## Bipolar junction transistor (BJT)

\* Two pn-junctions, e.g. pnp, with
the middle n-type layer being very thin

\* Base thickness & Diffusin length of cerries

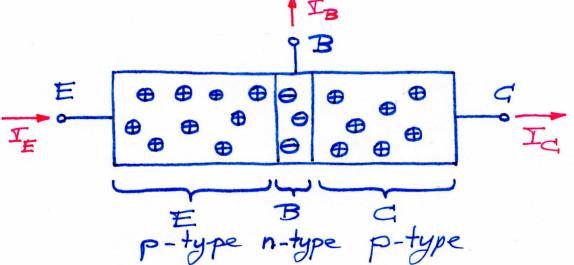
\* Three electrodes: Emitter (E), Base (B)

and Collector (G)

Emitter -> Emits charge carriers

Base -> Middle electrode; Control electrode

Collector -> Collects charge carriers

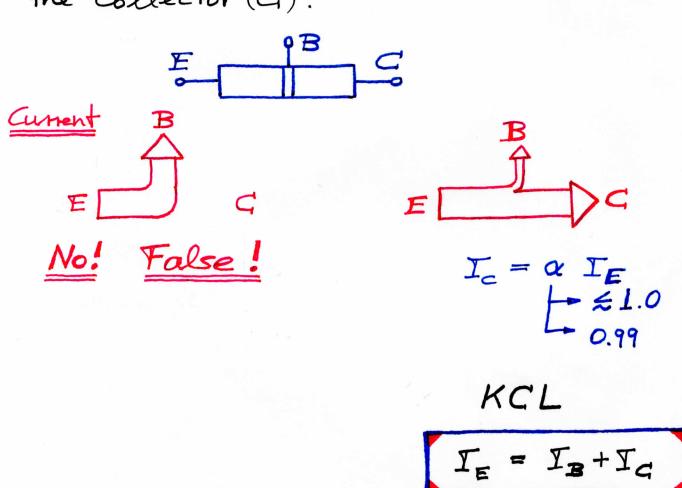


\* BE diode ⇒ Forward bias ⇒  $V_{BE} \approx 0.7V$ ⇒  $I_E$  is controlled by  $V_{BE}$  ⇒ Base(B)

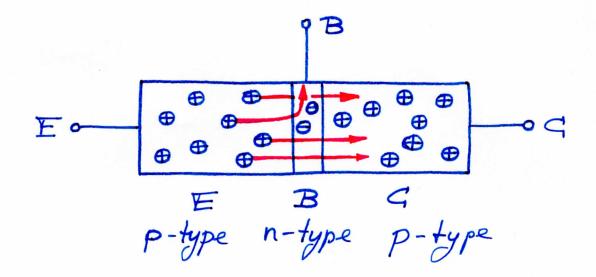
is very thin ⇒ Most carriers injected

from Emitter (E) into Base (B) reach

the Collector (C).



## Flow of charge carriers



- → Most holes ( ) injected from E into B reach the G.
- A class megatively biased with respect to B, thereby attracting holes and make them go from Eto C.

# BJT circuit symbols

### pnp transistor

Both Current 
$$B \Rightarrow p-type$$

flow  $B \Rightarrow p-type$ 

E direction  $E \Rightarrow p-type$ 

VBE < 0 (negative) in active regime

## npn transistor

Both 
$$G \Rightarrow n-type$$

Flow

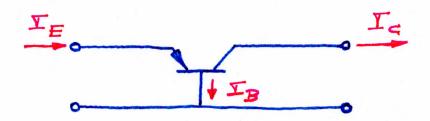
E direction

 $E \Rightarrow n-type$ 

VBE > 0 (positive) in active regime

#### Current amplification

#### Common - base (B) circuit



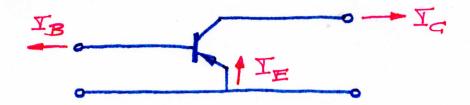
Recall: 
$$I_C = \alpha I_E \approx 1.0 \text{ e.g. 0.99}$$

KCL:  $I_B = I_E - I_G$ 

Current amplification = 
$$\frac{I_{\text{out}}}{I_{\text{In}}} = \frac{I_{\text{d}}}{I_{\text{E}}} = \infty$$

$$\Rightarrow \qquad \boxed{I_c = \alpha I_E}$$

#### Gommon - emitter (E) circuit



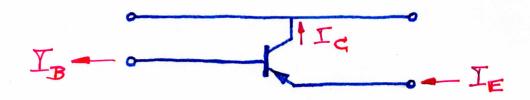
$$T_c = \alpha T_E$$

Current amplification = 
$$\frac{I_{\text{out}}}{I_{\text{In}}} = \frac{I_{\text{cl}}}{I_{\text{B}}} = \frac{I_{\text{cl}}}{I_{\text{E}}-I_{\text{cl}}} = \frac{I_{\text{cl}}}{I_{\text{E}}-I_{\text{cl}}} = \frac{I_{\text{cl}}}{I_{\text{E}}-I_{\text{cl}}} = \frac{I_{\text{cl}}}{I_{\text{E}}-I_{\text{cl}}} = \frac{I_{\text{cl}}}{I_{\text{E}}-I_{\text{cl}}} = \frac{I_{\text{cl}}}{I_{\text{cl}}-I_{\text{cl}}} = \frac{I_{\text{cl}}}{I_{\text{cl}}-I_{\text{c$$

$$=\frac{\alpha}{1-\alpha}=\beta \quad \text{with } \beta \gg 1 \quad \text{e.g. } \beta=100$$

$$I_c = \beta I_B$$
  $\beta = \frac{\alpha}{1-\alpha}$ 

## Common - collector (C) circuit



Recall:

KCL:

Current amplification = 
$$\frac{I_{\text{cut}}}{I_{\text{En}}} = \frac{I_{\text{E}}}{I_{\text{B}}} = \frac{I_{\text{E}}}{I_{\text{E}}-I_{\text{C}}} = \frac{I_{\text{E}}}{I_{\text{E}}-I_{\text{C}}} = \frac{I_{\text{E}}}{I_{\text{E}}} = \frac{I_{\text{E}}}{I_{\text{E}}-I_{\text{C}}} = \frac{I_{\text{E}}}{I_{\text{E}}} = \frac{I_{\text{E}}}{I_{\text{E}}} = \frac{I_{\text{E}}}{I_{\text{E}}-I_{\text{C}}} = \frac{I_{\text{E}}}{I_{\text{E}}} = \frac{I_{\text{E}}}{I_{\text{E}}-I_{\text{C}}} = \frac{I_{\text{E}}}{I_{\text{E}}} = \frac{I_{\text{E}}}{I_{\text{E}}-I_{\text{C}}} = \frac{I_{\text{E}}}{I_{\text{E}}-I_{\text{E}}} = \frac{I_{\text{E}}}{I_{\text{E}}-I_{\text{E}}} = \frac{I_{\text{E}}}{I_{\text{E}}-I_{\text{E}}} = \frac$$

Note: 
$$\frac{\alpha}{1-\alpha} = \beta$$
  
 $\frac{\alpha}{1-\alpha} + 1 = \beta + 1$   
 $\frac{\alpha+1-\alpha}{1-\alpha} = \beta+1$   
 $\frac{1}{1-\alpha} = \beta+1$  ... what was to be shown