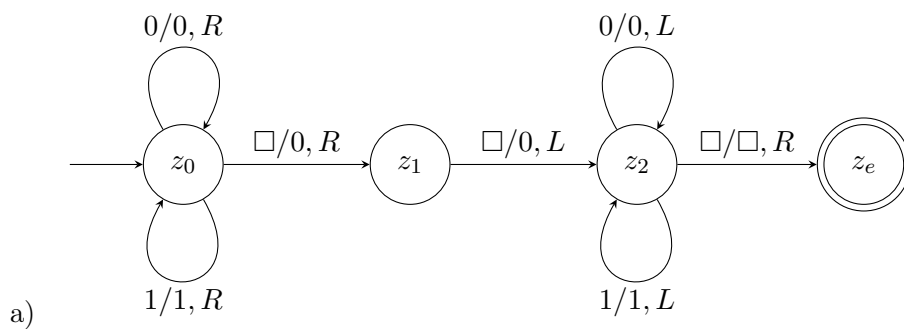


Elias Gestrich

Turing Machines & Decidability

Exercise 1: Turing Machine II



b) $z_010 \vdash 1z_00 \vdash 10z_0\Box \vdash 100z_1\Box \vdash 10z_200 \vdash 1z_2000 \vdash z_11000 \vdash z_1\Box1000 \vdash z_e1000$

c) $z_0110 \vdash 1z_010 \vdash 11z_00 \vdash 110z_0\Box \vdash 1100z_1\Box \vdash 110z_200 \vdash 11z_2000 \vdash 1z_11000 \vdash z_1\Box11000 \vdash z_e11000$

d) M_1 computes $4 \cdot \text{theinput}$ as it adds two zeros to the end of a binary number.

Exercise 2: Busy Beavers

z_1	\Box	z_2	1	R
z_1	1	z_3	1	L
z_2	\Box	z_1	1	L
z_2	1	z_2	1	R
z_3	\Box	z_1	1	L
z_3	1	z_e	1	N

Table 1: δ

Exercise 3: Decidability

a) **true**, since the definition of semi-decidability is that it stops if there is an answer but loops endlessly if there is no answer

-
- b) **unknown**, because the turing machine is semi-decidable, but there might be a turing machine that can identify if words are B or not and is decidable.