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The Data Quality Report

- A data quality report includes tabular reports that describe the characteristics of each feature in an ABT using standard statistical measures of central tendency and variation.
- The tabular reports are accompanied by data visualizations:
 - A histogram for each continuous feature in an ABT.
 - A bar plot for each categorical feature in an ABT.

Table: The structures of the tables included in a data quality report to describe (a) continuous features and (b) categorical features.

(a) Continuous Features

Feature	Count	% Miss.	Card.	Min.	1 st Qrt.	Mean	Median	3 rd Qrt.	Max.	Std. Dev.

(b) Categorical Features

Feature	Count	% Miss.	Card.	Mode	Mode Freq.	Mode %	2 nd Mode	2 nd Mode Freq.	2 nd Mode %

Case Study: Motor Insurance Fraud

The following slides show a portion of the ABT that has been developed for the motor insurance claims fraud detection.

A portion of the ABT developed for this solution is shown first.

Table: Portions of the ABT for the motor insurance claims fraud detection problem.

								Ŧ		Num	%	CLAIM	F
	_		MARITAL	Num	INJURY	HOSPITAL	CLAIM	TOTAL	Num	SOFT	SOFT	AMT	FRAU
ID	TYPE	Inc.	STATUS	CLMNTS.	TYPE	STAY	AMNT.	CLAIMED	CLAIMS	TISS.	TISS.	Rcvd.	FLAG
1	CI	0		2	Soft Tissue	No	1,625	3250	2	2	1.0	0	1
2	CI	0		2	Back	Yes	15,028	60,112	1		0	15,028	0
3	CI	54,613	Married	1	Broken Limb	No	-99,999	0	0	0	0	572	0
4	CI	0		4	Broken Limb	Yes	5,097	11,661	1	1	1.0	7,864	0
5	CI	0		4	Soft Tissue	No	8869	0	0	0	0	0	1
6	CI	0		1	Broken Limb	Yes	17,480	0	0	0	0	17,480	0
7	CI	52,567	Single	3	Broken Limb	No	3,017	18,102	2	1	0.5	0	1
8	CI	0		2	Back	Yes	7463	0	0	0	0	7,463	0
9	CI	0		1	Soft Tissue	No	2,067	0	0	0	0	2,067	0
10	CI	42,300	Married	4	Back	No	2,260	0	0	0	0	2,260	0
		:				:							
300	CI	0		2	Broken Limb	No .	2.244	0	0	0	0	2.244	0
301	CI	0		1	Broken Limb	No	1.627	92.283	3	Ö	0	1.627	ő
302	ČÍ	0		3	Serious	Yes	270,200	0 0	0	ő	0	270,200	0
303	CI	0		1	Soft Tissue	No	7.668	92.806	3	0	0	7.668	ő
304	CI	46.365	Married	i	Back	No	3,217	0 0	0	U	0	1,653	0
304	GI	40,303	Manieu	'	DdUK	INO	3,217	U	U			1,000	U
		:									- 1		
458	CI	48,176	Married	3	Soft Tissue	Yes	4,653	8,203	1	0	0	4,653	0
459	CI	0		1	Soft Tissue	Yes	881	51,245	3	0	0	0	1
460	CI	0		3	Back	No	8,688	729,792	56	5	0.08	8,688	0
461	CI	47,371	Divorced	1	Broken Limb	Yes	3,194	11,668	1	0	0	3,194	0
462	CI	0		1	Soft Tissue	No	6,821	0	0	0	0	0	1
		:				:					:		
491	CI	40.204	Single	1	Back	No .	75,748	11.116	1	0	0	0	1
492	či	0		1	Broken Limb	No	6,172	6,041	1	-	ō	6.172	ó
493	ČÍ	ō		1	Soft Tissue	Yes	2,569	20.055	1	0	ō	2.569	ō
494	či	31.951	Married	1	Broken Limb	No	5.227	22,095	1	ō	ō	5.227	ō
495	ČÍ	0		2	Back	No	3.813	9,882	3	ō	ō	0,220	1
496	či	ő		1	Soft Tissue	No	2.118	0,002	ő	ŏ	ő	ő	i
497	CI	29.280	Married	4	Broken Limb	Yes	3,199	ő	Ö	Ö	0	0	- 1
498	ČÍ	0	· ····································	1	Broken Limb	Yes	32,469	0	Ö	ő	Ö	16.763	ò
499	CI	46.683	Married	i	Broken Limb	No	179,448	0	0	,	0	179,448	ő
500	ČÍ	40,003	walled	- 1	Broken Limb	No	8,259	0	0	0	0	179,448	1

