

Clear["Global`\*"]

清除

$P1 = \{\cos[\Omega 1] \cos[\omega 1] - \sin[\Omega 1] \sin[\omega 1] \cos[i1],$   
 $\sin[\Omega 1] \cos[\omega 1] + \cos[\Omega 1] \sin[\omega 1] \cos[i1], \sin[\omega 1] \sin[i1]\}$

$Q1 = \{-\cos[\Omega 1] \sin[\omega 1] - \sin[\Omega 1] \cos[\omega 1] \cos[i1],$   
 $-\sin[\Omega 1] \sin[\omega 1] + \cos[\Omega 1] \cos[\omega 1] \cos[i1], \cos[\omega 1] \sin[i1]\}$

$\{\cos[\omega 1] \cos[\Omega 1] - \cos[i1] \sin[\omega 1] \sin[\Omega 1],$   
 $\cos[i1] \cos[\Omega 1] \sin[\omega 1] + \cos[\omega 1] \sin[\Omega 1], \sin[i1] \sin[\omega 1]\}$   
 $\{-\cos[\Omega 1] \sin[\omega 1] - \cos[i1] \cos[\omega 1] \sin[\Omega 1],$   
 $\cos[i1] \cos[\omega 1] \cos[\Omega 1] - \sin[\omega 1] \sin[\Omega 1], \cos[\omega 1] \sin[i1]\}$

$\{ \cos[\omega 1] \cos[\Omega 1] - \cos[i1] \sin[\omega 1] \sin[\Omega 1],$   
 $\cos[i1] \cos[\Omega 1] \sin[\omega 1] + \cos[\omega 1] \sin[\Omega 1], \sin[i1] \sin[\omega 1] \}$

$\{-\cos[\Omega 1] \sin[\omega 1] - \cos[i1] \cos[\omega 1] \sin[\Omega 1],$   
 $\cos[i1] \cos[\omega 1] \cos[\Omega 1] - \sin[\omega 1] \sin[\Omega 1], \cos[\omega 1] \sin[i1] \}$

$a1 = \frac{6678137}{6378140}; e1 = 0.1; i1 = 45^\circ; \Omega 1 = 45^\circ; \omega 1 = 45^\circ; E1 = 0; \mu = 1;$

$r1[0] = N[a1 (\cos[E1] - e1) * P1 + a1 \sqrt{1 - e1^2} \sin[E1] * Q1]$

$\{0.138001, 0.80433, 0.471166\}$

$r1'[0] =$

$N[\frac{\sqrt{\mu a1}}{\sqrt{r1[0][1]^2 + r1[0][2]^2 + r1[0][3]^2}} \left( -\sin[E1] P1 + \sqrt{1 - e1^2} \cos[E1] Q1 \right)]$

$\{-0.9222, -0.158225, 0.540212\}$

$eq1 = \{x1''[t] == \frac{-\mu}{\left(\sqrt{x1[t]^2 + y1[t]^2 + z1[t]^2}\right)^3} x1[t],$

$y1''[t] == \frac{-\mu}{\left(\sqrt{x1[t]^2 + y1[t]^2 + z1[t]^2}\right)^3} y1[t],$

$z1''[t] == \frac{-\mu}{\left(\sqrt{x1[t]^2 + y1[t]^2 + z1[t]^2}\right)^3} z1[t]\}$

$\{x1''[t] == -\frac{x1[t]}{(x1[t]^2 + y1[t]^2 + z1[t]^2)^{3/2}},$

$y1''[t] == -\frac{y1[t]}{(x1[t]^2 + y1[t]^2 + z1[t]^2)^{3/2}}, z1''[t] == -\frac{z1[t]}{(x1[t]^2 + y1[t]^2 + z1[t]^2)^{3/2}}\}$

