## Stat 110: R Section

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### Good packages

```
#install.packages('Rlab')
library(Rlab)

## Rlab 2.15.1 attached.

##

## Attaching package: 'Rlab'

## The following objects are masked from 'package:stats':

##

## dexp, dgamma, dweibull, pexp, pgamma, pweibull, qexp, qgamma,

## qweibull, rexp, rgamma, rweibull

## The following object is masked from 'package:datasets':

##

## precip
```

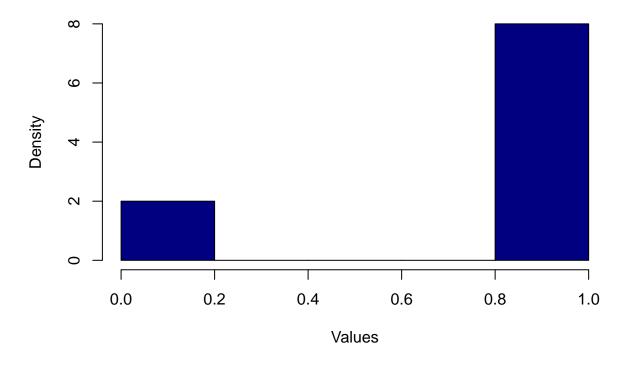
#### Bernoulli

```
# Parameters (n, p for binomial and geometric)
set.seed(110)
n = 10
p.bern = 5/10
Y = rbern(n, p.bern)
Y

## [1] 1 0 1 1 1 0 1 1 1 1
# Finding mean and variance
mean(Y)
## [1] 0.8

var(Y)
## [1] 0.1777778
```

## Y ~ Bern(n, p)



#### Binomial

```
# Parameters (n, p for binomial and geometric)
set.seed(110)
sims = 1000
n = 10
p.binom = 5/10
Y_binom = rbinom(sims, n, p.binom)

# Finding mean and variance
mean(Y_binom)

## [1] 4.889
var(Y_binom)

## [1] 2.403082
```

#### What is the probability of getting at most 2?

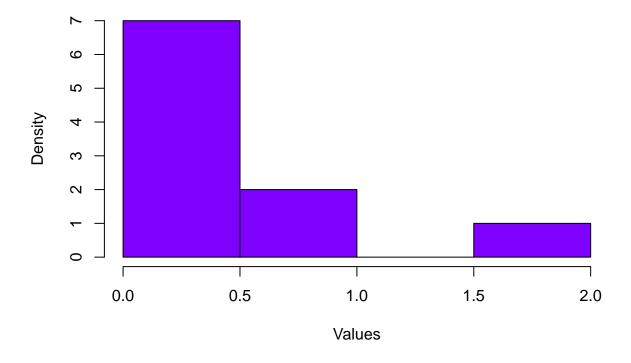
```
#Sum up the probability mass function!
dbinom(0, n, p.binom) + dbinom(1, n, p.binom) + dbinom(2, n, p.binom)
## [1] 0.0546875
# Or alternatively, use the cumulative function:
pbinom(2, n, p.binom)
## [1] 0.0546875
#Bridging the distributions
set.seed(110)
sims = 1000
n = 10
p.binom = 5/10
Y sum = rep(0, sims)
for (i in 1:sims){
  Y = rbern(n, p.bern)
  Y sum[i] = sum(Y)
}
\#hist(Y_sum, main = "Y_sum \sim n * Bern(p)", ylab = "Density", xlab = "Values",
     \#col = rgb(0.5, 0, 1, 1))
# We can compare the mean and variance between these two distributions
mean(Y sum)
## [1] 5.105
mean(Y binom)
## [1] 4.889
var(Y_sum)
## [1] 2.256231
```

```
var(Y_binom)
```

## [1] 2.403082

### Geometric

## Y ~ Geom(n, p)



# Finding probabilities

```
seven_heads = dgeom(7, p.geom)
seven_heads
## [1] 0.00390625
```

## Hypergeometric

Think of a jar with b blue balls and w white balls. If you are drawing n balls total and are hoping to pick the white balls and not pick the blue balls and you then X be the number of white balls that you pick, then X has a Hypergeometric distribution. HGeom(w,b,n).

```
# white balls
m = w = 8
n = b = 5
k = 3
x = 2

dhyper(x, m, n, k)
```

```
## [1] 0.4895105
```