

Comparing

① Model ① → Valid Score
② Model ② → Valid Score
③ Model ③ → Valid Score

⇓
Select the Best Model

→ Hyperparameter Tuning
Select the Best

- * Evaluation on Train data → optimistic
- * Selection on Test data → cheating

① Shuffle

② Split
Random

Train Data

X	y
<u>seen</u>	
<u>unseen</u>	

} Train

} Valid

⇒ Ensure Best Training (seen)

⇒ ~ Best validation (unseen)

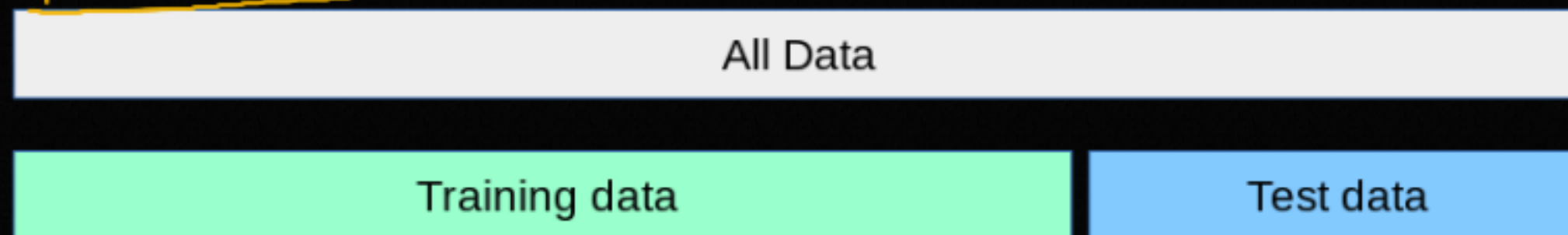
⇓
Repeating

