

A Container description

Glyn Normington Steve Powell

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This document attempts to describe *containers* (see in, for example, [2]) in a precise fashion.

Contents

1	Introduction	1
2	Overview of this document	1
3	Containers	1
4	Initial whiteboard stuff	2
A	Z Notation	3
B	References	4

1 Introduction

This is a document that records the deliberations of Glyn and Steve as they come to grips with “what containers really are”¹.

2 Overview of this document

This document is a rag-bag of concepts and ideas (at the moment). The intention is to find the right decomposition of ideas to simply describe the state, and state transitions, of *Containers* and the *Jobs* that they *Run*.

3 Containers

$$\begin{array}{l} \textit{MultiSS} \\ \textit{dummy} : \mathbb{N} \end{array}$$

$$[\textit{FILESYSTEM}, \textit{NETWORK}, \textit{PID}, \textit{TASK}]$$

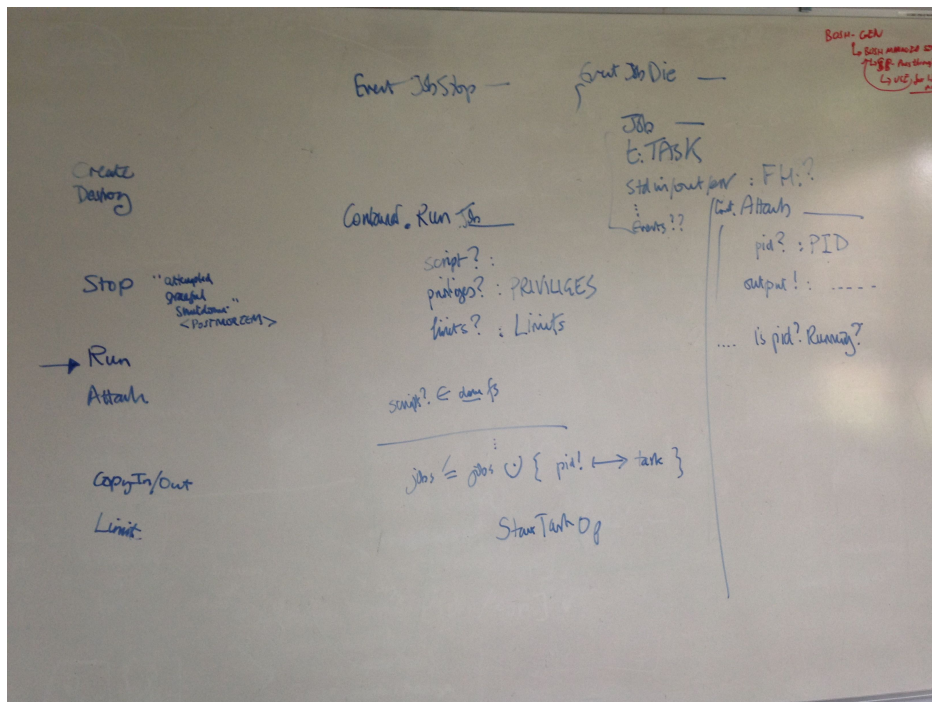
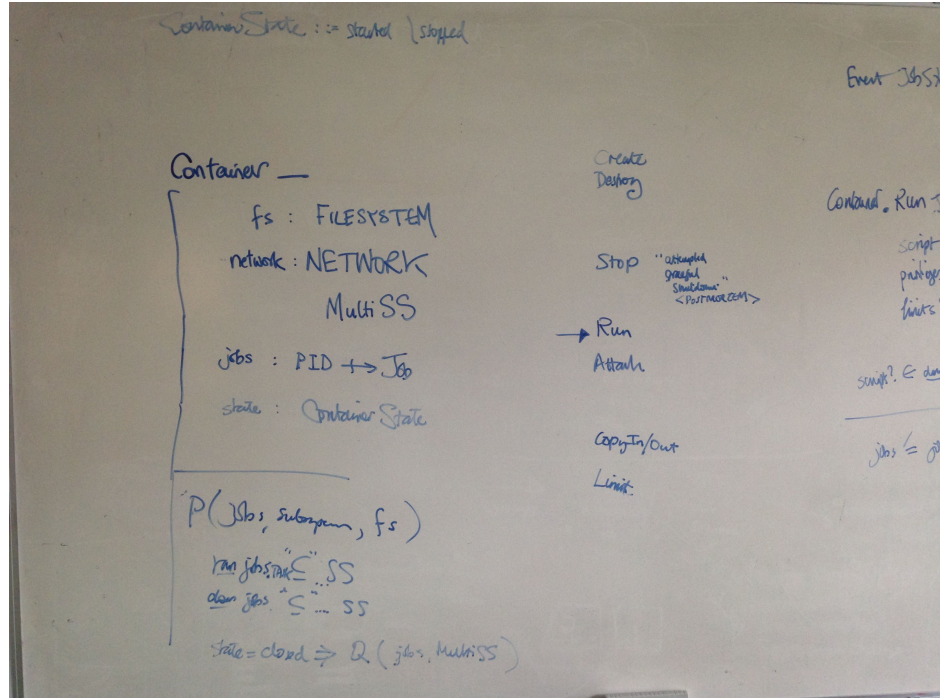
$$\begin{array}{l} \textit{Job} \\ t : \textit{TASK} \end{array}$$

$$\textit{ContainerState} ::= \textit{STARTED} \mid \textit{STOPPED}$$

$$\begin{array}{l} \textit{Container} \\ \textit{fs} : \textit{FILESYSTEM} \\ \textit{network} : \textit{NETWORK} \\ \textit{MultiSS} \\ \textit{jobs} : \textit{PID} \rightarrow \textit{Job} \\ \textit{state} : \textit{ContainerState} \end{array}$$

