# BNFO 591: High Performance Computing Assignment II



# Programs in Fortran and Python:

- 1. *m* Prime Numbers
  - 2. Calculating *n*!
- 3. Fibonacci series
- 4.Gamma Function

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```
! Program 1: Calculating the First m Prime Numbers.
! Skyler Kuhn, Hasan Alkhairo, Alex Stylianou
! BNFO591: High Performance Computing
! Dr. Witten
program primeNum
implicit none
integer :: i,j,darklord,x, count = 0
integer, parameter :: m=100
logical :: tf
integer :: primes(1:50), h
open(unit=11,file='my prime.out',status='old')
do 666 j=2,m,1 !This loop starts 2 and will go to m (100) and increments by 1
     tf = .true. !This flag is used to indicate whether or a j is a prime number
     do 66 x=2,j-1,1 !starting from 2 increment x by 1 to j-1. For each value x, divide J by it to
check if there is a remainder of 0.
         if (\text{modulo}(j,x) == 0) then !if J is divisble by x with no remainder then J is not a prime
number. Set flag to false and exit loop.
              !print *, j
              tf = .false. !so when this flag is set to false then this value J will not written to a
file or appended to the array primes
              EXIT !Exit 66. J will then be incremented by 1
         end if
     66 continue
     if (tf) then !if the flag is true then j is a prime number.
         !print *, j
         write(11,*) j !write J to file my primt.out
         primes(count) = j !append j to primes
         count=count+1 !count is the index for primes.
     end if
666 continue
do 13 darklord=0,9,1 !this loop is used to print the first 10 integers in the primes array
     print *, primes(darklord)
13 continue
end program primeNum
```

```
Python code for Prime Problem
```

counter = counter + 1

```
prime_num = 100
for x in range(2, prime_num+1):
 for i in range(2, x):
   if x \% i == 0:
     break
 else:
   print x,
print 'Done'
Output:
/System/Library/Frameworks/Python.framework/Versions/2.6/bin/python2.6
2 3 5 7 11 13 17 19 23 29 31 37 41 43 47 53 59 61 67 71 73 79 83 89 97 Done
!Program 2, Part I: Calculating n! without recursion (See RecursiveFactorial.f90 for recursive n!)
!Hasan Alkhairo, Skyler Kuhn, Alex Stylaniou
!BNF0 591 High Performance Computing
!Dr. Witten
program factorial
implicit none
integer :: i,counter=2,x,j
integer (kind=8) :: f=1
integer (kind = 8) :: factorials(0:100)
integer, parameter :: m = 100
!print *, 'Provide a number for its factorial'
!read *, n
open(unit=13,file='my_factorials.out',status='old')
factorials(0) = 1
factorials(1) = 1
do 10 j=2,m,1
    do 11 i=1,j,1
         f = f * i
    11 continue
    factorials(counter) = f
```

```
f = 1
10 continue
```

```
do 12 x=0,counter,1
!print *, factorials(x)
write(13,*) factorials(x)
12 continue
end program factorial
```

```
[alkhairohr@compile ~]$ ./a.out

1
2
6
24
120
720
5040
40320
362880
```

# Python Code for n!:

```
n = 100

factorial = 1

list_of_factorials = []

for x in range(1,100,1): #This loop is set to 100 to get the first 100 factorials

for y in range(1,x,1): #Lets say x is 5. y will be 1,2,3,4,5. each time it is multiplied to factorial

factorial = factorial * y

list_of_factorials.append(factorial) #array with all factorials

factorial = 1 #set to 1 to restart next factorial calculation

for x in list_of_factorials: #print all factorials in array

print x
```

## 

! Program 2, Part II: Recursive n! Computation ! Hasan Alkhairo, Skyler Kuhn, Alex Stylaniou ! BNFO 591 High Performance Computing ! Dr. Witten

## Program RecursiveFactorial

implicit none

integer (kind=8) :: Factorial, n, x

integer :: counter = 1, k

integer (kind=8) :: FactorialArray(0:100)

integer, parameter :: m = 100

open(unit=666,file='RecursiveFactorial.out',status='old')! This is the ouput file (contains 100!) FactorialArray(0) = 1! Adding 0! as the first value of the Array do 66 n=1,m,1! Iterates from 1 to 100

```
write (666,*) Factorial(n)! Writing to the Output file
    FactorialArray(counter) = Factorial(n)! Appending to the Array
    counter = counter + 1! Needed for the Array Indices
66 continue
do 6 k=0,9,1
    x = FactorialArray(k)
    x = huge(x)
    print *, x ! Prints the first Ten Values
6 continue
end program RecursiveFactorial
Recursive Function Factorial(n) Result(illuminati)
    implicit none
    integer (kind = 8),intent(IN)::n
    integer (kind = 8) :: illuminati
    if (n==0) then ! Base Case Breaks out of Recursion
         illuminati = 1
    else
         illuminati = n * Factorial(n-1) ! Recursively Called the Function
         !illuminati = huge(illuminati)
    end if
end Function Factorial
```

