## Protocol

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### Protocol

- Human protocols the rules followed in human interactions
  - Example: Asking a question in class
- Networking protocols rules followed in networked communication systems
  - Examples: HTTP, FTP, etc.
- Security protocol the (communication) rules followed in a security application
  - Examples: SSH, SSL, IPSec, Kerberos, etc.

#### **Protocols**

- Protocol flaws can be very subtle
- Several well-known security protocols have significant flaws
  - Including WEP, GSM, and IPSec
- Implementation errors can also occur
  - Heartbleed
- Not easy to get protocols right...

## Ideal Security Protocol

- Must satisfy security requirements
  - Requirements need to be precise
- Efficient
  - Minimize computational requirement
  - Minimize bandwidth usage, delays...
- Robust
  - Works when attacker tries to break it
  - Works if environment changes (slightly)
- Easy to implement, easy to use, flexible...
- Difficult to satisfy all of these!

### **Authentication Protocols**

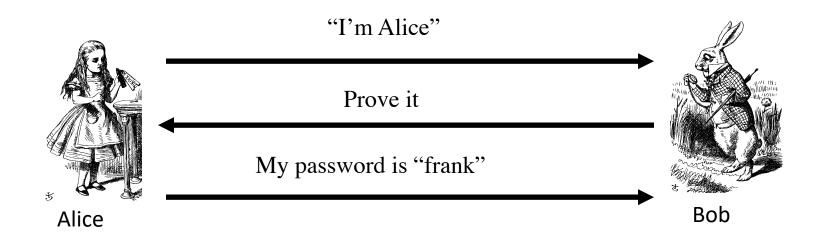
### Authentication

- Alice must prove her identity to Bob
  - Alice and Bob can be humans or computers
- May also require Bob to prove he's Bob (mutual authentication)
- Probably need to establish a session key
- May have other requirements, such as
  - Public keys, symmetric keys, hash functions, ...
  - Anonymity, plausible deniability, perfect forward secrecy, etc.

### Authentication

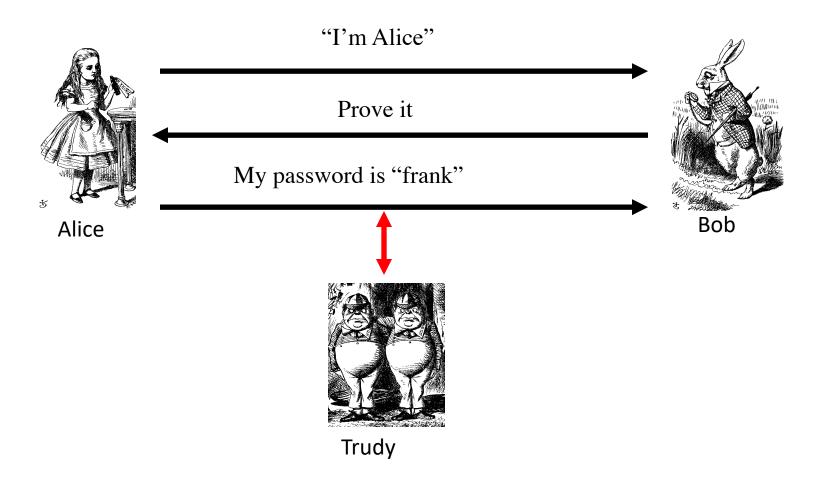
- Authentication on a stand-alone computer is relatively simple
  - For example, hash a password with a salt
- Authentication over a network is challenging
  - Attacker can passively observe messages
  - Attacker can replay messages
  - Active attacks possible (insert, delete, change)

