# Standard Code Library

111

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# 一切的开始

#### 宏定义

● 需要 C++11

```
#include <bits/stdc++.h>
   using namespace std;
   using LL = long long;
   #define FOR(i, x, y) for (decay < decltype(y) > :: type i = (x), _##i = (y); i < _##i; ++i)
   #define FORD(i, x, y) for (decay < decltype(x) > :: type i = (x), _##i = (y); i > _##i; --i)
   #ifdef zerol
   #define dbg(x...) do { cout << "\033[32;1m" << \#x << " -> "; err(x); } while (0)
   void err() { cout << "\033[39;0m" << endl; }</pre>
   template<template<typename...> class T, typename t, typename... A>
   void err(T<t> a, A... x) { for (auto v: a) cout << v << ' '; err(x...); }</pre>
   template<typename T, typename... A>
11
   void err(T a, A... x) { cout << a << ' '; err(x...); }</pre>
   #else
13
   #define dbg(...)
   #endif
15
```

## 数据结构

#### ST 表

二维

```
int f[maxn][maxn][10][10];
    inline int highbit(int x) { return 31 - __builtin_clz(x); }
    inline int calc(int x, int y, int xx, int yy, int p, int q) {
        return max(
            \max(f[x][y][p][q], f[xx - (1 << p) + 1][yy - (1 << q) + 1][p][q]),
            \max(f[xx - (1 << p) + 1][y][p][q], f[x][yy - (1 << q) + 1][p][q])
        );
7
   }
    void init() {
        FOR (x, \theta, highbit(n) + 1)
        FOR (y, 0, highbit(m) + 1)
11
            FOR (i, 0, n - (1 << x) + 1)
12
            FOR (j, 0, m - (1 << y) + 1) {
13
                if (!x && !y) { f[i][j][x][y] = a[i][j]; continue; }
14
15
                f[i][j][x][y] = calc(
16
                    i, j,
                    i + (1 << x) - 1, j + (1 << y) - 1,
17
                    max(x - 1, 0), max(y - 1, 0)
18
                );
19
            }
20
21
22
    inline int get_max(int x, int y, int xx, int yy) {
        return calc(x, y, xx, yy, highbit(xx - x + 1), highbit(yy - y + 1));
23
24
   }
    树状数组
    int t[N], n;
   inline int lowbit(int x) { return x & (-x); }
```

10 }
11
12 int qry(int x) {

int ret = 0;

