

# rTPCflowmeter\_v4

October 30, 2020

```
[1]: import numpy as np
      from scipy import interpolate

[2]: import matplotlib.pyplot as plt
      %matplotlib inline
      plt.rcParams["figure.figsize"] = (15,8)
      x=np.linspace(5.0,150.0,300)
```

## 1 Summary

The input gas flow rate calculated from the flow rate of the two individual rotameter agrees within a sigma with the one calculated from gas mixture flow rate. This value is between 650 and 680 sccm. The return fraction after the two detectors in series is about 40%. The quencher fraction is 2% below the target.

## 2 Calibration

### 2.1 Setup for atmosphere Argon and Stainless Steel ball

[https://www.mathesongas.com/pdfs/flowchart/602%20\(E300\)/ARGON%20602\(E300\)%20SS%200%20PSIG.pdf](https://www.mathesongas.com/pdfs/flowchart/602%20(E300)/ARGON%20602(E300)%20SS%200%20PSIG.pdf)

$\phi_{\text{Ar}}(z)$

```
[3]: ro,cal=np.loadtxt('ARGON_602(E300)_SS_0_PSIG.dat',unpack=True) # sccm
      arflow=interpolate.interp1d(ro, cal)
```

### 2.2 Setup for atmosphere Carbon Dioxide and Glass ball

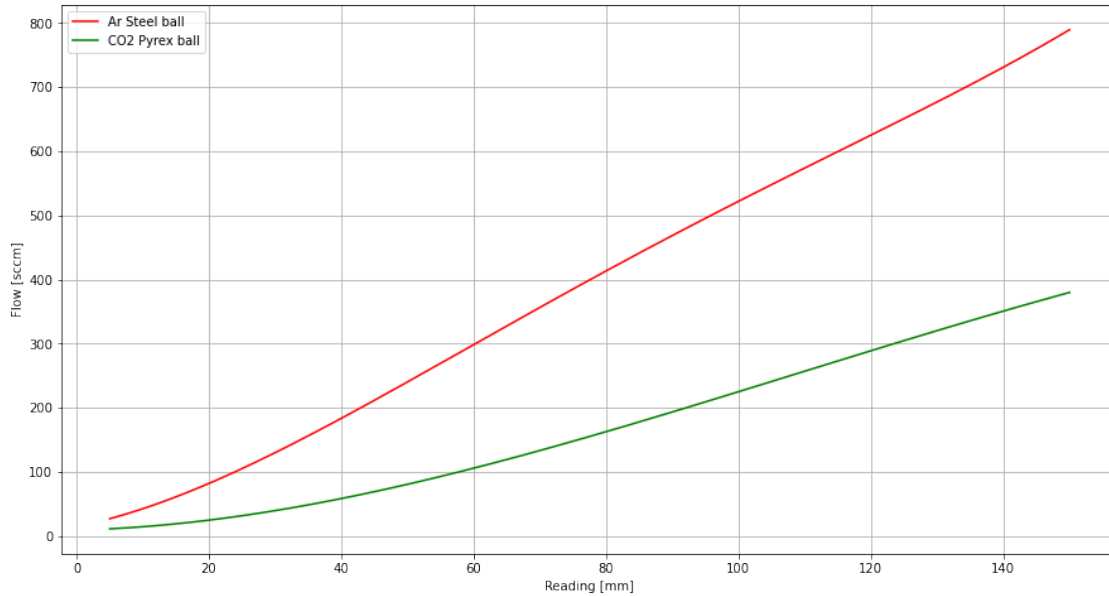
[https://www.mathesongas.com/pdfs/flowchart/602%20\(E300\)/CARBON%20DIOXIDE%20602\(E300\)%20GLASS%200%20PSIG.pdf](https://www.mathesongas.com/pdfs/flowchart/602%20(E300)/CARBON%20DIOXIDE%20602(E300)%20GLASS%200%20PSIG.pdf)

