Honor Code:

Part 1

a) This is right.

$$P(A \text{ exec.} \mid B \text{ not exec.}) = \frac{P(A \text{ exec.})P(B \text{ not exec.} \mid A \text{ exec.})}{P(B \text{ not exec.})}$$
(1)
$$= \frac{\frac{1}{3} \cdot 1}{\frac{2}{3}}$$
(2)
$$= \frac{1}{2}$$

- (1) This is just an application of Bayes' theorem. Now that we know B will live, we can use this to figure out A's probability of being executed.
- (2) We know that only one person is being executed, so if B is executed then the probability of A living is 1.
- b) This explanation supposes that the probability of A being executed is independent of the probabilities of the other prisoners being executed. This is wrong. What if we had learned that B was going to be executed? Then clearly A would be stupid to think that they have a $\frac{1}{3}$ probability of being executed.
- Part 2
- Part 3
- Part 4
- Part 5
- Part 6