void add(int x, int k) {
 while (x <= n) {
 t[x] += k;
 x += lowbit(x);
}</pre>

```
while (x) {
14
15
            ret = max(ret,t[x]);
            x -= lowbit(x);
16
17
        }
18
        return ret;
    }
19
    线段树
    struct node {
1
        ll sum;
2
        ll plz, mlz;
3
        int l, r;
    } tree[N * 4];
    void build(int i, int l, int r) {
        tree[i].l = l;
        tree[i].r = r;
        tree[i].plz = 0;
10
        tree[i].mlz = 1;
11
        if (l == r) {
12
13
             cin >> tree[i].sum;
             tree[i].sum = tree[i].sum % p;
14
            return;
15
16
        int mid = (l + r) >> 1;
17
        build(i * 2, l, mid);
18
        build(i * 2 + 1, mid + 1, r);
19
        tree[i].sum = (tree[i \star 2].sum + tree[i \star 2 + 1].sum) % p;
20
21
22
    inline void push_down(ll i) {
23
        ll k1 = tree[i].mlz, k2 = tree[i].plz;
24
        tree[i << 1].sum = (tree[i << 1].sum * k1 + k2 * (tree[i << 1].r - tree[i << 1].l + 1)) % p;</pre>
25
26
        tree[i << 1 \mid 1].sum = (tree[i << 1 \mid 1].sum * k1 + k2 * (tree[i << 1 \mid 1].r - tree[i << 1 \mid 1].l + 1)) % p;
        tree[i << 1].mlz = (tree[i << 1].mlz * k1) % p;</pre>
27
28
        tree[i << 1 | 1].mlz = (tree[i << 1 | 1].mlz * k1) % p;
        tree[i << 1].plz = (tree[i << 1].plz * k1 + k2) % p;
29
30
        tree[i << 1 | 1].plz = (tree[i << 1 | 1].plz * k1 + k2) % p;</pre>
        tree[i].plz = 0;
31
32
        tree[i].mlz = 1;
33
34
    inline void add(int i, int l, int r, ll k) {
35
        if (tree[i].l >= l && tree[i].r <= r) {</pre>
36
             tree[i].sum = (tree[i].sum + k * (tree[i].r - tree[i].l + 1)) % p;
37
            tree[i].plz += k;
38
            return;
39
40
        push_down(i);
41
        if (tree[i * 2].r >= l) add(i * 2, l, r, k);
42
        if (tree[i * 2 + 1].l <= r) add(i * 2 + 1, l, r, k);</pre>
43
        tree[i].sum = tree[i * 2].sum + tree[i * 2 + 1].sum;
44
45
46
47
    inline void mul(int i, int l, int r, ll k) {
        if (tree[i].l >= l && tree[i].r <= r) {</pre>
48
            tree[i].mlz = tree[i].mlz * k % p;
49
50
             tree[i].plz = tree[i].plz * k % p;
            tree[i].sum = tree[i].sum * k % p;
51
            return;
52
53
        push_down(i);
        if (tree[i * 2].r >= l) mul(i * 2, l, r, k);
55
        if (tree[i * 2 + 1].l <= r) mul(i * 2 + 1, l, r, k);</pre>
56
57
        tree[i].sum = tree[i * 2].sum + tree[i * 2 + 1].sum;
58
59
    ll search(int i, int l, int r) {
60
        if (tree[i].l >= l && tree[i].r <= r) {</pre>
61
            return tree[i].sum % p;
62
```

```
63
64
        if (tree[i].r < l || tree[i].l > r) return 0;
65
        push_down(i);
66
        ll s = 0;
67
        if (tree[i * 2].r >= l) s = (s + search(i * 2, l, r)) % p;
        if (tree[i * 2 + 1].l <= r) s = (s + search(i * 2 + 1, l, r)) % p;</pre>
68
        return s % p;
69
   }
70
    主席树
   #include <bits/stdc++.h>
1
   using namespace std;
   typedef long long ll;
    const int N = 2e5 + 7;
   struct node{
        int sum, ls, rs;
    }tree[N << 5];
   int tot = 0;
    int a[N];
    int v[N];
10
11
    int rt[N];
    int getid(int x,int n) {
12
        return lower_bound(v + 1,v + n + 1,x) - v;
13
14
    int build(int l,int r) {
15
        int root = ++tot;
16
        tree[root].sum = 0;
17
        if (l >= r) return root;
18
        int mid = l + r >> 1;
19
        tree[root].ls = build(l, mid);
20
        tree[root].rs = build(mid + 1, r);
        return root;
22
24
    int update(int x,int l, int r,int root) {