Cross-validation

Cross-Validation

K-fold

K=5



5-folds →

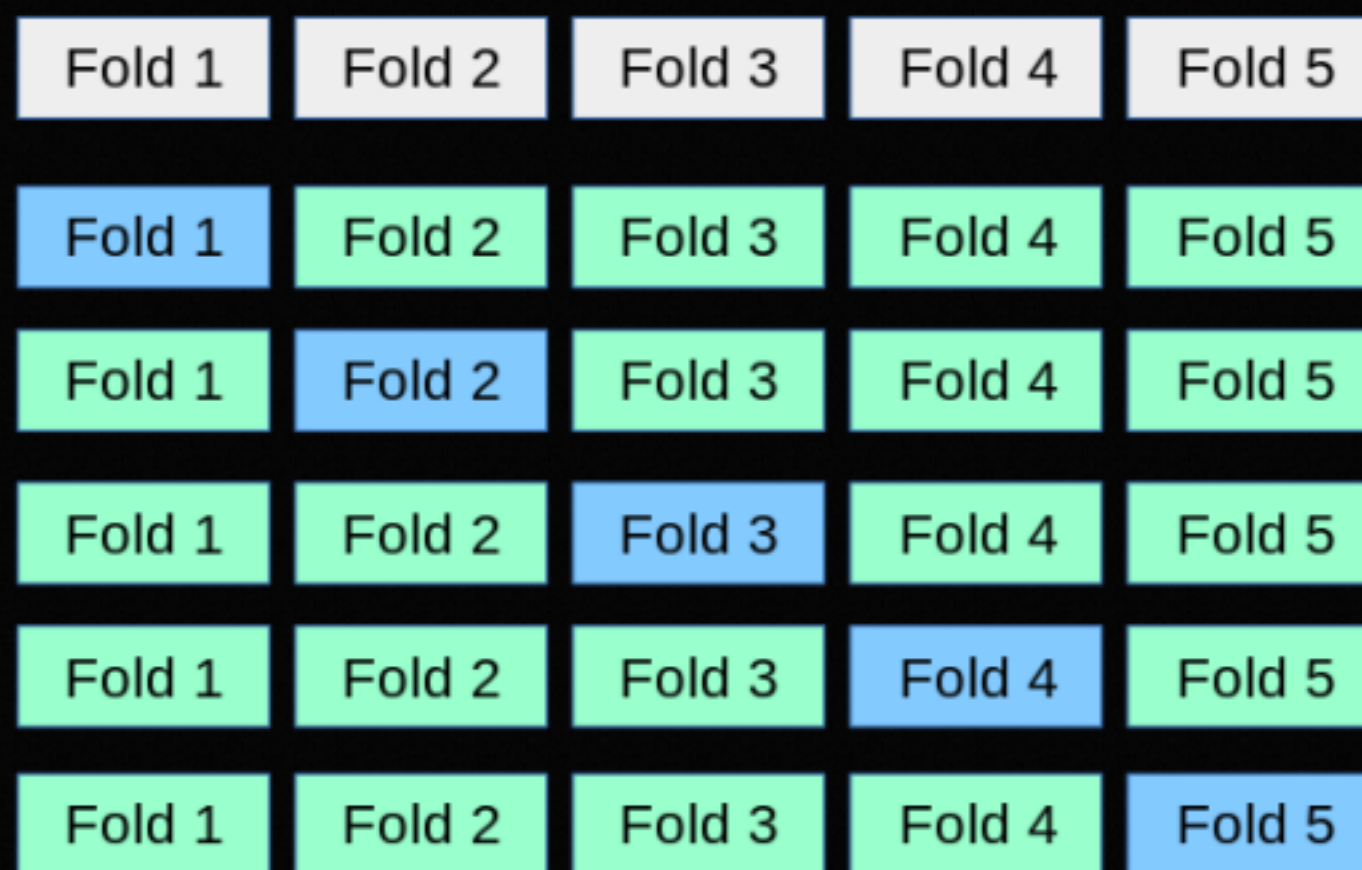
83% Fold ① score ←

80% Fold ② ~ ←

85% Fold ③ ~ ←

81% Fold ④ ~ ←

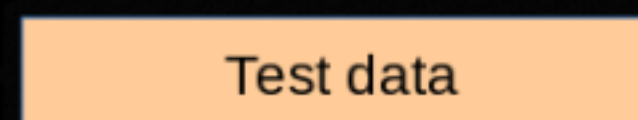
82% Fold ⑤ ~ ←



Finding Parameters

5 valid scores → Avg

Final evaluation



Hyperparameter Tuning

Ridge with polynomial
↓ ↓
alpha degree

Scores = []

for d in [2, 3, 4]:

for alpha in [0.1, 1, 10]:

poly(d)

Ridge(alpha)