Table: A data quality report for the motor insurance claims fraud detection ABT

(a) Continuous Features

		%			1 st			3 rd		Std.
Feature	Count	Miss.	Card.	Min	Qrt.	Mean	Median	Qrt.	Max	Dev.
INCOME	500	0.0	171	0.0	0.0	13,740.0	0.0	33,918.5	71,284.0	20,081.5
NUM CLAIMANTS	500	0.0	4	1.0	1.0	1.9	2	3.0	4.0	1.0
CLAIM AMOUNT	500	0.0	493	-99,999	3,322.3	16,373.2	5,663.0	12,245.5	270,200.0	29,426.3
TOTAL CLAIMED	500	0.0	235	0.0	0.0	9,597.2	0.0	11,282.8	729,792.0	35,655.7
NUM CLAIMS	500	0.0	7	0.0	0.0	8.0	0.0	1.0	56.0	2.7
NUM SOFT TISSUE	500	2.0	6	0.0	0.0	0.2	0.0	0.0	5.0	0.6
% SOFT TISSUE	500	0.0	9	0.0	0.0	0.2	0.0	0.0	2.0	0.4
AMOUNT RECEIVED	500	0.0	329	0.0	0.0	13,051.9	3,253.5	8,191.8	295,303.0	30,547.2
FRAUD FLAG	500	0.0	2	0.0	0.0	0.3	0.0	1.0	1.0	0.5

Table: A data quality report for the motor insurance claims fraud detection ABT.

(a) Categorical Features

			` '						
								2 nd	2 nd
		%			Mode	Mode	2 nd	Mode	Mode
Feature	Count	Miss.	Card.	Mode	Freq.	%	Mode	Freq.	%
INSURANCE TYPE	500	0.0	1	CI	500	1.0	_	_	
MARITAL STATUS	500	61.2	4	Married	99	51.0	Single	48	24.7
INJURY TYPE	500	0.0	4	Broken Limb	177	35.4	Soft Tissue	172	34.4
HOSPITAL STAY	500	0.0	2	No	354	70.8	Yes	146	29.2

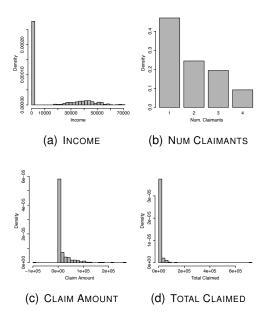


Figure: Visualizations of the continuous and categorical features in the motor insurance claims fraud detection ABT in Table 2 [7].

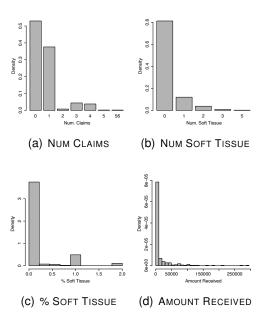


Figure: Visualizations of the continuous and categorical features in the motor insurance claims fraud detection ABT in Table 2 ^[7].

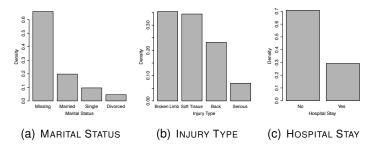


Figure: Visualizations of the continuous and categorical features in the motor insurance claims fraud detection ABT in Table 2 ^[7].

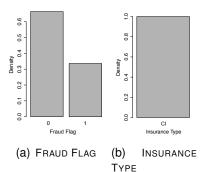


Figure: Visualizations of the continuous and categorical features in the motor insurance claims fraud detection ABT in Table 2 ^[7].

Getting To Know The Data

- For categorical features, we should:
 - Examine the mode, 2nd mode, mode %, and 2nd mode %
 as these tell us the most common levels within these
 features and will identify if any levels dominate the dataset.
- For continuous features we should:
 - Examine the mean and standard deviation of each feature to get a sense of the central tendency and variation of the values within the dataset for the feature.
 - Examine the minimum and maximum values to understand the range that is possible for each feature.

 When we generate histograms of features there are a number of common, well understood shapes that we should look out for.