$\phi_{\text{CO}_2}(z)$

```
[4]: ro,cal=np.loadtxt('CARBON_DIOXIDE_602(E300)_GLASS_0_PSIG.dat',unpack=True) # sccm
      co2flow=interpolate.interp1d(ro, cal)
```

## 2.3 Plots

```
[5]: plt.plot(x, arflow(x), 'r', label='Ar Steel ball')
plt.plot(x, co2flow(x), 'g', label='CO2 Pyrex ball')
plt.xlabel('Reading [mm]')
plt.ylabel('Flow [sccm]')
plt.grid()
plt.legend(loc='upper left')
plt.show()
```



## 3 Determination of the flow prior to mixing

Carbon Dioxide flow  $\phi_{\text{CO}_2}(z_1)$  for reading  $z_1$

*pic goes here*

```
[6]: z1=85 # reading of glass ball
inCO2Flow=co2flow(z1)
print(f'CO2 inflow {inCO2Flow:.0f} sccm')
```

CO2 inflow 178 sccm

Argon flow  $\phi_{\text{Ar}}(z_2)$  for reading  $z_2$

*pic goes here*

```
[7]: z2=90 # reading of stainless stell ball
inArFlow=arflow(z2)
print(f'Ar inflow {inArFlow:.0f} sccm')
```

Ar inflow 469 sccm

Total flow prior to mixing  $\phi_{\text{sum}} = \phi_{\text{CO}_2}(z_1) + \phi_{\text{Ar}}(z_2)$

```
[8]: totFlow=inCO2Flow+inArFlow
print(f'Total input Flow {totFlow:.0f} sccm')
```

Total input Flow 647 sccm

Calculate CO<sub>2</sub> fraction  $f_{\text{CO}_2} = \frac{\phi_{\text{CO}_2}(z_1)}{\phi_{\text{sum}}}$

```
[9]: co2frac=inCO2Flow/totFlow
print(f'CO2 fraction {co2frac*100:.0f}%')
```

CO2 fraction 28%

### 3.1 Error Estimation

This document

<https://www.mathesongas.com/sites/default/files/inline-files/Model-FM-1050-High-Accuracy-Flowmeters.pdf>

reports that the accuracy of the tube is  $\pm 5\%$  of full scale flow rate.

The full scale rate for Argon using the calibration above is 790 sccm

```
[10]: Arerr=790.*0.05
print(f'Argon flow rate measurement accuracy: {Arerr:.1f}sccm')
```

Argon flow rate measurement accuracy: 39.5sccm

The full scale rate for Argon using the calibration above is 380 sccm

```
[11]: CO2err=380.*0.05
print(f'Carbon Dioxide flow rate measurement accuracy: {CO2err:.1f}sccm')
```

Carbon Dioxide flow rate measurement accuracy: 19.0sccm

Therefore the total flow rate is

```
[12]: totErr=Arerr+CO2err
print(f'({totFlow:.0f} +/- {totErr:.0f}) sccm')
```

(647 +/- 58) sccm

## 4 Determination of the flow of a gas mixture

Calculate correction for different gas mixture

<https://www.mathesongas.com/pdfs/flowchart/RotameterGasFactorChart.pdf>

```
[13]: Ar_factor=0.851
      CO2_factor=0.808
```

Mixture fraction  $f_{Ar} = 1 - f_{CO_2}$

```
[14]: q_frac=co2frac
```

```
[15]: mix_factor=((1.0-q_frac)*Ar_factor)+(q_frac*CO2_factor)
      print(f'mix factor: {mix_factor:.5f}')
```

