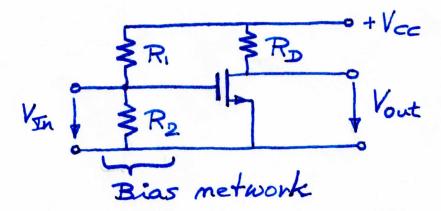
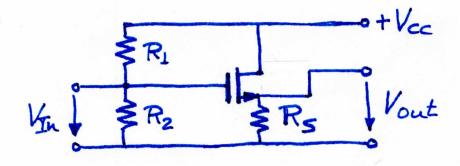
FET Amphifiers

Common Source amplifier



Q: Explain name: Common Source amplifier.

Common Drain amplifier

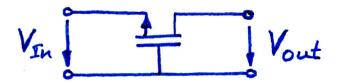


Q: Is D common? >> Yes

Q: Why is D common?

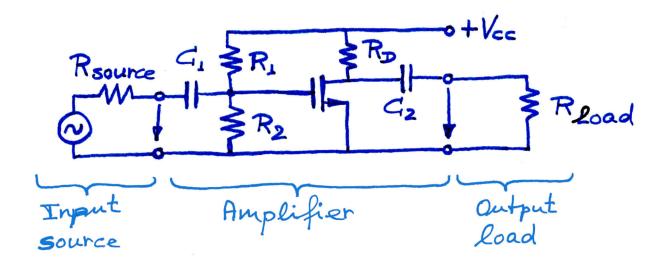
Alternative name: Source follower

Common Gate amplifier



- Q: Current amplification? -> 1.0
- Q: Why?
- => arrent follower (alternative name)

Common Source amplifier

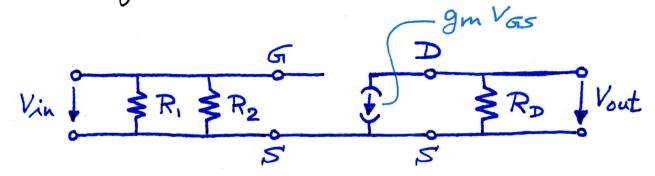


- Q: For analysis of amplifier, will Rsource and Rload matter? => No. Why?
- Q: How are $G_1 \& G_2$ dimensioned? $\Rightarrow C_1 \rightarrow \infty$ $C_2 \rightarrow \infty$ so that $Z_G = \frac{1}{i\omega G} = 0$
- Q: How are G1 & G2 dimensioned in practice?

 Dimension C1 & G2 to let pass
 all relevant frequencies.

4

Small-signal equivalent circuit



Input impedance

Output impedance

Zout =
$$R_D$$
 (or $R_D \parallel R_{DS}$ if $R_{DS} \neq \infty$)

ament amplification

$$A_{ISC} = \frac{j_{out}}{j_{iin}} = \frac{g_m V_{GS}}{V_{GS}/(R_L \parallel R_2)} = g_m (R_L \parallel R_2)$$

Note: R1& R2 can be very large. Why?

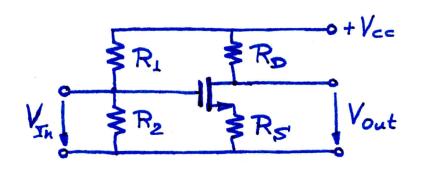
AISC can be very large.

Voltage amplification

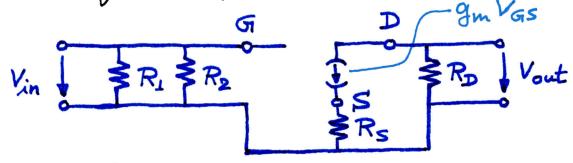
Avoc =
$$\frac{V_{\text{out}}}{V_{\text{in}}} = \frac{g_{\text{m}} V_{\text{GS}} R_{\text{D}}}{V_{\text{in}}} = g_{\text{m}} R_{\text{D}}$$

Le VGS

et us add a source resistance



Small signal equivalent circuit



$$Z_{in} = R_1 \parallel R_2$$

$$A_{ISC} = \frac{i_{out}}{i_{in}} = \frac{g_m V_{GS}}{V_{in}/(R_1 || R_2)} = \frac{g_m (R_1 || R_2)}{1 + g_m R_s}$$

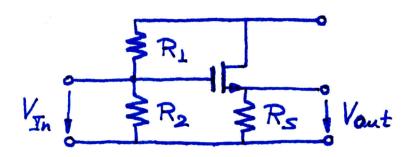
$$L_{V_{GS}} + R_S g_m V_{GS}$$

$$A_{VOG} = \frac{V_{out}}{V_{in}} = \frac{g_m V_{GS} R_D}{V_{GS} + R_S g_m V_{GS}} = \frac{g_m R_D}{1 + g_m R_S}$$

=> Rs reduces amplification

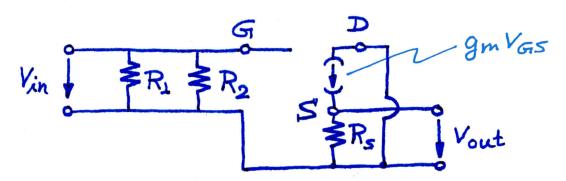
Common Drain amplifier

(also called Source Follower)



Q: Why is this called a common-Drain amplifier?

Small signal equivalent circuit



 $Z_{in} = R_1 \parallel R_2$

Zout = Rs

$$A_{ISC} = \frac{i_{out}}{i_{sin}} = \frac{g_m V_{GS}}{V_{in}/(R_1 \parallel R_2)} = g_m (R_1 \parallel R_2)$$

$$V_{GS}$$

$$A_{VOG} = \frac{V_{out}}{V_{in}} = \frac{g_m V_{GS} R_S}{V_{GS} + g_m V_{GS} R_S} = \frac{g_m R_S}{1 + g_m R_S}$$

$$L_{VGS} + g_m V_{GS} R_S$$