

Depth-First Search

depth search

depth = 0 \rightarrow depth = 1 : DFS(G, 0)

\vdots
finish one path \downarrow DFS(G, 1)

\downarrow
back track to node
with another path

search nodes in graph

Breadth-First Search

using queue

enqueue first node

\downarrow
dequeue one node

\downarrow if have adj...

enqueue adjacent nodes

\downarrow if no...

stop

if queue.length \neq 0

\downarrow if = 0 : stop

Dijkstra's Algorithm

graph: shortest path from A to B

initialization: $Q = (A: 0), (B: \infty), (C: \infty), (D: \infty)$

iteration...

\downarrow
extract vertex A, update vertices B, C, D ...

$A: d=0, B: d=1, C: d=2$

$Q = (A: 0), (B: 1), (C: 2) \dots$

\downarrow
delete extracted point from Q

Ford-Fulkerson algorithm

Graph
Network flow

initial network (G)

residual graph (G_R)

↓
flow/capacity
(0)

↓
flow

iteration

Augment path : A - B - C - D → Flow = Flow +

network
flow/capacity

residual graph
flow in different direction

Edmonds-Karp Algorithm

Graph
network flow

iteration

path with fewest edge

path < S, v₁, v₃, t >

residual network

final result

residual network + flow network

Prim's algorithm

Tree : minimum spanning tree
in graph

find minimum-weight edge

if form cycle

skip

else pick it and insert in new graph

Kruskal's algorithm

sort edge's weight in increasing order

pick first edge → insert → pick next edge

if form a cycle, skip

else, pick it and insert in new graph