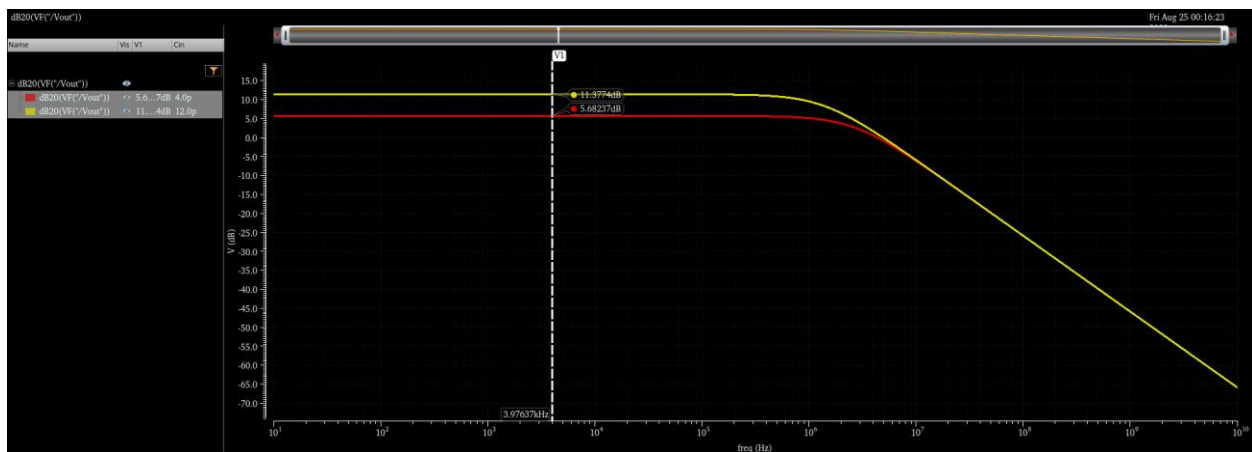


Lab 8

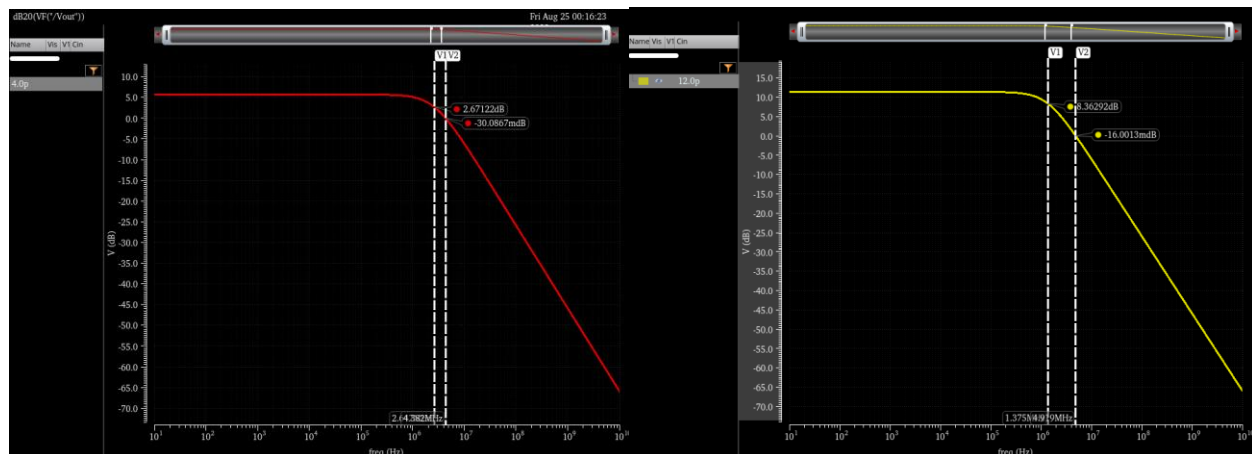
PART 1: Feedback with Behavioral OTA

Closed Loop Gain vs Frequency

Overlaid Results (DC gain shown)



Results (BW & UGF shown)



Simulation Values

The screenshot shows a simulation setup window with a list of design variables on the left and a results table on the right.

