组合

三维组合

```
process3D[ky_,kx_,kL_,kh_,ks_]:=
{
  gbapan,
  gzhuzuo,
  gchangshuzhigan,
  gticksbapan,
  gtickszhuzuo,
  gbzqiuzuo,
  fbahuan[kx],
  fzhichengqiuzhu[ky],
  fshuzhibiaogan[ks+3.5+2,ky],
  fticksbiaogan[ks+3.5+2,ky+1],
  fgaodudingweiqi[ks+3.5+2,ky+1+kh],
  fbaixiangudingduan[ky+1+kL]
};
```

二维组合

```
process2D[ky_,kL_,kh_,ks_]:=
{
  gpbapan,
  gpzhuzuo,
  gpbzqiuzuo,
  fpzhichengqiuzhu[ky],
  fpshuzhibiaogan[ks+3.5+2,ky],
  fpgaodudingweiqi[ks+3.5+2,ky+1+kh],
  fpbaixiangudingduan[ky+1+kL]
};
```

小球运动的控制

```
processBall[
ky_,kx_,kL_,kh_,ks_,km1_,km2_,e_,ΔEf_,g_,t_]:=

Module[{y,x,L,h,s,m1,m2,yball1,zball1,yball2,zball2,t1,t2,t3,Δh, θ0,vq,θ,θh,fθ,v2,gbaixian,baixianfunction,gshoulifenxi},

(*/单位换算*)
y=ky/100;
x=kx/100;
L=kL/100;
h=kh/100;
s=ks/100;
m1=km1/1000;
m2=km2/1000;
```

```
(*单位换算/*)
 (*/微分方程与时间划分*)
\Delta h = Chop[Sqrt[L^2-s^2]-(L-h)];
\Theta 0 = \pi/2 - ArcSin[s/L];
t1=Sqrt[2\Delta h/g];
vq=Sqrt[2q \( \Delta h \)] s/L;
\texttt{f}\theta = (\theta / .\texttt{NDSolve}[\{\theta ' \, ' \, [\texttt{tx}] \, \texttt{==g/L} \, \, \texttt{Sin}[\pi / 2 - \theta \, [\texttt{tx}] \, ] \, , \texttt{L} \, \, \theta ' \, [\texttt{t1}] \, \texttt{==vq}, \theta \, [\texttt{t1}] \, \texttt{==}\theta 0 \} \, ,
\theta, {tx,t1,0.5}][[1,1]]);
\Thetah=f\Theta'';
t2=t1;
While [\Theta h[t2] > 0, t2 = t2 + 0.0001];
t3=t2+Sqrt[(2y)/g];
 (*微分方程与时间划分/*)
 (*/速度换算_平抛初速度*)
Sqrt[L^2-s^2])+L^2(m1+m2)^2\Delta Ef)/(L^2m2(m1+m2)^2)];
 (*速度换算_平抛初速度/*)
 (*/小球坐标的计算*)
yball1:=ks+2/;0<=t<=t1;
yball1:=2+kL Cos[f\theta[t]]/;t1<t<=t2;
yball1:=2/;t2<t;
zball1:=kh+ky+1-100 1/2 q t^2/;0<=t<=t1;
zball1:=ky+kL+1-kL Sin[f\theta[t]]/;t1<t<=t2;
zball1:=ky+1/;t2<t;
ybal12:=0/;0<=t<=t2;
yball2:=-100v2(t-t2)/;t2<t<=t3;
yball2:=-100v2(t3-t2)/;t3<t;
zball2:=ky+1/;0<=t<=t2;
zball2:=ky+1-100 1/2 g (t-t2)^2/;t2<t<=t3;
zball2:=ky+1-100 \ 1/2 \ g \ (t3-t2)^2/;t3<t;
 (*小球坐标的计算/*)
 (*/摆线*)
baixianfunction=fbaixian[2,ky+1+kL,yball1,zball1,kL];
gbaixian:=Line[Table[{0,i,baixianfunction[i]},{i,2,yball1,
0.1}]]/;0<=t<t2;
gbaixian:=Line[{\{0,2,ky+1+kL\},\{0,yball1,zball1\}}]/;t2<=t;
 (*摆线/*)
 (*/受力分析*)
{\tt gshoulifenxi:=\{}\,{\tt }/{\tt ;t1<0.01\&\&0<=t<0.01|}\,|\,{\tt t1>=0.01\&\&0<=t<=t1-t1>=0.01\&\&0<=t<=t1-t1>=0.01\&\&0<=t<=t1-t1>=0.01\&\&0<=t<=t1-t1>=0.01\&\&0<=t<=t1-t1>=0.01&&0<=t<=t1-t1>=0.01&&0<=t<=t1-t1>=0.01&&0<=t<=t1-t1>=0.01&&0<=t<=t1-t1>=0.01&&0<=t<=t1-t1>=0.01&&0<=t<=t1-t1>=0.01&&0<=t<=t1-t1>=0.01&&0<=t<=t1-t1>=0.01&&0<=t<=t1-t1>=0.01&&0<=t<=t1-t1>=0.01&&0<=t<=t1-t1>=0.01&&0<=t<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1>=0.01&&0<=t1-t1
0.01 | |t>t1+0.01;
gshoulifenxi:=fshoulifenxi[Sqrt[2g \Deltah],\pi/2-\theta0,yball1,
 zball1]/;t1-0.01<t<=t1+0.01&&t1>=0.01;
 (*受力分析/*)
finalx=100v2(t3-t2);
(*/返回小球对象*)
Return[
{{GrayLevel[0.5],Specularity[1,50],
Sphere[{0,yball1,zball1}],
Sphere[{0,yball2,zball2}]},
gbaixian,
gshoulifenxi,
```

```
If[t>=t3,{Red,Line[{{-6,yball2,0.01},{6,yball2,0.01}}]}]
}
];
(*返回小球对象/*)
];
```