$eq2 = \{x1[0] == r1[0][1], y1[0] == r1[0][2], z1[0] == r1[0][3]\}$

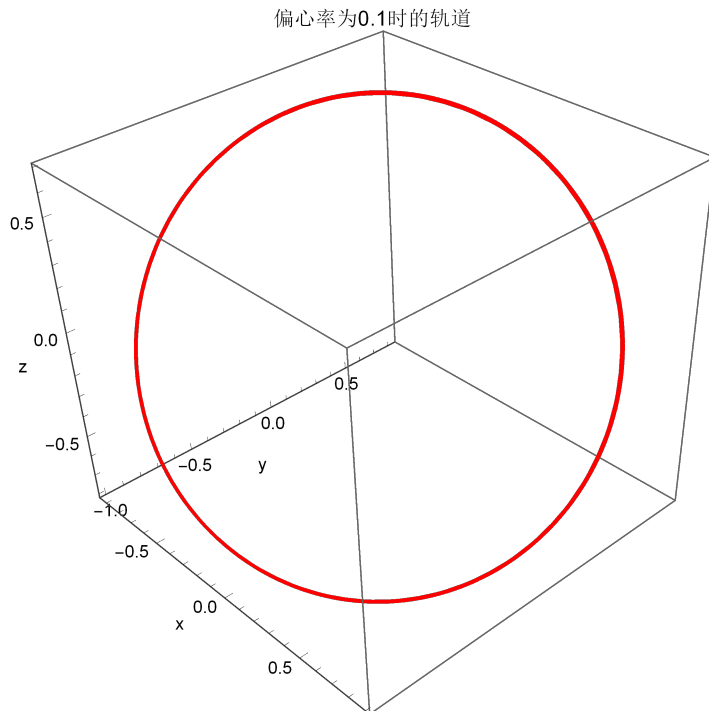
$\{x1[0] == 0.138001, y1[0] == 0.80433, z1[0] == 0.471166\}$

$eq3 = \{x1'[0] == r1'[0][1], y1'[0] == r1'[0][2], z1'[0] == r1'[0][3]\}$

$\{x1'[0] == -0.9222, y1'[0] == -0.158225, z1'[0] == 0.540212\}$

```
sol1 = NDSolve[Flatten[{eq1, eq2, eq3}], {x1[t], y1[t], z1[t], x1'[t], y1'[t], z1'[t]},
  数值... 压平
  {t, 0, 1000}, MaxSteps → 100000, Method → "ImplicitRungeKutta"
  最多步数 方法
  {{x1[t] → InterpolatingFunction[{{0., 1000.}}, <>][t],
   y1[t] → InterpolatingFunction[{{0., 1000.}}, <>][t],
   z1[t] → InterpolatingFunction[{{0., 1000.}}, <>][t],
   x1'[t] → InterpolatingFunction[{{0., 1000.}}, <>][t],
   y1'[t] → InterpolatingFunction[{{0., 1000.}}, <>][t],
   z1'[t] → InterpolatingFunction[{{0., 1000.}}, <>][t]}]

plot1 = ParametricPlot3D[Flatten[Evaluate[{x1[t], y1[t], z1[t]} /. sol1]],
  绘制三维参数图 压平 计算
  {t, 0, 1000}, AspectRatio → 1, BoxRatios → 1,
  宽高比 边界框比例
  AxesLabel → {"x", "y", "z"}, PlotLabel → "偏心率为0.1时的轨道",
  坐标轴标签 绘图标签
  AxesEdge → {{-1, -1}, {-1, -1}, {-1, -1}}, PlotStyle → RGBColor[1, 0, 0]
  坐标轴的边 绘图样式 RGB颜色
```



$$a2 = \frac{6678137}{6378140}; e2 = 0.0001; i2 = 45^\circ; \Omega2 = 45^\circ; \omega2 = 45^\circ; E2 = 0; \mu = 1;$$

$$P2 = \{\cos[\Omega2] \cos[\omega2] - \sin[\Omega2] \sin[\omega2] \cos[i2],$$

余弦 余弦 正弦 正弦 余弦

$$\sin[\Omega2] \cos[\omega2] + \cos[\Omega2] \sin[\omega2] \cos[i2], \sin[\omega2] \sin[i2]\};$$