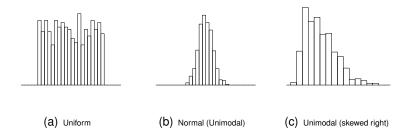


Figure: Histograms for different sets of data each of which exhibit well-known, common characteristics.

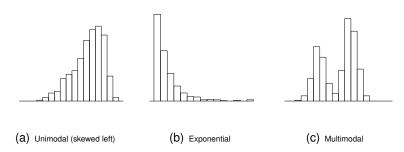
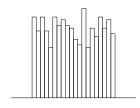
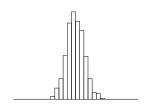


Figure: Histograms for different sets of data each of which exhibit well-known, common characteristics.



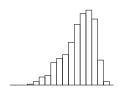
Uniform

 A uniform distribution indicates that a feature is equally likely to take a value in any of the ranges present.

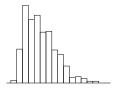


Normal (Unimodal)

 Features following a normal distribution are characterized by a strong tendency towards a central value and symmetrical variation to either side of this.

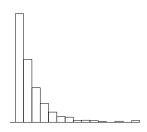


Unimodal (skewed left)



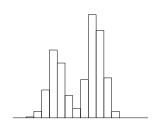
Unimodal (skewed right)

 Skew is simply a tendency towards very high (right skew) or very low (keywordleft skew) values.



Exponential

 In a feature following an exponential distribution the likelihood of occurrence of a small number of low values is very high, but sharply diminishes as values increase.



Multimodal

 A feature characterized by a multimodal distribution has two or more very commonly occurring ranges of values that are clearly separated. The probability density function for the normal distribution (or Gaussian distribution) is

$$N(x,\mu,\sigma) = \frac{1}{\sigma\sqrt{2\pi}}e^{-\frac{(x-\mu)^2}{2\sigma^2}}$$
(1)

where x is any value, and μ and σ are parameters that define the shape of the distribution: the **population mean** and **population standard deviation**.

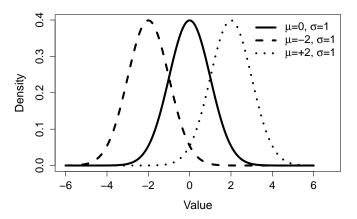


Figure: Three normal distributions with different means but identical standard deviations.

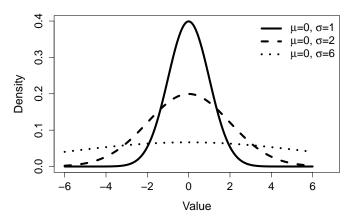


Figure: Three normal distributions with identical means but different standard deviations.

- The 68 95 99.7 rule is a useful characteristic of the normal distribution.
- The rule states that approximately:
 - 68% of the observations will be within one σ of μ
 - 95% of observations will be within two σ of μ
 - 99.7% of observations will be within three σ of μ .

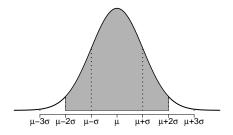


Figure: An illustration of the 68-95-99.7 percentage rule that a normal distribution defines as the expected distribution of observations. The grey region defines the area where 95% of observations are expected.

Case Study: Motor Insurance Fraud

Case Study: Motor Insurance Fraud

Examine the data quality report for the motor insurance fraud prediction scenario and comment on the central tendency and variation of each feature.

Identifying Data Quality Issues

- A data quality issue is loosely defined as anything unusual about the data in an ABT.
- The most common data quality issues are:
 - missing values
 - irregular cardinality
 - outliers

- The data quality issues we identify from a data quality report will be of two types:
 - Data quality issues due to invalid data.
 - Data quality issues due to valid data.

Table: The structure of a data quality plan.

Feature	Data Quality Issue	Potential Handling Strategies
		

Case Study: Motor Insurance Fraud

Table: The data quality plan for the motor insurance fraud prediction ABT.

Feature	Data Quality Issue	Potential Handling Strategies
Num Soft Tissue	Missing values (2%)	
CLAIM AMOUNT	Outliers (high)	
AMOUNT RECEIVED	Outliers (high)	

Handling Data Quality Issues

Handling Missing Values

- Approach 1: Drop any features that have missing value.
- Approach 2: Apply complete case analysis.
- Approach 3: Derive a missing indicator feature from features with missing value.