Name	Value
LAB_8_new_part_1	
Simulator spectre	
Analyses	
stb	10 10G 10 /IPRB0 Logarithmic Poin...
ac	10 10G 10 Logarithmic Points Per ...
Design Variables	
CF	4p
Cin	4p.12p
CL	5p
Cout	5p
gm	159.9u
IB	10u
Rout	315k
VDDAC	0
VICM	1.15
VINAC	1
Parameters	

Point	Test	Output	Nominal
1	LAB_8_new_part...	dB20(VF("Vout"))	
1	LAB_8_new_part...	ymax(dB20(VF("Vout")))	5.682
1	LAB_8_new_part...	ymax(mag(VF("Vout")))	1.924
1	LAB_8_new_part...	bandwidth(VF("Vout"))	2.647M
1	LAB_8_new_part...	gainBwProd(VF("Vout"))	5.104M
1	LAB_8_new_part...	unityGainFreq(VF("Vout"))	4.382M
2	LAB_8_new_part...	dB20(VF("Vout"))	
2	LAB_8_new_part...	ymax(dB20(VF("Vout")))	11.38
2	LAB_8_new_part...	ymax(mag(VF("Vout")))	3.706
2	LAB_8_new_part...	bandwidth(VF("Vout"))	1.375M
2	LAB_8_new_part...	gainBwProd(VF("Vout"))	5.107M
2	LAB_8_new_part...	unityGainFreq(VF("Vout"))	4.919M

Hand Analysis

1) ACL Calculation

- $$\beta = \frac{\frac{1}{sC_{in}}}{\frac{1}{sC_{in}} + \frac{1}{sC_F}} = \frac{1}{1 + \frac{C_{in}}{C_F}} \rightarrow \beta_{Cin=4p} = 0.5 \text{ \& } \beta_{Cin=12p} = 0.25$$
- $$AOL = Gm \cdot Rout = (159.9u) \cdot (315k) = 50.37$$
- $$ACL = \frac{AOL}{1 + \beta AOL} \rightarrow ACL_{Cin=4p} = 1.924 \text{ \& } ACL_{Cin=12p} = 3.706$$

2) Bandwidth

- $$BW = BW_{OL} \cdot (1 + LG) \text{ \& } BW_{OL} = 101.1KHz \text{ (as calculated in the last lab)}$$
- $$BW_{Cin=4p} = (101.1k) \cdot (1 + 0.5 \cdot 50.37) = 2.647MHz$$
- $$BW_{Cin=12p} = (101.1k) \cdot (1 + 0.25 \cdot 50.37) = 1.374MHz$$

3) Unity Gain Frequency

- $$UGF = GBW = ACL \cdot BW$$
- $$UGF_{Cin=4p} = 5.10MHz \text{ \& } UGF_{Cin=12p} = 5.092MHz$$

4) Comparison

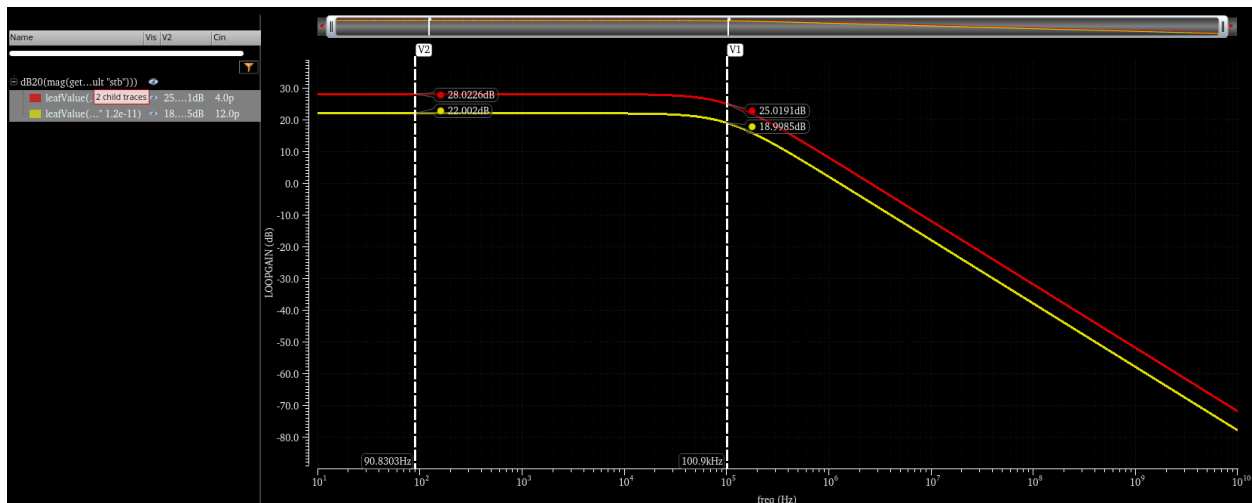
	Simulation (Cin = 4p)	Hand Analysis (Cin = 4p)	Simulation (Cin = 12p)	Hand Analysis (Cin = 12p)
DC Gain	1.924	1.924	3.706	3.706
Bandwidth	2.647MHz	2.647MHz	1.374MHz	1.374MHz
GBW	5.104MHz	5.10MHz	5.107MHz	5.092MHz