最终时间

```
finaltime[ky_,kL_,kh_,ks_] :=
Module [\{\Delta h, \theta 0, f\theta, \theta h, vq, y, L, h, s, t1, t2, t3, \theta\},
(*/单位换算*)
y=ky/100;
L=kL/100;
h=kh/100;
s=ks/100;
(*单位换算/*)
(*/微分方程与时间划分*)
\Delta h = Chop[Sqrt[L^2-s^2]-(L-h)];
\Theta 0 = \pi/2 - ArcSin[s/L];
t1=Sqrt[2\Delta h/g];
vq=Sqrt[2g \Delta h] s/L;
f\theta = (\theta / . \texttt{NDSolve}[\{\theta \texttt{''}[\texttt{tx}] = = \texttt{g/L Sin}[\pi / 2 - \theta[\texttt{tx}]], \texttt{L }\theta \texttt{'}[\texttt{t1}] = = \texttt{vq}, \theta[\texttt{t1}] = = \theta 0\},
\theta, {tx,t1,0.5}][[1,1]]);
\theta h = f \theta'';
t2=t1;
While [\Theta h[t2] > 0, t2 = t2 + 0.0001];
t3=t2+Sqrt[(2y)/g];
(*微分方程与时间划分/*)
(*/返回结果*)
Return[t3];
(*返回结果/*)
```

恢复系数e测量实验数据处理程序

```
processe:=
Manipulate | w=Module [ \{u=\{\},i,y,m1,m2\},m1=m10/1000;
m2=m20/1000; y=y0/100;
For[i=1,i<=Length[data],i++,</pre>
u=Append[u, {data[[i,1]],100/(16 ml^2 y) (ml^2 (data[[i,1]]/100)^2+
 2 m1 m2 (data[[i,1]]/100)^2+m2^2 ( data[[i,1]]/100)^2),data[[i,2]]}]];u];
If [ii==1,
Module \{u=\{\}, uu=\{\}, f, b, s, e, ee, x, \Delta E0, i, y, m1, m2\},
m1=m10/1000;
m2=m20/1000;
y=y0/100;
For[i=1,i<=Length[data],i++,</pre>
u=Append[u,
\{1/(16 \text{ m1}^2 \text{ y}) (\text{m1}^2 (\text{data}[[i,1]]/100)^2+2 \text{ m1 m2} (\text{data}[[i,1])/100)^2+2 \text{ m1 m2} (\text{data}[[i,1])/1
m2^2 ( data[[i,1]]/100)^2),
1/2 m2 (data[[i,1]]/(100Sqrt[(2y)/g]))^2-
1/2 m2 (data[[i,2]]/(100Sqrt[(2y)/g]))^2}];
uu=Append[u,1/(16 m1^2 y) (m1^2 (data[[i,1]]/100)^2+
2 m1 m2 (data[[i,1]]/100)^2+m2^2 ( data[[i,1]]/100)^2)]
];
\texttt{f=Function[\{x\},Evaluate[Fit[u,\{1,x\},x]]];}
b=Fit[u, \{1,x\},x][[2,1]];
e=-1+Sqrt[g m1^2 m2 (4 g m1^2 m2-b (m1+m2)^2)]/(g m1^2 m2);
\triangle E0 = Fit[u, \{1,x\},x][[1]];
Column | {
Show[Plot[f[x], \{x, 0, Max[uu]\}, AxesOrigin \rightarrow \{0, 0\}], ListPlot[u],
ImageSize->400],
 "\n",
StringForm["恢复系数e为: ``",
                                                                                      NumberForm[e, {3,2}]
StringForm["固定能量损失为: `` J",
                                                                                                 ScientificForm[△E0,3]
 ,Column[{Style["
                                             测量恢复系数e",{Red,20}],"\n",
Control[\{\{y0,0,"y''\}\},InputField[\#,ImageSize->\{150,20\}]&}],
Control[{{m10,0," m1"},InputField[#,ImageSize->{150,20}]&}],
Control[\{\{ m20,0," m2" \}, InputField[\#, ImageSize->\{150,20 \}] \& \}],
Control \ [\ \{\{data,0,"data\n="\},InputField\ [\#,ImageSize->\{150,200\}\ ]\&\}\ ]\ ,
Row \ \ "
Button["检查",
                                          CreateDialog TableForm w,
TableHeadings->{None,{"打靶目标/cm","理论起落高度/cm","实际打靶位置/cm"}}],
WindowFrame->"Palette", WindowFloating->True
 ,Button["计算",If[Head[data]==List,ii=1]],
Button["重新输入",ii=0;data=0;y0=0;m10=0;m20=0;w=0],PopupWindow[Button["帮助"],
y 被撞球座的高度,单位为厘米;\n
m1为撞击球的质量, m2为被撞球的质量,单位都为克; \n
data为实验数据。\n
实验(测量)方法:
] } ] } ], ControlPlacement->Left, Initialization:>(ii=0;g=9.796;w=0),
Deinitialization:>FrontEndExecute[FrontEndToken["ToggleDynamicUpdating"]]
```