A Container description

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This document attempts to describe containers (see in, for example, [2]) in a precise fashion.

ii		Draft
\mathbf{C}	Contents	
1	Introduction	1
2	Overview of this document	1
3	Containers	1
4	Initial whiteboard stuff	2
\mathbf{A}	Z Notation	6
В	References	7

Version 0.1

1 Introduction

This is a document that records the deliberations of Glyn and Steve as they come to grips with "what containers really are" ¹.

2 Overview of this document

This document is a rag-bag of concepts and ideas (at the moment). The intention is to find the right decomposition of ideas to simply describe the state, and state transitions, of *Containers* and the *Jobs* that they *Run*.

3 Containers

$_MultiSS$ $_$	
$dummy: \mathbb{N}$	
FILESYSTEM, NETWORK, PID, TASK]	
$_Job$ $_$ $t: TASK$	
$ContainerState ::= STARTED \mid STOPPED$	
$_Container__$ $fs:FILESYSTEM$	

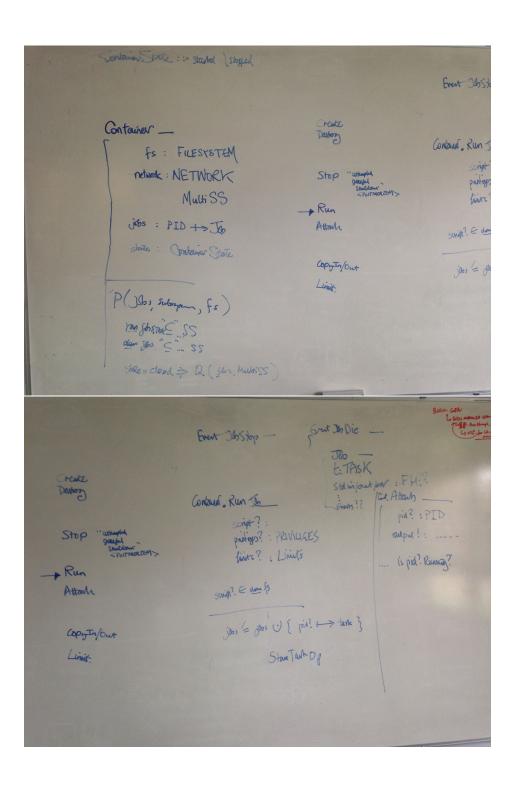
network: NETWORK MultiSS

 $jobs: PID \rightarrow Job$ state: ContainerState

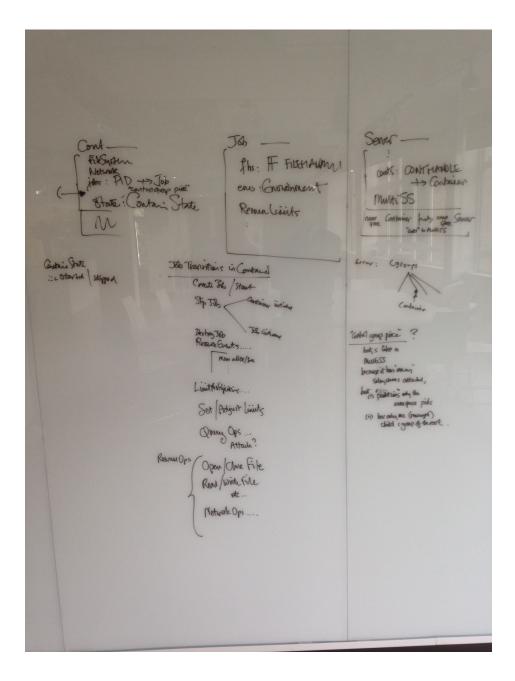
 $^{^1\,\}mathrm{``What}$ are containers?'' $Jerzy~Czaykowski~(\mathrm{adapted})$

2 Draft

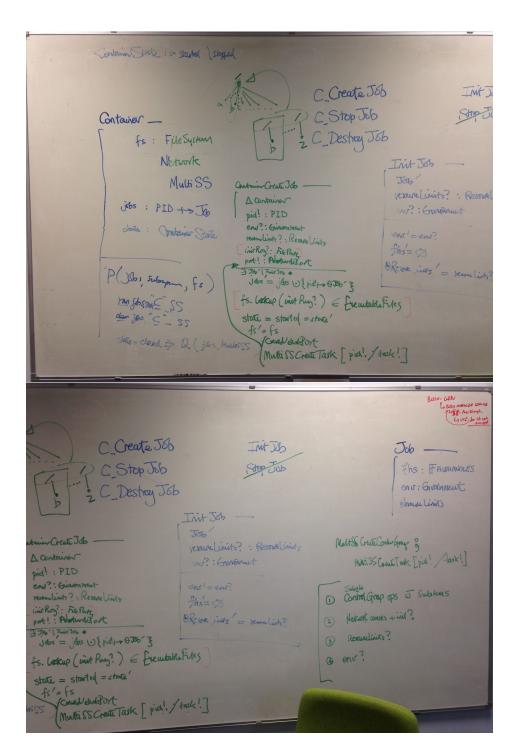
4 Initial whiteboard stuff



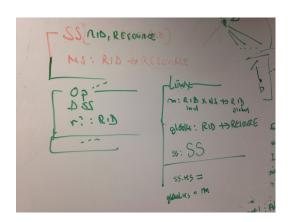
Version 0.1 3



4 Draft



Version 0.1 5



6 Draft

A Z Notation

N	1112	ah.	ers	

 \mathbb{N} Natural numbers $\{\texttt{0,1,...}\}$

Propositional logic and the schema calculus:

\	And	$\langle\langle\dots\rangle\rangle$	Free type injection
V	Or	[]	Given sets
$\ldots \Rightarrow \ldots$	Implies	$', ?, !,_0 \dots _9$	Schema decorations
∀ •	For all	⊢	theorem
∃ •	There exists	$ heta\dots$	Binding formation
\	Hiding	$\lambda \dots$	Function definition
≘	Schema definition	$\mu \dots$	Mu-expression
==	Abbreviation	$\Delta \dots$	State change
:=	Free type definition	Ξ	Invariant state change

Sets and sequences:

$\{\ldots\}$	Set	\	Set difference
$\{\mid\bullet\}$	Set comprehension	[]	Distributed union
$\mathbb{P}\dots$	Set of subsets of	#	Cardinality
Ø	Empty set	⊆	Subset
×	Cartesian product	\subset	Proper subset
$\dots \in \dots$	Set membership	partition	-
∉	Set non-membership	seq	Sequences
∪	Union	< ¹	Sequence
∩	Intersection	disjoint	Disjoint sequence of sets

Functions and relations:

$\ldots \leftrightarrow \ldots$	Relation	*	Reflexive-transitive
$\dots \rightarrow \dots$	Partial function		closure
$\ldots \to \ldots$	Total function	()	Relational image
>↔	Partial injection	$\dots \oplus \dots$	Functional overriding
$\dots \rightarrowtail \dots$	Injection	⊲	Domain restriction
$\operatorname{dom}\dots$	Domain	⊳	Range restriction
ran	Range	←	Domain subtraction
$\ldots \mapsto \ldots$	maplet	≽	Range subtraction
~	Relational inverse		

Axiomatic descriptions:

Declarations
Predicates

Schema definitions:

$SchemaName_$ $Declaration$			
Predicates	=		

Version 0.1

B References

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