



# On Success and Simplicity: A Second Look at Transferable Targeted Adversarial Images

(对有目标对抗图像迁移性的反思)

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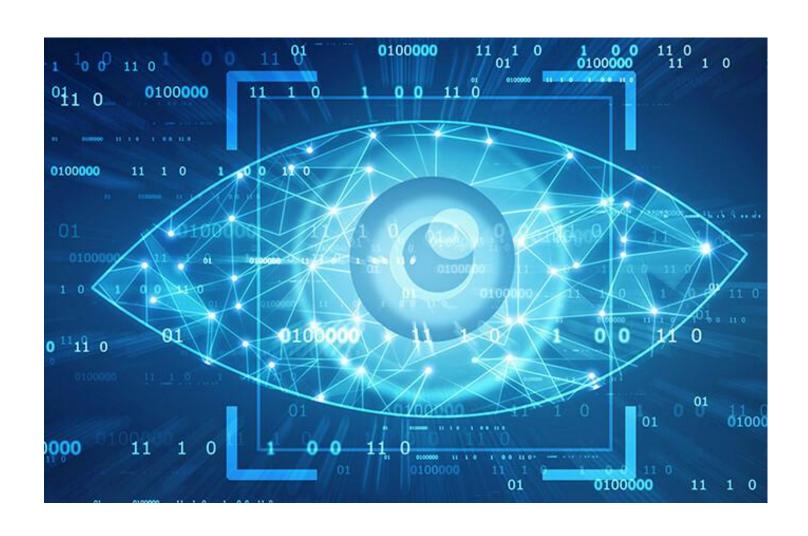




- Background of Computer Vision
- Adversarial Image (对抗图像) and its transferability (迁移性)
- New insights into targeted (有目标) transferability
- Summary & Future work



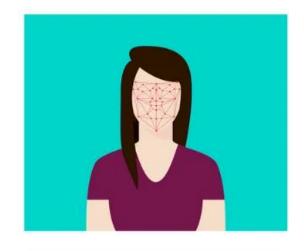
## Background: Computer Vision (计算机视觉)