5) Comments

- Higher input capacitance in the feedback network gives higher closed loop gain, due to having a higher β and the gain is inversely proportional with β .
- Higher input capacitance in the feedback network gives lower bandwidth extension, due to having a lower β .
- Note that GBW for both capacitors are nearly equal.

Loop Gain vs Frequency

Overlaid Results (DC loop gain & BW shown)

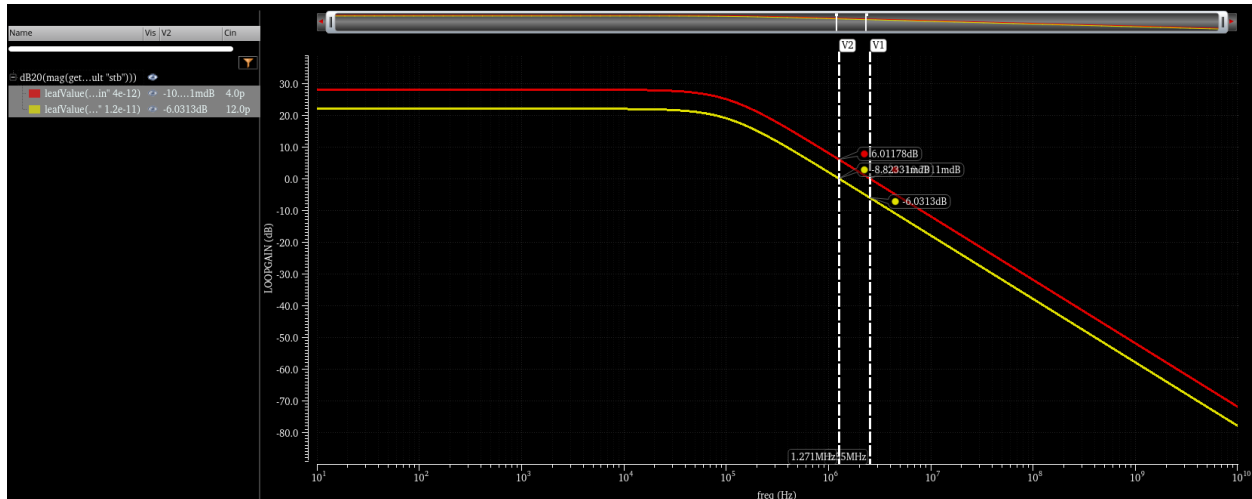


ymax(mag(getData("loopGain"?res...))			
Cin	unityGain... "stb")	ymax(mag... "stb")	ymax(dB2...stb")
1 4.000E-12	2.550E6	25.18	28.02
2 12.00E-12	1.271E6	12.59	22.00

gainBwProd(mag(getData("loopGai...))	
Cin	gainBwPr... "stb")
1 4.000E-12	2.547E6
2 12.00E-12	1.273E6

bandwidth(mag(getData("loopGain"...))	
Cin	bandwid... "low")
1 4.000E-12	100.9E3
2 12.00E-12	100.9E3

Results (UGF shown)



Hand Analysis

1) Loop Gain

- $LG = \beta * AOL$
- $LG_{Cin=4p} = (0.5)*(50.37) = 25.2$ & $LG_{Cin=12p} = (0.25)*(50.37) = 12.6$

2) GBW

- $GBW = LG * BW_{OL}$
- $GBW_{Cin=4p} = (101.1k)*(25.2) = 2.548MHz$
- $GBW_{Cin=12p} = (101.1k)*(12.6) = 1.274MHz$