fit

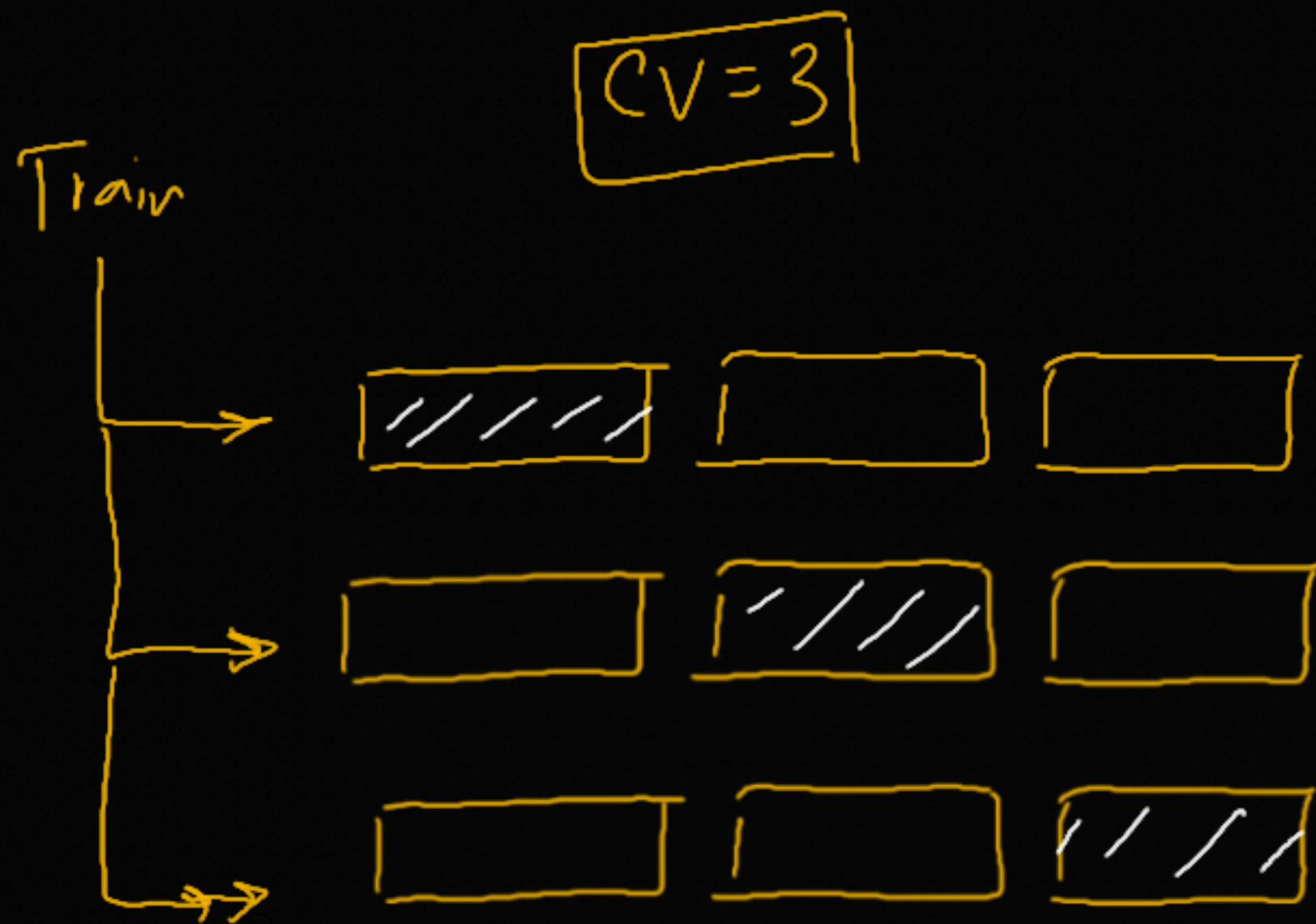
→ CV(rs)

→ avg

Scores.append(...)

Cross
Validation

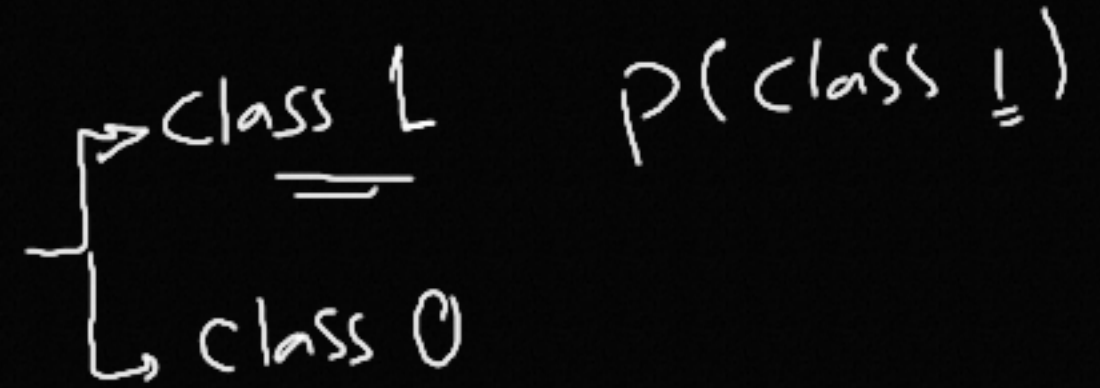
→ Select the hyperparameters
with the best score



