

Programming Models Case Study: OpenMP

Ruini Xue

School of Computer Science and Engineering
University of Electronic Science and Technology of China
2016

What is OpenMP?

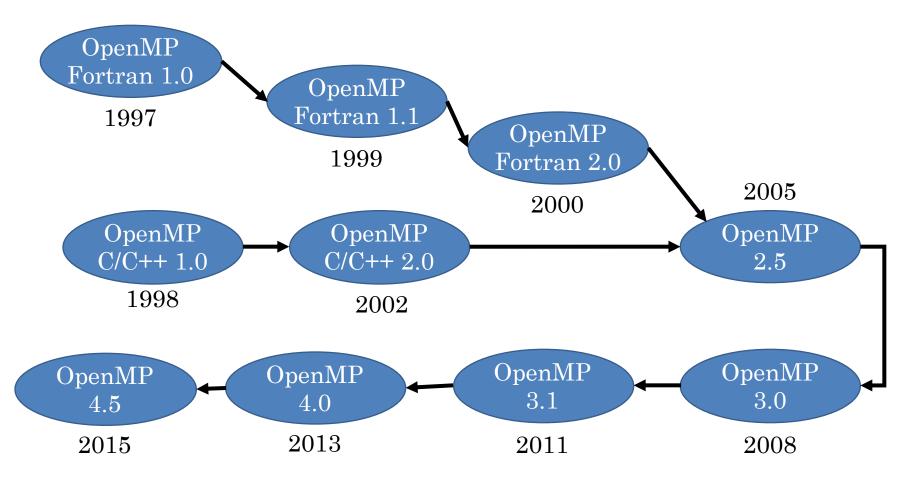


- OpenMP is an API for parallel programming
- Designed for shared-memory multiprocessors
- Set of compiler directives, library functions, and environment variables, but not a language
- Can be used with C, C++, or Fortran
- Based on fork/join model of threads



Release History





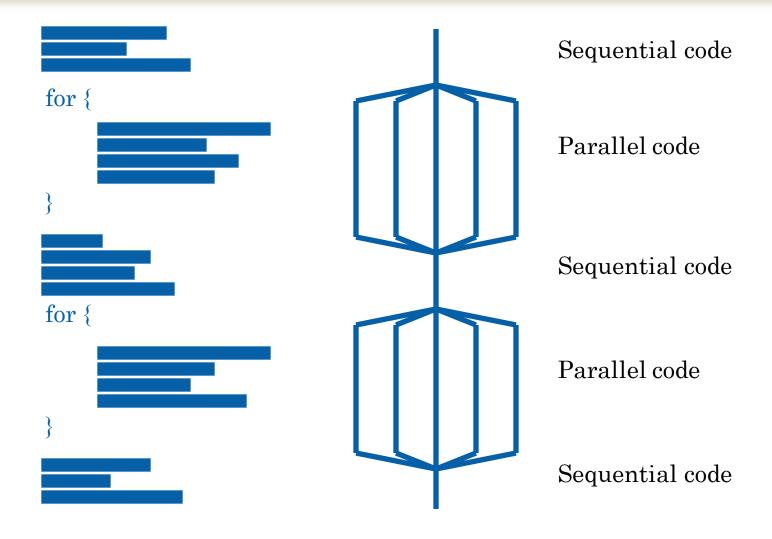
Fork/Join Programming Model



- When program begins execution, only master thread is active
- Master thread executes sequential portions of the program
- For parallel portions of program, master thread forks (creates or awakens) additional threads
- At join (end of parallel section of code), extra threads are suspended or die

Relating Fork/Join to Code

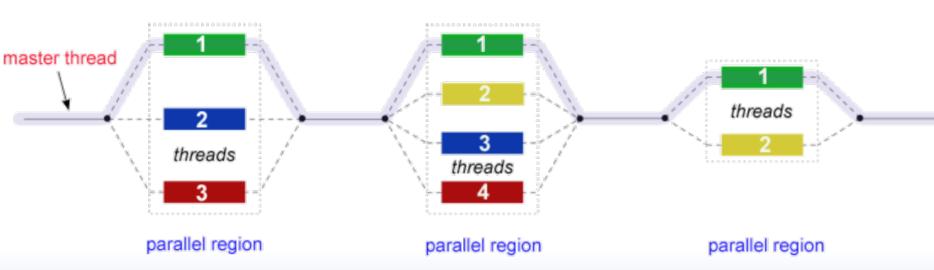




Another view



- All OpenMP programs begin as a single process: the master thread.
 - The master thread executes sequentially until the first parallel region construct is encountered
- Master thread spawns a team of threads as needed
- Parallelism added incrementally until performance goals are met: i.e. the sequential program evolves into a parallel program



Incremental Parallelization



- Sequential program is a special case of threaded program
- Programmers can add parallelism incrementally
- Profile program execution
- Repeat
 - Choose best opportunity for parallelization
 - Transform sequential code into parallel code
- Until further improvements not worth the effort
- Difficult for distributed memory programming