- Imputation replaces missing feature values with a plausible estimated value based on the feature values that are present.
- The most common approach to imputation is to replace missing values for a feature with a measure of the central tendency of that feature.
- We would be reluctant to use imputation on features missing in excess of 30% of their values and would strongly recommend against the use of imputation on features missing in excess of 50% of their values.

 The easiest way to handle outliers is to use a clamp transformation that clamps all values above an upper threshold and below a lower threshold to these threshold values, thus removing the offending outliers

$$a_{i} = \begin{cases} lower & \text{if } a_{i} < lower \\ upper & \text{if } a_{i} > upper \\ a_{i} & otherwise \end{cases}$$
 (2)

where a_i is a specific value of feature a, and *lower* and *upper* are the lower and upper thresholds.

Case Study: Motor Insurance Fraud

Case Study: Motor Insurance Fraud

What handling strategies would you recommend for the data quality issues found in the motor Insurance fraud ABT?

Case Study: Motor Insurance Fraud

Table: The data quality plan for the motor insurance fraud prediction ABT.

Feature	Data Quality Issue	Potential Handling Strategies
Num Soft Tissue	Missing values (2%)	Imputation
		(median: 0.0)
CLAIM AMOUNT	Outliers (high)	Clamp transformation
		(manual: 0, 80 000)
AMOUNT RECEIVED	Outliers (high)	Clamp transformation
		(manual: 0, 80 000)

Summary

- The key outcomes of the data exploration process are that the practitioner should
 - Have *gotten to know* the features within the ABT, especially their central tendencies, variations, and **distributions**.
 - Have identified any data quality issues within the ABT, in particular missing values, irregular cardinality, and outliers.
 - Have corrected any data quality issues due to invalid data.
 - 4 Have recorded any data quality issues due to valid data in a data quality plan along with potential handling strategies.
 - Be confident that enough good quality data exists to continue with a project.

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- Advanced Data Exploration
 - Visualizing Relationships Between Features
 - Measuring Covariance & Correlation
- Data Preparation
 - Normalization
 - Binning
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- Summary

Advanced Data Exploration

				CAREER		SPONSORSHIP	SHOE
ID	Position	HEIGHT	WEIGHT	STAGE	AGE	EARNINGS	Sponsor
1	forward	192	218	veteran	29	561	yes
2	center	218	251	mid-career	35	60	no
3	forward	197	221	rookie	22	1,312	no
4	forward	192	219	rookie	22	1,359	no
5	forward	198	223	veteran	29	362	yes
6	guard	166	188	rookie	21	1,536	yes
7	forward	195	221	veteran	25	694	no
8	guard	182	199	rookie	21	1,678	yes
9	guard	189	199	mid-career	27	385	yes
10	forward	205	232	rookie	24	1,416	no
11	center	206	246	mid-career	29	314	no
12	guard	185	207	rookie	23	1,497	yes
13	guard	172	183	rookie	24	1,383	yes
14	guard	169	183	rookie	24	1,034	yes
15	guard	185	197	mid-career	29	178	yes
16	forward	215	232	mid-career	30	434	no
17	guard	158	184	veteran	29	162	yes
18	guard	190	207	mid-career	27	648	yes
19	center	195	235	mid-career	28	481	no
20	guard	192	200	mid-career	32	427	yes
21	forward	202	220	mid-career	31	542	no
22	forward	184	213	mid-career	32	12	no
23	forward	190	215	rookie	22	1,179	no
24	guard	178	193	rookie	21	1,078	no
25	guard	185	200	mid-career	31	213	yes
26	forward	191	218	rookie	19	1,855	no
27	center	196	235	veteran	32	47	no
28	forward	198	221	rookie	22	1,409	no
29	center	207	247	veteran	27	1,065	no
30	center	201	244	mid-career	25	1,111	yes

- A scatter plot is based on two axes: the horizontal axis represents one feature and the vertical axis represents a second.
- Each instance in a dataset is represented by a point on the plot determined by the values for that instance of the two features involved.

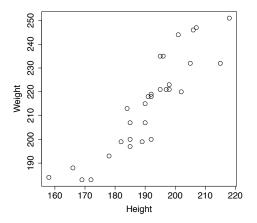


Figure: An example scatter plot showing the relationship between the HEIGHT and WEIGHT features from the professional basketball squad dataset in Table 4 [4].