3) Comparison

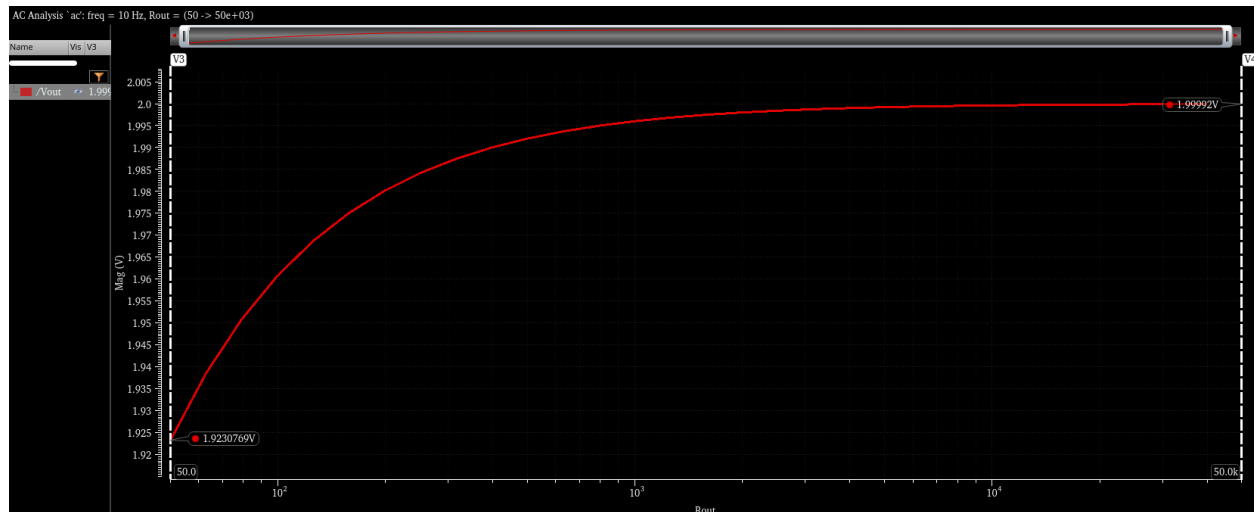
	Simulation (Cin = 4p)	Hand Analysis (Cin = 4p)	Simulation (Cin = 12p)	Hand Analysis (Cin = 12p)
Loop Gain	25.18	25.2	12.59	12.6
GBW	2.547MHz	2.548MHz	1.273MHz	1.274MHz

4) Comments

- Higher input capacitance in the feedback network gives lower loop gain, due to having a lower β ($LG = \beta AOL$)
- Both capacitors have the same BW, because β doesn't affect the LG poles (shifts the curve up or down)

Gain Desensitization

Closed Loop DC Gain vs Av



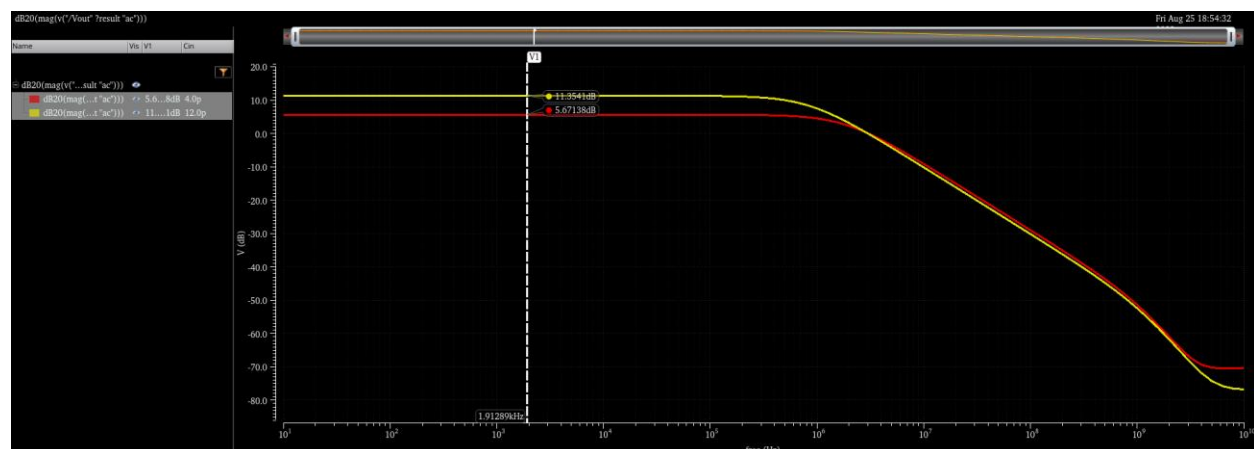
Comments

- Percentage of change in $A_{CL} = \frac{2-1.923}{2} * 100 = 3.85\%$
- Despite the huge change in open loop gain (3 order of magnitude), the change in closed loop is small. This reflects that negative feedback provides stable, linear, and accurate gain.