#pragma



- Directive is the method specified by the C standard for providing additional information to the compiler
 - it tells the compiler to do something, set some option, take some action, override some default, etc.
- E.g.

```
#pragma GCC error "message"
```

```
#pragma once
// header file code
```

```
#pragma warning (disable : 4018 )
```

Syntax of Compiler Directives



- A C/C++ compiler directive is called a *pragma*
- Pragmas are handled by the preprocessor
- All OpenMP pragmas have the syntax:
- #pragma omp <rest of pragma>
- structured block
- Pragmas appear immediately before relevant construct

Pragma: parallel for



- tells the compiler that the for loop which immediately follows can be executed in parallel
- The number of loop iterations must be computable at run time before loop executes
- Loop must not contain a break, return, or exit
- Loop must not contain a goto to a label outside loop

parallel for [2.11.1] [2.10.1]

Shortcut for specifying a **parallel** construct containing one or more associated loops and no other statements.

```
#pragma omp parallel for [clause[ [, ]clause] ...] for-loop
```

Example



- int first, *marked, prime, size;

 #pragma omp parallel for
 for (i = first; i < size; i += prime)
 marked[i] = 1;
- 1. Threads are assigned an independent set of iterations
- 2. Barrier/join: threads must wait at the end of construct

Pragma: parallel



- Sometimes the code that should be executed in parallel goes beyond a single for loop
- The parallel pragma is used when a block of code should be executed in parallel

parallel [2.5] [2.5]

Forms a team of threads and starts parallel execution.

#pragma omp parallel [clause[[,]clause] ...] structured-block

```
#pragma omp parallel
{
   DoSomeWork(res, M);
   DoSomeOtherWork(res, M);
}
```

Pragma: for



for [2.7.1] [2.7.1]

Specifies that the iterations of associated loops will be executed in parallel by threads in the team in the context of their implicit tasks.

Pragma: for



- The **for** pragma can be used inside a block of code already marked with the **parallel** pragma
- Loop iterations should be divided among the active threads

• There is a barrier synchronization at the end of the

for loop

```
#pragma omp parallel
{
   DoSomeWork(res, M);
   #pragma omp for
   for (i = 0; i < M; i++) {
      res[i] = huge();
   }
   DoSomeMoreWork(res, M);
}</pre>
```

Which loop to make parallel?



- Loop-carried dependence: dependence exists across iterations; i.e., if the loop is removed, the dependence no longer exists.
- Loop-independent dependence: dependence exists within an iteration; i.e., if the loop is removed, the dependence still exists.

Loop dependencies



```
for (i=1; i<n; i++) {
    S1: a[i] = a[i-1] + 1;
    S2: b[i] = a[i];
}

for (i=1; i<n; i++)
    for (j=1; j< n; j++)
       S3: a[i][j] = a[i][j-1] + 1;

for (i=1; i<n; i++)
    for (j=1; j< n; j++)
       S4: a[i][j] = a[i-1][j] + 1;</pre>
```

```
S1[i] \rightarrowT S1[i+1]: loop-carried
S1[i] \rightarrowT S2[i]: loop-independent
S3[i,j] \rightarrowT S3[i,j+1]:
```

- loop-carried on for j loop
- no loop-carried dependence in for i loop

```
S4[i,j] \rightarrow T S4[i+1,j]:
```

- no loop-carried dependence in for j loop
- loop-carried on for i loop

Which Loop to Make Parallel?



```
main () {
int i, j, k;
float **a, **b;
                                Loop-carried dependences
for (k = 0; k < N; k++)
  for (i = 0; i < N; i++)
                                Can execute in parallel
    for (j = 0; j < N; j++)
                                Can execute in parallel
      a[i][j] = MIN(a[i][j], a[i][k] + a[k][j]);
```

Floyd's algorithm

Minimizing Threading Overhead



- There is a fork/join for every instance of
- Since fork/join is a source of overhead, we want to maximize the amount of work done for each fork/join
- Hence we choose to make the middle loop parallel
 - n fork/joins
 - For inner loop parallel, n² fork/joins

```
#pragma omp parallel for
for () {
    ...
}
```

Almost Right, but Not Quite



```
• main () {
• int i, j, k;
• float **a, **b;
                        Problem: j is a shared variable
• for (k = 0; k < N; k++)
   #pragma omp parallel for
   for (i = 0; i < N; i++)
     for (j = 0; j \times N; j++)
       a[i][j] = MIN(a[i][j], a[i][k] + a[k][j]);
```

Problem Solved with private Clause



```
private(list)
• main () {
                          Declares one or more list items to be private to a task
                          or a SIMD lane. Each task that references a list item
• int i, j, k;
                          that appears in a private clause in any statement in the
• float **a, **b;
                          construct receives a new list item.
• for (k = 0; k < N; k++)
    #pragma omp parallel for private (j)
    for (i = 0; i < N; i++)
                                       Tells compiler to make listed
                                       variables private
       for (j = 0; j < N; j++)
          a[i][j] = MIN(a[i][j], a[i][k] +
 a[k][j]);
```