#### **Background: Computer Vision Applications**





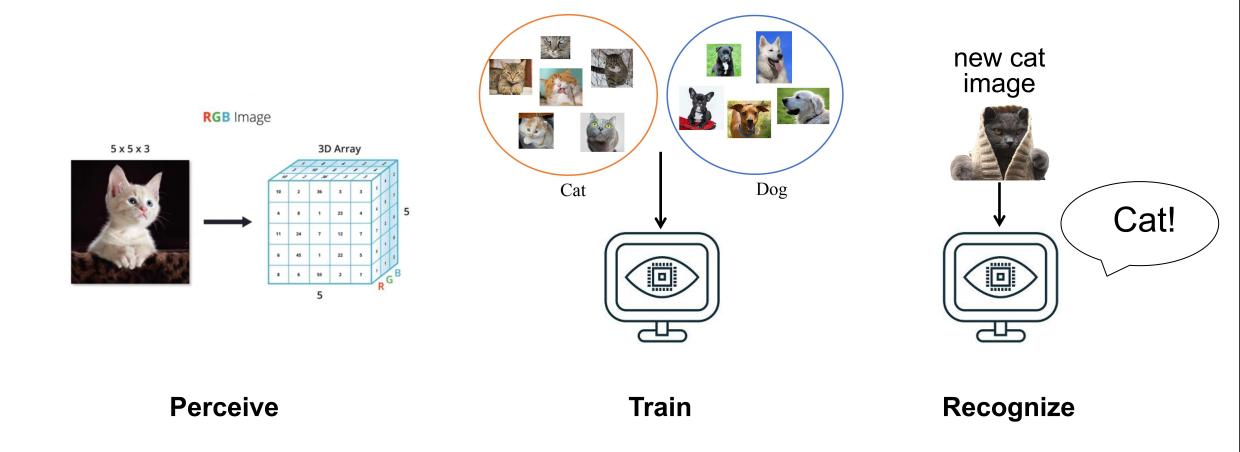


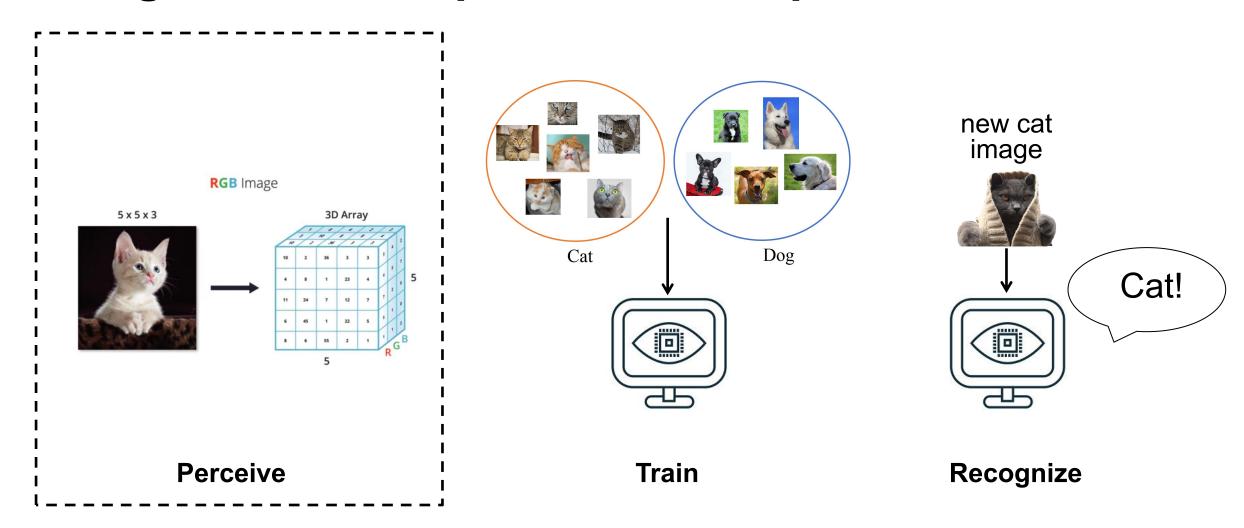


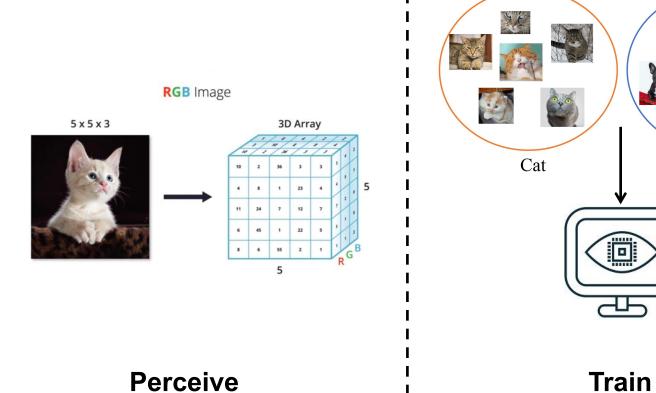


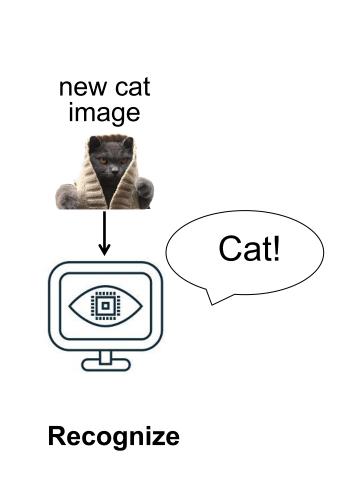


Applications in different areas



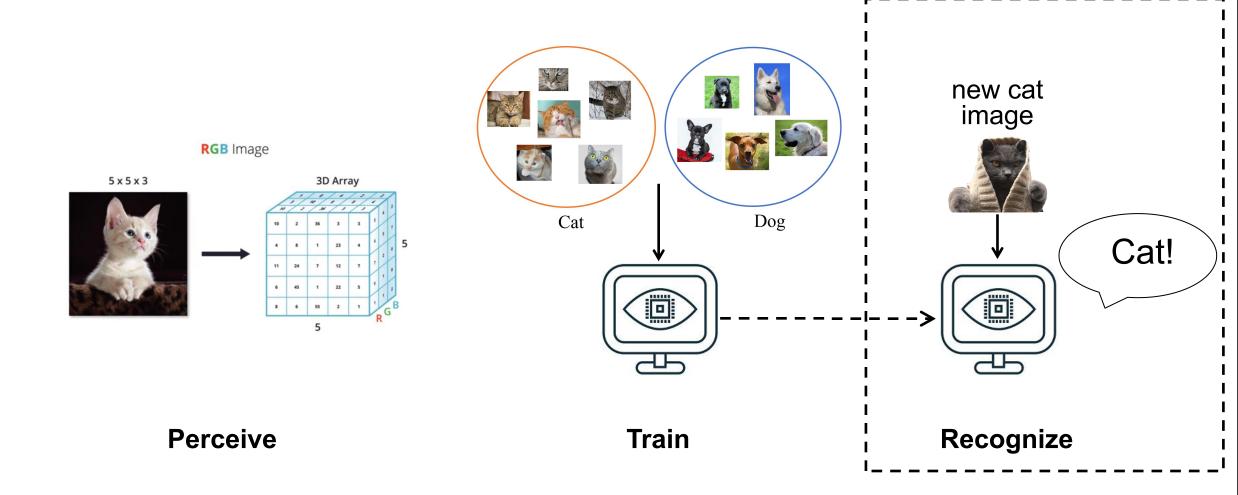