        int d = ++tot;
25
26
        tree[d].ls = tree[root].ls;
        tree[d].rs = tree[root].rs;
27
28
        tree[d].sum = tree[root].sum + 1;
        if (l >= r) return d;
29
30
        int mid = l + r >> 1;
        if (x <= mid) tree[d].ls = update(x, l, mid, tree[d].ls);</pre>
31
        else tree[d].rs = update(x, mid + 1, r, tree[d].rs);
32
33
34
    int query(int u, int v, int l, int r, int k) {
35
        if (l >= r) return l;
36
        int mid = l + r >> 1;
37
38
        int x = tree[tree[v].ls].sum - tree[tree[u].ls].sum;
        if (x >= k) return query(tree[u].ls,tree[v].ls,l,mid,k);
39
        else query(tree[u].rs, tree[v].rs, mid + 1, r, k - x);
40
   }
41
42
    void solve() {
43
        tot = 0;
44
45
        int n, m;
        cin >> n >> m;
46
        for (int i = 1; i <= n; ++i) {</pre>
47
48
            cin >> a[i];
49
            v[i] = a[i];
        sort(v + 1, v + n + 1);
51
        int len = unique(v + 1, v + n + 1) - v - 1;
        rt[0] = build(1,len);
53
        for (int i = 1; i <= n; ++i) {</pre>
54
55
            rt[i] = update(getid(a[i],len),1,len,rt[i - 1]);
56
        for (int i = 1; i <= m; ++i) {</pre>
            int l, r, k;
58
             cin >> l >> r >> k;
59
            cout << v[query(rt[l - 1],rt[r],1,len,k)] << '\n';</pre>
```

```
}
61
62
              }
63
              # 数学
64
              ## 类欧几里得
66
67
               * $m = \\lfloor \\\frac{an+b}{c} \\\\rfloor$.
68
               * $f(a,b,c,n)=\sum_{i=0}^n\lfloor\frac{ai+b}{c}\rfloor\: 当 $a \ge c$ or $b \ge c$
                  → 时, $f(a,b,c,n)=(\\frac{a}{c})\n(n+1)/2+(\\frac{b}{c})(n+1)+f(a\\bmod c,b\\bmod c,c,n)$; 否则
                  \Rightarrow $f(a,b,c,n)=nm-f(c,c-b-1,a,m-1)$
               * g(a,b,c,n)=\sum_{i=0}^n i \iint f(ar+b){c}\iint f(ar+b){c}\iint g(a,b,c,n)=\iint g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g(a,b,c,n)=g
                  → 时, $g(a,b,c,n)=(\frac{a}{c})n(n+1)/6+(\frac{b}{c})n(n+1)/2+g(a \bmod c,b \bmod c,c,n)$; 否则
                  \Rightarrow $g(a,b,c,n)=\\\frac{1}{2}\ (n(n+1)m-f(c,c-b-1,a,m-1)-h(c,c-b-1,a,m-1))$,
               * $h(a,b,c,n)=\sum_{i=0}^n\lfloor \\frac{ai+b}{c} \\rfloor^2$: 当 $a \\ge c$ or $b \\ge c$ 时, $h(a,b,c,n)=(\\frac{a}{c})^2
                  \rightarrow n(n+1)(2n+1)/6 +(\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimegraph\)frac\(\nimeg
                  → c,c,n)+2(\frac{a}{c})g(a \bmod c,b \bmod c,c,n)+2(\frac{b}{c})f(a \bmod c,b \bmod c,c,n)$; 否则
                  \Rightarrow h(a,b,c,n)=nm(m+1)-2g(c,c-b-1,a,m-1)-2f(c,c-b-1,a,m-1)-f(a,b,c,n)
73
74
               ## LCA
75
76
               + 倍增
78
               ```cpp
79
               void dfs(int u, int fa) {
80
                               pa[u][0] = fa; dep[u] = dep[fa] + 1;
81
82
                               FOR (i, 1, SP) pa[u][i] = pa[pa[u][i - 1]][i - 1];
                               for (int& v: G[u]) {
83
   if (v == fa) continue;
84
  dfs(v, u);
85
                               }
86
87
              }
88
                int lca(int u, int v) {
89
                               if (dep[u] < dep[v]) swap(u, v);</pre>
90
                               int t = dep[u] - dep[v];
91
                               FOR (i, 0, SP) if (t & (1 << i)) u = pa[u][i];
92
                               FORD (i, SP - 1, -1) {
93
94
  int uu = pa[u][i], vv = pa[v][i];
  if (uu != vv) { u = uu; v = vv; }
95
                               }
97
                               return u == v ? u : pa[u][0];
              }
98
```