正弦 余弦 余弦 正弦 余弦 正弦 正弦

$$Q2 = \{-\cos[\Omega2] \sin[\omega2] - \sin[\Omega2] \cos[\omega2] \cos[i2],$$

余弦 正弦 正弦 余弦 余弦

$$-\sin[\Omega2] \sin[\omega2] + \cos[\Omega2] \cos[\omega2] \cos[i2], \cos[\omega2] \sin[i2]\};$$

正弦 正弦 余弦 余弦 余弦 余弦 正弦

$$r2[0] = N[a2 (\text{Cos}[E2] - e2) * P2 + a2 \sqrt{1 - e2^2} \text{Sin}[E2] * Q2]$$

{0.153319, 0.893611, 0.523465}

$$r2'[0] =$$

$$N\left[\frac{\sqrt{\mu a2}}{\sqrt{r2[0][1]^2 + r2[0][2]^2 + r2[0][3]^2}} \left( -\text{Sin}[E2] P2 + \sqrt{1 - e2^2} \text{Cos}[E2] Q2 \right)\right]$$

{-0.68608, -0.117713, 0.401897}

$$eq4 = \{x2''[t] = \frac{-\mu}{(x2[t]^2 + y2[t]^2 + z2[t]^2)^{\frac{3}{2}}} x2[t],$$

$$y2''[t] = \frac{-\mu}{(x2[t]^2 + y2[t]^2 + z2[t]^2)^{\frac{3}{2}}} y2[t],$$

$$z2''[t] = \frac{-\mu}{(x2[t]^2 + y2[t]^2 + z2[t]^2)^{\frac{3}{2}}} z2[t]\}$$

$$\{x2''[t] = -\frac{x2[t]}{(x2[t]^2 + y2[t]^2 + z2[t]^2)^{3/2}},$$

$$y2''[t] = -\frac{y2[t]}{(x2[t]^2 + y2[t]^2 + z2[t]^2)^{3/2}}, z2''[t] = -\frac{z2[t]}{(x2[t]^2 + y2[t]^2 + z2[t]^2)^{3/2}}\}$$

$$eq5 = \{x2[0] = r2[0][1], y2[0] = r2[0][2], z2[0] = r2[0][3]\}$$

{x2[0] = 0.153319, y2[0] = 0.893611, z2[0] = 0.523465}

$$eq6 = \{x2'[0] = r2'[0][1], y2'[0] = r2'[0][2], z2'[0] = r2'[0][3]\}$$

{x2'[0] = -0.68608, y2'[0] = -0.117713, z2'[0] = 0.401897}

$$sol2 = \text{NDSolve}[\text{Flatten}\{eq4, eq5, eq6\}, \{x2[t], y2[t], z2[t], x2'[t], y2'[t], z2'[t]\},$$

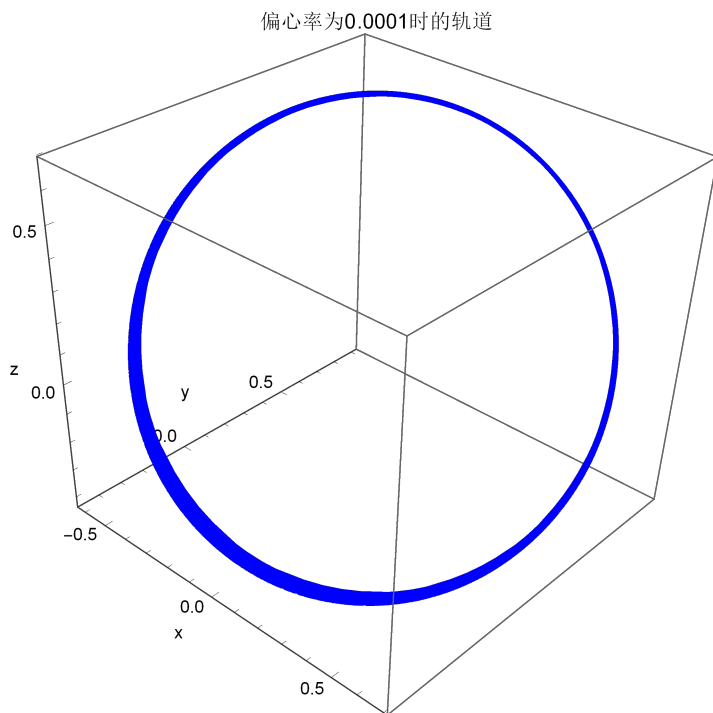
{t, 0, 1000}, MaxSteps → 100000, Method → "ImplicitRungeKutta"];