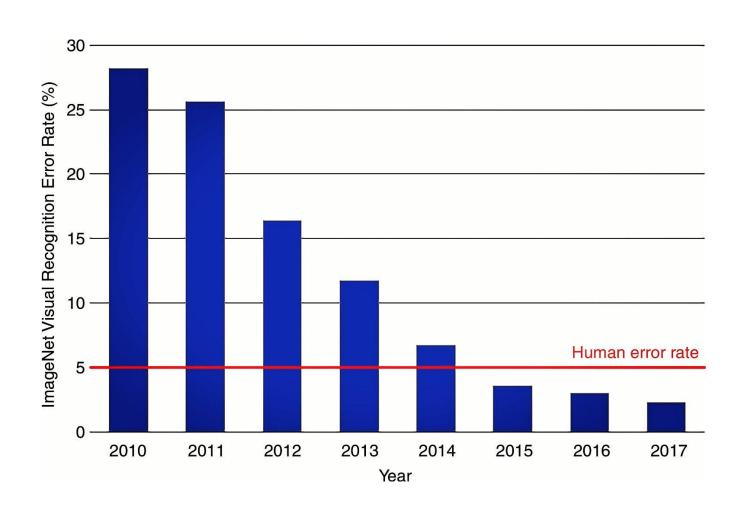


Dog

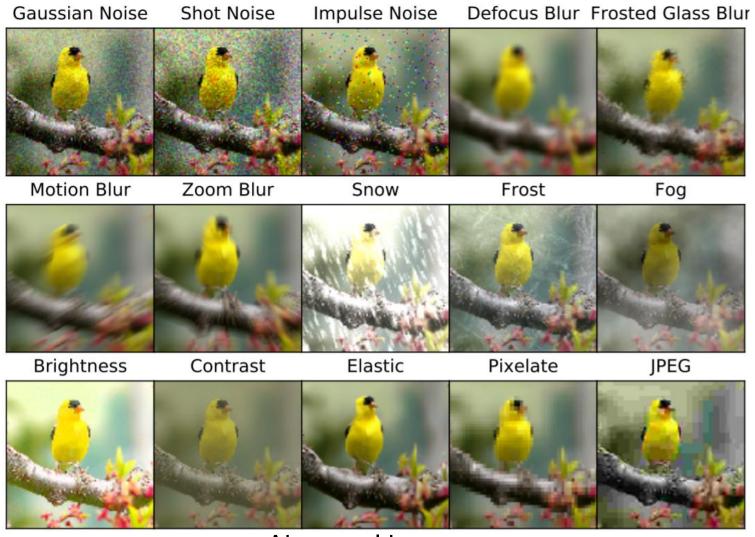
**Perceive** 



#### **Background: Successful Computer Vision**

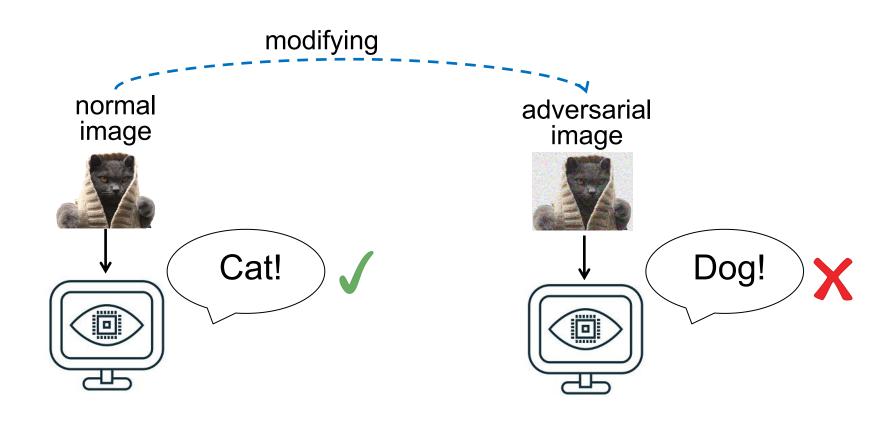


#### **Background: Failed Computer Vision**



Abnormal images

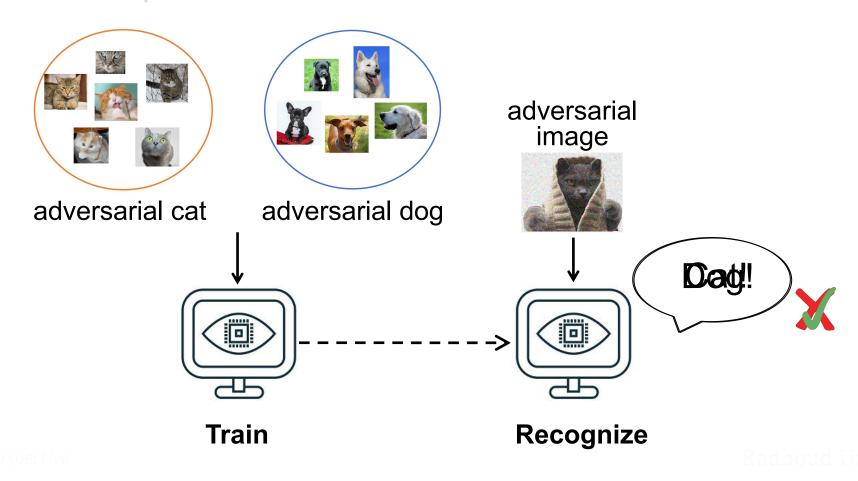