```
[alkhairohr@compile ~]$ ./a.out

1
2
6
24
120
720
5040
40320
362880
```

# Python program for n! with Recursion

```
def factorial( num ):
    if num <1:  # base case
        return 1
    else:
        return num * factorial( num - 1 ) # Recursive Call
for i in range(1,101,1 ):
    print("{}! = {}".format(i, factorial(i)))</pre>
```

#### Output for Recursive Factorial Function:

```
Library/Frameworks/Python.framework/Versions/3.5/bin/python3.5 /Users/nbskuhn/Desktop/Python/factorial_recursion.py/
2! = 2
3! = 6
4! = 24
5! = 120
  = 40320
9! = 362880
10! = 3628800
11! = 39916800
12! = 479001600
13! = 6227020800
14! = 87178291200
15! = 1307674368000
16! = 20922789888000
17! = 355687428096000
18! = 6402373705728000
19! = 121645100408832000
20! = 2432902008176640000
21! = 51090942171709440000
22! = 1124000727777607680000
23! = 25852016738884976640000
24! = 620448401733239439360000
25! = 15511210043330985984000000
26! = 403291461126605635584000000
27! = 10888869450418352160768000000
28! = 304888344611713860501504000000
29! = 8841761993739701954543616000000
30! = 265252859812191058636308480000000
31! = 8222838654177922817725562880000000
32! = 263130836933693530167218012160000000
33! = 8683317618811886495518194401280000000
34! = 295232799039604140847618609643520000000
35! = 10333147966386144929666651337523200000000
36! = 371993326789901217467999448150835200000000
37! = 13763753091226345046315979581580902400000000
38! = 523022617466601111760007224100074291200000000
39! = 20397882081197443358640281739902897356800000000
40! = 815915283247897734345611269596115894272000000000
    = 33452526613163807108170062053440751665152000000000
- 146506611775207000543142665244511560036204000000
```

.....

. . . . . . . . . .

# 

INTEGER :: first\_num, second\_num, sum\_of, i, fib ! print statement for user print\*, 'Please enter a number to computer the Fibonacci series' read(\*,\*) fib

!initialize variables first\_num = 0 second\_num = 1

DO i = 1, fib, 1 sum\_of = first\_num + second\_num

first\_num = second\_num !overwrite value for first num, this number will now be the second number second\_num = sum\_of !overwrite the value for the second num, this number will now be the sum ! when the do loop iterates to the next value the second number and the sum will now

added together

WRITE (\*,\*) sum\_of END DO END PROGRAM Fibonacci

# Fibonacci Output:



# Python:

```
response = input("Please enter a number to calculate fibonacci: ")
def fib(n):
    fib_list=[]
    x, y = 0, 1
    counter = 0
    while counter < n:
        sum_of = x + y
        x = y
        y = sum_of
        fib_list.append(x)
        counter = counter + 1
    print (fib_list)
fib(int(response))
Please enter a number to calculate fibonacci: 10
[1, 1, 2, 3, 5, 8, 13, 21, 34, 55]</pre>
```

```
! Program 3, Part II: Fibonacci Computation
! Hasan Alkhairo, Skyler Kuhn, Alex Stylaniou
! BNFO 591 High Performance Computing
! Dr. Witten
PROGRAM Fibonacci
 IMPLICIT NONE
 !declare variables
 INTEGER:: first_num, second_num, sum_of, i, fib, counter = 0,x
 !integer, allocatable, dimension(:) :: fib_list ! list will hold numbers
 !allocate(fib_list(fib))
 integer :: fib list(0:100)
 !initialize variables
 first_num = 0
 second num = 1
 fib = 100
 DO i = 1, fib, 1
   sum_of = first_num + second_num
   first_num = second_num !overwrite value for first num, this number will now be the second number
   second_num = sum_of !overwrite the value for the second num, this number will now be the sum
               ! when the do loop iterates to the next value the second number and the sum will now
added together
   fib_list(counter) = sum_of
   counter = counter + 1
 END DO
 do 12 x=0,counter,1
   write (*,*) fib_list(x)
 12 continue
END PROGRAM Fibonacci
```

# Output (see next page):

