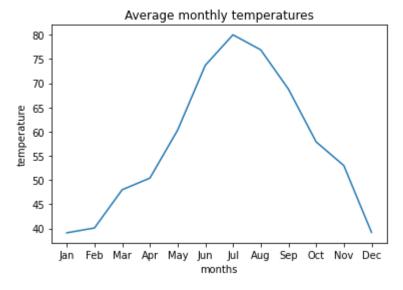
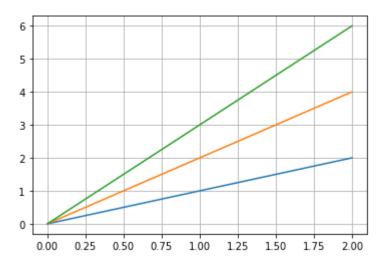
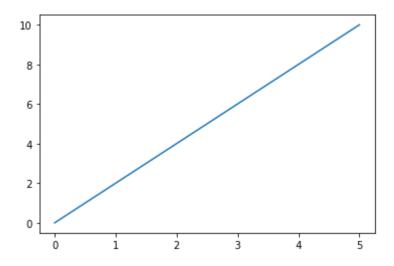
# NumPy Essential Training: 2 MatPlotlib and Linear Algebra Capabilities

## **Chapter 1: Plotting with Matplotlib**

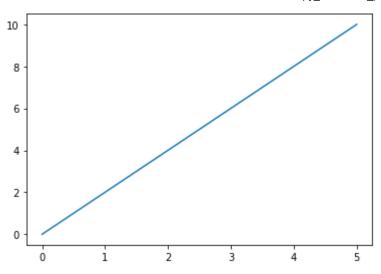




Out[9]: [<matplotlib.lines.Line2D at 0x2077c9c8610>]



```
fig = plt.figure()
    axes = fig.add_axes([0.1,0.1,0.8,0.8])
    axes.plot(x,y)
    plt.show()
```



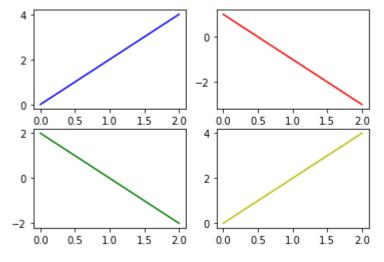
```
In [11]:
    fig=plt.figure()
    x=np.arange(3)
    y=2*x
    plt.subplot(2,2,1)
    plt.plot(x,y,'b')

    plt.subplot(2,2,2)
    plt.plot(x,1-y,'r')

    plt.subplot(2,2,3)
    plt.plot(x,2-y,'g')

    plt.subplot(2,2,4)
    plt.plot(x,y,'y')

    plt.show()
```

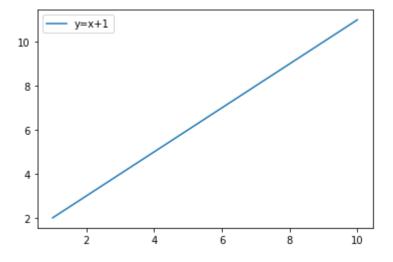


```
In [12]:
    fig, axs = plt.subplots(2, 2, figsize=(6,6))
    axs[0, 0].plot(x, y, 'b')
    axs[0, 1].plot(x, 1-y, 'r')
    axs[1, 0].plot(x, 2-y, 'g')
    axs[1, 1].plot(x, y, 'y')
    plt.show()
```

```
3
                                       0
 2
                                     -1
                                     -2
 1
 0
    0.0
           0.5
                  1.0
                         1.5
                                2.0
                                         0.0
                                                        1.0
                                                               1.5
                                                                      2.0
 2
                                       4
 1
                                       3
                                       2
 0
^{-1}
                                       1
-2
           0.5
                         1.5
                                2.0
                                                        1.0
                                                               1.5
                                                                      2.0
                  1.0
                                                 0.5
    0.0
                                         0.0
```

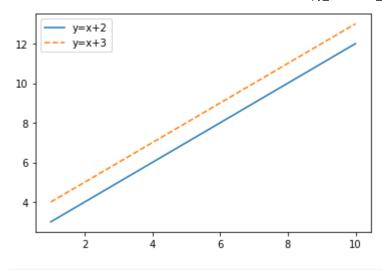
```
In [13]:
    x = np.linspace(1,10)
    first_line = plt.plot(x, x+1, label= 'y=x+1')
    plt.legend()
```

Out[13]: <matplotlib.legend.Legend at 0x2077c8ff4c0>

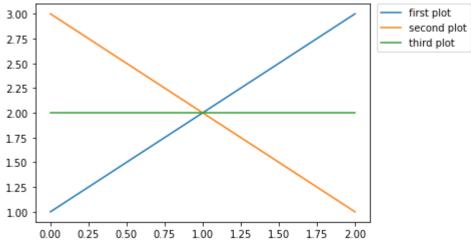


```
second_line, = plt.plot(x,x+2,linestyle='solid')
second_line.set_label('y=x+2')
third_line, = plt.plot(x,x+3,linestyle='dashed')
third_line.set_label('y=x+3')
plt.legend()
```