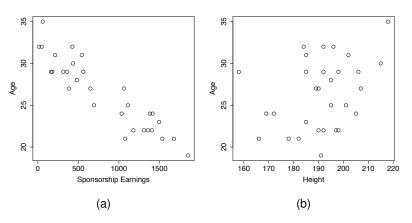


Figure: Example scatter plots showing (a) the strong negative covariance between the SPONSORSHIP EARNINGS and AGE features and (b) the HEIGHT and AGE features from the dataset in Table 4 [4].

- A scatter plot matrix (SPLOM) shows scatter plots for a whole collection of features arranged into a matrix.
- This is useful for exploring the relationships between groups of features - for example all of the continuous features in an ABT.

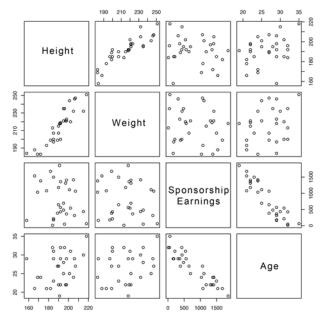


Figure: A scatter plot matrix showing scatter plots of the continuous features from the professional basketball squad dataset.

 The simplest way to visualize the relationship between two categorical variables is to use a collection of small multiple bar plots.

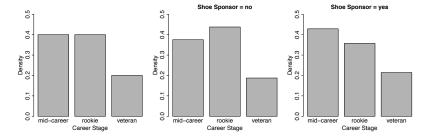


Figure: Using small multiple bar plot visualizations to illustrate the relationship between the CAREER STAGE and SHOE SPONSOR features.

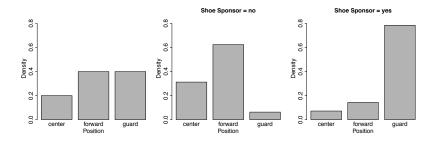
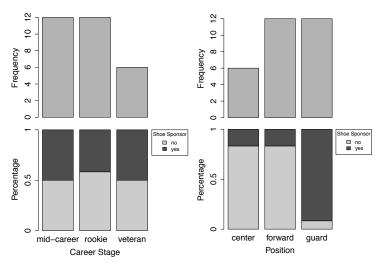


Figure: Using small multiple bar plot visualizations to illustrate the relationship between the POSITION and SHOE SPONSOR features.

 If the number of levels of one of the features being compared is no more than three we can use stacked bar plots as an alternative to the small multiples approach.



(a) Career Stage and Shoe Spon- (b) Position and Shoe Sponsor sor

Figure: Stacked bar plot visualizations.

 To visualize the relationship between a continuous feature and a categorical feature a small multiples approach that draws a histogram of the values of the continuous feature for each level of the categorical feature is useful.

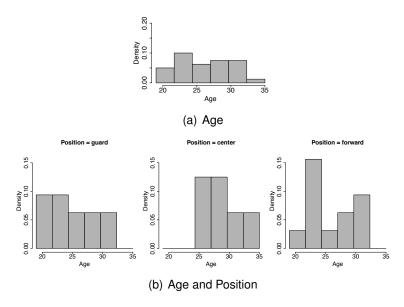
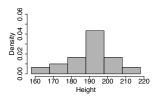
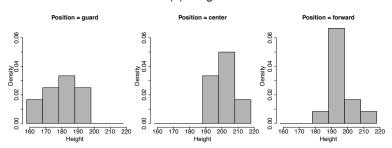


Figure: Using small multiple histograms to visualize the relationship between the AGE feature and the POSITION FEATURE.



(a) Height



(b) Height and Position

Figure: Using small multiple histograms to visualize the relationship between the HEIGHT feature and the POSITION feature.

- A second approach to visualizing the relationship between a categorical feature and a continuous feature is to use a collection of box plots.
- For each level of the categorical feature a box plot of the corresponding values of the continuous feature is drawn.

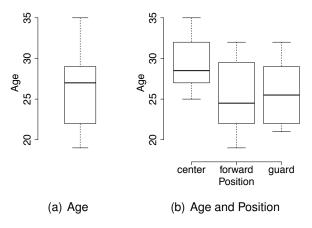


Figure: Using box plots to visualize the relationship between the AGE and the POSITION feature.