# Failed Computer Vision: Adversarial Images (对抗图像)



#### **Adversarial Images: Motivations**

#### Improve **good** computer vision:

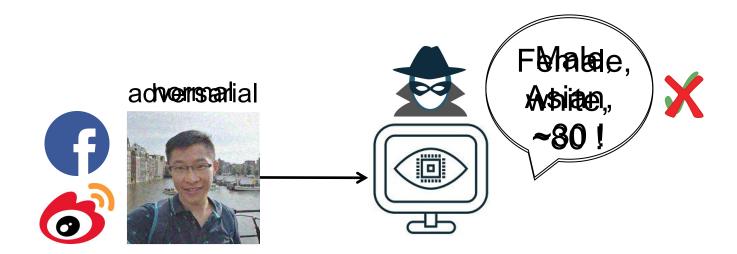
Weaken bad computer vision:



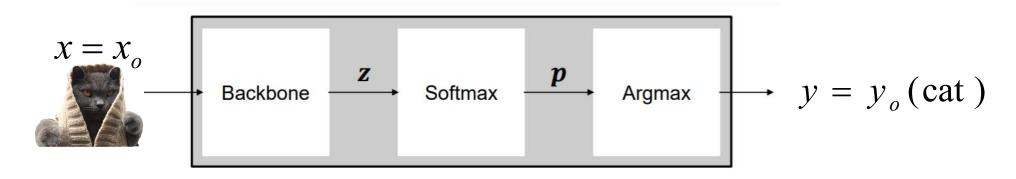
#### **Adversarial Images: Motivations**

