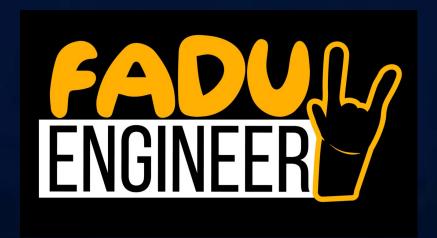
TAYLOR'S & LAURENT'S SERIES

Important Question Bank

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Important guestions

- show that Every finite value of z is, $e^{z} = e + e \leq \frac{(z-1)^{n}}{n!}$
- 2) Expand the function $f(z) = \frac{\sin z}{z \pi}$ about $z = \pi$
- 3) Find possible Laurent's Expansion of function $f(z) = \frac{2-z^2}{z(1-z)(2-z)}$ about z=0,
- indicating the ROC in each case.
- 4) Find Laurent's Series which represents the function $f(z) = \frac{2}{(z-1)(z-2)}$, when
 - (i) |z|<1 (ii) |<|z|<2 (ii) |z|>2.
- 5) Expand $f(z) = \frac{1}{z^3 3z^2 + 7z}$ as Laurent's

Series about z=0 for, () 12/<1

6) Find all possible Laurent's expansions of $f(z) = \frac{z^3 - 6z - 1}{(z-1)(z-3)(z+2)}$, about z=3.

Also indicate region of convergence.

7) obtain Taylor's and Laurent's expansions of
$$f(z) = \frac{Z-1}{z^2-2z-3}$$
, indicating Roc's.

8) Expand
$$f(z) = \frac{1}{z^2(z-1)(z+2)}$$
, about $z=0$

9) Obtain Taylor's and Laurent's Series for
$$f(z) = \frac{2z-3}{z^2-4z-3}$$
 in powers of

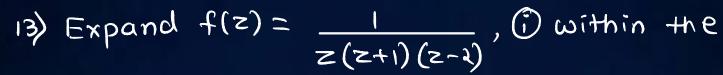
of function,
$$f(z) = \frac{7z-2}{z(z-2)(z+1)}$$

$$Z = -1$$
.

ii) Find all possible Laurent's Expansion of
$$f(z) = \frac{Z}{(Z-1)(Z-2)}$$
, about $Z = -2$.

Designed by SAURABH DAHIVADKAR region of convergence, where

$$f(z) = \frac{(z-2)(z+2)}{(z+1)(z+4)}$$
, for (i) $|<|z|<4$



unit circle about the origin.

- (i) within the annulus region between the Concentric circles about the origin having radii I and 2 respectively.
- ii) In the exterior of circle with centre at the origin and radius 2.

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