HM1_section_1

October 2, 2022

```
[1]: import lr_utils as U
from matplotlib import pyplot as plt
import numpy as np
import lr_main as M
```

0.0.1 Load data using load dataset function in lr utils

```
[2]: train_data_x, train_data_y, test_data_x, test_data_y = U.load_dataset()
```

0.0.2 Report the shape of the above four datasets

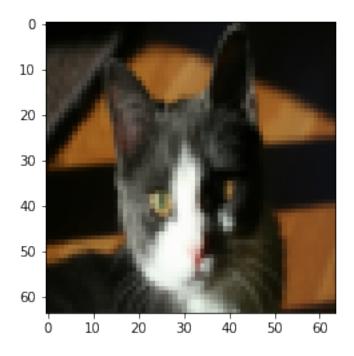
```
[3]: print(f'The size of train_data_x is: {train_data_x.shape}')
print(f'The size of train_data_y is: {train_data_y.shape}')
print(f'The size of test_data_x is: {test_data_x.shape}')
print(f'The size of test_data_y is: {test_data_y.shape}')
```

```
The size of train_data_x is: (205, 64, 64, 3)
The size of train_data_y is: (1, 205)
The size of test_data_x is: (48, 64, 64, 3)
The size of test_data_y is: (1, 48)
```

It is clear that the image size is 64 x 64 pixels with the last 3 dimensions for color

0.0.3 Plot the image of the 20th data sample in training data

```
[4]: data = train_data_x[19]
  plt.imshow(data, interpolation='nearest')
  plt.show()
```



It is a black cat.

0.0.4 Report the shape of train data x/test data x after reshaping

The shape of train_data_x after reshaping is: (205, 12288) The shape of test_data_x after reshaping is: (48, 12288)

0.0.5 Run the model and report the results

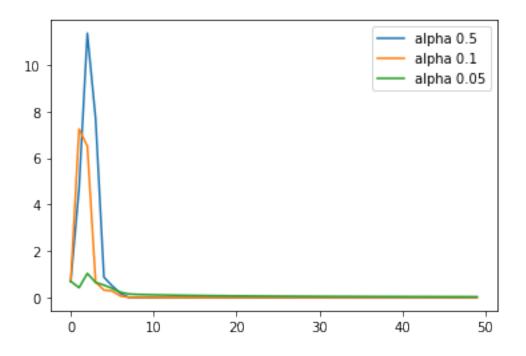
After 5000 iterations, the predict accuracy of test data is 0.65, whereas the accurary of the train data is about 1

0.0.6 Next we plot the learning curves with different learning rates

```
[7]: loss_with_alpha = []
     for alpha in [0.5, 0.1, 0.01]:
         result = M.model(train_data_x, train_data_y, test_data_x, test_data_y,
      diter_number, alpha, print_loss = False)
         loss_with_alpha.append([x for i, x in enumerate(result['loss_all']) if i %___
      \hookrightarrow100 == 0])
    /Users/zach/Downloads/cosi-165b/AS-1/code/lr utils.py:18: RuntimeWarning:
    overflow encountered in exp
      y = 1 / (1 + np.exp(-x))
    Predict accurary of the test data after 5000 iterations is: 0.6875
    Predict accurary of the train data after 5000 iterations with learning rate 0.5
    Predict accurary of the test data after 5000 iterations is: 0.645833333333333334
    Predict accurary of the train data after 5000 iterations with learning rate 0.1
    is: 1.0
    Predict accurary of the test data after 5000 iterations is: 0.645833333333333333
    Predict accurary of the train data after 5000 iterations with learning rate 0.01
    is: 1.0
[9]: data = np.array(loss_with_alpha).T
     plt.plot(data)
```

[9]: <matplotlib.legend.Legend at 0x7f7968bb4dc0>

plt.legend(["alpha 0.5", "alpha 0.1", "alpha 0.05"])



0.0.7 Next we are going to train a deep network with L-layer L=5 to solve the same problem

```
[2]: import dnn_main as DM

[3]: # run model with iter_number = 1000

iter_number = 1000
```

```
[4]: result = DM.model(train_data_x, train_data_y, test_data_x, test_data_y,

layers_dims, alpha, iter_number, False)
```

Predict accurary of the test data after 1000 iterations is: 0.75 Predict accurary of the train data after 1000 iterations with learning rate 0.05 is: 1.0

After 1000 iterations, the predict accuracy of test data is 0.75, whereas the accurary of the train data is about 1

0.0.8 Next we plot the learning curves with different learning rates

Predict accurary of the test data after 5000 iterations is: 0.75

Predict accurary of the train data after 5000 iterations with learning rate 0.05 is: 1.0

Predict accurary of the test data after 5000 iterations is: 0.6875

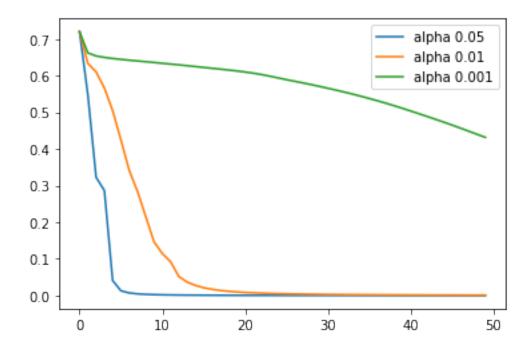
Predict accurary of the train data after 5000 iterations with learning rate 0.01 is: 1.0

Predict accurary of the test data after 5000 iterations is: 0.5833333333333334

Predict accurary of the train data after 5000 iterations with learning rate 0.001 is: 0.8341463414634146

```
[7]: data = np.array(loss_with_alpha).T
   plt.plot(data)
   plt.legend(["alpha 0.05", "alpha 0.01", "alpha 0.001"])
```

[7]: <matplotlib.legend.Legend at 0x7fbd900f3f70>



Looks like	\mathbf{e} what	we	expected	but	learning	\mathbf{rate}	0.001	\mathbf{seems}	\mathbf{not}	${\bf converge}$	due	\mathbf{to}	not
enough it	eration	\mathbf{is}											