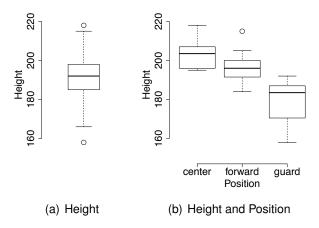


Figure: Using box plots to visualize the relationship between the HEIGHT feature and the POSITION feature.

- As well as visually inspecting scatter plots, we can calculate formal measures of the relationship between two continuous features using covariance and correlation.
- For two features, a and b, in a dataset of n instances, the sample covariance between a and b is

$$cov(a,b) = \frac{1}{n-1} \sum_{i=1}^{n} \left((a_i - \overline{a}) \times (b_i - \overline{b}) \right) \tag{1}$$

where a_i and b_i are values of features a and b for the i^{th} instance in a dataset, and \overline{a} and \overline{b} are the sample means of features a and b.

• Covariance values fall into the range $[-\infty,\infty]$ where negative values indicate a negative relationship, positive values indicate a positive relationship, and values near zero indicate that there is little or no relationship between the features.

Calculating covariance between the HEIGHT feature and the WEIGHT and AGE features from the basketball players dataset.

	HEIGHT		WEIGHT		$(h-\overline{h})\times$	AGE		$\overline{(h-\overline{h})\times}$
ID	(<i>h</i>)	$h - \overline{h}$	(w)	$W - \overline{W}$	$(w-\overline{w})$	(a)	a − a	$(a-\overline{a})$
1	192	0.9	218	3.0	2.7	29	2.6	2.3
2	218	26.9	251	36.0	967.5	35	8.6	231.3
3	197	5.9	221	6.0	35.2	22	-4.4	-26.0
4	192	0.9	219	4.0	3.6	22	-4.4	-4.0
5	198	6.9	223	8.0	55.0	29	2.6	17.9
26	191	-0.1	218	3.0	-0.3	19	-7.4	0.7
27	196	4.9	235	20.0	97.8	32	5.6	27.4
28	198	6.9	221	6.0	41.2	22	-4.4	-30.4
29	207	15.9	247	32.0	508.3	27	0.6	9.5
30	201	9.9	244	29.0	286.8	25	-1.4	-13.9
Mean	191.1		215.0			26.4		
Std Dev	13.6		19.8			4.2		
Sum					7,009.9			570.8

Calculating covariance between the HEIGHT feature and the WEIGHT and AGE features from the basketball players dataset.

$$cov(\text{HEIGHT}, \text{WEIGHT}) = \frac{7,009.9}{29} = 241.72$$
 $cov(\text{HEIGHT}, \text{AGE}) = \frac{570.8}{29} = 19.7$

- Correlation is a normalized form of covariance that ranges between -1 and +1.
- The correlation between two features, a and b, can be calculated as

$$corr(a,b) = \frac{cov(a,b)}{sd(a) \times sd(b)}$$
 (2)

where cov(a, b) is the covariance between features a and b and sd(a) and sd(b) are the standard deviations of a and b respectively.

- Correlation values fall into the range [-1, 1], where values close to -1 indicate a very strong negative correlation (or covariance), values close to 1 indicate a very strong positive correlation, and values around 0 indicate no correlation.
- Features that have no correlation are said to be independent.

Calculating correlation between the HEIGHT feature and the WEIGHT and AGE features from the basketball players dataset.

$$corr(Height, Weight) = \frac{241.72}{13.6 \times 19.8} = 0.898$$

$$corr(Height, Age) = \frac{19.7}{13.6 \times 4.2} = 0.345$$

- In the majority of ABTs there are multiple continuous features between which we would like to explore relationships.
- Two tools that can be useful for this are the covariance matrix and the correlation matrix.

• The covariance matrix, usually denoted as \sum , between a set of continuous features, $\{a, b, \dots, z\}$, is given as

$$\sum_{\{a,b,\dots,z\}} = \begin{bmatrix} var(a) & cov(a,b) & \cdots & cov(a,z) \\ cov(b,a) & var(b) & \cdots & cov(b,z) \\ \vdots & \vdots & \ddots & \vdots \\ cov(z,a) & cov(z,b) & \cdots & var(z) \end{bmatrix}$$
(3

