STT 3850 Midterm Study Guide

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Statistics

Characterizing a set of data (3 S's)

- Shape: how the data is distributed
- Low outliers make a dataset skewed to the Right
- High outliers make a dataset skewed to the Left
- Normal distributions have fairly even outliers on either side

Center: Where the data is centered around

- Normal: If the dataset has a normal distribution (shape) this can be calculated using the mean(\$data) function
- Skewed (left or right): The mean will be misrepresent the center. Calculate a skewed center using median(\$data).

Spread: How far the data differs from the center

- Normal: If the dataset has a normal distribution, then the standard deviation applies to both sides of the data and so it represents the spread.
- Skewed (left or right): If the dataset is skewed on either side, the deviation above and below the center will not be the same, so you must calculate it using IQR(\$data) for the interquartile range.

Hypothesis testing (5 step procedure)

- Z-Score: The number of Standard deviations an element is form the mean.
- P-Score:
- $\bar{X} = mean$
- 1. Specify the Null and ALternative hypothesis
 - Null hypothesis notated as $H_0: M = value \text{ or } \bar{M}_1 \bar{M}_2 = 0$
 - Alternative hypothesis notated as $H_A: M \neq 0$
- 2. Test your staitstic using the Z-test or T-test
 - t.test(variable~catagoricalVariable, data=DF) will perform the t-test on a set of data. If the data is not tidy your might want to use dplyr to tidy it up first.

Example:

```
DF <- ChickWeight %>% # Imports data frame
filter(Diet %in% c(3:4)) # Then removes all collums except for 3 and 4
# Weight~Diet means the weight across Diets value.

t.test(weight~Diet, data=DF) # Quickly gives us what we need to know
```

- 3. Determine rejection region
 - Rejection region is the percent of data points on either end of a data set.
 - Percentile is represented by alpha (α)

- Unless otherwise specified, assume rejection region to be 5% (0.05).
- 4. Statistical conclusion.

You can either

• Reject the null hypothesis H_0 if $P < \alpha$

or

• Fail to reject the null hypothesis H_0 if $P \ge \alpha$

Based on the output from the previous example pictured below, P = 0.45, and we assume $\alpha = 0.05$. P is far greater than α , so we fail to reject the null hypothesis H_0 .

```
##
## Welch Two Sample t-test
##
## data: weight by Diet
## t = 0.75908, df = 226.16, p-value = 0.4486
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## -12.26840 27.64298
## sample estimates:
## mean in group 3 mean in group 4
## 142.9500 135.2627
```

- 5. English conclusion (or Spanish, if that's your thing)
 - The statistical conclusion deals with the null hypothesis H_0 , but the English conclusion only deals with things in terms of the Alternative Hypothesis H_A (written out)

In the case of our example from above, we failed to reject the null hypothesis, so we failed to find evidence supporting a weight difference in chicks between Diets 3 and 4.

• The English hypothesis must ALWAYS be written this way. You either find evidence to support H_A or you fail to find evidence to support H_A .

Cohens'd (effect size)

- The difference between a control group's mean, and an experiment group's mean, measured in standard deviations.
- Measured using the following formula: $d = \frac{|M_control M_experimental|}{SD}$
- How large is the effect size?
 - small if |d| < 0.20
 - medium if |d| < 0.5
 - large if |d| > 0.5
- Compute using R with lsr.cohensD(post_data, pre_data, method = "paired")

```
Diet_3 <- filter(ChickWeight, Diet == 3)
Diet_4 <- filter(ChickWeight, Diet == 4)
#method should normally be "paired", but the sample size was different
cohensD(Diet_4$weight, Diet_3$weight, method = "unequal")</pre>
```

Markdown Dplyr Ggplot2