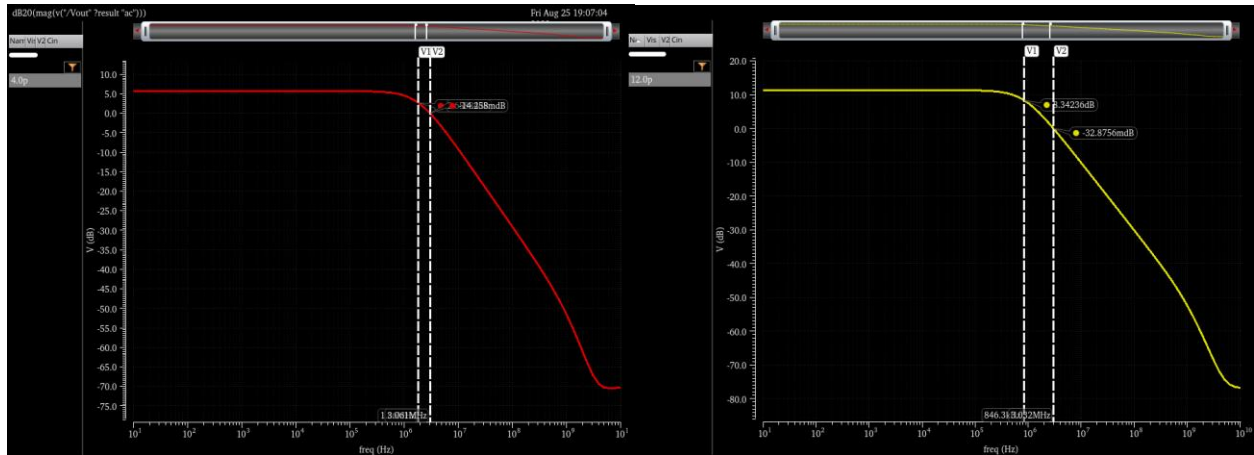
PART 2: Feedback with Real 5T OTA

Closed Loop Gain vs Frequency

Overlaid Results (DC gain shown)



Results (BW & UGF shown)



Simulation Values

Point	Test	Output	Nominal
1	LAB_8_new_part...	dB20(mag(v("V...))	
1	LAB_8_new_part...	ymax(dB20(VF"...	5.671
1	LAB_8_new_part...	ymax(mag(VF"...	1.921
1	LAB_8_new_part...	bandwidth(VF"...	1.86M
1	LAB_8_new_part...	gainBwProd(VF"...	3.581M
1	LAB_8_new_part...	unityGainFreq(V...	3.061M
Parameters: Cin=12p			
2	LAB_8_new_part...	dB20(mag(v("V...))	
2	LAB_8_new_part...	ymax(dB20(VF"...	11.35
2	LAB_8_new_part...	ymax(mag(VF"...	3.696
2	LAB_8_new_part...	bandwidth(VF"...	846.3K
2	LAB_8_new_part...	gainBwProd(VF"...	3.135M
2	LAB_8_new_part...	unityGainFreq(V...	3.032M

Hand Analysis

5) ACL Calculation

- No change in ACL $\rightarrow ACL_{Cin=4p} = 1.924$ & $ACL_{Cin=12p} = 3.706$

6) Bandwidth

- $BW = BW = \frac{1+\beta A_{OL}}{2\pi * Rout * \left[CL + \frac{C_F * C_{in}}{C_F + C_{in}} \right]}$
- $BW_{Cin=4p} = 1.89MHz$ & $BW_{Cin=12p} = 858.5KHz$

7) Unity Gain Frequency

- $UGF = GBW = ACL * BW$
- $UGF_{Cin=4p} = 3.636MHz$ & $UGF_{Cin=12p} = 3.181MHz$

Hand Analysis vs Simulation

1) $C_{in} = 4\text{pF}$

	Simulation	Hand Analysis
DC Gain	1.924	1.924
Bandwidth (MHz)	1.86	1.89
GBW (MHz)	3.581	3.636
UGF (MHz)	3.061	3.636

2) $C_{in} = 12\text{pF}$

	Simulation	Hand Analysis
DC Gain	3.696	3.706
Bandwidth (KHz)	846.3	858.5
GBW (MHz)	3.135	3.181
UGF (MHz)	3.032	3.181

Behavioral OTA vs Real OTA

1) $C_{in} = 4\text{pF}$

	Behavioral OTA	Real OTA
DC Gain	1.924	1.921
Bandwidth (MHz)	2.647	1.86
GBW (MHz)	5.104	3.581
UGF (MHz)	4.382	3.601

