

## 0 About Programs

Program Language: C# 5.0 based on .NET Framework 4.5

Libraries: Standard library of .NET(ex: mscorlib.dll, System.Core.dll, System.Linq.dll)

Compiler: C# Compiler in Visual Studio 2012 Update 4 (Any CPU)

Type of Executable File: .exe

Requirements: OS that supports .NET Framework 4.5(ex: Windows 7, 8, 8.1)

## 1 Program1

Executable File: Program1.exe

Source Files: Polynomial.cs, Term.cs, Program1.cs

Instruction: Program1.inst.txt

Sample Input, Output: Program1.sample.txt

## 2 Program2

Executable File: Program2.exe

Source Files: Polynomial.cs, Term.cs, Program2.cs

Instruction: Program2.inst.txt

Sample Input, Output: Program2.sample.txt

## 3 Polynomial Calculus ADT

**structure** Polynomial

**objects:** a polynomial  $\sum_{i=0}^n a_i x^i$  where  $i \in \mathbb{N}_0 \wedge \forall_i a_i \in \mathbb{Z}$

**functions:**  $(\forall poly1(= \sum_{i=0}^{n_1} a_i x^i), poly2(= \sum_{i=0}^{n_2} b_i x^i) \in Polynomial)$

*Polynomial* **ADD**(poly1, poly2)

Let  $\forall_{i>n_1} a_i = 0 \wedge \forall_{i>n_2} b_i = 0$

**return**  $\sum_{i=0}^{\max\{n_1, n_2\}} (a_i + b_i) x^i$

*Polynomial* **MULTIPLY**(poly1, poly2)

**return**  $\sum_{i=0}^{n_1} \sum_{j=0}^{n_2} (a_i \cdot b_j) x^{i+j}$

*Polynomial* **DIFFERENTIATE**(poly1)

**return**  $\sum_{i=1}^{n_1} i a_i x^{i-1}$

## 4 New Operations of Polynomial Calculus ADT

Adding following additional operations will make polynomial calculus ADT useful.

**structure** Polynomial

**functions:**  $(\forall poly1(= \sum_{i=0}^{n_1} a_i x^i), poly2(= \sum_{i=0}^{n_2} b_i x^i) \in Polynomial, v \in \mathbb{R})$

*Polynomial* **NEGATE**(*poly1*) ▷ Get a negated polynomial  
**return**  $\sum_{i=0}^{n_1} (-a_i) x^i$

*Polynomial* **SUBTRACT**(*poly1*, *poly2*) ▷ Subtract two polynomials  
**return** **ADD**(*poly1*, **NEGATE**(*poly2*))

*Polynomial* **INTEGRATE**(*poly1*) ▷ Integrate a polynomial. C = 0  
**return**  $\sum_{i=0}^{n_1} \frac{a_i}{i+1} x^{i+1}$

*double* **SUBSTITUTE**(*poly1*, *v*) ▷ Substitute x = v in a polynomial  
**return**  $\sum_{i=0}^{n_1} a_i v^i$