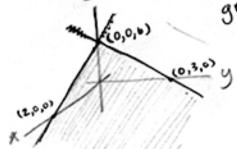
Hath E-21a HW#3

Graph of f(x,y)=6-3x-2y from 9.22.17

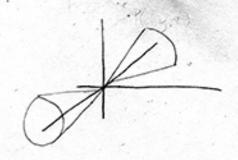
graph of g(x,y)=6-3x-2y from a plane



11

12. Z=cos(x) is the cos ware further on the x-2 plane.

34)



P(x,y,z) distance to x-axis = $\int y^2 + z^2$ distance to yz-plane = |x|

$$2\sqrt{y^2+z^2} = |x|$$

 $4(y^2+z^2) = x^2$ this is a circular double cone

[a.(bxc)](bxc).a] = [a.(bxc)].

$$V = |AB \cdot (AE \times AD)|$$

$$= |X|, 3, -1 > \cdot < 10, -1, 7 > 1$$

$$= |-6|$$

$$V = G$$

$$25a) 3x + y \cdot 4z = 2 \text{ and } 3x + y \cdot 4z = 24$$

$$A = 24$$

$$A = -24$$

$$A$$

SWU SISS WILL

AB=<1,3,-1>

AC = <-2,1,3>

AD = <-1,3,1>

10.

(a)
$$\overrightarrow{AB} = \langle -3, -2, 9 \rangle$$

 $\overrightarrow{AC} = \langle -1, 2, -5 \rangle$
 $\overrightarrow{R} = \langle -8, -24, -8 \rangle$
 $-8(x-2) - 24(y-1) - 8(z-1) = 0$
 $-8x+16-24y+24-8z+8=0$
 $-8x-24y-8z+48=0$
 $-8x+24y+8z=48$
(b) $8(-1,-1,10)$
 $\overrightarrow{C} = \langle -1,-1,10 \rangle + t \langle -8,-24,-8 \rangle$
 $\overrightarrow{C} = \langle -8-8t,-1-24t,10-8t \rangle$
 $\overrightarrow{C} = \langle -8-8t,-1-24t \rangle + t = \frac{x-18}{-8}$
 $y=-1-24t \rightarrow t = \frac{y-1}{2}$
 $z=10-8t \rightarrow t = \frac{y-1}{-8}$
(c) $0 = \langle -8,-24,-8 \rangle \cdot \langle 2,-4,-3 \rangle$
 $\overrightarrow{C} = (24)^{\frac{1}{2}} \cdot (24)^{\frac{1}{2}}$

ره ماد

$$= \frac{104}{8\sqrt{11}\sqrt{29}}$$

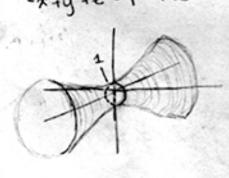
$$\theta = \cos^{-1}\left(\frac{13}{\sqrt{11}\sqrt{29}}\right)$$

Θ243°

-4(2x-4y=48) 8x+24y=48 +-8x+16y=32 40y=80 => 2x-4(2)=-8 2x = 0 TABLE 19 10 107 57 6 24 P(0,2,0) and (40,-40,80) x=40t y=2-40t

26d on't)

36) y2+22=1+x2 -x+y2+22=1 this will be a hyperboloid of I sheet control around the