 Similarly, the correlation matrix is just a normalized version of the covariance matrix and shows the correlation between each pair of features:

$$correlation \ matrix = \begin{bmatrix} corr(a,a) & corr(a,b) & \cdots & corr(a,z) \\ corr(b,a) & corr(b,b) & \cdots & corr(b,z) \\ \vdots & \vdots & \ddots & \vdots \\ corr(z,a) & corr(z,b) & \cdots & corr(z,z) \end{bmatrix} (4)$$

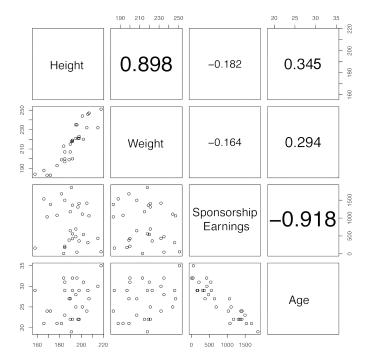
 Calculating covariances matrix for the HEIGHT feature and the WEIGHT and AGE features from the basketball players dataset.

$$\sum_{<\textit{Height,Weight,Age}>} = \begin{bmatrix} 185.128 & 241.72 & 19.7 \\ 241.72 & 392.102 & 24.469 \\ 19.7 & 24.469 & 17.697 \end{bmatrix}$$

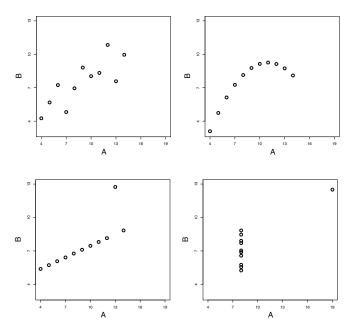
 Calculating correlation matrix for the HEIGHT feature and the WEIGHT and AGE features from the basketball players dataset.

correlation matrix =
$$\begin{cases} 1.0 & 0.898 & 0.345 \\ 0.898 & 1.0 & 0.294 \\ 0.345 & 0.294 & 1.0 \end{cases}$$

- The scatter plot matrix (SPLOM) is really a visualization of the correlation matrix.
- This can be made more obvious by including the correlation coefficients in SPLOMs in the cells above the diagonal.



- Correlation is a good measure of the relationship between two continuous features, but it is not by any means perfect.
- Some of the limitations of measuring correlation are illustrated very clearly in the famous example of Anscombe's quartet by Francis Anscombe.



 Perhaps the most important thing to remember in relation to correlation is that correlation does not necessarily imply causation.

Data Preparation

- Some data preparation techniques change the way data is represented just to make it more compatible with certain machine learning algorithms.
 - Normalization
 - Binning
 - Sampling

Normalization

 Normalization techniques can be used to change a continuous feature to fall within a specified range while maintaining the relative differences between the values for the feature. Normalization

 We use range normalization to convert a feature value into the range [low, high] as follows:

$$a_{i}^{'} = \frac{a_{i} - min(a)}{max(a) - min(a)} \times (high - low) + low$$
 (5)

- Another way to normalize data is to standardize it into standard scores.
- A standard score measures how many standard deviations a feature value is from the mean for that feature.
- We calculate a standard score as follows:

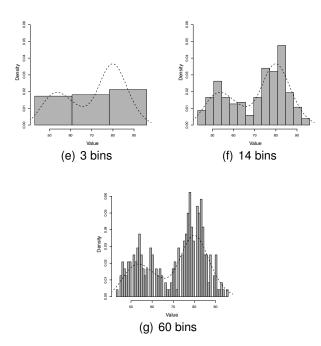
$$a_{i}^{'} = \frac{a_{i} - \overline{a}}{sd(a)} \tag{6}$$

The result of normalising a small sample of the HEIGHT and SPONSORSHIP EARNINGS features from the professional basketball squad dataset.

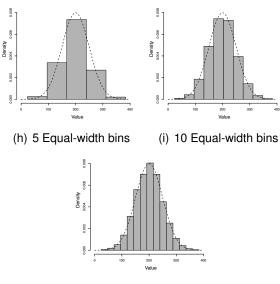
	HEIGHT			SPONSORSHIP EARNINGS		
	Values	Range	Standard	Values	Range	Standard
	192	0.500	-0.073	561	0.315	-0.649
	197	0.679	0.533	1,312	0.776	0.762
	192	0.500	-0.073	1,359	0.804	0.850
	182	0.143	-1.283	1,678	1.000	1.449
	206	1.000	1.622	314	0.164	-1.114
	192	0.500	-0.073	427	0.233	-0.901
	190	0.429	-0.315	1,179	0.694	0.512
	178	0.000	-1.767	1,078	0.632	0.322
	196	0.643	0.412	47	0.000	-1.615
	201	0.821	1.017	1111	0.652	0.384
Max	206			1,678		
Min	178			47		
Mean	193			907		
Std Dev	8.26			532.18		

