Modeling the Hybrid ERTMS/ETCS Level 3 Standard Using a Formal Requirements Engineering Approach

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Outline

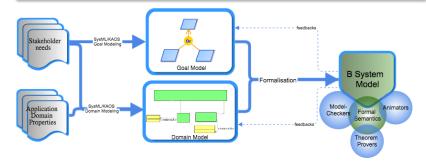
- Context
 - SysML/KAOS
 - B System
 - Formalisation of SysML/KAOS Models
- 2 Specification of the Standard
 - Goal Model
 - Root Level
 - First Refinement Level
 - Subsequent Refinement Levels
- Conclusion and Future Work

SysML/KAOS Requirements Engineering Method FORMOSE project (ANR-14-CE28-0009)

FORMOSE: Formal Requirements Modeling for Critical Complex Systems, Method and Toolkit

Mission

Build methods and toolsets for the formal requirements modeling of critical and complex systems



SysML/KAOS Goal Modeling Language

The SysML/KAOS goal modeling language combines the traceability features provided by *SysML* with goal expressiveness provided by *KAOS*

Requirements models are goal hierarchies built through a succession of refinements using different operators:

- the AND operator: all the subgoals must be achieved to realise the parent goal
- the *OR* operator: the achievement of only one subgoal is sufficient to realise the parent goal
- the *MILESTONE* operator: all the subgoals must be achieved, following an achievement order, to realise the parent goal

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SysML/KAOS Domain Modeling Language

The SysML/KAOS domain modeling language combines

- the expressivity of the Ontology Web Language (OWL)
- the constraints provided by the standard Part Library (PLIB)
- and the extensions needed to guarantee some relevant properties
- Each domain model corresponds to a refinement level in the SysML/KAOS goal model.
- Domain models can be linked together to form a hierarchy.

Formalisation of a SysML/KAOS Goal Diagram

- Each goal diagram refinement level gives a B System component.
- Each goal gives an "event".
- Refinement links between goals give refinement links between B system components and new proof obligations.

For instance¹:

MILESTONE operator

• G_1 _Guard \Rightarrow G_Guard

•
$$G_2$$
– $Post $\Rightarrow G$ – $Post$$

• $\Box(G1_Post \Rightarrow \Diamond G2_Guard)$: each state, corresponding to $G1_Post$, must be followed, at least once in the future, by a state enabling G_2

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¹Goal **G** refined into **G1** and **G2**

Formalisation of SysML/KAOS Domain Models

The translation rules have been defined and formally verified. For instance:

- Abstract concepts give B System sets.
- Concrete concepts give *B System* subsets.
- Attributes give *B System* relations.
- Individual and data values give B System set items.

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Main Characteristics of hybrid ERTMS/ETCS Level 3

The Aim

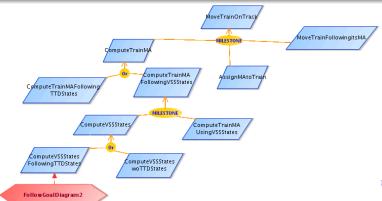
Optimize the use and occupation of railways.

- A TTD can be free or occupied.
- A **VSS** can additionnally be in the *unknown* state (0..1) or in the *ambiguous* state (1..).
- Each train can be assigned a Movement Authority
 (MA) which is a portion of the track on which it is guaranteed
 to move safely.

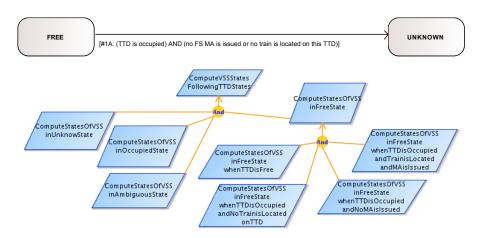
The Main SysML/KAOS Goal Model

A very first contribution of our work

Attempt to place standard requirements in view with more abstract/high-level goals in a methodological way: Trains move and have assigned MA that they must respect.