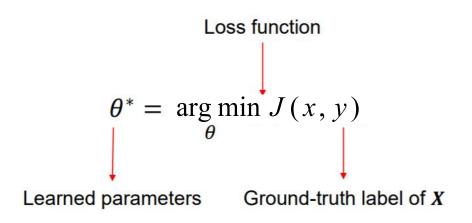
Improve good computer vision:

Weaken **bad** computer vision:



## Adversarial Images: How to generate?





$$x' = \arg\max_{x} J(x, y_o)$$

Untargeted (无目标): any class other than  $\mathcal{Y}_o$ 

$$x' = \arg\min J(x, y_t)$$

**Targeted** (有目标): one specific class  $y_t$ 

$$\| x' - x_o \|_{\infty} \leq \varepsilon$$

## (Targeted) Adversarial Images: Optimization

Objective function: 
$$x' = \underset{x}{\operatorname{arg min}} J(x, y_t)$$
 s.t.  $\|x - x_o\|_{\infty} \le \varepsilon$ 

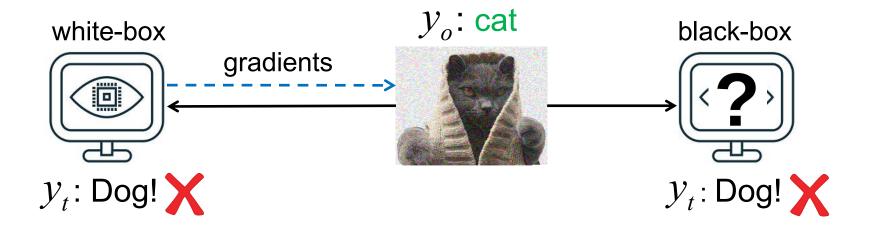
Optimization: Iterative-Fast Gradient Sign Method (I-FGSM)<sup>[1]</sup>

$$x'_0 = x_o, \quad x'_{i+1} = x'_i - \alpha \cdot \operatorname{sign}(\nabla_x J(x'_i, y_i))$$

$$x'_{i+1} \leftarrow \text{clip}(x'_{i+1} - x_o, -\varepsilon, \varepsilon)$$



#### (Targeted) Adversarial Images: Transferability



## **Targeted Transferability via Iterative Methods**

Iterative-Fast Gradient Sign Method (I-FGSM)<sup>[1]</sup>:  $x'_0 = x_o$ ,  $x'_{i+1} = x'_i - \alpha \cdot \text{sign}(\nabla_x J(x'_i, y_i))$ 

Improve transferability

- Gradient stabilization<sup>[2,3]</sup> e.g. momentum-based<sup>[2]</sup>:

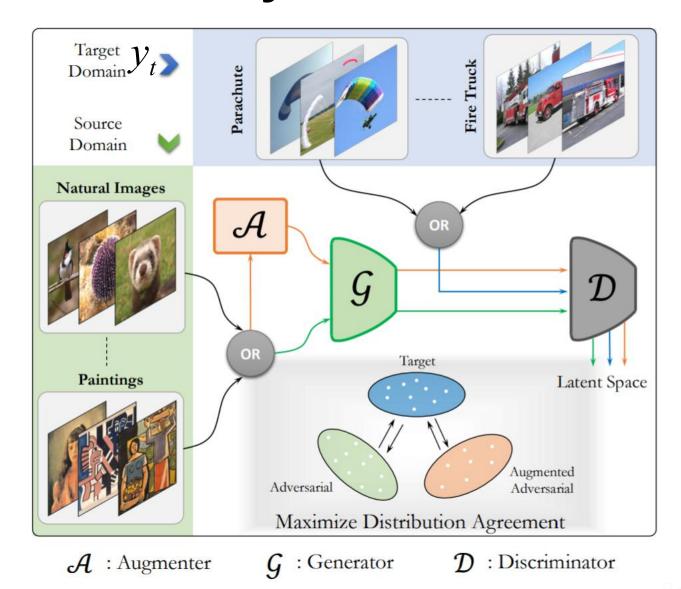
$$g_{i+1} = \mu \cdot g_i + \frac{\nabla_{\boldsymbol{x}} J(\boldsymbol{x}_i', y_t)}{\|\nabla_{\boldsymbol{x}} J(\boldsymbol{x}_i', y_t)\|_1}$$
$$\boldsymbol{x}_{i+1}' = \boldsymbol{x}_i' - \alpha \cdot \operatorname{sign}(\boldsymbol{g}_i)$$