### 计算几何

# 二维几何: 点与向量

```
#define y1 yy1
   #define nxt(i) ((i + 1) % s.size())
   typedef double LD;
    const LD PI = 3.14159265358979323846;
    const LD eps = 1E-10;
    int sgn(LD x) { return fabs(x) < eps ? 0 : (x > 0 ? 1 : -1); }
    struct L;
    struct P;
    typedef P V;
    struct P {
        LD x, y;
11
        explicit P(LD x = 0, LD y = 0): x(x), y(y) {}
12
        explicit P(const L& l);
13
   };
14
    struct L {
15
        Ps, t;
16
        L() {}
17
        L(P s, P t): s(s), t(t) {}
18
   };
19
```

```
P operator + (const P& a, const P& b) { return P(a.x + b.x, a.y + b.y); }
21
22
   P operator - (const P& a, const P& b) { return P(a.x - b.x, a.y - b.y); }
   P operator * (const P& a, LD k) { return P(a.x * k, a.y * k); }
23
   P operator / (const P& a, LD k) { return P(a.x / k, a.y / k); }
   inline bool operator < (const P& a, const P& b) {</pre>
        return sgn(a.x - b.x) < 0 \mid | (sgn(a.x - b.x) == 0 && sgn(a.y - b.y) < 0);
26
27
   bool operator == (const P& a, const P& b) { return !sgn(a.x - b.x) && !sgn(a.y - b.y); }
28
   P::P(const L& l) { *this = l.t - l.s; }
29
   ostream &operator << (ostream &os, const P &p) {
        return (os << "(" << p.x << "," << p.y << ")");
31
32
33
   istream &operator >> (istream &is, P &p) {
        return (is >> p.x >> p.y);
34
35
36
   LD dist(const P& p) { return sqrt(p.x * p.x + p.y * p.y); }
   LD dot(const V& a, const V& b) { return a.x * b.x + a.y * b.y; }
38
   LD det(const V& a, const V& b) { return a.x * b.y - a.y * b.x; }
   LD cross(const P& s, const P& t, const P& o = P()) { return det(s - o, t - o); }
41
```