### Simple Authentication

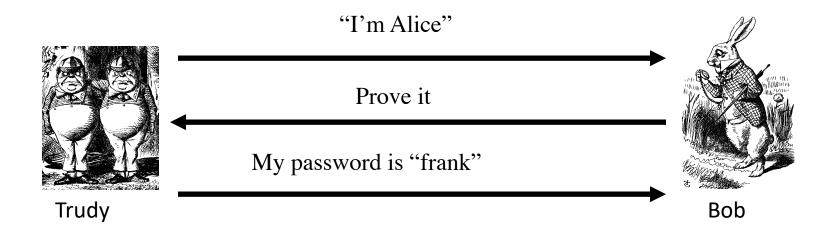


- Simple and may be OK for standalone system
- But highly insecure for networked system
  - Subject to a replay attack (next 2 slides)
  - Also, Bob must know Alice's password

### Authentication Attack

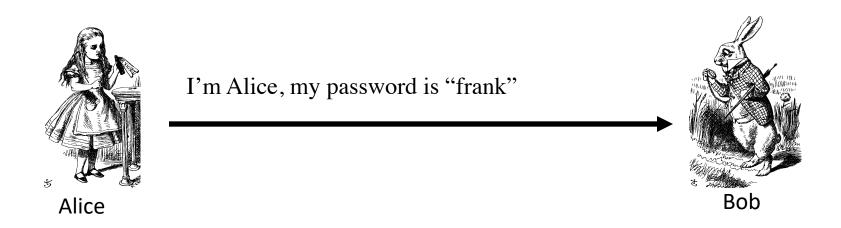


### Authentication Attack



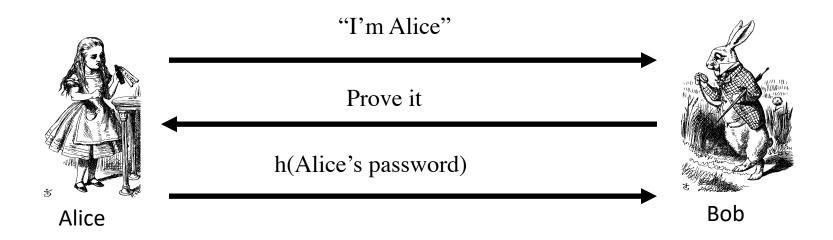
- This is an example of a replay attack
- How can we prevent a replay?

## Simple Authentication



- More efficient, but...
- ... same problem as previous version

### Better Authentication



- This approach hides Alice's password
  - From both Bob and Trudy
- But still subject to replay attack

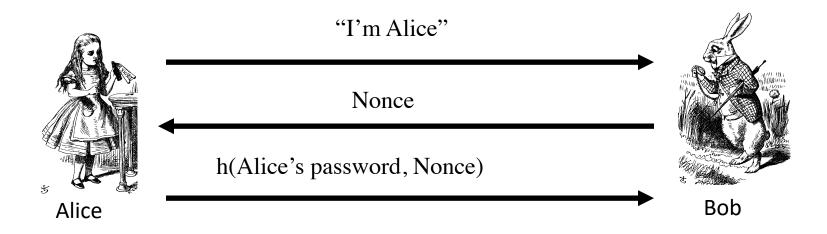
### Challenge-Response

- To prevent replay, use challenge-response
  - Goal is to ensure "freshness"
- Suppose Bob wants to authenticate Alice
  - Challenge sent from Bob to Alice
- Challenge is chosen so that...
  - Replay is not possible
  - Only Alice can provide the correct response
  - Bob can verify the response

#### Nonce

- To ensure freshness, can employ a nonce
  - Nonce == number used once
- What to use for nonces?
  - That is, what is the challenge?
- What should Alice do with the nonce?
  - That is, how to compute the response?
- How can Bob verify the response?

## Challenge-Response



- Nonce is the challenge
- ☐ The hash is the response
- Nonce prevents replay (ensures freshness)
- Password is something Alice knows
- □ Note: Bob must know Alice's pwd to verify
  - □Can we do better?