- Input augmentation<sup>[4,5,6]</sup> e.g. random transformations<sup>[5]</sup>:

$$\mathbf{x}'_{i+1} = \mathbf{x}'_i - \alpha \cdot \operatorname{sign}(\nabla_{\mathbf{x}} J(T(\mathbf{x}'_i, p), y_t))$$

- 1. Kurakin et al. Adversarial Examples in the Physical World. ICLR workshop 2017
- 2. Dong et al. Boosting Adversarial Attacks with Momentum. CVPR 2018.
- 3. Lin et al. Nesterov Accelerated Gradient and Scale Invariance for Adversarial Attacks. ICLR 2020
- 4. Dong et al. Evading Defenses to Transferable Adversarial Examples by Translation-Invariant Attacks. CVPR 2019
- 5. Xie et al. Improving Transferability of Adversarial Examples with Input Diversity. CVPR 2019
- 6. Wang et al. Admix: Enhancing the transferability of adversarial attacks. ICCV, 2021.

#### **Targeted Transferability via Generative Methods**



#### **Iterative vs. Generative Methods**

Iterative methods

VS.

Generative methods

Data: Single Input image

Massive additional Data

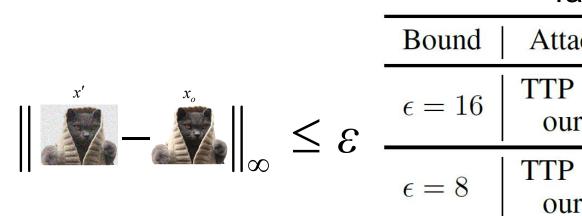
Model: Single target-agnostic model

Multiple target-specific GANs

• (Targeted) Transferability: Iterative methods << Generative methods

## New Insights into Iterative Methods: Conclusion

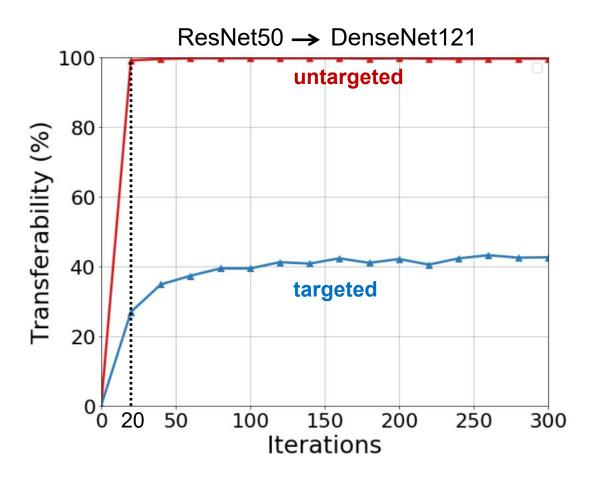
• (Targeted) Transferability: Iterative methods 🔀 Generative methods



#### Targeted Transferability (%)

Bound	Attack	D121	V16	D121-ens	V16-ens
$\epsilon = 16$	TTP [8] ours	<b>79.6</b> 75.9	<b>78.6</b> 72.5	92.9 <b>99.4</b>	89.6 <b>97.7</b>
$\epsilon = 8$	TTP [8] ours	37.5 <b>44.5</b>	46.7 <b>46.8</b>	63.2 <b>92.6</b>	66.2 <b>87.0</b>

#### New Insights into Iterative Methods: More Iterations



Few (≤ 20) iterations in the literature:

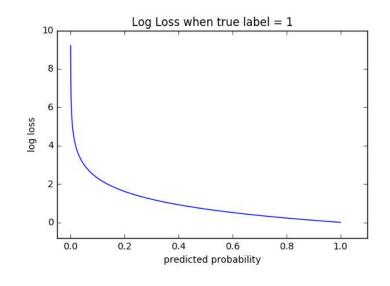
- not converge to optimal
- unrealistic iteration budget.