mix factor: 0.83916

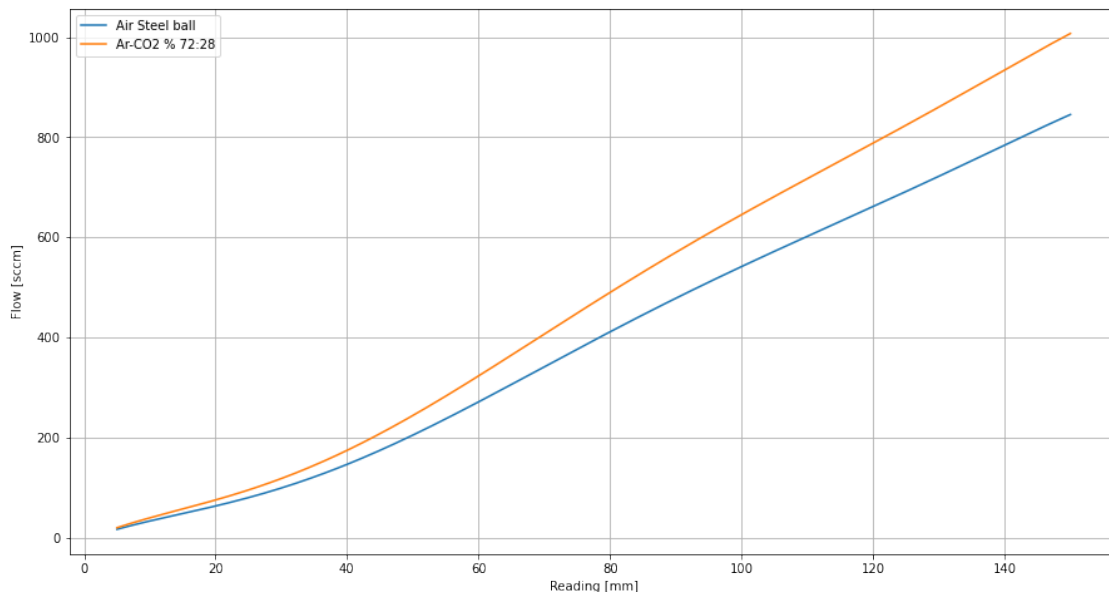
Setup for atmosphere Air and Stainless Steel ball

[https://www.mathesongas.com/pdfs/flowchart/602%20\(E300\)/AIR%20602\(E300\)%20SS%200%20PSIG.pdf](https://www.mathesongas.com/pdfs/flowchart/602%20(E300)/AIR%20602(E300)%20SS%200%20PSIG.pdf)

```
[16]: ro,cal=np.loadtxt('AIR_602(E300)_SS_0_PSIG.dat',unpack=True) # sccm
      airflow = interpolate.interp1d(ro, cal)
```

```
[17]: plt.plot(x, airflow(x), label='Air Steel ball')
      plt.plot(x, airflow(x)/mix_factor, label=f'Ar-CO2 % {(1.-q_frac)*100:1.0f}:
      ↳{q_frac*100:1.0f}')
```

```
plt.xlabel('Reading [mm]')
plt.ylabel('Flow [sccm]')
plt.grid()
plt.legend(loc='upper left')
plt.show()
```



Readout of the SS ball

```
[18]: inSS=105
      outSS=55
```

Determine input flow post mixing

```
[19]: inFlow=airflow(inSS)/mix_factor
      print(f'Gas Mixture inflow {inFlow:.0f} sccm')
```

Gas Mixture inflow 682 sccm

Determine output flow

```
[20]: outFlow=airflow(outSS)/mix_factor
      print(f'Gas Mixture outflow {outFlow:.0f} sccm')
```

Gas Mixture outflow 282 sccm

Determine return fraction

```
[21]: print(f'Return fraction {outFlow/inFlow*100.0:.1f}%')
```

Return fraction 41.4%

#### 4.1 Error Estimation

The full scale rate for the gas mixture using the calibration above is the following:

```
[22]: mix_maxrate=airflow(150.)/mix_factor
      print(f'Max flow rate for mixture {mix_maxrate:.0f} sccm')
```

Max flow rate for mixture 1007 sccm

Therefore the input and output flow rate of the mixture are

```
[23]: mixerr=mix_maxrate*0.05
      print(f'Input: ({inFlow:.0f} +/- {mixerr:.0f}) sccm')
      print(f'Output: ({outFlow:.0f} +/- {mixerr:.0f}) sccm')
```

Input: (682 +/- 50) sccm

Output: (282 +/- 50) sccm

```
[ ]:
```