

National Taipei University of Technology

Artificial Intelligence (spring, 2014)

Homework #3

(Due: Wednesday, April 9th)

1. (30%) Define the predicate

odd_even(List, OddList, EvenList).

OddList is the odd numbers in the **List**, and **EvenList** is the even numbers in the **List**. For example: **odd_even([2,4,5,6,8,1,7], [5,1,7], [2,4,6,8]).**

2. (50%) Modify the two programs of eight queens problem for solving the N-queens problem. (Hint: The program 3 in the book solve the N-queens by using the procedure **gen**.)

Program 1

```
% Program 1
solution([]).
solution([X/Y|Others]) :-
    solution(Others),
    member(Y, [1, 2, 3, 4, 5, 6, 7, 8]),
    noattack(X/Y, Others).

noattack(_, []).
noattack(X/Y, [X1/Y1|Others]) :-
    Y \= Y1, Y1 - Y \= X1 - X, Y1 - Y \= X - X1,
    noattack(X/Y, Others).

template([1/Y1, 2/Y2, 3/Y3, 4/Y4, 5/Y5, 6/Y6, 7/Y7, 8/Y8]).

?- template(S), solution(S).
S = [1/4, 2/2, 3/7, 4/3, 5/6, 6/8, 7/5, 8/1];
S = [1/5, 2/2, 3/4, 4/7, 5/3, 6/8, 7/6, 8/1];
...
```

- (1) (20%) Write the procedure **gen_template(N1, N2, List)** to produce the list:

List = [N1/Y1, N1+1/Y2, N1+2/Y3, ..., N2-1/Y', N2/Y'']. For example:

?- gen_template(1, 8, L).

L = [1/_G1, 2/_G2, 3/_G3, 4/_G4, 5/_G5, 6/_G6, 7/_G7, 8/_G8].

- (2) (10%) Modify the **solution(Solution)** to **solution(N, Solution)**, so that you can use with the **gen_template** to get the solution to the N-queens problem. For example:

?- gen_template(1, 8, S), solution(8, S).

S = [1/4, 2/2, 3/7, 4/3, 5/6, 6/8, 7/5, 8/1] ;

S = [1/5, 2/2, 3/4, 4/7, 5/3, 6/8, 7/6, 8/1] .

Program 2

```
% Program 2
solution(Queens) :-
    permutation([1, 2, 3, 4, 5, 6, 7, 8], Queens),
    safe(Queens).

safe([]).
safe([Queen|Others]) :-
    safe(Others),
    noattack(Queen, Others, 1).

noattack(_, [], _).
noattack(Y, [Y1|Ylist], Xdist) :-
    Y-Y1=\=Xdist, Y1-Y=\=Xdist,
    Dist1 is Xdist+1,
    noattack(Y, Ylist, Dist1).

?- solution(S).
S = [1, 5, 8, 6, 3, 7, 2, 4];
S = [1, 6, 8, 3, 7, 4, 2, 5];
...
```

(20%) Modify the **solution(Solution)** to **solution(N, Solution)**, so you can get the solution to the N-queens problem. For example:

```
?- solution(5, S).
S = [1, 3, 5, 2, 4] ;
S = [1, 4, 2, 5, 3] ;
S = [2, 4, 1, 3, 5] ;
S = [2, 5, 3, 1, 4] ;
S = [3, 1, 4, 2, 5] ;
S = [3, 5, 2, 4, 1] .
```

3. (20%) The following program can get the Fibonacci number:

fib(1, 1), fib(2, 1), fib(3, 2), fib(4, 3), fib(5, 5), fib(6, 8), fib(7, 13), fib(8, 21), ...

```
fib(1, 1).
fib(2, 1).
fib(N, Value) :-
    N1 is N - 1,
    N2 is N - 2,
    fib(N1, Value1),
    fib(N2, Value2),
    Value is Value1 + Value2.

?- fib(18, Value).
Value = 2584 ;
ERROR: Out of local stack
```

For not showing the error message, you should modify the program to produce exactly one result by using cuts.

Note:

- The programs must be runnable in SWI-Prolog.
 - You must package your programs in a single zip file named XXX_hw3.zip, where XXX is your student identity number.
- Submit the whole file to [open cyber classroom](#). The first-time Login ID and password are

student number.

- If the answer is not a program, you must answer the question in a single text file (txt, doc, etc.).
- A penalty will be applied if predicate name, program name or zip file name is not defined as above.