### Symmetric Key Notation

Encrypt plaintext P with key K

$$C = E(P,K)$$

Decrypt ciphertext C with key K

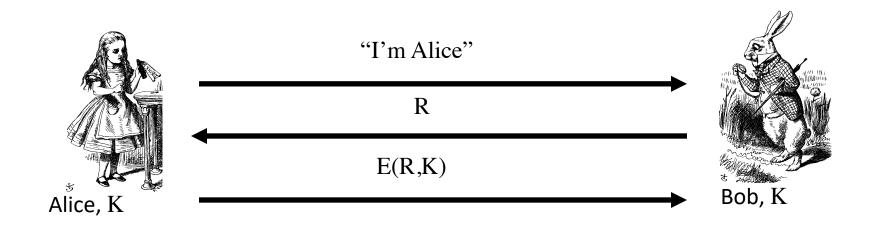
$$P = D(C,K)$$

- Here, we are concerned with attacks on protocols, not attacks on cryptography
  - So, we assume crypto algorithms are secure

## Authentication: Symmetric Key

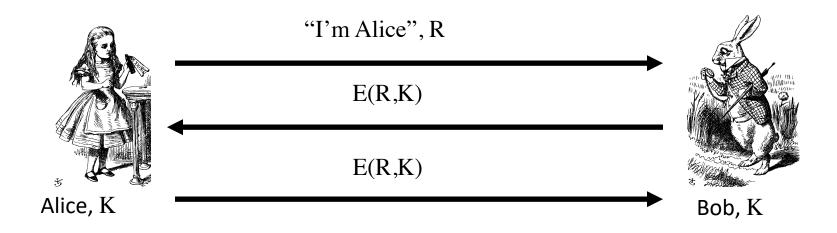
- Alice and Bob share symmetric key K
- Key K known only to Alice and Bob
- Authenticate by proving knowledge of shared symmetric key
- How to accomplish this?
  - Cannot reveal key, must not allow replay (or other) attack, must be verifiable, ...

# Authenticate Alice Using Symmetric Key



- Secure method for Bob to authenticate Alice
- But, Alice does not authenticate Bob
- So, can we achieve mutual authentication?

### Mutual Authentication?

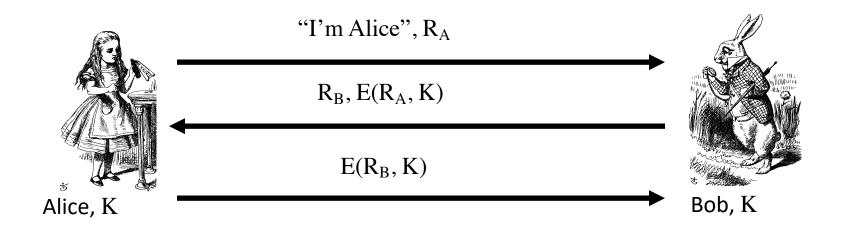


What's wrong with this picture?

#### Mutual Authentication

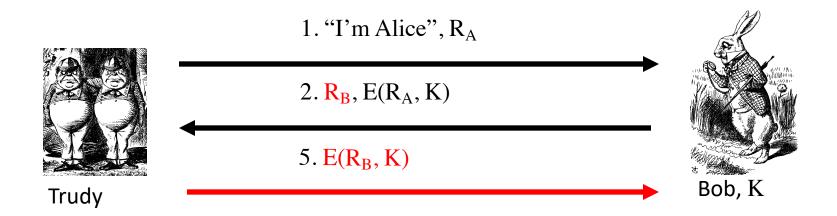
- Since we have a secure one-way authentication protocol...
- The obvious thing to do is to use the protocol twice
  - Once for Bob to authenticate Alice
  - Once for Alice to authenticate Bob
- This has got to work...