最多步数 方法

```

plot2 = ParametricPlot3D[Evaluate[{x2[t], y2[t], z2[t]} /. sol2],
  {t, 0, 1000}, AspectRatio → 1, BoxRatios → 1,
  AxesLabel → {"x", "y", "z"}, PlotLabel → "偏心率为0.0001时的轨道",
  AxesEdge → {{-1, -1}, {-1, -1}, {-1, -1}}, PlotStyle → RGBColor[0, 0, 1]

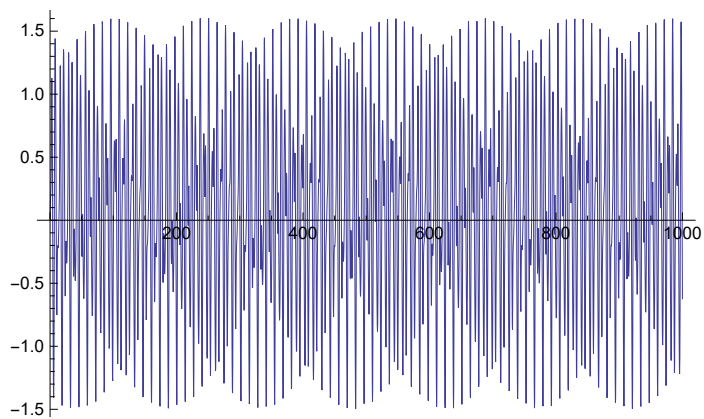
```



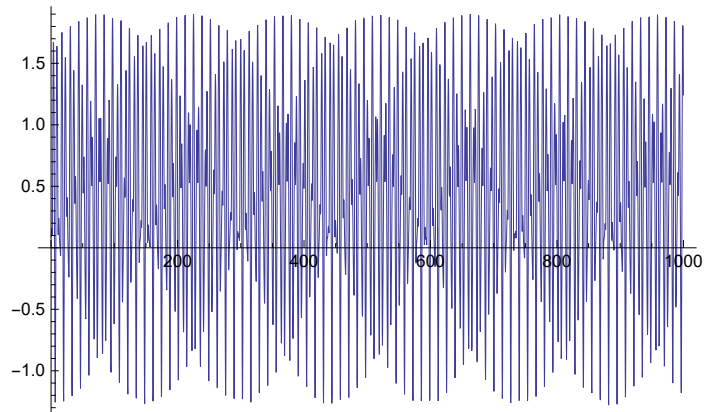
```

Plot[Evaluate[x2[t] /. sol2] - Evaluate[x1[t] /. sol1], {t, 0, 1000}]

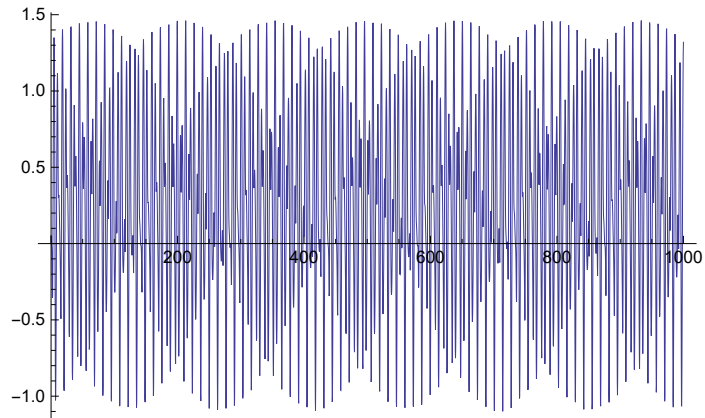
```



```
Plot[Evaluate[y2[t] /. sol2] - Evaluate[y1[t] /. sol1], {t, 0, 1000}]
```