1. the cross section at x=0 s a circle of advos 1

Homework 3

Ann Kidder

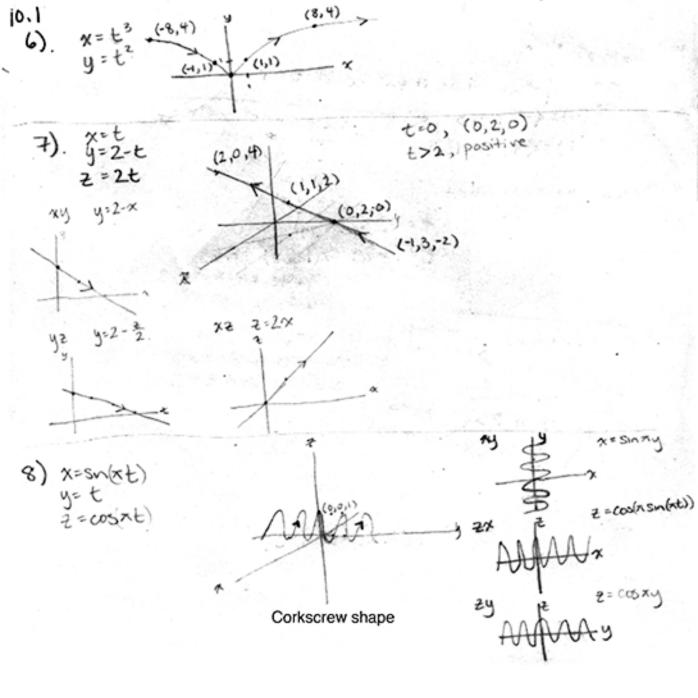
September 22, 2017

1 Chapter 9

1.1 True/False

- 1. True. $u \cdot v$ results in a scalar so the order of multiplication does not matter.
- 2. False. < 1, 2, 3 > × < 4, 5, 6 >=< -3, 6, -3 > However, < 4, 5, 6 > × < 1, 2, 3 >=< 3, -6, 3 > Thus $u \times v = -v \times u$
- 3. True. Though the signs are opposite for \$u \times v\$ and \$v \times u\$, once the components are squared they will be the same so the magnitudes are equal.
- 4. True. $u \cdot v$ will be a scalar so it does not matter what order k and u and v are multipled.
- 5. True. It does not matter what order the scalar is multiplied with the vector.
- 6. True. $|u \times w|$ is the area of a parallelogram with sides u and w. If you connect this to the parallelogram with sides v and w by the shared side w, you will get a total area of u+v by w, which is the same as $(u+v) \times w$
- 7. True. The final result is a scalar, so it does not matter what order the components are multipled by the cross and dot product.
- 8. False. The cross product of two vectors is another vector so order of operations matters. $u \times (v \times w) = v(u \times w) w(u \times v)$
- 9. True. Because this can be rewritten as $v \cdot (u \times u)$ and $u \times u = 0$ this is true.
- 10. True. $(u+v) \times v = u \times v + v \times v$ and $v \times v = 0$ so this is true.
- 11. True. The cross product of two unit vectors will have a magnitude of one, so it will also be a unit vector.
- 12. False. It represents a line only if one and only one coefficient is 0.

- 13. True. Because $z^2=0$ the set of all points described is a circle in the xy-plane
- 14. False. $u \cdot v = u_1 v_1 + u_2 v_2$, which is a scalar, not a vector.
- 15. False. $\langle 1, 1, 0 \rangle \cdot \langle -1, 1, 0 \rangle = 0$
- 16. False. If u and v are non-zero, parallel vectors then $u \times v = 0$ Example, $<1,1,0>\times<2,2,0>=<0,0,0>$
- 17. True. If $u \cdot v = 0$ that means either u or v is zero.
- 18. True. $|u \cdot v| = \sqrt{u_1 v_1^2 + u_2 v_2^2 + u_3 v_3^2}$ and $||u|| ||v|| = \sqrt{u_1^2 + u_2^2 + u_3^2} \sqrt{v_1^2 + v_2^2 + v_3^2}$. If you square both sides and multiply out the right, you see that the highest multiple of the left is 2 while the right is 4



9)

x=1

is there a time such that

元(4) -元(3)?

t2=1+63 => (1+23)2=1+63 1+43+452=1+65 482-28=0 25(25-1)=0

t=1+28.

(0,47 (5,6 2.2sn (105'4)

$$x = 1 + t$$
 $y = \sqrt{t}$
 $y = \sqrt{t}$

10.2

24)

4a) X=1+t

y= t=1.

(60)
$$x = e^{t}$$

 $y = e^{t}$ at $t = 0$
 $f'(t) = \langle e^{t}, e^{t} \rangle$

$$7'(0)=(1,1)$$

 $7'(t)=(\pm,\pm,2t)$
 $2=2$ at $t=1$ so
 $1=t^2$ $7'(1)=(1,1,2)$

y=2+t

Z=1+2+

7(1)= <2,1>

$$t=3-3$$

$$1-t=s-2 \rightarrow t=3-3$$

$$3+t^2=s^2$$

$$3+(3-s)^2=s^2$$

$$3+9-6s+s^2=s^2$$

$$12-6s=0$$

$$12=6s$$

$$s=2 \text{ and } t=1$$
The convex intersect set $(1,0,4)$

$$f(t)=(1,-1,2t)$$

$$f_2'(s)=(-1,1,2s)$$

$$\cos\theta=\frac{(1,-1,1)\cdot(-1,1,4)}{\sqrt{1^2+(1)^2+1^2+4^2}}$$

$$=\frac{2}{\sqrt{15}\sqrt{18}}$$

$$=\frac{2}{3\sqrt{13}\sqrt{2}}$$

$$\theta=\cos^{-1}(\sqrt{3\sqrt{13}\sqrt{2}})$$

e≈ 74°2