2) $C_{in} = 12\text{pF}$

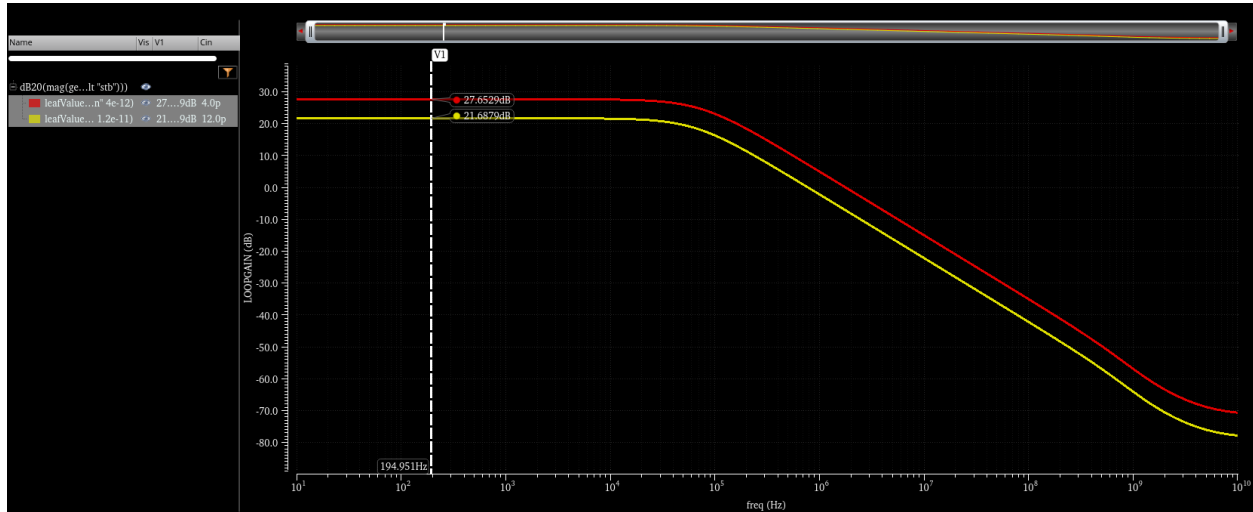
	Behavioral OTA	Real OTA
DC Gain	3.706	3.696
Bandwidth (MHz)	1.375	0.8463
GBW (MHz)	5.107	3.135
UGF (MHz)	4.919	3.032

3) Why are BW & GBW much smaller than Part 1?

For ideal OTA, bandwidth is not affected by load capacitance. However, for real OTA, there is a loading effect causing a decrease in bandwidth.

Loop Gain vs Frequency

Overlaid Results



	Cin	ymax(mag(..."stb"))	ymax(dB2...stb"))	unityGain..."stb"))	gainBwPr..."stb"))
1	4.000E-12	24.13	27.65	1.768E6	4.793E6
2	12.00E-12	12.15	21.69	711.8E3	2.548E6

Hand Analysis

1) Loop Gain

- No change in LG $\rightarrow LG_{Cin=4p} = 25.2$ & $LG_{Cin=12p} = 12.6$

2) GBW

- $$GBW = \frac{\beta * AOL}{2\pi * Rout * \left[CL + \frac{C_F * C_{in}}{C_F + C_{in}} \right]}$$
- $GBW_{Cin=4p} = 1.817\text{MHz}$ & $GBW_{Cin=12p} = 795.1\text{KHz}$

Hand Analysis vs Simulation

1) Cin = 4pF

	Simulation	Hand Analysis
Loop Gain	24.13	25.2
GBW (MHz)	4.793	1.817
UGF (MHz)	1.768	1.817

2) $C_{in} = 12\text{pF}$

	Simulation	Hand Analysis
Loop Gain	12.15	12.6
GBW (MHz)	2.548	0.795
UGF (KHz)	711.8	795.1

Behavioral OTA vs Real OTA

1) $C_{in} = 4\text{pF}$

	Behavioral OTA	Real OTA
Loop Gain	25.18	24.13
GBW (MHz)	2.547	4.793
UGF (MHz)	2.550	1.768