- Repeat for ⑨
- ① $d=2, \alpha=0.1$
 - ② $d=2, \nu=1$
 - ③ $d=2, \nu=10$
 - ④ } $d=3.5$
 - ⑤ }
 - ⑥ }
 - ⑦ } $d=4$
 - ⑧ }
 - ⑨ }

logistic Regression (clf Model)

Linear Model



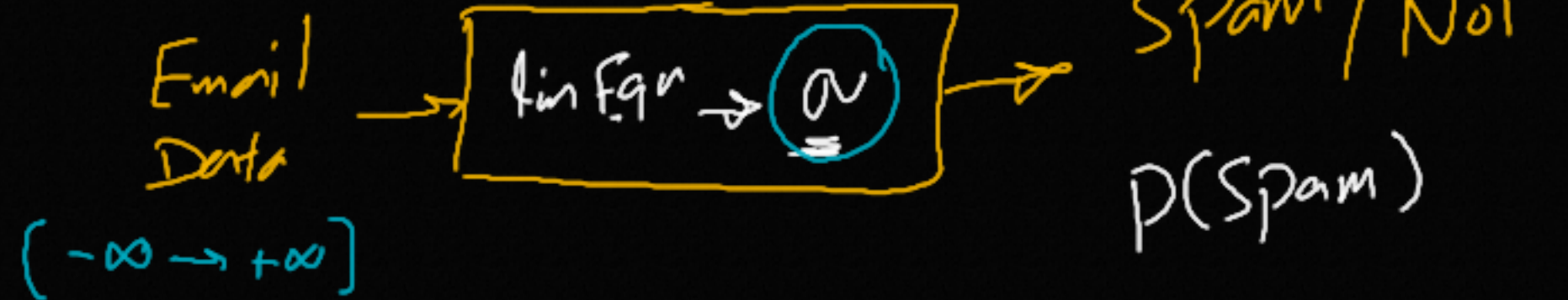
$[-\infty \rightarrow \infty]$ $W^T X = \dots$

