

# Quiz 6

**Due** May 17 at 11:59pm**Points** 8**Questions** 8**Available** May 8 at 11:59pm - May 17 at 11:59pm 9 days**Time Limit** 15 Minutes

This quiz was locked May 17 at 11:59pm.

## Attempt History

	Attempt	Time	Score
LATEST	<u>Attempt 1</u>	13 minutes	8 out of 8

Score for this quiz: **8** out of 8

Submitted May 15 at 8:51pm

This attempt took 13 minutes.

### Question 1

**1 / 1 pts**

Which point is in the feasible region for the constraints:

$$x + y < 10$$

$$2x - 3y < 8$$

$$x, y > 0$$

☐ (8, 6)☒ (4, 4)☐ (10, 0)☐ (4, 10)**Correct!**

**Question 2****1 / 1 pts**

Which point maximizes the objective function:

$$\max x + 5y$$

subject to the constraints

$$x + 2y \leq 10$$

$$4x + y \leq 12$$

$$x, y \geq 0$$

☐ (2,6)

☐ (1,3)

☒ (0,5)

☐ (2,4)

☐ (3,0)
**Correct!****Question 3****1 / 1 pts**

The Acme Company produces four types of widgets: A, B, C and D. The profit per widget and the resource usage of each type of widget is given in the table below:

Widget Type	A	B	C	D
profit (\$)	10	15	7	8
Labor (hrs)	2	1	3	1.5
Material (lbs)	3	2.5	6	5
Water	10	12	8	9

(gallons)				
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There are 100 hours of labor, 500 lbs of material and 1000 gallons of water available. If the goal is to maximize the total profit then the objective function is: (the variables A, B, C & D are the number of widgets of each type produced)

**Correct!**
☒ max  $10A + 15B + 7C + 8D$ 
☐ min  $10A + 12B + 8C + 9D$ 
☐ min  $10A + 15B + 7C + 8D$ 
☐ max  $A + B + C + D$ 
**Question 4****1 / 1 pts**

The Acme Company produces four types of widgets: A, B, C and D. The profit per widget and the resource usage of each type of widget is given in the table below:

Widget Type	A	B	C	D
profit (\$)	10	15	7	8
Labor (hrs)	2	1	3	1.5
Material (lbs)	3	2.5	6	5
Water (gallons)	10	12	8	9

There are 100 hours of labor, 500 lbs of material and 1000 gallons of water available. The constraint associated with labor is:

☐  $2A + B + 3C + 1.5D \leq 500$ 
☐  $2A + B + 3C + D = 100$

**Correct!**

- ☐  $A + B + C + D \leq 100$
- ☒  $2A + B + 3C + 1.5D \leq 100$

**Question 5****1 / 1 pts**

The solutions to a linear programming problem will always be integers?

**Correct!**

- ☐ True
- ☒ False

**Question 6****1 / 1 pts**

Consider the following linear programming problem:

max  $x + y + z$

subject to

$$2x + 3y + z > 100$$

$$x < 10$$

$$z, y \geq 0$$

select the following that best describes it's solution(s).

**Correct!**

- ☐ Infeasible
- ☐ One optimal solution
- ☒ Unbounded
- ☐ Two optimal solutions

## Question 7

1 / 1 pts

Consider the single-pair shortest path problem in a weighted directed graph  $G=(V, E)$  from a vertex  $s$  to  $t$ , where  $s$  denotes the source vertex and  $t$  represents the target/sink vertex. Let  $d_v$  denote the distance of any vertex  $v$  from the source vertex  $s$ . Moreover, let  $w(u,v)$  represent the weight of the edge  $(u,v)$ . For each vertex  $z \neq s$ , consider the set  $\text{Distances}_z$ , where

$$\text{Distances}_z = \{ d_{(u,z)} \mid \text{where } d_{(u,z)} = d_u + w(u,z) \text{ for each edge } (u,z) \text{ in } E \}$$

To solve the single-pair shortest path problem using linear programming, we create the following linear program:

maximize  $d_t$

subject to

$$d_v - d_u \leq w(u,v) \text{ for each edge } (u,v) \text{ in } E$$

$$d_s = 0$$

Is it ok that we maximize  $d_t$  ? Why?

Select all that applies.

No. We should formulate it as a minimization linear program.

☐
☒

Yes, because minimizing it would result in an optimal solution where the distances of all vertices would be zero.

Correct!

**Correct!**

Yes, because an optimal solution requires the distance of the vertex  $z$  (i.e.,  $d_z$ ) to be the largest value that is less than or equal to the minimum of the values in  $\text{Distances}_z$ .



Yes, because both minimization and maximization would find the shortest path.

**Question 8****1 / 1 pts**

Consider the following linear programming problem:

max  $x + y$

subject to

$$|x - y| \leq 20$$

$$x, y \geq 0$$

select the following that best describes it's solution(s).

☐ One optimal solution

☐ Infeasible

☒ Unbounded

☐ Two optimal solutions

**Correct!****Quiz Score: 8 out of 8**