The Private Clause



- Reproduces the variable for each thread
 - Variables are un-initialized; C++ object is default constructed
 - Any value external to the parallel region is undefined

```
void work(float* c, int N)
{
  float x, y; int i;
  #pragma omp parallel for private(x,y)
  for(i = 0; i < N; i++) {
    x = a[i]; y = b[i];
    c[i] = x + y;
  }
}</pre>
```

Example: Dot Product



• Why won't the use of the **private** clause work in this example?

```
float dot_prod(float* a, float* b, int N)
{
  float sum = 0.0;
  #pragma omp parallel for private(sum)
  for(int i = 0; i < N; i++) {
    sum += a[i] * b[i];
  }
  return sum;
}</pre>
```

Reductions



- Given associative binary operator ⊕ the expression
 - $a_1 \oplus a_2 \oplus a_3 \oplus \ldots \oplus a_n$
- is called a reduction

OpenMP reduction Clause



- Reductions are so common that OpenMP provides a reduction clause for the parallel for pragma
- reduction (op : list)
- A PRIVATE copy of each list variable is created and initialized depending on the "op"
 - The identity value "op" (e.g., 0 for addition)
- These copies are updated locally by threads
- At end of construct, local copies are combined through "op" into a single value and combined with the value in the original SHARED variable

reduction(reduction-identifier:list)

Specifies a *reduction-identifier* and one or more list items. The *reduction-identifier* must match a previously declared *reduction-identifier* of the same name and type for each of the list items.

Operators for reduction (initialization values)				
+	(0)		(0)	
*	(1)	Λ	(0)	
-	(0)	&&	(1)	
&	(~0)		(0)	

max (Least representable number in reduction list item type)

min (Largest representable number in reduction list item type)

Reduction Example



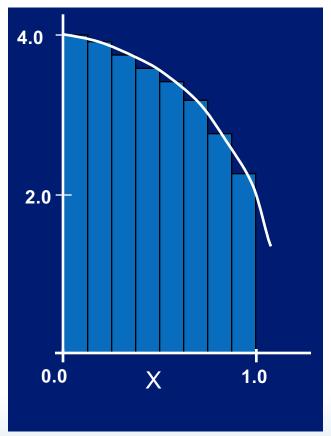
- Local copy of **sum** for each thread
- All local copies of sum added together and stored in shared copy

```
float dot_prod(float* a, float* b, int N)
{
  float sum = 0.0;
  #pragma omp parallel for reduction(+:sum)
  for(int i = 0; i < N; i++) {
    sum += a[i] * b[i];
  }
  return sum;
}</pre>
```

Numerical Integration Example



$$\int\limits_{0}^{1}\frac{4}{1+x^{2}}\,dx=\pi$$



```
static long num rects=100000;
double width, pi;
void main()
  int i;
   double x, sum = 0.0;
   width = 1.0/(double) num rects;
   for (i = 0; i < num rects; i++) {
      x = (i+0.5) * width;
      sum = sum + 4.0/(1.0 + x*x);
   pi = width * sum;
   printf("Pi = %f\n",pi);
```

Numerical Integration: What's Shared?



```
static long num rects=100000;
double width, pi;
                                  What variables can be shared?
void main()
   int i;
                                      width, num rects
   double x, sum = 0.0;
   width = 1.0/(double) num rects;
   for (i = 0; i < num rects; i++) {</pre>
      x = (i+0.5) * width;
      sum = sum + 4.0/(1.0 + x*x);
   pi = step * sum;
   printf("Pi = %f\n",pi);
```

Numerical Integration: What's Private?



```
static long num rects=100000;
double width, pi;
                                 What variables need to be private?
void main()
   int i;
                                      x, i
   double x, sum = 0.0;
   width = 1.0/(double) num rects;
   for (i = 0; i < num rects; i++) {
      x = (i+0.5) * rects;
      sum = sum + 4.0/(1.0 + x*x);
   pi = step * sum;
   printf("Pi = %f\n",pi);
```

Numerical Integration: Any Reductions?



```
static long num rects=100000;
double width, pi;
                                  What variables should be set up for
                                  reduction?
void main()
   int i;
                                       sum
   double x, sum = 0.0;
   width = 1.0/(double) num rects;
   for (i = 0; i < num rects; i++) {</pre>
      x = (i+0.5) * width;
      sum = sum + 4.0/(1.0 + x*x);
   pi = step * sum;
   printf("Pi = %f\n",pi);
```

Solution to Computing Pi



```
static long num rects=100000;
double width, pi;
void main()
   int i;
   double x, sum = 0.0;
#pragma omp parallel for private(x) reduction(+:sum)
   width = 1.0/(double) num rects;
   for (i = 0; i < num rects; i++) {
      x = (i+0.5) * width;
      sum = sum + 4.0/(1.0 + x*x);
   pi = step * sum;
   printf("Pi = %f\n",pi);
```