

**Analog IC Design****Lab 04****Common Drain Frequency Response****Intended Learning Objectives**

In this lab you will:

- Learn how to use the Sizing Assistant (SA) to size the transistors.
- Design and simulate a common-drain amplifier.
- Use PMOS input transistor to avoid body effect in a CD amplifier.
- Investigate the ringing and peaking problem in a capacitive-loaded CD amplifier with a large source resistance ( $R_{sig}$ ) and learn how to solve it.

**NOTE:** To get access to the Sizing Assistant please register at <https://adt.master-micro.com/> and create a support ticket from your dashboard. Verified instructors may also request access to an editable MS Word version of the lab and the lab model answer.

**NOTE:** The values and charts used in the lab document assume the provided 180 nm educational device model and 1.8 V supply. Other models/technologies can be used by applying reasonable adjustments to the lab values.

**Part 1: Device Sizing Using SA**

1) From the square law, we have

$$g_m = \frac{2I_D}{V_{ov}} \rightarrow V_{ov} = \frac{2}{g_m/I_D}$$

For a real MOSFET, if we compute  $V_{ov}$  and  $\frac{2}{g_m/I_D}$  they will not be equal. Let's define a new parameter called V-star ( $V^*$ ) which is calculated from actual simulation data using the formula

$$V^* = \frac{2}{g_m/I_D} \leftrightarrow g_m = \frac{2I_D}{V^*}$$

The lower the  $V^*$  the higher the  $g_m$ , but the larger the area and the lower the speed. An often used sweet-spot that provides good compromise between different trade-offs is  $V^* = 200mV$ .

2) Although the  $V^*$  is a nice parameter that is inspired by the square-law, it does not have an intuitive or a physical meaning (it is not an actual voltage in the circuit). We actually defined  $V^*$  in order to be able to define a relation between the  $g_m$  and  $I_D$ . Thus, the real parameter that we should care about is the  $g_m$  over  $I_D$  ratio ( $g_m/I_D$ ).

If the square-law is valid

$$g_m = \frac{2I_D}{V_{ov}} \rightarrow \frac{g_m}{I_D} = \frac{2}{V_{ov}}$$

Using  $V^*$

$$\frac{g_m}{I_D} = \frac{2}{V^*}$$

A small  $g_m/I_D$  means large  $V_{ov}$  (biasing in strong inversion) and a large  $g_m/I_D$  means small  $V_{ov}$  (biasing in weak inversion).

- 3) There are many good things about using the  $g_m/I_D$  as a design knob:
  - a. The  $g_m/I_D$  gives a direct relation between the most important MOSFET parameter ( $g_m$ ) and the most valuable resource ( $I_D$ ). For example, a  $g_m/I_D = 10 \text{ S/A}$  means you get  $10 \mu\text{S}$  of  $g_m$  for every  $1 \mu\text{A}$  of bias current.
  - b. The  $g_m/I_D$  is a normalized knob: it has a limited search range (typically from 5 to 25 S/A) independent of the technology or the device type.
  - c. The  $g_m/I_D$  is intuitive because it tells you directly about the inversion level (bias point) and consequently all related trade-offs. For example,  $g_m/I_D = 5 \text{ S/A}$  means strong inversion (SI),  $g_m/I_D = 15 \text{ S/A}$  means moderate inversion (MI), and  $g_m/I_D = 25 \text{ S/A}$  means weak inversion (WI).
  - d. The  $g_m/I_D$  is an orthogonal knob: If we define the  $g_m/I_D$  then we define the inversion level (bias point). If you change  $I_D$  or  $L$  while keeping  $g_m/I_D$  fixed, then the inversion level (bias point) is kept fixed. The  $W$  is treated as an output variable instead of being treated as an input variable.
  - e. The higher the  $g_m/I_D$  (the lower the  $V^*$ ) the higher the efficiency and the headroom (the available swing), but the larger the area and the lower the speed. An often used sweet-spot that provides good compromise between different trade-offs is  $g_m/I_D = 10 \text{ S/A}$  ( $V^* = 200\text{mV}$ ).
- 4) We want to design a CD amplifier that has ideal current source load with the parameters below.

Parameter	
Input transistor	PMOS
$L$	$1\mu\text{m}$
$V^*$	$200\text{mV}$
Quiescent (DC) input voltage	$0\text{V}$
Supply	$1.8\text{V}$
Current consumption	$10\mu\text{A}$

- 5) We assume we use a PMOS transistor that is placed in a dedicated n-well to be able to connect the body and source terminals. This will avoid the degradation of the CD amplifier gain due to body effect.
- 6) Since the square-law is not accurate, we cannot use it to calculate the sizing. Instead, we will use the Sizing Assistant (SA) which is a powerful analog calculator that uses LUTs that are pre-generated from the simulations. The input and output of SA are shown below. Note that since we assume body

and source are connected, we can set  $V_{DS} = V_{GS}$ . Draw the circuit schematic to be able to understand this properly. Note that the load is connected to the source, not to the drain.