2) $C_{in} = 12\text{pF}$

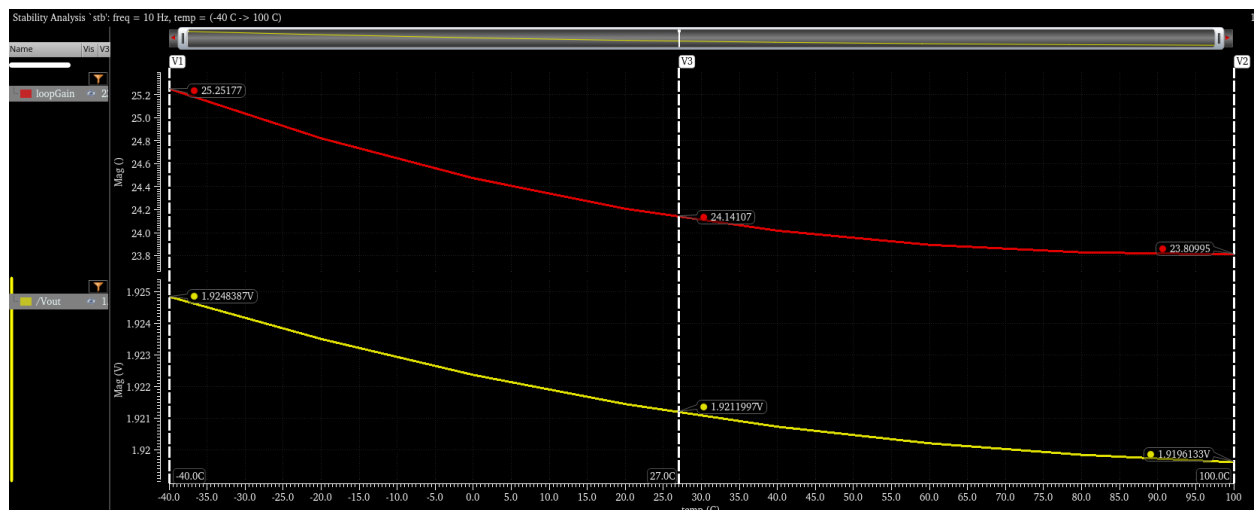
	Behavioral OTA	Real OTA
Loop Gain	12.59	12.15
GBW (MHz)	1.273	2.548
UGF (MHz)	1.271	0.712

3) Why is UGF much smaller than Part 1?

Due to loading effect; the output capacitor affects the circuit pole giving a lower UGF.

Gain Desensitization

Loop Gain & Closed Loop Gain vs Temperature



Percentage of Change

- **Percentage of change in LG:**

$$\Delta LG = \frac{24.14-25.25}{24.14} * 100 : \frac{24.14-23.81}{24.14} * 100 = -4.6\% : 1.37\%$$

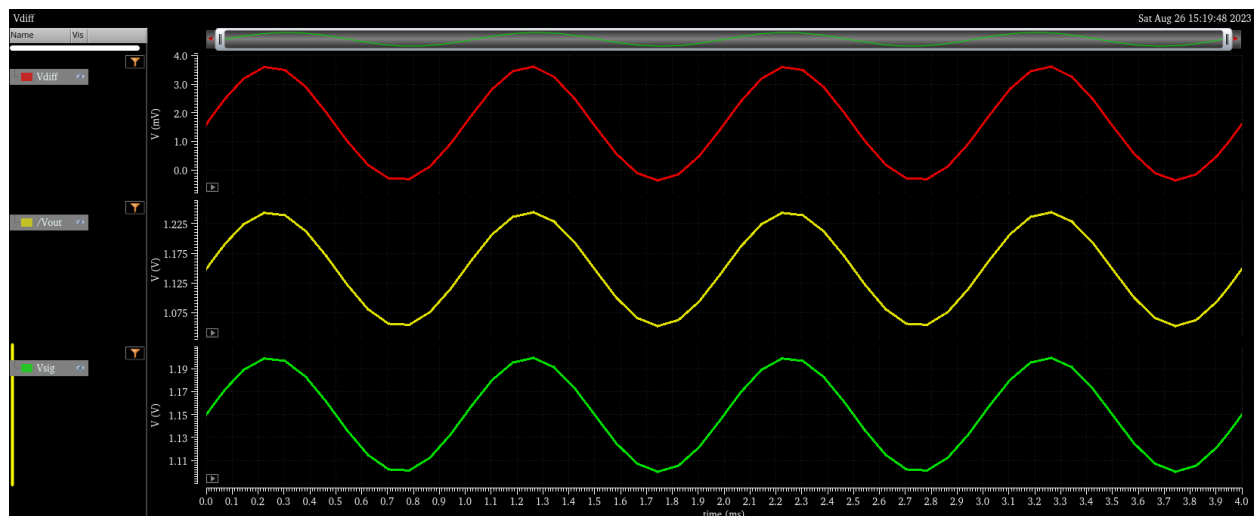
- **Percentage of change in A_{CL}:**

$$\Delta ACL = \frac{1.9212-1.9248}{1.9212} * 100 : \frac{1.9212-1.9196}{1.9212} * 100 = -0.19\% : 0.083\%$$

- **Comment:** Temperature has a higher effect on loop gain, while closed loop gain is more immune to temperature variations.