#### **New Insights into Iterative Methods: Better Loss**

Cross-Entropy loss ( $L_{CE}$ ) causes decreasing gradient problem:

$$L_{CE} = -1 \cdot \log(p_t) = -\log(\frac{e^{z_t}}{\sum e^{z_j}}) = -z_t + \log(\sum e^{z_j}),$$

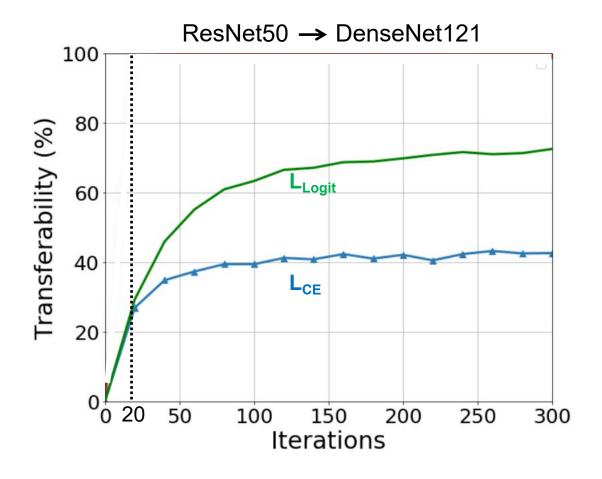
$$\frac{\partial L_{CE}}{\partial z_t} = -1 + \frac{\partial \log(\sum e^{z_j})}{\partial e^{z_t}} \cdot \frac{\partial e^{z_t}}{\partial z_t} = -1 + \frac{e^{z_t}}{\sum e^{z_j}} = -1 + p_t.$$



Logit loss ( $L_{Logit}$ ) is better:

$$L_{Logit} = -z_t, \ \frac{\partial L_{Logit}}{\partial z_t} = -1.$$

#### **New Insights into Iterative Methods: Better Loss**

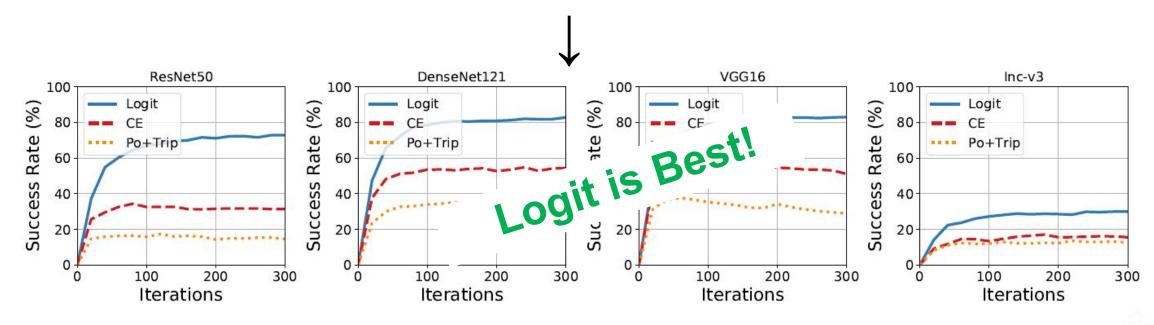


More challenging&realistic scenarios:

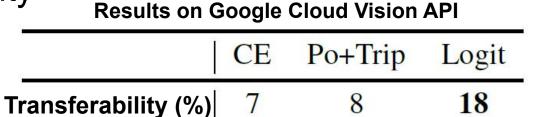
- 1. Model diversity
- 2. Target class diversity