#	Parameter	Value
1	ID	10u
2	L	1u
3	W	8.72u
4	VGS	609.2m
5	VDS	609.2m
6	VSB	0

## Part 2: CD Amplifier

### 1. OP (Operating Point) Analysis

- 1) Create a new schematic for the CD amplifier (the schematic is not included in the lab document and is left for the student as an exercise). Use a PMOS transistor and use a  $10\mu A$  ideal current source load for biasing (note that the current source will be connected to the source terminal). Connect the source to the bulk. Use  $L = 1\mu m$  and  $W$  as determined in Part 1. Use  $C_L = 2pF$ , input source resistance  $R_{sig} = 2M\Omega$ , and a DC input voltage = 0V.
- 2) Simulate the OP point. Report a snapshot clearly showing the following parameters.
  - ➔ Cadence Hint: You can use Info Balloons (View -> Info Balloons) to show the device parameters. Use (View -> Annotations -> Setup) to customize the Info Balloons.

ID
VGS
VDS
VTH
VDSAT
GM
GDS

GMB
CDB
CGD
CGS
CSB
Region

- 3) Check that the transistor operates in saturation.

## 2. AC Analysis

- 1) Perform AC analysis (1Hz:10GHz, logarithmic, 20points/decade) to investigate the frequency domain peaking.
- 2) Report the Bode plot magnitude.
- 3) Do you notice frequency domain peaking? How much is the peaking?  
 ➔ Cadence Hint: Use the following expression to calculate the peaking in dB:  
`ymax(dB20(VF("/vout")))`
- 4) Analytically calculate the quality factor (use approximate expressions). Is the system underdamped or overdamped?
- 5) [Optional] Perform parametric sweep: CL = 2p, 4p, 8p.
  - Report Bode plot magnitude overlaid on same plot.
  - Report the peaking vs CL.
  - Comment on the results.
- 6) [Optional] Perform parametric sweep: R<sub>sig</sub> = 20k, 200k, 2M.
  - Report Bode plot magnitude overlaid on same plot.
  - Report the peaking vs R<sub>sig</sub>.
  - Comment on the results.

## 3. Transient Analysis

- 1) Use a pulse source as your transient stimulus and set it as follows: delay time = 2us, initial (zero value) = 0V, period = 8us, pulse (one value) = 100mV, fall time = 1ns, rise time = 1ns, pulse width = 4us.  
 ➔ Cadence Hint: Use analogLib -> vsource and set the type as pulse.
- 2) Run transient analysis for 10us to investigate the time domain ringing.  
 ➔ Cadence Hint: If the simulator time step is too large, set (max step = 10n) in the transient analysis options.
- 3) Report V<sub>in</sub> and V<sub>out</sub> overlaid vs time.
- 4) Calculate the DC voltage difference (DC shift) between V<sub>in</sub> and V<sub>out</sub>.
  - What is the relation between the DC shift and V<sub>GS</sub> of the transistor?
  - How to shift the signal down instead of shifting it up?
- 5) Do you notice time domain ringing? How much is the overshoot?  
 ➔ Cadence Hint: Use the overshoot function to calculate the maximum overshoot as a percentage. Compare the function output to the plot to make sure you have set up the function properly.
- 6) [Optional] Perform parametric sweep: CL = 2p, 4p, 8p.
  - Report V<sub>out</sub> vs time overlaid on same plot.
  - Report the overshoot vs CL.
  - Comment.
- 7) [Optional] Perform parametric sweep: R<sub>sig</sub> = 20k, 200k, 2M.
  - Report V<sub>out</sub> vs time overlaid on same plot.

- Report the overshoot vs  $R_{sig}$ .
- Comment on the results.

#### 4. $Z_{out}$ (Inductive Rise)

- 1) We want to simulate the CD amplifier output impedance. Replace CL with an AC current source with magnitude = 1. Remove the AC input signal.
- 2) Perform AC analysis (1Hz:10GHz, logarithmic, 10points/decade). The voltage across the AC current source is itself the output impedance.
- 3) Plot the output impedance (magnitude and phase) vs frequency. Do you notice an inductive rise? Why?
- 4) Does  $Z_{out}$  fall at high frequency? Why?  
Hint:  $C_{gd}$  appears in parallel with  $R_{sig}$ .
- 5) Analytically calculate the zeros, poles, and magnitude at low/high frequency for  $Z_{out}$ . Compare with simulation results in a table.

#### 5. [Optional] How to solve the peaking/ringing problem?

- 1) Place the input/output poles away from each other (as we did when we swept CL and  $R_{sig}$ ).
- 2) A compensation network can be used to compensate for the negative input impedance and prevent overshoots. Read [Johns and Martin, 2012] Section 4.4 and try to implement the compensation network.

## Lab Summary

In Part 1 you learned:

- How to find transistor sizing using the Sizing Assistant (SA).
- How to design a PMOS common-drain amplifier.

In Part 2 you learned:

- How to do AC, DC and transient simulations of a CD amplifier.
- How the peaking in the frequency response of a CD amplifier changes with the load capacitor and source resistance.
- How the ringing in the transient response of a CD amplifier changes with the load capacitor and source resistance.
- How the output impedance of a CD amplifier shows inductive behavior.

## Acknowledgements

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