Out[14]: <matplotlib.legend.Legend at 0x2077cb41100>



```
first_plot,=plt.plot([1,2,3],label='first plot')
second_plot,=plt.plot([3,2,1],label='second plot')
third_plot,=plt.plot([2,2,2],label='third plot')
plt.legend(bbox_to_anchor=(1.02, 1.0), borderaxespad=0);
```



## Chapter 2: Matplot lib Styling and Advanced Plots

#### Color and styles

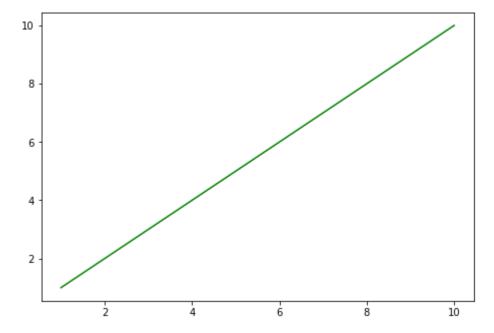
```
In [16]:
    first_figure = plt.figure()
    x = np.linspace(1, 10)
    y = np.linspace(1, 10)
    ax=first_figure.add_axes([0,0,1,1])
    ax.plot(x,y, color='red')
```

Out[16]: [<matplotlib.lines.Line2D at 0x2077bcad0d0>]

```
10 - 8 - 6 - 4 - 2 - 2 - 4 - 6 - 8 - 10
```

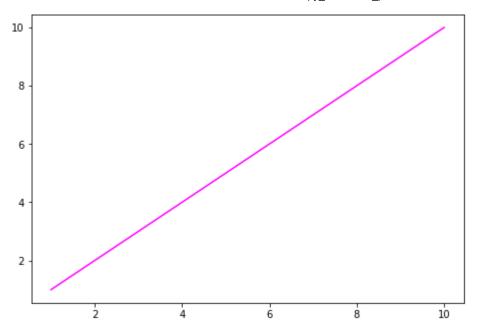
```
second_figure = plt.figure()
ax=second_figure.add_axes([0,0,1,1])
ax.plot(x,y, color='g')
```

Out[17]: [<matplotlib.lines.Line2D at 0x2077c95b850>]



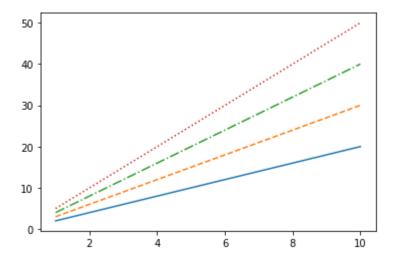
```
third_figure = plt.figure()
ax=third_figure.add_axes([0,0,1,1])
ax.plot(x,y, color='#FF00FF')
```

Out[18]: [<matplotlib.lines.Line2D at 0x2077dd79c40>]



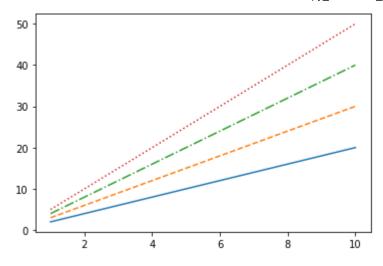
```
In [19]:
    plt.plot(x,2*x,linestyle='solid')
    plt.plot(x,3*x,linestyle='dashed')
    plt.plot(x,4*x,linestyle='dashdot')
    plt.plot(x,5*x,linestyle='dotted')
```

Out[19]: [<matplotlib.lines.Line2D at 0x2077ca9fb50>]

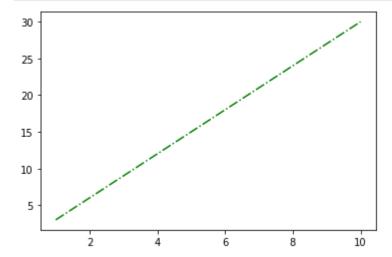


```
plt.plot(x,2*x,linestyle='-')
plt.plot(x,3*x,linestyle='--')
plt.plot(x,4*x,linestyle='--')
plt.plot(x,5*x,linestyle=':')
```

Out[20]: [<matplotlib.lines.Line2D at 0x2077ddb2e80>]



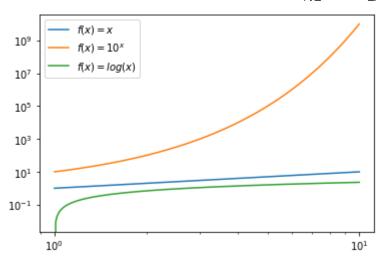
```
In [21]: plt.plot(x, 3*x ,'-.g');
```



### Advanced matplotlib commands

```
In [22]:
    x = np.linspace(1, 10, 1024)
    plt.xscale('log')
    plt.plot(x, x, label ='$f(x)=x$')
    plt.plot(x, 10**x, label ='$f(x)=10^x$')
    plt.plot(x, np.log(x),label ='$f(x)=log(x)$')

    plt.legend()
    plt.show()
```