# 字符串

#### AC 自动机

```
#include <bits/stdc++.h>
    using namespace std;
    const int N = 1e6 + 7;
    int z[N][26];
    int fail[N];
    int res[N];
    int cnt = 0;
    int re = 0;i
    nt mp[N];
10
    void insert(string s) {
        int r = 0;
11
12
        for (int i = 0; i < s.size(); ++i) {</pre>
13
14
             if (!z[r][s[i] - 'a']) {
                 z[r][s[i] - 'a'] = ++cnt;
15
16
             r = z[r][s[i] - 'a'];
18
        }
        mp[re] = r;
19
20
    void bfs() {
21
        queue <int> q;
        for (int i = 0; i < 26; ++i) {
23
             if (z[0][i]) {
24
                 fail[z[0][i]] = 0;
25
                 q.push(z[0][i]);
26
             }
28
29
        while (!q.empty()) {
            int now = q.front();
30
             q.pop();
31
32
             for (int i = 0; i < 26; ++i) {
                 if (z[now][i]) {
33
34
                     fail[z[now][i]] = z[fail[now]][i];
                     q.push(z[now][i]);
35
36
                 else z[now][i] = z[fail[now]][i];
37
            }
38
39
        }
40
    void quert(string s) {
41
        int now = 0;
42
        int ans = 0;
43
        for (int i = 0; i < s.size(); ++i) {</pre>
44
```

```
now = z[now][s[i]-'a'];
45
46
             for (int j = now;j ; j = fail[j]) {
                 res[j]++;;
47
48
        }
    }int n;
50
51
    string ss[155];
    void solve() {
52
        memset(z,0,sizeof z);
53
54
        memset(res,0,sizeof res);
        memset(fail,0,sizeof fail);
55
56
        cnt = 0;
        re = 0;
57
         for (int i = 1; i <= n; ++i) {</pre>
58
             cin >> ss[i];
59
             insert(ss[i]);
60
61
        bfs();
62
63
        string s;
        cin >> s;
64
65
        quert(s);
         int tmp = 0;
66
        int ans;
67
        for (int i = 1; i <= n; ++i) {
69
             \textbf{if} \ (\texttt{res}[\texttt{mp}[\texttt{i}]] \ > \ \texttt{tmp}) \ \{
                 tmp = res[mp[i]];
70
                 ans = i;
71
             }
72
        }
        cout << res[mp[ans]] << '\n';</pre>
74
         for (int i = 1; i <= n; ++i) {</pre>
75
             if (res[mp[i]] == tmp) {
76
77
                 cout << ss[i] << '\n';
78
        }
79
80
81
    int main() {
82
         ios::sync\_with\_stdio(0);
83
        while (cin >> n && n) {
84
85
             solve();
86
    }
    KMP
    void get(string s) {
        int j = 0, k = -1;
2
        next[0] = -1;
        while (j < s.length()) {</pre>
             if (k == -1 || s[j] == s[k]) {
                 j++, k++;
                 if (s[j] != s[k]) {
                      next[j] = k;
                 else next[j] = next[k];
             }
11
             else k = next[k];
12
13
        }
    }
14
    SA (dc3)
    //大小开 3 倍
    /*
2
        suffix[i]: 以 i 为起始位置的后缀
        sa[i]: 排名第 i 的后缀的起始位置
        rk[i]: 表示 suffix[i] 的排名
        height[i]: suffix(sa[i-1]) 和 suffix(sa[i]) 的最长公共前缀
             \cdot h[i] = height[rak[i]], h[i] >= h[i-1]-1
```

```
· suffix[i] 和 suffix[j] 之间的最长公共前缀 = min(height[rak[i]+1]...height[rak[j]])
10
    #define F(x) ((x) / 3 + ((x) % 3 == 1 ? 0 : tb))
11
    #define G(x) ((x) < tb ? (x) * 3 + 1 : ((x) - tb) * 3 + 2)
13
    int wa[N], wb[N], wss[N], wv[N], sa[N * 3];
14
    int rk[N], height[N], r[N], lcp[N][30];
15
16
17
    int c0(int *r, int a, int b) {
18
19
        return r[a] == r[b] \&\& r[a + 1] == r[b + 1] \&\& r[a + 2] == r[b + 2];
20
21
    int c12(int k, int *r, int a, int b) {
22
        if (k == 2)
23
24
             return r[a] < r[b] || r[a] == r[b] && c12(1, r, a + 1, b + 1);
        return r[a] < r[b] \mid \mid r[a] == r[b] && wv[a + 1] < wv[b + 1];
25
26
27
    void Rsort(int *r, int *a, int *b, int n, int m) {
28
        for (int i = 0; i < n; i++) wv[i] = r[a[i]];</pre>
        for (int i = 0; i < m; i++) wss[i] = 0;</pre>
30
        for (int i = 0; i < n; i++) wss[wv[i]]++;</pre>
31
        for (int i = 1; i < m; i++) wss[i] += wss[i - 1];</pre>
32
        for (int i = n - 1; i >= 0; i--) b[--wss[wv[i]]] = a[i];