[绘图](#)[计算](#)[计算](#)

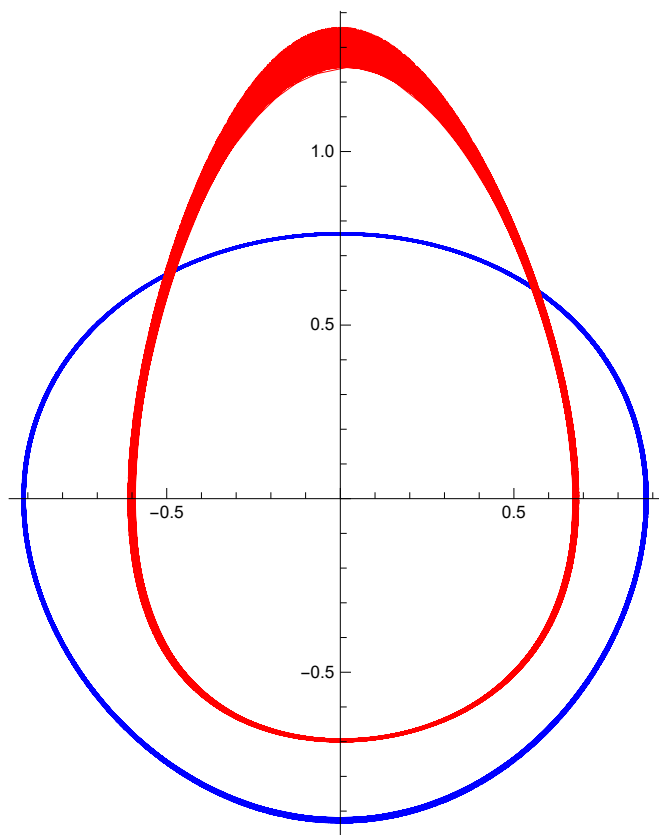
```
Plot[Evaluate[z2[t] /. sol2] - Evaluate[z1[t] /. sol1], {t, 0, 1000}]
```

