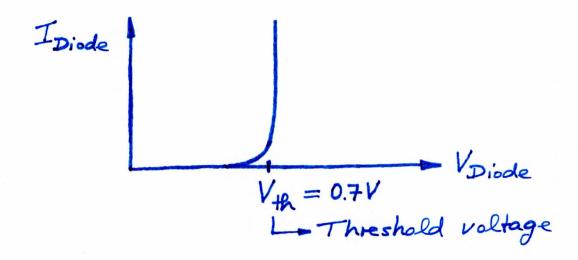
Small signal equivalent circuit of diode

Recall:

$$I = I_o(e^{V_L} - 1)$$
 $\approx I_o e^{V/V_L}$ (forward bias)

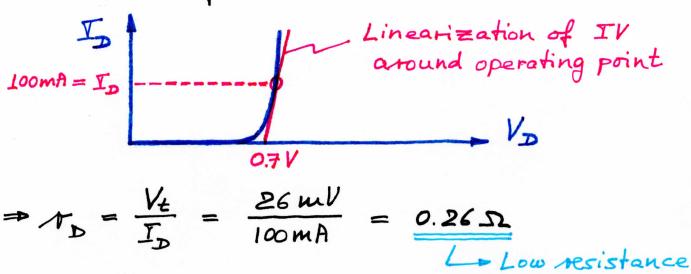
... Shockley diode equation



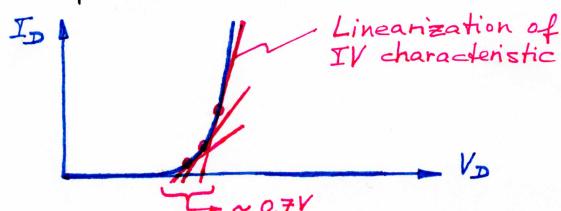
Recall:

due to forward

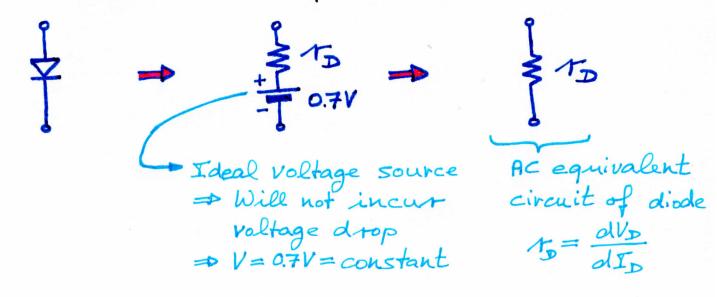
Linearization of IV characteristic



Examples of linearization



Equivalent circuit of linear IV line?



What is advantage of linearization?

- -> We now have a linear circuit
- → We now can use the superposition theorem

Example

$$V_1 = 5V$$

$$R = 1 k\Omega$$

Determine the DC operating point

$$V_{I} = IR + V_{Diode}$$

$$\Rightarrow I = \frac{V_{I} - V_{Diode}}{R} = \frac{5V - 0.7V}{Ik\Omega} = \frac{4.3V}{Ik\Omega}$$

$$P N_D = \frac{V_t}{I} = \frac{26 \, \text{mV}}{4.3 \, \text{mA}} = 6.05 \, \Omega$$

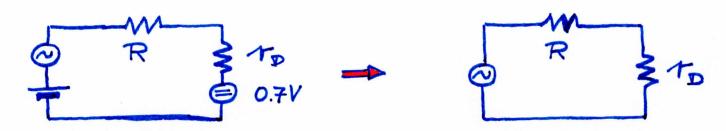
Let us add a small AC signal

$$V_1 = 5V \quad (DC)$$

$$V_2 = 10 \text{ mV} \quad (AG)$$

$$R = 100 \Omega$$

Linearization of circuit



Superposition principle: We can separately consider the effect of each source

Also recall: Resistance of ideal voltage source is zero. => No addition-al voltage drop across sources.

$$I_{DC} = \frac{5V - 0.7V}{100 \Omega} = \frac{4.3V}{100 \Omega} = 43 \text{ mA}$$

$$I_{D} = V_{\pm}/I = 26 \text{ mV}/43 \text{ mA} = 0.6 \Omega$$

AC voltage drop across diode $V_{AC, Diode} = \frac{T_D}{R + T_D} V_{AC} \quad (Voltage divider)$ $= \frac{0.652}{10052 + 0.652} \quad |OmV| = 0.06 \text{ mV}$

We have a non-linear circuit (e.g. diode circuit)

We wish to linearize the circuit (Why?)

We need to identify the point around which the circuit is linearized (→ DC operating point - Quiescent point)

→ Q-point)

We determine the differential properties (e.g. differential resistance) of components) (e.g. diode) at the Q-point

We can now calculate the effect of a small-signal AC input analysis voltage (Why small signal? Why AG?)