33
34
35
    void dc3(int *r, int *sa, int n, int m) {
        int i, j, *rn = r + n, *san = sa + n, ta = 0, tb = (n + 1) / 3, tbc = 0, p;
37
        r[n] = r[n + 1] = 0;
38
        for (i = 0; i < n; i++) if (i % 3 != 0) wa[tbc++] = i;</pre>
39
        Rsort(r + 2, wa, wb, tbc, m);
40
41
        Rsort(r + 1, wb, wa, tbc, m);
        Rsort(r, wa, wb, tbc, m);
42
        for (p = 1, rn[F(wb[0])] = 0, i = 1; i < tbc; i++)</pre>
43
            rn[F(wb[i])] = c0(r, wb[i - 1], wb[i]) ? p - 1 : p++;
44
        if (p < tbc) dc3(rn, san, tbc, p);</pre>
45
        else for (i = 0; i < tbc; i++) san[rn[i]] = i;
        for (i = 0; i < tbc; i++) if (san[i] < tb) wb[ta++] = san[i] * 3;</pre>
47
48
        if (n \% 3 == 1) wb[ta++] = n - 1;
        Rsort(r, wb, wa, ta, m);
49
        for (i = 0; i < tbc; i++) wv[wb[i] = G(san[i])] = i;</pre>
50
51
        for (i = 0, j = 0, p = 0; i < ta && j < tbc; p++)
             sa[p] = c12(wb[j] \% 3, r, wa[i], wb[j]) ? wa[i++] : wb[j++];
52
53
        for (; i < ta; p++) sa[p] = wa[i++];</pre>
        for (; j < tbc; p++) sa[p] = wb[j++];</pre>
54
55
56
57
    void calHeight(int *r, int *sa, int n) {
58
        int i, j, k = 0;
        for (i = 1; i <= n; i++) rk[sa[i]] = i;</pre>
59
        for (i = 0; i < n; height[rk[i++]] = k)</pre>
             for (k ? k-- : 0, j = sa[rk[i] - 1]; r[i + k] == r[j + k]; k++);
61
62
        // for (int i = 1; i <= n; ++i) {
63
        //
                dbg(i, height[i]);
64
        // }
65
        // 用 getLcp 要去掉下面的注释
66
        // for (int i = 1; i <= n; ++i) lcp[i][0] = height[i];
67
        // for (int l = 1; (1 << l) <= n; l++) {
68
        //
                for (int i = 1; i + (1 << l) - 1 <= n; ++i) {
69
70
        //
                    lcp[i][l] = min(lcp[i][l - 1], lcp[i + (1 << (l - 1))][l - 1]);</pre>
        //
71
        // }
72
    }
73
74
    int getLcp(int i, int j, int n) {
75
        if (i == j) return n - i;
76
77
        int l = rk[i], r = rk[j];
        if (l > r) swap(l, r);
78
```

```
l++;
79
80
         int k = _{-}lg(r - l + 1);
         return min(lcp[l][k], lcp[r - (1 << k) + 1][k]);</pre>
81
82
    }
    char s[N];
84
85
    void solve() {
86
         int n = 0;
87
88
         cin >> s;
         for (int i = 0; s[i]; ++i) {
89
90
             r[n++] = s[i];
91
         r[n] = 0;
92
         dc3(r, sa, n + 1, 256);
93
         calHeight(r, sa, n);
94
95
         for (int i = 1; i <= n; ++i) {
             cout << sa[i] + 1 << " \n" [i == n];
96
97
         for (int i = 1; i <= n; ++i) {
98
             cout << height[i] << " \n"[i == n];</pre>
99
100
         // 不同子串个数
101
         ll\ ans = 1ll * n * (n + 1) / 2;
103
         for (int i = 1; i <= n; ++i) {
104
             ans -= height[i];
105
106
107
         // 两个串的最长公共子串
         int n = 0;
108
         scanf("%s",s);
109
         scanf("%s",t);
110
         int l = strlen(s);
111
         s[l] = '!';
112
         int tag = l;
113
         for (int i = 0; t[i]; ++i) {
114
             s[++l] += t[i];
115
116
         for (int i = 0; s[i]; ++i) {
117
             r[n++] = s[i];
118
119
         r[n] = 0;
120
         dc3(r, sa, n + 1, 256);
121
122
         calHeight(r, sa, n);
         int ans = 0;
123
124
         for (int i = 1; i <= n; ++i) {
             int x1 = sa[i - 1], x2 = sa[i];
125
126
             if ((x1 < tag && x2 > tag) || (x1 > tag && x2 < tag)) {
                 ans = max(ans,height[i]);
127
128
129
         printf("%lld",ans);
130
         //不同公共子串的个数
         ll\ ans = 0;
132
         int tmp = 0;
133
         for (int i = 1; i <= n; ++i) {
134
             int x1 = sa[i - 1], x2 = sa[i];
135
             if ((x1 < tag && x2 > tag) || (x1 > tag && x2 < tag)) {
                 ans += height[i];
137
                  if (tmp > 0) \ ans -= min(getLcp(sa[i], sa[tmp], n), getLcp(sa[i-1], sa[tmp-1], n));
138
139
                  tmp = i;
140
141
         7
         printf("%lld", ans);
142
143
    }