¹“What are containers?” Jerzy Czakowski (adapted)

4 Initial whiteboard stuff



A Z Notation

Numbers:

\mathbb{N} Natural numbers $\{0, 1, \dots\}$

Propositional logic and the schema calculus:

$\dots \wedge \dots$	And	$\langle\langle \dots \rangle\rangle$	Free type injection
$\dots \vee \dots$	Or	$[\dots]$	Given sets
$\dots \Rightarrow \dots$	Implies	$', ?, !, 0 \dots 9$	Schema decorations
$\forall \dots \mid \dots \bullet \dots$	For all	$\dots \vdash \dots$	theorem
$\exists \dots \mid \dots \bullet \dots$	There exists	$\theta \dots$	Binding formation
$\dots \setminus \dots$	Hiding	$\lambda \dots$	Function definition
$\dots \hat{=} \dots$	Schema definition	$\mu \dots$	Mu-expression
$\dots == \dots$	Abbreviation	$\Delta \dots$	State change
$\dots ::= \dots \mid \dots$	Free type definition	$\Xi \dots$	Invariant state change

Sets and sequences:

$\{\dots\}$	Set	$\dots \setminus \dots$	Set difference
$\{.. \mid .. \bullet ..\}$	Set comprehension	$\bigcup \dots$	Distributed union
$\mathbb{P} \dots$	Set of subsets of	$\# \dots$	Cardinality
\emptyset	Empty set	$\dots \subseteq \dots$	Subset
$\dots \times \dots$	Cartesian product	$\dots \subset \dots$	Proper subset
$\dots \in \dots$	Set membership	$\dots \text{ partition } \dots$	Set partition
$\dots \notin \dots$	Set non-membership	seq	Sequences
$\dots \cup \dots$	Union	$\langle \dots \rangle$	Sequence
$\dots \cap \dots$	Intersection	disjoint ...	Disjoint sequence of sets

Functions and relations:

$\dots \leftrightarrow \dots$	Relation	\dots^*	Reflexive-transitive closure
$\dots \rightarrow \dots$	Partial function	$\dots (\dots)$	Relational image
$\dots \rightarrow \dots$	Total function	$\dots \oplus \dots$	Functional overriding
$\dots \mapsto \dots$	Partial injection	$\dots \triangleleft \dots$	Domain restriction
$\dots \mapsto \dots$	Injection	$\dots \triangleright \dots$	Range restriction
dom ...	Domain	$\dots \trianglelefteq \dots$	Domain subtraction
ran ...	Range	$\dots \trianglerighteq \dots$	Range subtraction
$\dots \mapsto \dots$	maplet		
$\dots \sim \dots$	Relational inverse		

Axiomatic descriptions:

<i>Declarations</i>
<i>Predicates</i>

Schema definitions:

<i>SchemaName</i>
<i>Declaration</i>
<i>Predicates</i>

B References

- [1] Various authors, *Warden github repository*,
<https://github.com/cloudfoundry/warden>.
- [2] Various authors, *Garden github repository*,
<https://github.com/pivotal-cf-experimental/garden>.
- [3] Various authors *libcgroup*,
<http://libcg.sourceforge.net/html/index.html>.
- [4] Paul Menage, Paul Jackson and Christoph Lameter, *CGROUPS*,
<https://www.kernel.org/doc/Documentation/cgroups/cgroups.txt>,
2004-2006.
- [5] Linus Torvalds, *et al*, *Linux kernel source tree*,
<https://github.com/torvalds/linux>.
- [6] Various authors, *Memory Resource Controller*,
<https://www.kernel.org/doc/Documentation/cgroups/memory.txt>.
- [7] Kamezawa Hiroyuki, *et al*, *NOOP cgroup subsystem*,
<http://thread.gmane.org/gmane.linux.kernel/777763>.
- [8] Martin Prpič, Rüdiger Landmann, and Douglas Silas, *Red Hat Enterprise Linux 6.5 GA: Resource Management Guide*,
https://access.redhat.com/site/documentation/en-US/Red_Hat_Enterprise_Linux/6/pdf/Resource_Management_Guide/Red_Hat_Enterprise_Linux-6-Resource_Management_Guide-en-US.pdf.
- [9] Bertrand Meyer, *On Formalism In Specifications*, IEEE Software, Vol. 2(1), 1985.