```
[stylianousf@compile ~]$ ./a.out

1
2
3
5
8
13
21
34
55
89
244
259
377
610
387
1597
2584
4181
6765
10946
17771
28657
46368
75025
121393
196418
317810
514229
832040
1346269
2178309
3324978
5702887
9227465
1493052
24157817
39088169
63245986
102334155
10336165
10334155
105380141
267914296
43349437
701408733
1184903170
1384903170
1384903170
```

# Python Code:

```
def fib(n):
    fib_list=[]
    x, y = 0, 1
    counter = 0
    while counter < n:
        sum_of = x + y
        x = y
        y = sum_of
        fib_list.append(x)
        counter = counter + 1
    print (fib_list)
fib(100)</pre>
```

# Output:

[1, 1, 2, 3, 5, 8, 13, 21, 34, 55, 89, 144, 233, 377, 610, 987, 1597, 2584, 4181, 6765, 10946, 17711, 28657, 46368, 75025, 121393, 196418, 317811, 514229, 832040, 1346269, 2178309, 3524578, 5702887, 9227465, 14930352, 24157817, 39088169, 63245986, 102334155, 165580141, 267914296, 433494437, 701408733, 1134903170, 1836311903, 2971215073, 4807526976, 7778742049, 12586269025, 20365011074, 32951280099, 53316291173, 86267571272, 139583862445, 225851433717, 365435296162, 591286729879, 956722026041, 1548008755920, 2504730781961, 4052739537881, ...]

```
! Program 3, Part III: Fibonacci Computation
! Hasan Alkhairo, Skyler Kuhn, Alex Stylianou
! BNFO 591 High Performance Computing
! Dr. Witten
PROGRAM Fibonacci
 IMPLICIT NONE
 INTEGER :: first_num, second_num,sum_of, i,counter,x
 !I am initalizing all my variables
 INTEGER, DIMENSION (100) :: fib list
                                              ! initializing an array
 INTEGER, PARAMETER :: m=100
                                              !making m a parameter, parameter will not
                                              !allow the variable to be changed
 first num = 0
 second num = 1
 counter = 0
 open(unit=1,file="my_fib.out",status='new')
                                              !creating an output file
 DOi = 1, m, 1
                                              !do fibonacci sequence until it reaches 100
      sum_of = first_num + second_num
                                              !add first number and second number
      first num = second num
                                              !first number is now the second number.
      second num = sum of
                                              !second number is now the sum
      fib_list(counter) = sum_of
                                              !insert the sum of the fibonacci sequence
                                                    !into the array
      counter = counter + 1
                                                    !counter
 END DO
 DO x=0, counter, 1
      IF (x<10) THEN
                                                    ! homework indicates to only print
                                                    !out first 10 sequences.
                                                    !write out first 10 sequences to a list
      write(1,*)fib_list(x)
      END IF
 END DO
 close(1)
```

END PROGRAM Fibonacci

```
[stylianouaf@compile ~]$ cat my_fib

1
2
3
5
8
13
21
34
55
89
```

# Python code:

```
def fib(n):
    fib_list=[]
    x, y = 0, 1
    counter = 0
    while counter < n:
        sum_of = x + y
        x = y
        y = sum_of
        fib_list.append(x)
        counter = counter + 1
    print (fib_list)
fib(10)
Output; [1, 1, 2, 3, 5, 8, 13, 21, 34, 55]</pre>
```

```
! Program 4, Part I (Non-Simpson Approximation): Computing the Gamma Function
! Hasan Alkhairo, Skyler Kuhn, Alex Stylaniou
! BNFO 591 High Performance Computing
! Dr. Witten
program GammaFunction
implicit none
real :: j,x = 0.5, constant,difference,percision,previous value,i,low = -4.5
real (kind = 8) :: f
integer, parameter :: m = 100
logical :: tf
!print *, 'Provide a number for its factorial'
!read *, n
open(unit=13,file='sim gamma.out',status='old')
tf = .true.
percision = .0000001 !Used later in the loop in place of infinity, compared to the difference of
the prev & cur val
i = 1
f = 1
previous value = 5
do while (low.LE.4.5)! replaces x value. From -4.5 to 4.5
    do while (tf)! will break out of loop if the difference <= 0.0000001 or the loop reaches
10.000 iterations
         f = f * ((1+(1/i))**low)/(1+(low/i)) !1:0.94,....,727:0.9999997638,728:0.9999997645
         difference = ABS(f - previous_value) !1:0.94-1 = 0.06; 728:7e-10
         previous value = f
         i = i + 1
         if (difference.LE.percision) then !0.06 >= .0000001
              tf = .false.
              f = (1/low)*f
         end if
         if (i.GE.10000) then
                               ! loops 10,000 times (to aviod an infinite loop scenario)
              if (f.GE.0) then
                   tf =.false. ! break out of loop
                   f = 100000 ! set f to a really high number, it is approaching infinity
              else
```

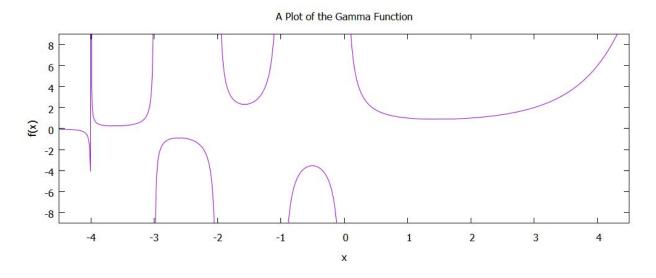
```
tf = .false. \ ! \ break \ out \ of \ loop \\ f = -100000 \ .! \ set \ f \ to \ a \ really \ small\_val \ numer, \ it \ is \ approaching \ negative infinity \\ end \ if \\ end \ if \\ end \ do \\ tf = .true. \\ print *, \ low, \ f \\ write \ (13,*) \ low, \ f \\ f = 1 \\ i = 1 \\ previous\_value = 5 \\ !print *, \ f \\ low = low + 0.01 \ ! \ increment \ by \ 0.01 \\ end \ do
```

end program GammaFunction

# Screenshot of Output:

```
4.24000978
                  8.1645967290692365
                  8.2740320618296188
 4.25001001
4.26001024
                  8.3845503534418491
4.27001047
                  8.4957700521477317
4.28001070
                  8.6096878443821581
4.29001093
                  8.7257207465804694
4.30001116
                  8.8431328317226718
4.31001139
                  8.9618278224378738
4.32001162
                  9.0827553595276509
4.33001184
                  9.2050580787764709
 4.34001207
                  9.3304854406344493
                  9.4568811105270179
 4.35001230
 4.36001253
                  9.5855192309281492
                  9.7176669935585078
 4.37001276
                  9.8494947420270211
4.38001299
 4.39001322
                  9.9838485415268412
 4.40001345
                  10.121484559047905
 4.41001368
                  10.259662873404254
 4.42001390
                  10.400011729841596
 4.43001413
                  10.544461835845377
 4.44001436
                  10.690650974345710
 4.45001459
                  10.839495233222339
 4.46001482
                  10.988846087464761
 4.47001505
                  11.141306349334510
 4.48001528
                  11.295564448369200
                  11.454135096132893
 4.49001551
lkhairohr@compile ~]$
```

## GNUPlot of Gamma Program (See output above):



#### **GNUPLOT Commands:**

```
! Program 4, Part II (Simpson Approximation) of Gamma Function
! Hasan Alkhairo, Skyler Kuhn, Alex Stylianou
! BNFO 591 High Performance Computing
! Dr. Witten
program ComputeGammaSimpson
implicit none
 integer :: i
! Pretty Printing of Output
 print *, "
            i
                     Simpson"
 print *, "
 do i=0, 10
       print *, i, sim_gamma(i/3.0)
 end do
contains
pure function intgamma(x, y) result(res) ! Used for the infinite replacement
!pure function needed for forall statement
       real :: res
       real, intent(in) :: x, y !intent(in) is initializing input variables from the function
       res = x^{**}(y-1.0) * exp(-x)
 end function intgamma! end this shit
function sim gamma(a) result(g)
       !initializing variables
       real :: g
       real, intent(in) :: a
       real, parameter :: small_val = 1.0e-4 !constant
       integer, parameter :: points = 100000
       real :: infinity, dx, p, sp(2, points), x !sp() casts variables to single precision.
       integer :: i
       logical :: flag
      x = a!initializing input value from intgamma(x) is being set to the input value from
              !sim_gamma(a) this is how values can be passed from one function to another
       flag = .false.
       if (x < 1.0) then
```

```
flag = .true.
      x = x + 1
      end if
      ! Calculating a replacement for Infinity
      ! Computing the Integral
      infinity = 1.0e4
      do while (intgamma(infinity, x) > small_val)
      infinity = infinity * 10.0
      end do
      ! Simpson Approximation
      dx = infinity/real(points)
      sp = 0.0
      forall(i=1:points/2-1) sp(1, 2*i) = intgamma(2.0*(i)*dx, x)
      forall(i=1:points/2) sp(2, 2*i - 1) = intgamma((2.0*(i)-1.0)*dx, x)
      g = (intgamma(0.0, x) + 2.0*sum(sp(1,:)) + 4.0*sum(sp(2,:)) + &
      intgamma(infinity, x))*dx/3.0
      if (flag) g = g/a
end function sim_gamma
```

end program ComputeGammaSimpson

Screenshot of Simpson Output:

