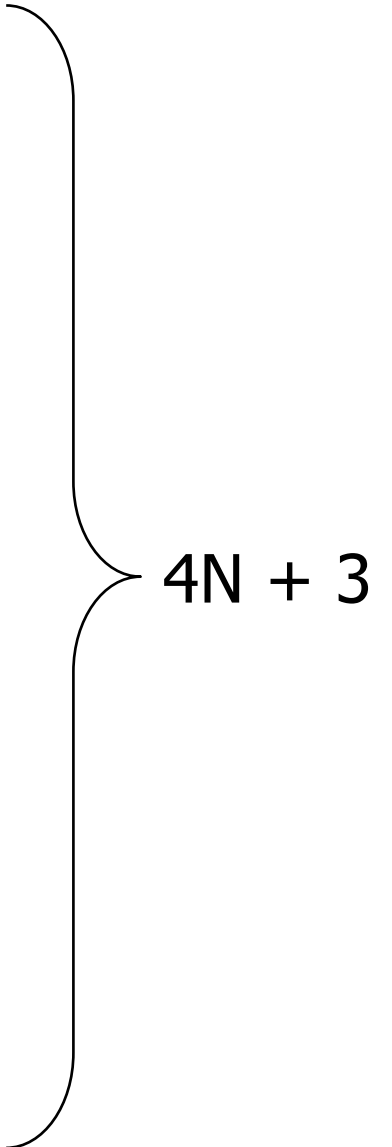
For range 1 to N  
**statement5**  
**statement6**  
**statement7**



N



3N



$4N + 3$

# Efficiency examples 2

For range 1 to N  
For range 1 to N  
**statement1**

$N^2$

For range 1 to N  
**statement2**  
**statement3**  
**statement4**  
**statement5**

$4N$

$N^2 + 4N$

- How many statements will execute if  $N = 10$ ? If  $N = 1000$ ?

# Algorithm growth rates

- We measure runtime in proportion to the input data size,  $N$ .
  - **growth rate**: Change in runtime as  $N$  changes.
- Say an algorithm runs  $0.4N^3 + 25N^2 + 8N + 17$  statements.
  - Consider the runtime when  $N$  is *extremely large*.
  - We ignore constants like 25 because they are tiny next to  $N$ .
  - The ***highest-order term ( $N^3$ ) dominates*** the overall runtime.
  - We say that this algorithm runs "on the order of"  $N^3$ .
  - or  **$O(N^3)$**  for short ("Big-Oh of  $N$  cubed")

# Big O?

```
count = 0
while (count < n)
  repeat = 0
  while (repeat < n)
    statement1
    statement2
    statement3
    statement4
  end inner while
end outer while
```

- A)  $O(1)$
- B)  $O(n)$
- C)  $O(\log_2 n)$
- D)  $O(n^2)$
- E)  $O(2^n)$



# Efficiency – Big O?

```
search(list[], a)
```

```
    N = number of elements in list
```

```
    count = 0
```

```
    while count < N do the following
```

```
        if (list[count] == a) // if matches
```

```
            return count // return the position
```

```
        count++
```

```
    return -1 // not found
```

```
End search
```

A)  $O(1)$

B)  $O(n)$

C)  $O(\log_2 n)$

D)  $O(n^2)$

E)  $O(2^n)$



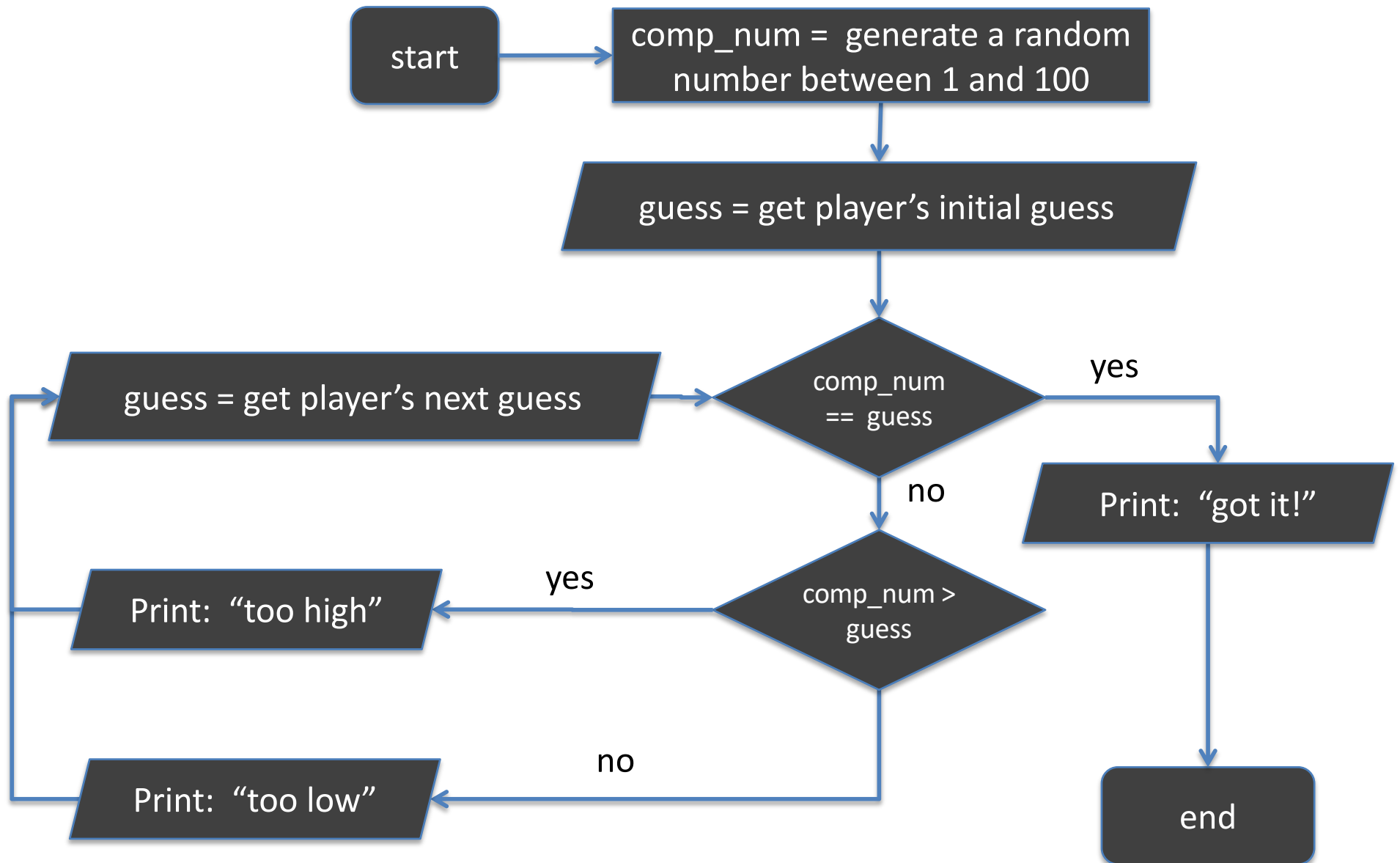
# Recall our game from yesterday...

- A number between 1 and 100 is generated
- The player tries to guess the number.
- Each time the player guesses, the player is told if their guess is correct, too high, or too low.
- What strategy did our guessers use to guess?

# Design a guessing algorithm

- Design an algorithm for playing against the game
- Create a flowchart and pseudocode that represents your algorithm

# flowchart



# Algorithm exercise: guessing game

**Assumptions:** **comp\_num** will be an integer taken at random between 1 and 100  
**players\_guess** will be an integer between 1 and 100.

**comp\_num** = an int selected at random between 1 and 100

**players\_guess** = an int entered by player between 1 and 100

**WHILE** **players\_guess** != **comp\_num**

    Check **IF** **players\_guess** > **comp\_num**

**PRINT** “Your number is too high. Guess again.”

**ELSE**

**PRINT** “Your number is too low. Guess again.”

**players\_guess** = an int entered by player between 1 and 100

    // player enters a new integer in **players\_guess** and it is

    // checked for equality with **comp\_num**

**END WHILE**

**Print** “You got it – finally!”

# Evaluating your Algorithm

- Does it halt?
- Does it generate the correct output for any input?
- Is it efficient?