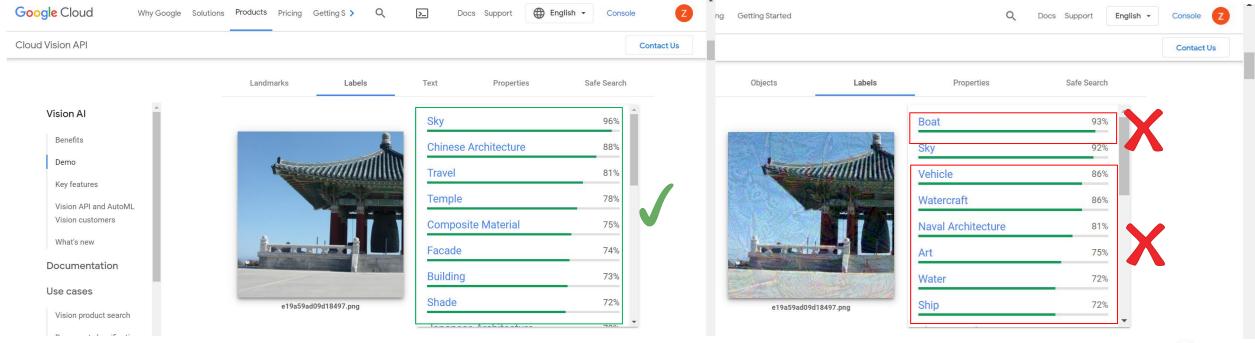
#### 1. Model diversity

Attack	-Inc-v3	-Inc-v4	-IncRes-v2	-Ro-	-Res101	-Res152	Average
CE	85.3	83.3	Satur	ation	93.2	90.7	87.7
Po+Trip	84.4	82.4	Satur	85.0	87.9	85.7	84.4
Logit	85.5	85.8	1،در	90.0	91.4	90.8	88.1

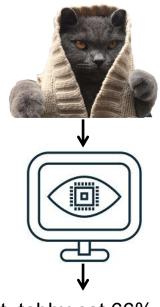


1. Model diversity





#### 2. Target class diversity



1st: tabby cat 66% 2nd: tiger cat 28% 3rd: Egyptian cat 5%

- - -

1000th: airplane 0.1%

Transferability (%) when varying the target class  $\mathcal{Y}_t$ .

Attack 2n	d 10th	200th	500th	800th	1000th
CE <b>89</b> Po+Trip 82 Logit 83	.9 76.7 .6 77.6	49.7 58.4	43.1 53.6	37.0 49.1	25.1 38.2 <b>52.8</b>

The further the target is, the more difficult it is to transfer.

Logit is best.

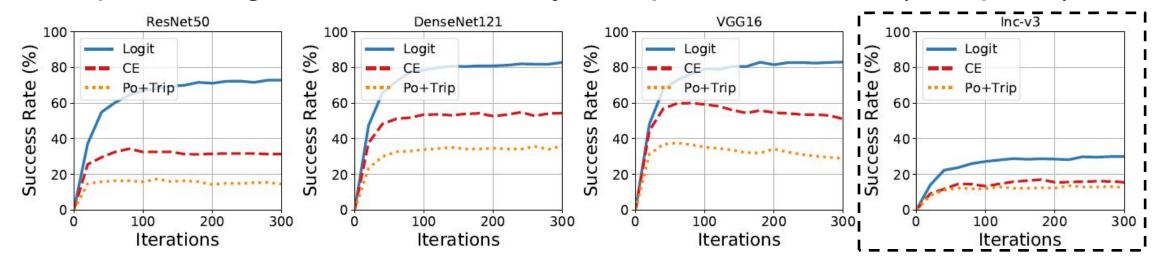
## **Summary**

- (Targeted) Transferability: Iterative methods
   Generative methods
  - More iterations
  - Better loss: Logit
- Better evaluation (More challenging&realistic scenarios)
  - Model diversity
  - Target class diversity

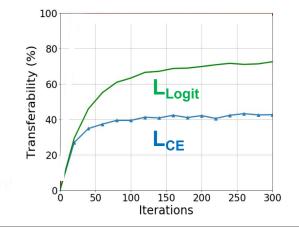
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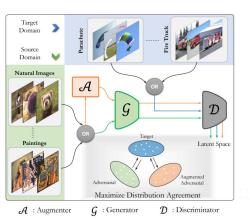
#### **Future Work**

1. Improve targeted transferability on specific models (Inception).



2. Speed up iterative methods with generative priors.







论文: https://arxiv.org/abs/2012.11207

代码: https://github.com/ZhengyuZhao/Targeted-Tansfer

个人主页: https://zhengyuzhao.github.io/