[绘图](#)[计算](#)[计算](#)

```

ParametricPlot[{Evaluate[{x1[t], x1'[t]} /. sol1], Evaluate[{x2[t], x2'[t]} /. sol2]},
  {t, 0, 1000}, PlotStyle -> {RGBColor[0, 0, 1], RGBColor[1, 0, 0]}]

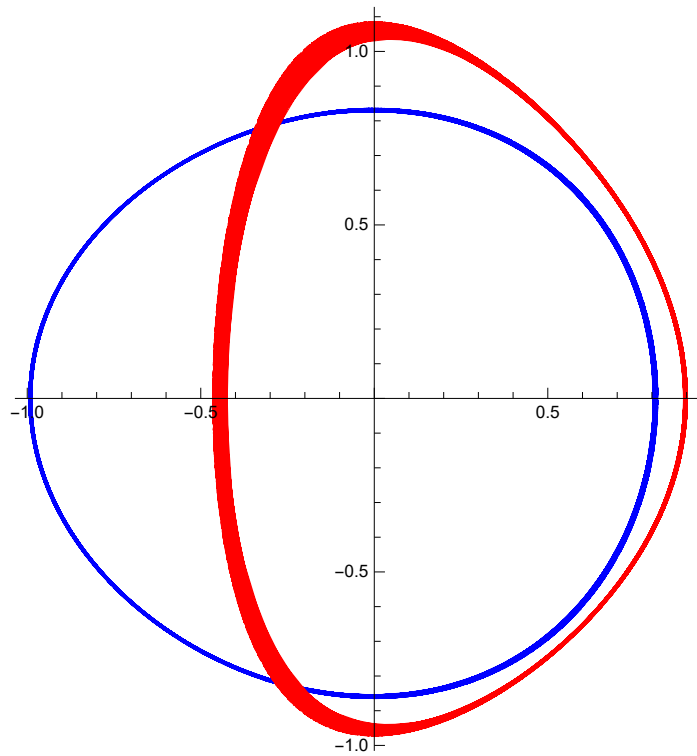
```



```

ParametricPlot[{Evaluate[{y1[t], y1'[t]} /. sol1], Evaluate[{y2[t], y2'[t]} /. sol2]},
  {t, 0, 1000}, PlotStyle -> {RGBColor[0, 0, 1], RGBColor[1, 0, 0]}]

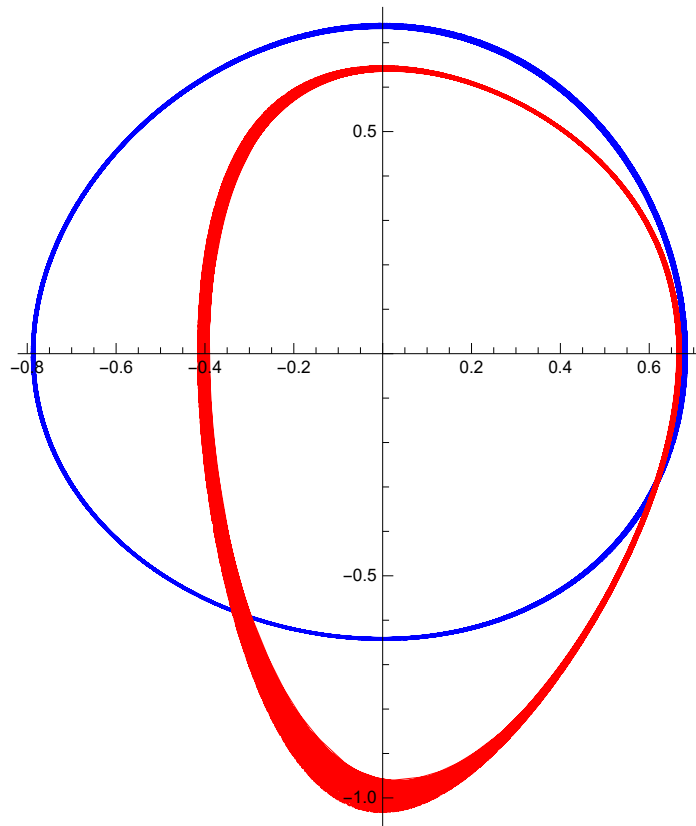
```



```

ParametricPlot[{Evaluate[{z1[t], z1'[t]} /. sol1], Evaluate[{z2[t], z2'[t]} /. sol2]},
[绘制参数图] [计算] [计算]
{t, 0, 1000}, PlotStyle -> {RGBColor[0, 0, 1], RGBColor[1, 0, 0]}]
[绘图样式] [RGB颜色] [RGB颜色]

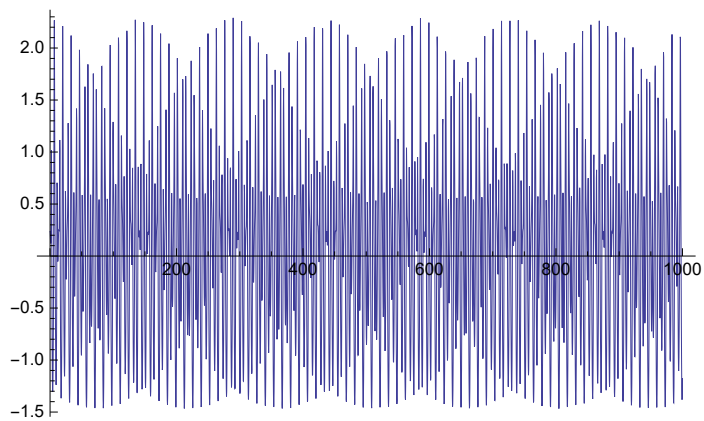
```



```

Plot[Evaluate[x2'[t] /. sol2] - Evaluate[x1'[t] /. sol1], {t, 0, 1000}]
[绘图] [计算] [计算]

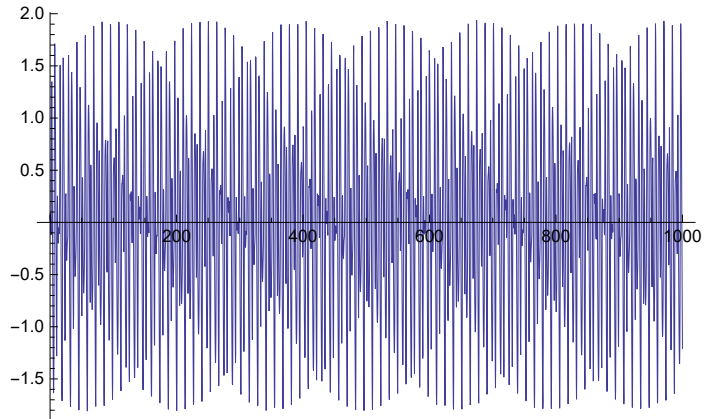
```