f

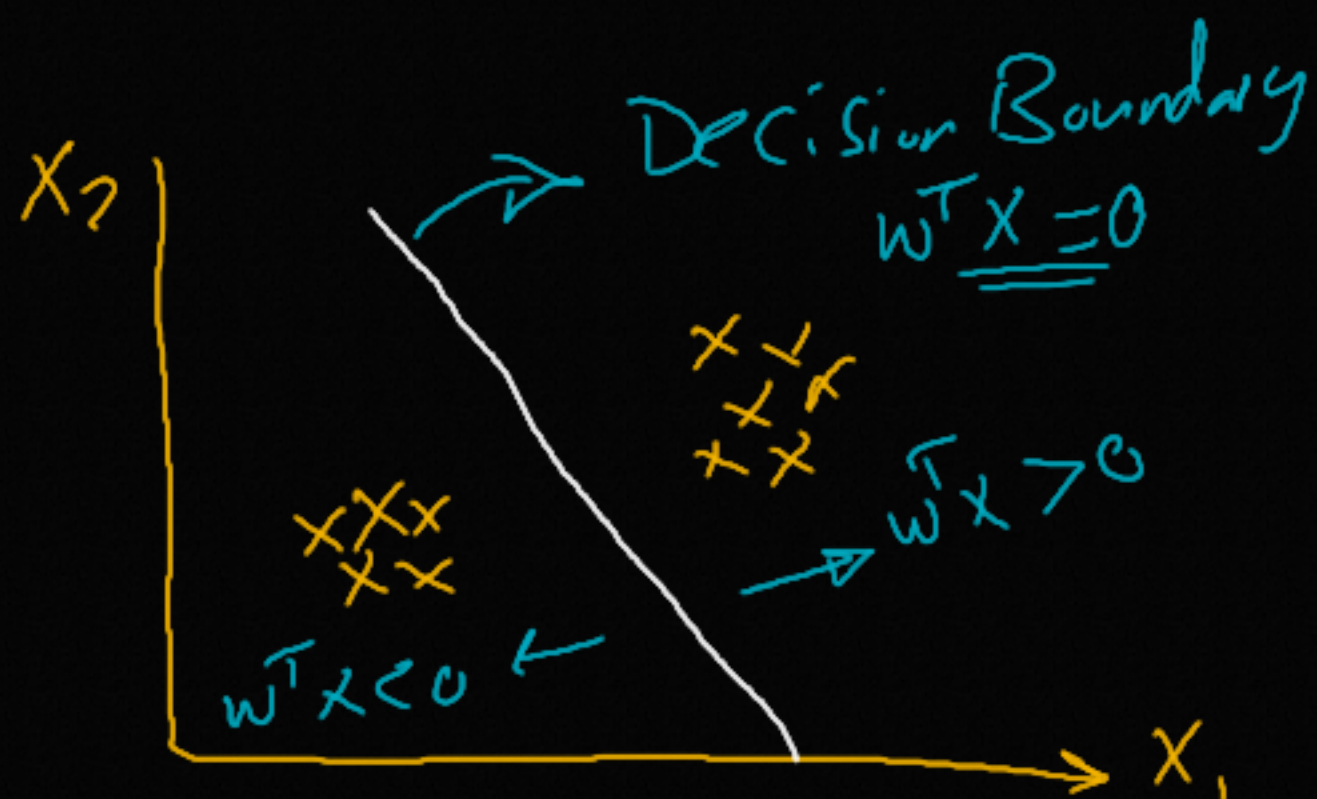