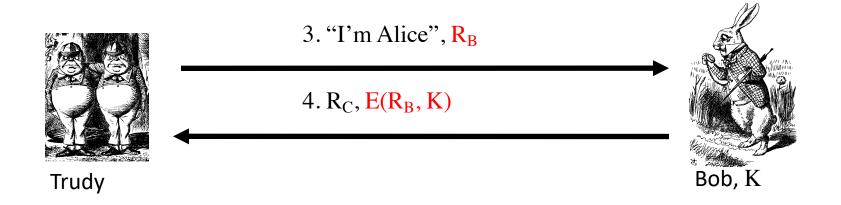
### Mutual Authentication



- This provides mutual authentication...
- ...or does it? Subject to reflection attack
  - Next slide

### Mutual Authentication Attack

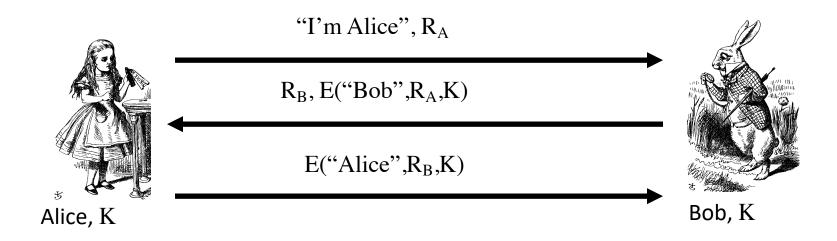




### Mutual Authentication

- Our one-way authentication protocol is not secure for mutual authentication
  - Protocols are subtle!
  - In this case, "obvious" solution is not secure
- Also, if assumptions or environment change, protocol may not be secure
  - This is a common source of security failure
  - For example, Internet protocols

## Symmetric Key Mutual Authentication



- Do these "insignificant" changes help?
- Yes!

## Public Key Notation

- Encrypt M with Alice's public key:  $\{M\}_{Alice}$
- Sign M with Alice's private key: [M]<sub>Alice</sub>
- Then
  - $[\{M\}_{Alice}]_{Alice} = M$
  - $\{[M]_{Alice}\}_{Alice} = M$
- Anybody can use Alice's public key
- Only Alice can use her private key

## Public Key Authentication



- Is this secure?
- But usually use two key pairs (why?)

## Public Key Authentication



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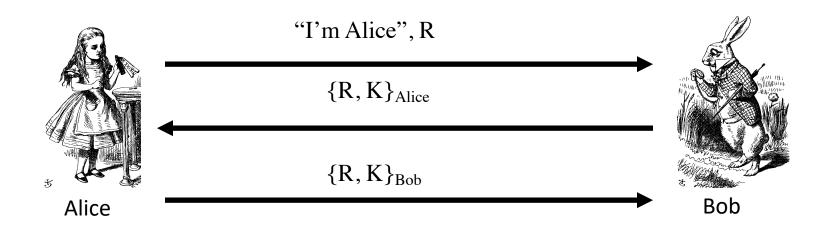
## Public Keys

- Generally, a bad idea to use the same key pair for encryption and signing
- Instead, should have...
  - ...one key pair for encryption/decryption and signing/verifying signatures...
  - ...and a different key pair for authentication

### Session Key

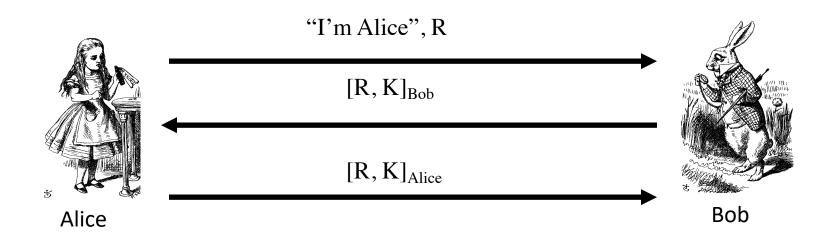
- Usually, a session key is required
  - A symmetric key for current session
  - Used for confidentiality and/or integrity
- Ideal case
  - When authentication completed, Alice and Bob share a session key
  - Trudy cannot break the authentication...
  - ... and Trudy cannot determine the session key

