

## Scoazze (scoazze)

Carlo, as many other people in Provincia di Treviso, produces a lot of rubbish with each activity he carries out during his day. Still, he is a strong advocate of separate waste collection, and for this reason he has  $N$  trash bins at home, indexed from 0 to  $N - 1$ , each one for a different type of garbage (plastic, cans, glass, ...).

Every trash bin has a capacity of  $C_i$  bags, that can never be exceeded, otherwise Treviso's image would be hurt. Fortunately, every night the *S.A.V.N.O.*<sup>1</sup> garbage truck passes by and can completely empty a **single continuous interval** of trash cans, removing all of their contents. Note that the garbage truck can clear at most one interval per night.



Figure 1: The so called *neturbìn* that empties some of Carlo's trash bins every night.


Obviously, such a great service comes at a cost (the *waste-tax*): the price of clearing an interval is the **sum of the unused capacities** for each trash bin in that interval.

More formally, if  $U_i$  is the number of bags in the  $i$ -th trash bin, the price of emptying an interval  $[L, R]$  is:  $\sum_{i=L}^R C_i - U_i$ .

Carlo, after struggling for quite some time with keeping the bins empty, decides to manage his trash more efficiently. Right now, all of his bins are empty. Over the next  $K$  days, on day  $j$  ( $j = 0, 1, \dots, K - 1$ ), he will produce  $Q_j$  bags of a single garbage type  $T_j$ , which he will put in the right trash bin. Every evening he will decide whether to call the *neturbìn* to empty a range of his bins.

After those  $K$  days, Carlo will go to Milan, and he would like to have **all his trash bins emptied** before leaving home.

He doesn't have a lot of money, so help him find out the minimal amount he will have to spend.

 Among the attachments of this task you may find a template file `scoazze.*` with a sample incomplete implementation.

<sup>1</sup>Scrapheap Abolishing Vans Near hOme

## Input

The first line contains the integers  $N$  and  $K$ , the number of trash bins and the number of days. The second line contains  $N$  integers  $C_i$ , the capacity of the trash bins. Each of the following  $K$  lines contains two integers:  $T_j, Q_j$ , the type of trash and the number of bags Carlo will produce on day  $j$ , respectively.

## Output






You need to write a single integer: the minimum price Carlo has to pay to have all his trash bins emptied after the  $K$  days.

## Constraints

- $1 \leq N \leq 200\,000$ .
- $1 \leq K \leq 200\,000$ .
- $1 \leq C_i \leq 10^9$  for each  $i = 0 \dots N - 1$ .
- $0 \leq T_j \leq N - 1$  for each  $j = 0 \dots K - 1$ .
- $1 \leq Q_j \leq 10^9$  for each  $j = 0 \dots K - 1$ .
- It is guaranteed that  $Q_j \leq C_{T_j}$  for each  $j = 0 \dots K - 1$ .

## Scoring

Your program will be tested against several test cases grouped in subtasks. In order to obtain the score of a subtask, your program needs to correctly solve all of its test cases.

- **Subtask 1** (0 points)                      Examples.  

- **Subtask 2** (17 points)                       $N \leq 4, K \leq 7$ .  

- **Subtask 3** (25 points)                      Carlo produces each type of trash at least once.  

- **Subtask 4** (20 points)                      Over the  $K$  days, Carlo produces at most  $C_i$  bags of trash of type  $i$ , for each  $i = 0 \dots N - 1$ .  

- **Subtask 5** (38 points)                      No additional limitations.  


## Examples

| input                           | output |
|---------------------------------|--------|
| 2 3<br>5 7<br>0 4<br>1 1<br>1 7 | 7      |

| input  | output |
|--|--------|
| 5 7<br>66 73 68 79 78<br>2 50<br>3 69<br>0 1<br>2 20<br>4 12<br>1 44<br>3 11 | 304    |

## Explanation

In the **first sample case** it is optimal to call the garbage truck after day 1 and clear both of the trash bins (price:  $(5 - 4) + (7 - 1) = 7$ ). The truck should also be called after the last day to empty the second bin (price:  $(7 - 7) = 0$ ). The total price is 7.

In the **second sample case** we empty the bins with indices 2 and 3 after day 4 (price:  $18 + 10 = 28$ ). After the last day we clear all the bins (price:  $65 + 29 + 48 + 68 + 66 = 276$ ). The total price is: 304.