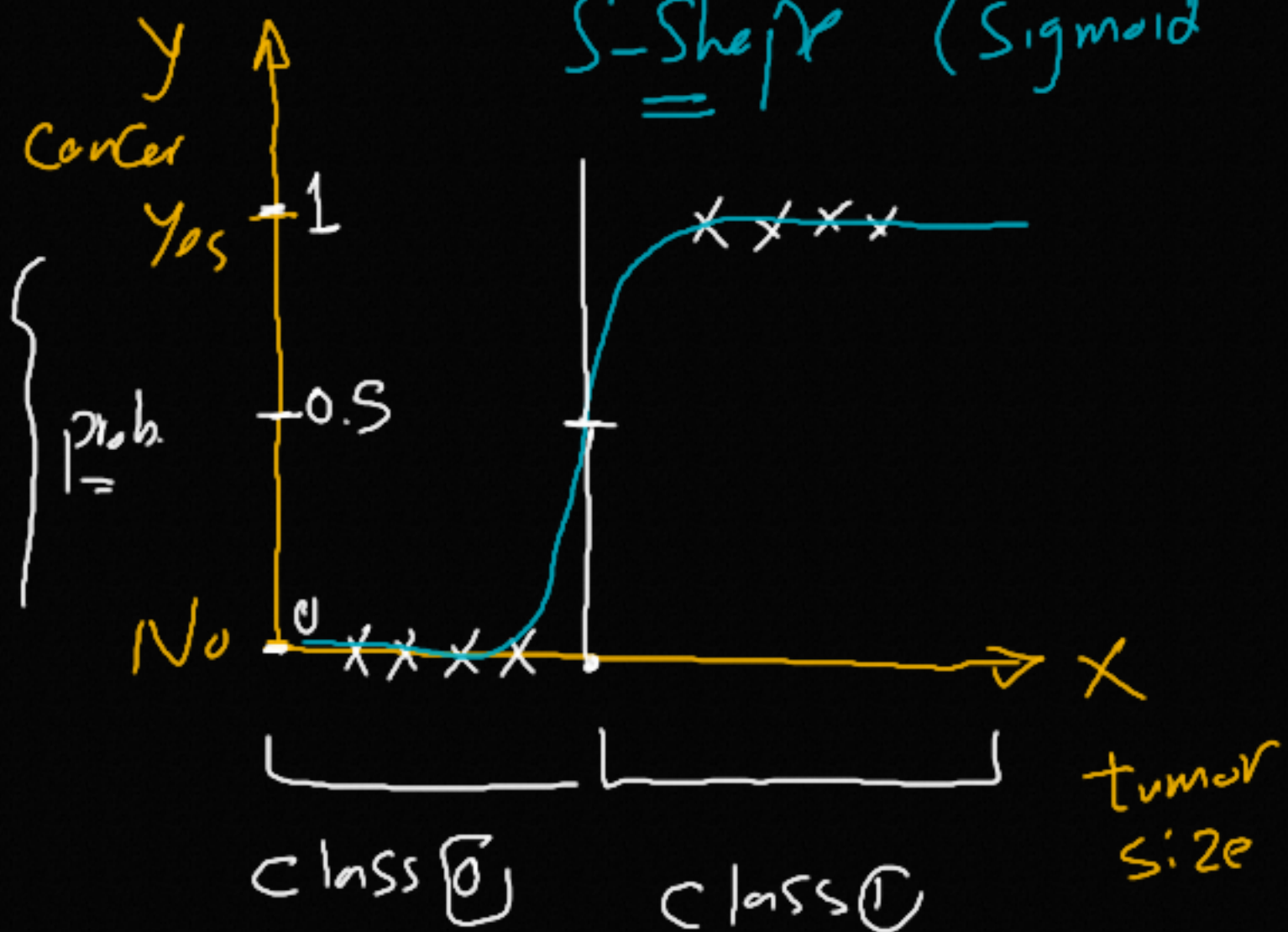
$[0 \rightarrow 1]$