## Authentication & Session Key



- Is this secure?
  - Alice is authenticated and session key is secure
  - Alice's "nonce", R, useless to authenticate Bob
- No mutual authentication

# Public Key Authentication and Session Key



- Is this secure?
  - Mutual authentication (good), but...
  - ... session key is not protected (very bad)

# Public Key Authentication and Session Key



- Is this secure?
- should be OK
  - Anyone can see  $\{R, K\}_{Alice}$  and  $\{R, K\}_{Bob}$

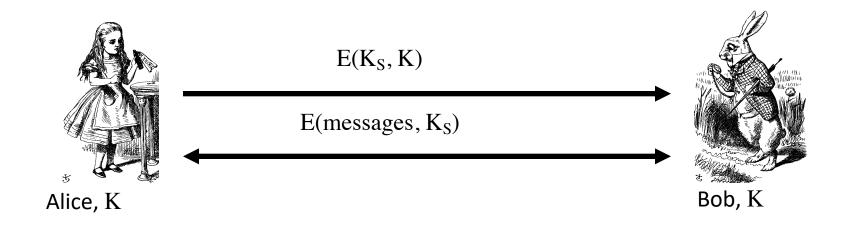
### Perfect Forward Secrecy

- Consider this "issue"...
  - $\hbox{ \bullet Alice encrypts message with shared key $K$ and sends } \\ \hbox{ ciphertext to Bob}$
  - Trudy records ciphertext and later attacks Alice's (or Bob's) computer to recover K
  - Then Trudy decrypts recorded messages
- Perfect forward secrecy (PFS): Trudy cannot later decrypt recorded ciphertext
  - Even if Trudy gets key K or other secret(s)
- Is PFS possible?

## Perfect Forward Secrecy

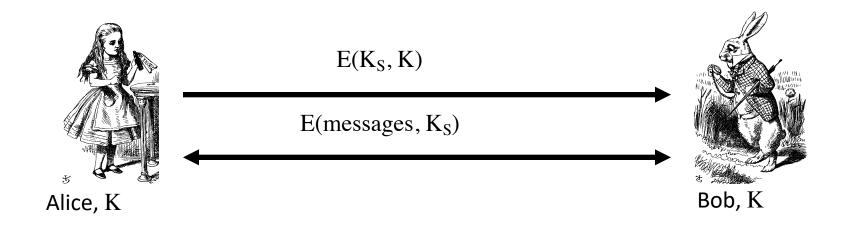
- Suppose Alice and Bob share key K
- For perfect forward secrecy, Alice and Bob cannot use K to encrypt
- $\bullet$  Instead they must use a session key  $K_S$  and forget it after it's used
- Can Alice and Bob agree on session key  $K_S$  in a way that provides PFS?

## Naïve Session Key Protocol



- Trudy could record  $E(K_S, K)$
- If Trudy later gets K then she can get  $K_S$ 
  - Then Trudy can decrypt recorded messages
- No perfect forward secrecy in this case

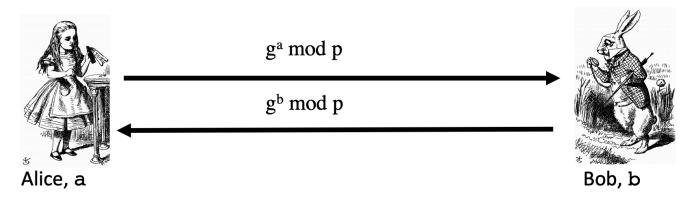
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#### Diffie-Hellman

- Public: g and p
- Private: Alice's exponent a, Bob's exponent b



- □ Alice computes  $(g^b)^a = g^{ba} = g^{ab} \mod p$
- Bob computes  $(g^a)^b = g^{ab} \mod p$
- $\square$  They can use  $K = g^{ab} \mod p$  as symmetric key