Goals coming from the requirements of transition #1A



Domain Model of the Root Level

ASM 1 (ref. case study description)

- Track is a straight line: a < b ∧ TRACK = a..b
 custom data set TRACK data value a,b type: NATURAL
- (REQ 11 .. REQ 14) Trains travel in the same direction and can be connected: ∀tr.(tr ∈ dom(rear) ⇒ rear(tr) < front(tr))
 - (REQ 11 .. REQ 13) Each connected train broadcasts its front
 - (REQ 12) Connected TIMS trains broadcast their real

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B System Specification of the Root Level (1/2)

```
The domain model gives the structural part of the formal specification
```

```
SETS TRAIN

CONSTANTS a b TRACK

PROPERTIES

axm1: a \in \mathbb{N} axm2: b \in \mathbb{N} p0.1: a < b p0.2: TRACK = a...b

VARIABLES connected Train front rear

INVARIANT

inv1: connected Train \in TRAIN \rightarrow BOOL

inv2: front \in dom(connected Train) \rightarrow TRACK

inv3: rear \in dom(connected Train) \rightarrow TRACK

p0.3: \forall tr \cdot (tr \in dom(rear) \Rightarrow rear(tr) < front(tr))
```

B System Specification of the Root Level (2/2)

The goal model gives the behaviour of the formal specification

```
Event MoveTrainOnTrack \widehat{=}
any tr len
where
grd1: tr \in connectedTrain^{-1}[\{TRUE\}]
grd2: len \in \mathbb{N}_1
grd3: front(tr) + len \in TRACK
then
act1: front(tr) := front(tr) + len
act2: rear := (\{TRUE \mapsto rear \leftarrow \{tr \mapsto rear(tr) + len\}, FALSE \mapsto rear\})(bool(tr \in dom(rear)))^a
END
```

The system only observe the update of the rear of TIMS trains

Domain Model of the First Refinement Level

• The Movement Authority (MA) of a train is a contiguous part of the track:

```
\forall \, tr \cdot (tr \in dom(MA) \Rightarrow (\exists \, p, q \cdot (p \mathinner{\ldotp\ldotp} q \subseteq TRACK \, \land \, p \leq q \, \land \, MA(tr) = p \mathinner{\ldotp\ldotp} q)))
```

```
attribute MA domain: dom(connectedTrain) range: POW(TRACK) {
  is variable: true is functional: true is total: false
}
```

- containing the train:
 - (REQ 13) ERTMS train:

 $\forall tr \cdot (tr \in dom(MA) \Rightarrow front(tr) \in MA(tr))$

- (REQ 12) TIMS train:
 - $\forall tr \cdot (tr \in dom(rear) \cap dom(MA) \Rightarrow rear(tr) \in MA(tr))$
- (*ASM 17*) MA assigned to two different trains must be disjoint: $\forall tr1, tr2 \cdot ((\{tr1, tr2\} \subseteq dom(MA) \land tr1 \neq tr2)$

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 $\Rightarrow MA(tr1) \cap MA(tr2) = \emptyset$

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B System Specification of the First Refinement Level (1/2)

- It contains the result of the translation of the domain model
- It defines theorems representing the proof obligations related to the MILESTONE operator: to ensure the sequencing of events

```
theorem s1: ComputeTrainMA\_Guard \Rightarrow MoveTrainOnTrack\_Guard theorem s2: ComputeTrainMA\_Post \Rightarrow AssignMAtoTrain\_Guard theorem s3: AssignMAtoTrain\_Post \Rightarrow MoveTrainFollowingItsMA\_Guard theorem s4: MoveTrainFollowingItsMA\_Post \Rightarrow MoveTrainOnTrack\_Post
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• $(\Box(G1_Post \Rightarrow \Diamond G2_Guard))$ replaced by $(G1_Post \Rightarrow G2_Guard)$

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B System Specification of the First Refinement Level (2/2)

Goals of the first refinement level **give "events"** of the formal specification:

- Events ComputeTrainMA and AssignMAtoTrain
 - nondeterministically choose a contiguous part of the track:
 p.. q ⊆ TRACK ∧ p ≤ q
 - **containing** the train: $front(tr) \in p ... q \land (tr \in dom(rear) \Rightarrow rear(tr) \in p ... q)$
 - **not part** of the MA of **another train**: $p ... q \cap union(ran(\{tr\} \Leftrightarrow MA)) = \emptyset$
- Event MoveTrainFollowingItsMA constrains the movement of the train regarding its MA:
 front(tr) + len ∈ MA(tr)

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Subsequent Refinement Levels (1/2)

The same process allows the construction of others refinement levels.

For instance,

- (ASM 2... ASM 4, REQ 6... REQ 8) the second refinement level introduces TTD, VSS, and their states (stateTTD and stateVSS).
- (ASM 5) A TTD where a train is located must be in the occupied state:
 - (REQ 13) non-TIMS train:
 ∀ ttd, tr·((tr∈ dom(front)\dom(rear) ∧ ttd ∈ TTD ∧ front(tr)∈ ttd)
 ⇒ stateTTD(ttd)=OCCUPIED)
 - (REQ 12) TIMS train:
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Subsequent Refinement Levels (2/2)

- Train locations must respect the safety constraints:
 - (REQ 12) Two TIMS trains must be on disjoint track segments:

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\forall tr1, tr2 \cdot ((tr1 \in dom(rear) \land tr2 \in dom(rear) \land tr1 \neq tr2)
\Rightarrow (rear(tr1)..front(tr1)) \cap (rear(tr2)..front(tr2)) = \emptyset)
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 (REQ 12, REQ 13) A non TIMS train can follow a TIMS train:

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\forall tr1, tr2 \cdot ((tr1 \in dom(rear) \land tr2 \in dom(front) \land dom(rear) \land tr1 \neq tr2)
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 (REQ 13) Two non TIMS trains must be on different TTDs:

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```

The proof obligations have been discharged using the Rodin tool extended with *Atelier B provers* and *SMT solvers*.

Refinement level	L0	L1	L2	L3	L4	L5	L6
Invariants	4	11	13	4	6	5	9
Proof Obligations (PO)	20	40	50	13	5	5	14
Automatically Discharged POs	17	30	30	11	0	0	4
Interactively Discharged POs	3	5	20	2	5	5	10

It seemed that the automatic provers have troubles with:

- data ranges such as p..q
- conditional actions (if-then-else) such as rear := ({TRUE → rear <- {tr → rear(tr) + len}, FALSE → rear})(bool(tr ∈ dom(rear)))

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The use of the SysML/KAOS approach allows:

- To bridge the gap between the system textual description and its formal specification
- To better delineate the system boundaries
- A better reusability and readability of models
- The ability to visualize and explore the entire system and any part of it by changing the focus and level of detail
- A strong traceability between system requirements and formal specification

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Use of plain Event-B, in the traditional style, by a distinct specifier

- TTDs and trains are introduced in the root level
- VSSs are introduced in the second refinement level, as refinements of TTDs
- MAs and VSS states are introduced in the third refinement level
- Safety properties are introduced in the fourth refinement level
- A strategy is proposed to prove the determinism of the transitions of VSS states
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With the SysML/KAOS Approach

- Safety properties are introduced in the first and second refinement levels
- ERTMS trains with or without TIMS are considered, so a ERTMS train may or may not broadcast its rear
- The execution ordering and the refinement strategy are enforced using proof obligations expressed as theorems
- The SysML/KAOS method represents a more structured and methodological process to the formal specification of the system
 - it makes it possible to trace the source and justify the need for each formal component and its contents, in relation with SvsML/KAOS models

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Future Work

 Improve the representation of domain predicates (to make them more user-friendly)

Evaluate the impact of updates on B System specifications within domain models