

# Computer Networking and IT Security (INHN0012)

## Tutorial 11

### Problem 1 Flow and congestion control with TCP

The most widely used transport protocol on the Internet is TCP. It implements mechanisms for flow and congestion control.

a)\* Discuss the differences between flow and congestion control. What are the objectives of each mechanism?

b) Assign each of the following terms to TCP flow or congestion control:

- Slow-Start
- Receive window
- Congestion-Avoidance
- Multiplicative-Decrease

To analyze the data rate that can be achieved with TCP, we consider the course of a contiguous data transmission in which the slow-start phase has already been completed. TCP is therefore operating in the congestion-avoidance phase. We define the individual windows as follows:

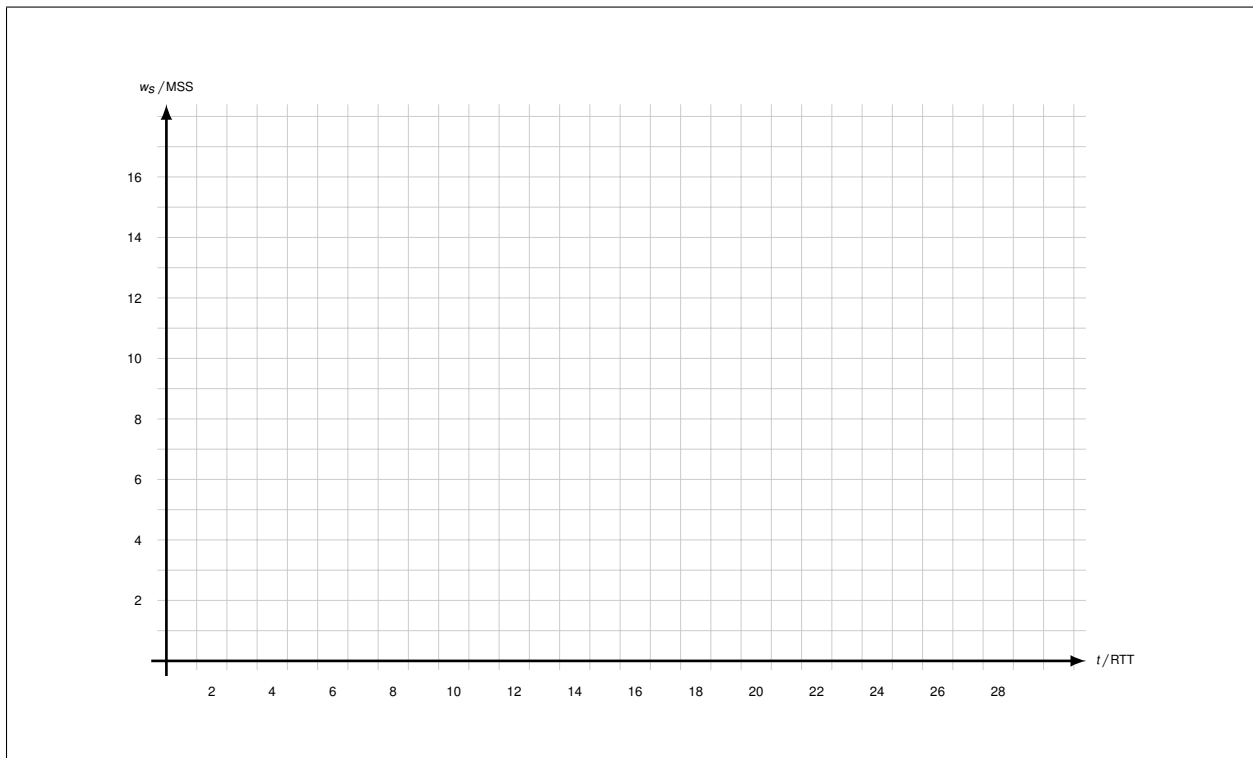
- Send window  $W_s$ ,  $|W_s| = w_s$
- Receive window  $W_r$ ,  $|W_r| = w_r$
- Congestion-control window  $W_c$ ,  $|W_c| = w_c$

We assume that the receive window is arbitrarily large, so that the send window is determined solely by the congestion-control window, i. e.,  $W_s = W_c$ . No losses occur as long as the send window is smaller than a maximum value  $x$ , i. e.,  $w_s < x$ .

If a full send window is acknowledged, the currently used window increases by exactly 1 MSS. If the send window reaches the value  $x$ , exactly one of the sent TCP segments is lost. The sender detects the loss by receiving the same ACK number multiple times. The sender then halves the congestion-control window, but still remains in the congestion-avoidance phase, i. e., no new slow-start takes place. This approach corresponds to a simplified variant of TCP-Reno (cf. lecture).

As concrete numerical values, we assume that the maximum TCP segment size (MSS) is 1460 B and that the RTT is 200 ms. Let the serialization time of segments be negligible compared to the propagation delay. Segment loss occurs as soon as the send window reaches a size of  $w_s \geq x = 16 \text{ MSS}$ .

c)\* Create a graph plotting the current size of the send window  $w_s$ , measured in MSS, over the time axis  $t$ , measured in RTT. In your diagram, at time  $t_0 = 0$  s, the send window size has just been halved, so that  $w_s = x/2$  holds. Draw the diagram for the time interval  $t = \{0, \dots, 27\}$ .



d)\* How much time elapses before the congestion control window is reduced again after a segment loss as a result of another segment loss?

e)\* Determine the average loss rate  $L$ .

**Note:** Since the behavior of TCP is periodic in this idealized model, it is sufficient to consider only a single period. Set the total number of transmitted segments in relation to the number of lost segments (specification as a truncated fraction is sufficient).

f) Using the results from subtasks d) and e), determine the average achievable transmission rate in kB/s during the TCP transmission phase under consideration.

**Note:** Use the exact value (fraction) from subtask e).

g)\* What is the maximum transmission rate that could be achieved over the channel using UDP without causing congestion? Take into account that the UDP header is 12 B shorter than the TCP header without options.

## Problem 2 Compression: Huffman Coding

Given the alphabet  $\mathcal{A} = \{a, b, c, d\}$  and the message

$$m = \text{aabcdbdacababbbcbddbbbaababdbdbb} \in \mathcal{A}^{32}.$$

- a)\* Determine the occurrence probabilities  $p_i$  of each character  $i \in \mathcal{A}$  in the message  $m$ .
- b) Determine the information content  $I(i)$  of each character from  $\mathcal{A}$ .
- c) The message  $m$  originates from a message source  $X$ . Based on the previous results, determine the source entropy  $H(X)$ .
- d) Now determine a binary Huffman code  $C$  for this message source.
- e) Determine the average codeword length of  $C$ .
- f) Compare the average codeword length of  $C$  with the codeword length of a uniform<sup>1</sup> binary code.
- g) **Homework:** Create a binary Huffman-Code  $C'$  for another message source  $Q'$ , which emits characters of the alphabet  $\chi = \{a, b, c, d, e\}$ .  
The relative probabilities of the characters are  $p_a = \frac{2}{22}, p_b = \frac{3}{22}, p_c = \frac{4}{22}, p_d = \frac{5}{22}, p_e = \frac{8}{22}$ .

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<sup>1</sup>A code is called *uniform* if all codewords have the same length