## Diffie-Hellman -- An Example

- 1. Alice and Bob publicly agree to use a modulus p = 23 and base g = 5 (which is a primitive root modulo 23).
- 2. Alice chooses a secret integer a = 4, then sends Bob  $A = g^a \mod p$ 
  - $A = 5^4 \mod 23 = 4$
- 3. Bob chooses a secret integer b = 3, then sends Alice  $B = g^b \mod p$ 
  - $B = 5^3 \mod 23 = 10$
- 4. Alice computes  $s = B^a \mod p$ 
  - $s = 10^4 \mod 23 = 18$
- 5. Bob computes  $s = A^b \mod p$ 
  - $s = 4^3 \mod 23 = 18$
- 6. Alice and Bob now share a secret (the number 18).

Both Alice and Bob have arrived at the same values because under mod p,

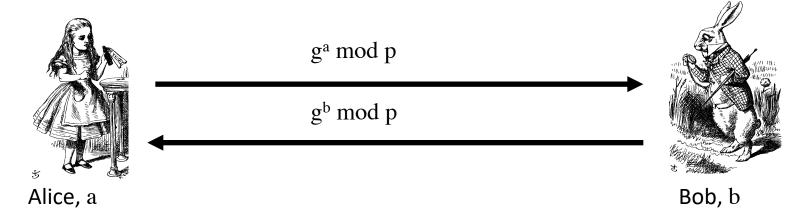
$$A^b \mod p = g^{ab} \mod p = g^{ba} \mod p = B^a \mod p$$

More specifically,

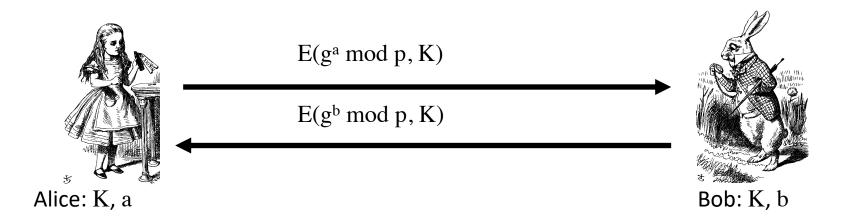
$$(g^a \mod p)^b \mod p = (g^b \mod p)^a \mod p$$

## Perfect Forward Secrecy

- We can use Diffie-Hellman for PFS
- Recall: public g and p

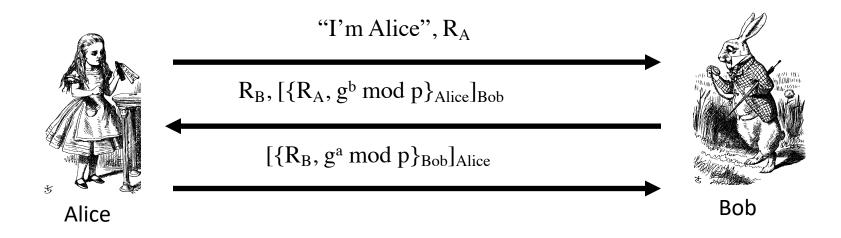


## Perfect Forward Secrecy



- Session key  $K_S = g^{ab} \mod p$
- Alice forgets a, Bob forgets b
- Neither Alice nor Bob can later recover K<sub>S</sub>
- Are there other ways to achieve PFS?

## Mutual Authentication, Session Key and PFS



- $\square$  Session key is  $K = g^{ab} \mod p$
- □ Alice forgets a and Bob forgets b
- □ If Trudy later gets Bob's and Alice's secrets, she cannot recover session key K

### Real-World Protocols

- Some real secure protocols
  - SSH relatively simple & useful protocol
    - Mutual authentication, session key and PFS
  - SSL practical security on the Web
  - IPSec security at the IP layer
  - WEP—"Swiss cheese" of security protocols
  - GSM mobile phone (in)security