Transient Analysis

Frequency = 1kHz



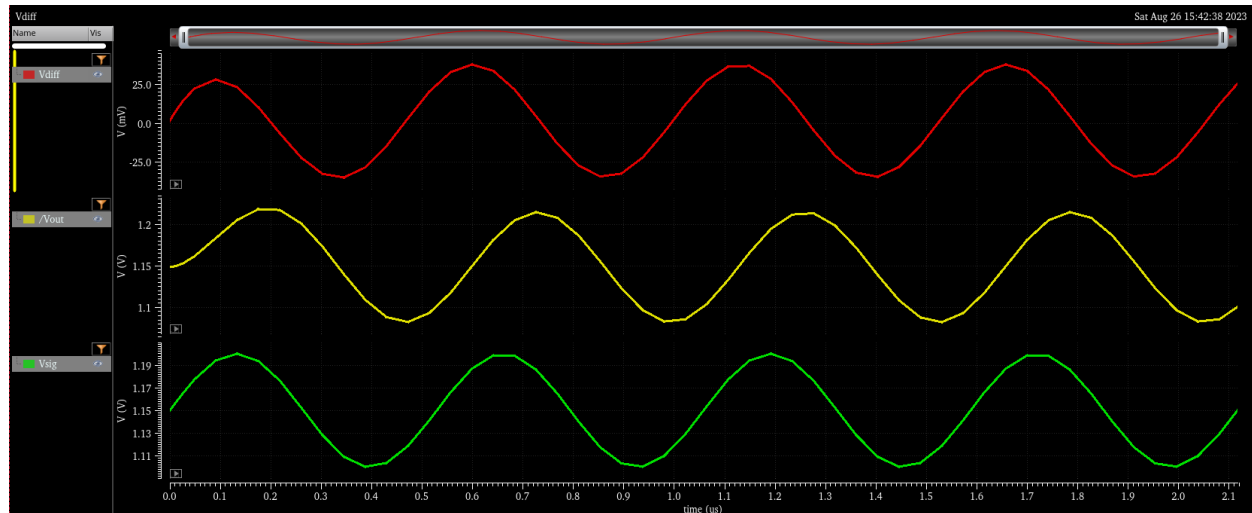
Vpp_diff=peakToPeak(Vdiff) Vpp_out=peakToPeak(Vout) Vpp_sig=peakToPeak(Vsig)					
Expression	Value	Expression	Value	Expression	Value
Vpp_diff=peakT...	3.966E-3	Vpp_out=peakT...	191.7E-3	Vpp_sig=peakT...	99.77E-3

What is the relation between the output and (VP - VN)?

$$V_{out} = AOL * V_{in_diff} \rightarrow AOL_{simulation} = \frac{V_{out}}{V_{diff}} = \frac{191.7}{3.966} = 48.3 \approx 50.36 \text{ (per ac simulation).}$$

$$V_{out} = ACL * V_{sig} \rightarrow ACL_{simulation} = \frac{V_{out}}{V_{diff}} = \frac{191.7}{99.77} = 1.92$$

Frequency = 1.89MHz



Expression	Value	Expression	Value	Expression	Value
1 Vpp_diff=peakToPeak(Vdiff)	72.82E-3	Vpp_out=peakT...	135.8E-3	Vpp_sig=peakTo...	99.67E-3

- What is the relation between the output and the input signal?

$$\frac{V_{out}}{V_{sig}} = \frac{135.8}{99.67} = 1.36 \rightarrow \text{Closed loop gain (ACL)}$$

- What is the relation between the output and the differential signal?

$$\frac{V_{out}}{V_{diff}} = \frac{135.8}{72.82} = 1.86 \rightarrow \text{Open loop gain (AOL)}$$

- Comparison

At closed loop bandwidth frequency, the open loop gain has significantly decreased because $BW_{ACL} \gg BW_{AOL}$, so the closed loop gain decreases consequently.