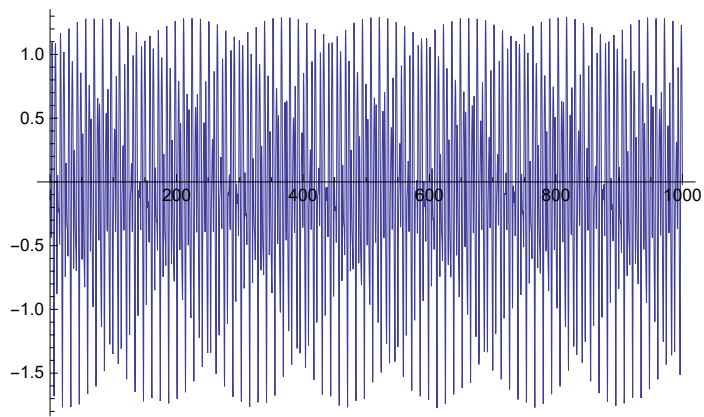
Plot[Evaluate[y2'[t] /. sol2] - Evaluate[y1'[t] /. sol1], {t, 0, 1000}]

[绘图](#) [计算](#)



Plot[Evaluate[z2'[t] /. sol2] - Evaluate[z1'[t] /. sol1], {t, 0, 1000}]

[绘图](#) [计算](#)



DSolve[Flatten[{eq1, eq2, eq3}], {x1[t], y1[t], z1[t]}, t]

[求解...](#) [压平](#)

$$\text{DSolve}\left[\left\{x_1''[t] = -\frac{x_1[t]}{\left(x_1[t]^2 + y_1[t]^2 + z_1[t]^2\right)^{3/2}},\right.\right.$$

$$\left.y_1''[t] = -\frac{y_1[t]}{\left(x_1[t]^2 + y_1[t]^2 + z_1[t]^2\right)^{3/2}}, z_1''[t] = -\frac{z_1[t]}{\left(x_1[t]^2 + y_1[t]^2 + z_1[t]^2\right)^{3/2}},\right.$$

$$\left.x_1[0] = 0.138001, y_1[0] = 0.80433, z_1[0] = 0.471166, x_1'[0] = -0.9222,\right.$$

$$\left.y_1'[0] = -0.158225, z_1'[0] = 0.540212\right\}, \{x_1[t], y_1[t], z_1[t]\}, t]$$

$$\sqrt{r_1[0][[1]]^2 + r_1[0][[2]]^2 + r_1[0][[3]]^2}$$

0.942332

Norm[r2[0]]

[模](#)

1.04693