



# Syntax Analysis

 Files & media	<a href="#">Syntax.pdf</a>
 Name	Week 12
<input checked="" type="checkbox"/> Review	<input type="checkbox"/>

## Parse Tree

if

then

else

program  $\rightarrow$  blocks  $\rightarrow$  statements

## Context free Grammar

tuples

1. non-terminal symbols
2. terminal symbols
3. start nonterminals
4. productions (P in forms of  $A \rightarrow B$ , and  $A$  in  $N$ ,  $B - (\text{Nonterminal } U \text{ terminal})^*$ )

### Regular Expression

$L = \{a^n b^n \mid n > 0\}$  not a regular set but context-free

### Stack

**Pushdown Automata( use stack to check number of a and b)**

recursive language > context-sensitive language > context-free lang>regular set

**Derivation:** from grammar to derivation

## Leftmost deviation

remove left recursion, left factoring, ambiguity

## Rightmost Deviation

remove ambiguity

context free grammar, parse tree

## Bottom-Up Parsing(using stack)

1. shift: from terminal to stack
2. reduce: from non-terminal to terminal
3. accept
4. error

**Question:**  $E \rightarrow E - E \mid E * E \mid id$

input string: id-id \* id

priority: id > \* > -

Stack	Input buffer	Parser Action
\$	id-id*id\$	shift
\$id	-id*id\$	reduce id in stack to E
\$E	-id*id\$	shift
\$E-	id*id\$	shift
\$E-id	*id\$	reduce id in stack to E
\$E-E	*id\$	shift
\$E-E*	id\$	shift
\$E-E*id	\$	reduce E → id
\$E-E*E	\$	reduce E → E*E
\$E-E	\$	reduce E → E - E
\$E	\$	accept

**Question:**  $S \rightarrow 0S0 \mid 1S1 \mid 2$

input string: 10201

Stack	Input buffer	Parsing Action
\$	10201\$	shift
\$1	0201\$	shift
\$10	201\$	shift
\$102	01\$	reduce $S \rightarrow 2$
\$10S	01\$	shift
\$10S0	1\$	reduce $S \rightarrow 0S0$
\$1S	1\$	shift
\$1S1	\$	reduce $S \rightarrow 1S1$
\$S	\$	accept

## Top-Down Parsing

## recursive production

same non-terminal at both left and right hand side of production

## Recursive grammar

right recursion better ( $S \rightarrow aS$ ) for compiler

reduce left recursion

$A \rightarrow Aa \mid b$

$\Rightarrow A \rightarrow bA' ; A' \rightarrow aA' \mid (\text{null})$

## Ambiguous Grammar

more than one parse tree

(both left and right recursive)

## Non-deterministic Grammar

common prefix

convert non-deterministic to deterministic:

(**left-factoring** grammar)

**Question:**  $S \rightarrow aSb \mid abS \mid ab$

$\Rightarrow S \rightarrow aA' ; A' \rightarrow Sb \mid bS \mid b(\text{null})$

$\Rightarrow S \rightarrow aA' ; A' \rightarrow Sb \mid bA'' ; A'' \rightarrow S \mid (\text{null})$

**Question:**  $S \rightarrow ab \mid abc \mid abcd \mid b$

$\Rightarrow S \rightarrow abA' \mid b ; A' \rightarrow (\text{null}) \mid cA'' ; A'' \rightarrow (\text{null}) \mid d$

## First Rule

first terminal small character

bottom to top

## First Rules

- **Rule-01:**
- For a production rule  $X \rightarrow \epsilon$ ,  $\text{First}(X) = \{ \epsilon \}$
- **Rule-02:**
- For any terminal symbol 'a',  $\text{First}(a) = \{ a \}$
- **Rule-03:**
- For a production rule  $X \rightarrow Y_1 Y_2 Y_3$ ,
- **Calculating First(X)**
- If  $\epsilon \notin \text{First}(Y_1)$ , then  $\text{First}(X) = \text{First}(Y_1)$
- If  $\epsilon \in \text{First}(Y_1)$ , then  $\text{First}(X) = \{ \text{First}(Y_1) - \epsilon \} \cup \text{First}(Y_2 Y_3)$
- **Calculating First(Y<sub>2</sub>Y<sub>3</sub>)**
- If  $\epsilon \notin \text{First}(Y_2)$ , then  $\text{First}(Y_2 Y_3) = \text{First}(Y_2)$
- If  $\epsilon \in \text{First}(Y_2)$ , then  $\text{First}(Y_2 Y_3) = \{ \text{First}(Y_2) - \epsilon \} \cup \text{First}(Y_3)$
- Similarly, we can make expansion for any production rule  $X \rightarrow Y_1 Y_2 Y_3 \dots Y_n$ .

## Follow Rule

# Understanding Follow Function

Follow(A) is the set of all terminals that may follow to the right of (A) in any form of sentential Grammar.

Rules:

1) if A is the start symbol then  $\text{Follow}(A) = \{\$ \}$

2) if  $A \rightarrow \alpha A \beta$ ,  $\beta \rightarrow ! \in$   
 $\text{Follow}(A) = \text{First}(\beta)$

3) if  $S \rightarrow \alpha A$   
 $\text{Follow}(A) = \text{Follow}(S)$

4)  $S \rightarrow \alpha A \beta$ , where  $\beta \rightarrow \epsilon$   
 $\text{Follow}(A) = \text{First}(\beta) \cup \text{Follow}(S) - \epsilon$

## Steps

1. remove left recursion
2. get first function and follow function
3. Table

## LL(1)

**Not LL(1): multiple entry in 1 slot**

## A Grammar which is not LL(1)

$S \rightarrow i C t S E \mid a$

$E \rightarrow e S \mid \varepsilon$

$C \rightarrow b$

$\text{FOLLOW}(S) = \{ \$, e \}$

$\text{FOLLOW}(E) = \{ \$, e \}$

$\text{FOLLOW}(C) = \{ t \}$

$\text{FIRST}(iCtSE) = \{ i \}$

$\text{FIRST}(a) = \{ a \}$

$\text{FIRST}(eS) = \{ e \}$

$\text{FIRST}(\varepsilon) = \{ \varepsilon \}$

$\text{FIRST}(b) = \{ b \}$

	a	b	e	i	t	\$
S	$S \rightarrow a$			$S \rightarrow iCtSE$		
E			$E \rightarrow eS$ $E \rightarrow \varepsilon$			$E \rightarrow \varepsilon$
C		$C \rightarrow b$				

two production rules for  $M[E,e]$

Problem  $\rightarrow$  ambiguity

Fill in (non-terminal\*terminal) FIRST() result with different starting function  
if (null), check FOLLOW()

$\Rightarrow$  no multiple entry  $\rightarrow$  no ambiguity  $\rightarrow$  LL(1)

## Intermediate code generator

three-address code: address + instruction

address: name - symbol-table entry

instruction: assignment / copy / ...conditional jump

## Code optimization

1. common subexpression elimination

2. copy propagation
3. dead code elimination
4. constraint folding
5. code motion