$$A = A + A^{x}e_{x} + A^{y}e_{y} + A^{xy}e_{x} \wedge e_{y}$$

$$B = B + B^{x}e_{x} + B^{y}e_{y} + B^{xy}e_{x} \wedge e_{y}$$

$$AB + A^{x}B^{x} - A^{xy}B^{xy} + A^{y}B^{y}$$

$$AB = \begin{pmatrix} AB + A^{x}B^{x} - A^{xy}B^{xy} + A^{y}B^{y} \\ + (AB^{x} + A^{x}B + A^{xy}B^{y} - A^{y}B^{xy}) e_{x} \\ + (AB^{y} + A^{x}B^{xy} - A^{xy}B^{x} + A^{y}B) e_{y} \\ + (AB^{xy} + A^{x}B^{y} + A^{xy}B - A^{y}B^{x}) e_{x} \wedge e \end{pmatrix}$$

$$\dot{\nabla} A = (A^{x} + Ae_{x} + A^{xy}e_{y} + A^{y}e_{x} \wedge e_{y}) \frac{\partial}{\partial x} + (A^{y} - A^{xy}e_{x} + Ae_{y} - A^{x}e_{x} \wedge e_{y}) \frac{\partial}{\partial y}$$

$$A\dot{\nabla} = (A^{x} + Ae_{x} - A^{xy}e_{y} - A^{y}e_{x} \wedge e_{y}) \frac{\partial}{\partial x} + (A^{y} + A^{xy}e_{x} + Ae_{y} + A^{x}e_{x} \wedge e_{y}) \frac{\partial}{\partial y}$$

$$\nabla (AB) - (\nabla A)B - (\dot{\nabla} A)\dot{B} = 0$$

$$(\dot{A}B)\dot{\nabla} - A(\dot{B}\dot{\nabla}) - \dot{A}(\dot{B}\dot{\nabla}) = 0$$

$$A \wedge B = AB + (AB^{x} + A^{x}B)e_{x} + (AB^{y} + A^{y}B)e_{y} + (AB^{xy} + A^{x}B^{y} + A^{xy}B - A^{y}B^{x})e_{x} \wedge e_{y}$$

$$\nabla \wedge (A \wedge B) - (\nabla \wedge A) \wedge B - (\dot{\nabla} \wedge A) \wedge \dot{B} = 0$$

$$(\dot{A}\dot{A}B) \wedge \dot{\nabla} - A \wedge (\dot{B} \wedge \dot{\nabla}) - \dot{A} \wedge (\dot{B} \wedge \dot{\nabla}) = 0$$