\square Reg

* Spam filter Lg Reg



S-Shaper (Sigmoid)



$$z = w^T x$$



$$\sigma(z) = \frac{1}{1 + e^{-z}}$$

$z < 0$	$z \geq 0$
$p < 0.5$	$p \geq 0.5$
class 0	class 1

$$\begin{array}{cccccc}
 x_1 & x_2 & x_3 & \dots & x_n & y \\
 \vdots & \vdots & \vdots & & \vdots & \vdots \\
 \vdots & \vdots & \vdots & & \vdots & \vdots
 \end{array}$$

$$z = w_0 + w_1 x_1 + w_2 x_2 - \dots + w_n x_n \quad (\text{Can agree poly degree})$$

$$p(y=1) = \sigma(z)$$

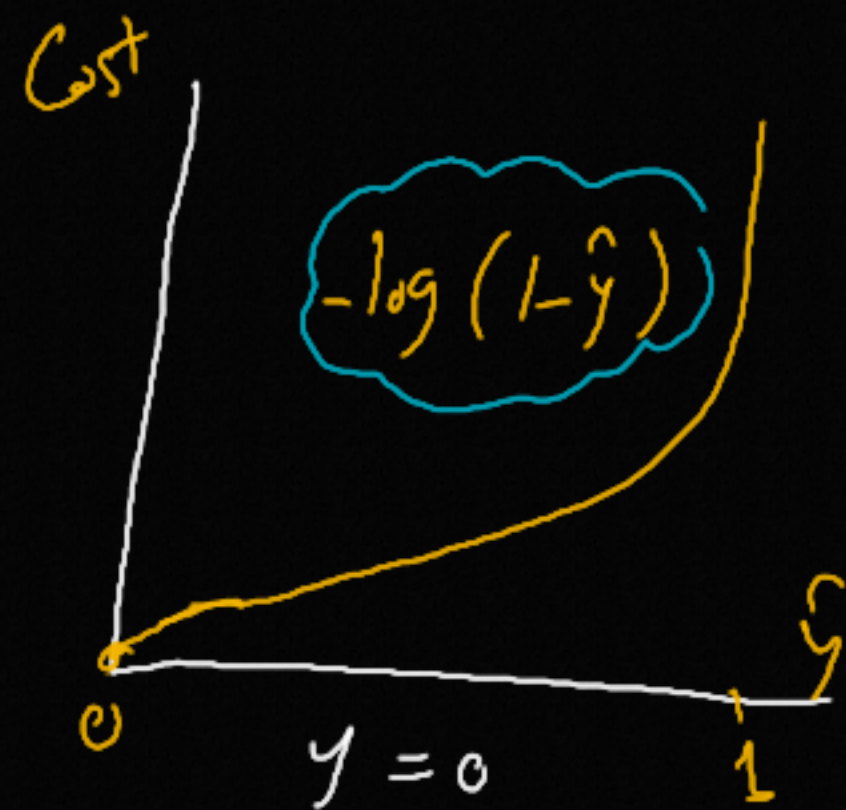
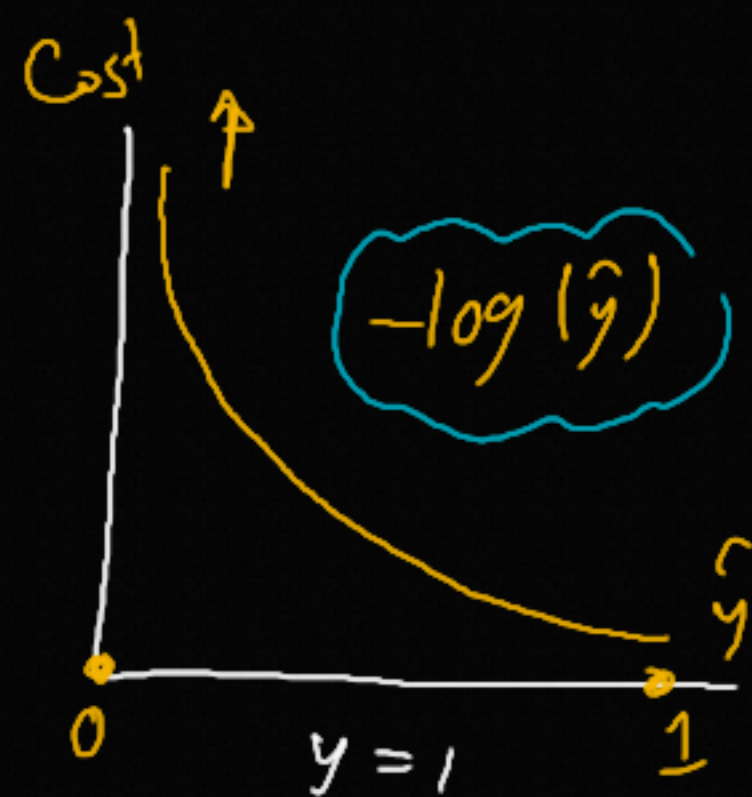
$$\hat{y} = p(y=1) \geq 0.5$$

$$\hat{y} = w_0 + w_1 x_1 + w_2 x_2 - \dots + w_n x_n \geq 0$$

* Cost fn (log-loss)

* Gradient Descent

$$\text{Cost} = \begin{cases} -\log(\hat{y}) & y = 1 \\ -\log(1-\hat{y}) & y = 0 \end{cases}$$



Binary c lf

Actual	pred	Cost
0	0	↓
0	1	↑
1	0	↑
1	1	↓

$y=0$ (points to the first two rows)

$y=1$ (points to the last two rows)

Cost fn

$$\bar{J} = -y \log(\hat{y}) - (1-y) \log(1-\hat{y})$$

$$J(w) = -\frac{1}{m} \sum_{i=1}^m y_i \log(\sigma(w^T x_i)) + (1 - y_i) * \log(1 - \sigma(w^T x_i))$$

↳ Use Grad. Descent
to find best w

Lin Reg

alpha & penalty

Control
of
Penalty

Log. Reg

$C \propto \frac{1}{\text{penalty}}$