- Binning involves converting a continuous feature into a categorical feature.
- To perform binning, we define a series of ranges (called bins) for the continuous feature that correspond to the levels of the new categorical feature we are creating.
- We will introduce two of the more popular ways of defining bins:
 - equal-width binning
 - equal-frequency binning

- Deciding on the number of bins can be difficult. The general trade-off is this:
 - If we set the number of bins to a very low number we may lose a lot of information
 - If we set the number of bins to a very high number then we might have very few instances in each bin or even end up with empty bins.

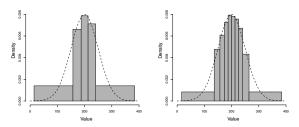


• The equal-width binning algorithm splits the range of the feature values into b bins each of size $\frac{range}{b}$.

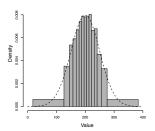


(j) 15 Equal-width bins

- Equal-frequency binning first sorts the continuous feature values into ascending order and then places an equal number of instances into each bin, starting with bin 1.
- The number of instances placed in each bin is simply the total number of instances divided by the number of bins, b.



(k) 5 Equal-frequency bins (l) 10 Equal-frequency bins



(m) 15 Equal-frequency bins

- Sometimes the dataset we have is so large that we do not use all the data available to us in an ABT and instead sample a smaller percentage from the larger dataset.
- We need to be careful when sampling, however, to ensure that the resulting datasets are still representative of the original data and that no unintended bias is introduced during this process.
- Common forms of sampling include:
 - top sampling
 - random sampling
 - stratified sampling
 - under-sampling
 - over-sampling

- Top sampling simply selects the top s% of instances from a dataset to create a sample.
- Top sampling runs a serious risk of introducing bias, however, as the sample will be affected by any ordering of the original dataset.
- We recommend that top sampling be avoided.

- Our recommended default, random sampling randomly selects a proportion of s% of the instances from a large dataset to create a smaller set.
- Random sampling is a good choice in most cases as the random nature of the selection of instances should avoid introducing bias.

- Stratified sampling is a sampling method that ensures that the relative frequencies of the levels of a specific stratification feature are maintained in the sampled dataset.
- To perform stratified sampling:
 - the instances in a dataset are divided into groups (or strata), where each group contains only instances that have a particular level for the stratification feature
 - ullet s% of the instances in each stratum are randomly selected
 - these selections are combined to give an overall sample of s% of the original dataset.

- In contrast to stratified sampling, sometimes we would like a sample to contain different relative frequencies of the levels of a particular feature to the distribution in the original dataset.
- To do this, we can use under-sampling or over-sampling.

- Under-sampling begins by dividing a dataset into groups, where each group contains only instances that have a particular level for the feature to be under-sampled.
- The number of instances in the smallest group is the under-sampling target size.
- Each group containing more instances than the smallest one is then randomly sampled by the appropriate percentage to create a subset that is the under-sampling target size.
- These under-sampled groups are then combined to create the overall under-sampled dataset.

- Over-sampling addresses the same issue as under-sampling but in the opposite way around.
- After dividing the dataset into groups, the number of instances in the *largest* group becomes the over-sampling target size.
- From each smaller group, we then create a sample containing that number of instances using random sampling with replacement.
- These larger samples are combined to form the overall over-sampled dataset.

Summary

- The key outcomes of the data exploration process are that the practitioner should
 - Have gotten to know the features within the ABT, especially their central tendencies, variations, and distributionsprobability distribution.
 - Have identified any data quality issues within the ABT, in particular missing values, irregular cardinality, and outliers.
 - Have corrected any data quality issues due to invalid data.
 - Have recorded any data quality issues due to valid data in a data quality plan along with potential handling strategies.
 - Be confident that enough good quality data exists to continue with a project.

- Advanced Data Exploration
 - Visualizing Relationships Between Features
 - Measuring Covariance & Correlation
- Data Preparation
 - Normalization
 - Binning
 - Sampling
- Summary