144
     SAM
    struct SAM {
 1
         struct state {
```

```
int len, link;
4
             map<char, int> next;
        };
        state st[N * 2];
        int sz, last;
8
        int cnt[N * 2];
        int siz[N * 2];
10
        int a[N * 2];
11
12
        void init() {
13
14
             st[0].len = 0;
15
             st[0].link = -1;
            sz = 1;
16
17
             last = 0;
18
19
        void extend(char c) {
20
            int cur = sz++;
21
             st[cur].len = st[last].len + 1;
22
             int p = last;
23
24
             while (p != -1 \&\& !st[p].next.count(c)) {
                 st[p].next[c] = cur;
25
                 p = st[p].link;
27
28
             if (p == -1) {
29
                 st[cur].link = 0;
             } else {
30
                 int q = st[p].next[c];
                 if (st[p].len + 1 == st[q].len) {
32
                     st[cur].link = q;
33
34
                 } else {
                     int clone = sz++;
35
                     st[clone].len = st[p].len + 1;
                     st[clone].next = st[q].next;
37
38
                     st[clone].link = st[q].link;
                     while (p != -1 \&\& st[p].next[c] == q) {
39
                         st[p].next[c] = clone;
40
41
                          p = st[p].link;
42
43
                     st[q].link = st[cur].link = clone;
                 }
44
45
46
            last = cur;
47
             siz[cur]++;
48
        }
49
        void run() { // 求子串出现次数
            ll ans = 0;
51
52
             for (int i = 1; i <= sz; ++i) cnt[st[i].len]++;</pre>
             for (int i = 1; i <= sz; ++i) cnt[i] += cnt[i - 1];</pre>
53
            for (int i = 1; i <= sz; ++i) a[cnt[st[i].len]--] = i;</pre>
54
            for (int i = sz; i; --i) {
56
                 int p = a[i];
57
                 siz[st[p].link] += siz[p];
                 if (siz[p] > 1) ans = max(ans, 1LL * siz[p] * st[p].len);
58
59
            cout << ans;</pre>
61
        }
        /* 不同子串个数
62
63
        void run1() {
            for (int i = 1; i <= sz; ++i) cnt[st[i].len]++;
64
            for (int i = 1; i <= sz; ++i) cnt[i] += cnt[i - 1];
            for (int i = 1; i <= sz; ++i) a[cnt[st[i].len]--] = i;
66
             for (int i = sz; i >= 0; --i) {
                int p = a[i];
68
                 siz[p] = 1;
                 for (auto j : st[p].next) {
                     siz[p] += siz[j.second];
71
72
73
```

```
cout << siz[0] - 1;</pre>
74
75
         void run2(int x) {
76
             dp[x] = 1;
77
             for (auto i : st[x].next) {
78
                  if (!dp[i.second]) run2(i.second);
79
80
                  dp[x] += dp[i.second];
81
82
         dp[0] - 1;
83
         void run3() {
84
85
             ll ans = 0;
             for (int i = 1; i <= sz; ++i) {
86
                 ans += st[i].len - st[st[i].link].len;
87
88
             cout << ans;</pre>
89
90
         */
91
92
         string lcs(string t) { //最长公共子串
93
             int v = 0, l = 0, mx = 0, mx_end = 0;
94
             for (int i = 1; i <= t.size(); ++i) {</pre>
95
                  while (v && !st[v].next.count(t[i - 1])) {
96
97
                      v = st[v].link;
                      l = st[v].len;
98
99
                  if (st[v].next.count(t[i - 1])) {
100
                      v = st[v].next[t[i - 1]];
101
102
                      l++;
103
                  if (l > mx) {
104
                      mx = l;
105
                      mx_end = i;
106
                  }
107
108
109
             return t.substr(mx_end - mx + 1, mx);
         }
110
    } sam;
111
112
113
     void solve() {
114
         string s;
115
         cin >> s;
116
117
         sam.init();
         for (char i: s) {
118
119
             sam.extend(i);
         }
120
121
    }
     杂项
     STL

    copy

    template <class InputIterator, class OutputIterator>
       OutputIterator copy (InputIterator first, InputIterator last, OutputIterator result);
```