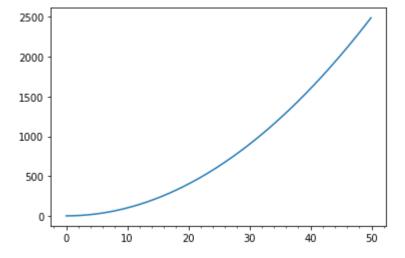
```
In [23]: from matplotlib.ticker import (MultipleLocator, AutoMinorLocator)

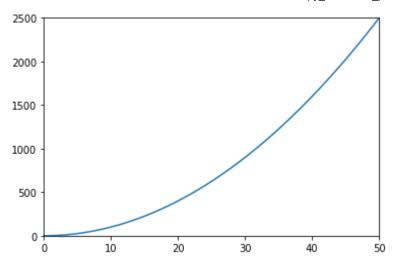
x = np.arange(0.0, 50.0, 0.1)
y = x**2

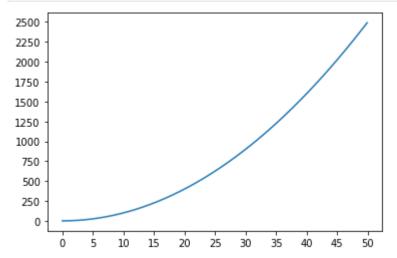
fig, ax = plt.subplots()
ax.plot(x,y)

ax.xaxis.set_major_locator(MultipleLocator(10))
ax.xaxis.set_major_formatter('{x:.0f}')

ax.xaxis.set_minor_locator(MultipleLocator(2))
plt.show()
```

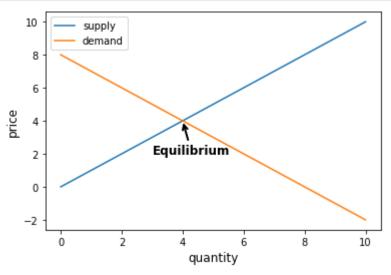




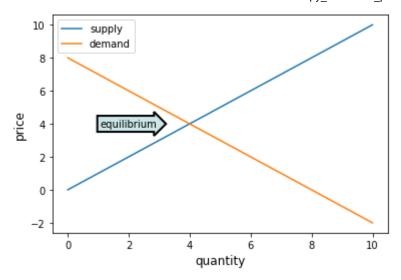


```
plt.xlabel('quantity',fontsize=12)
plt.ylabel('price',fontsize=12)

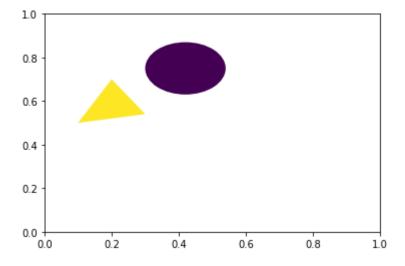
plt.legend()
plt.show()
```



```
In [27]:
          x = np.linspace(0, 10)
          y1 = x
          y2 = 8-x
          # Plot the data
          fig, ax = plt.subplots()
          plt.plot(x,y1,label='supply')
          plt.plot(x,y2,label='demand')
          # Annotate the equilibrium point with arrow and text
          bbox_props = dict(boxstyle="rarrow", fc=(0.8, 0.9, 0.9), lw=2)
          t = ax.text(2,4, "equilibrium", ha="center", va="center", rotation=0,
                      size=10,bbox=bbox_props)
          # Label the axes
          plt.xlabel('quantity',fontsize=12)
          plt.ylabel('price',fontsize=12)
          plt.legend()
          plt.show()
```

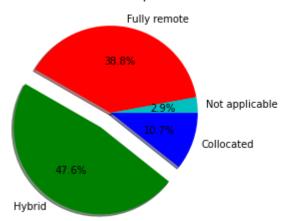


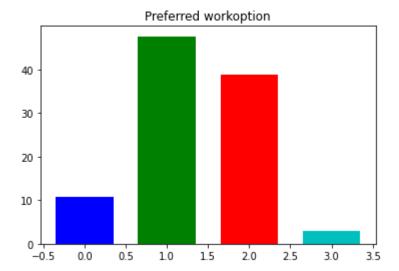
```
In [28]:
          from matplotlib.patches import Circle, Polygon
          from matplotlib.collections import PatchCollection
          fig, ax = plt.subplots()
          patches = []
          # draw circle and triangle
          circle = Circle((.42,.75),0.12)
          triangle = Polygon([[.1,.5],[.2,.7],[.3,.54]], True)
          patches += [circle,triangle]
          # Draw the patches
          colors = 100*np.random.rand(len(patches)) # set random colors
          p = PatchCollection(patches)
          p.set_array(np.array(colors))
          ax.add_collection(p)
          # Show the figure
          plt.show()
```



## Creating pie charts and bar charts

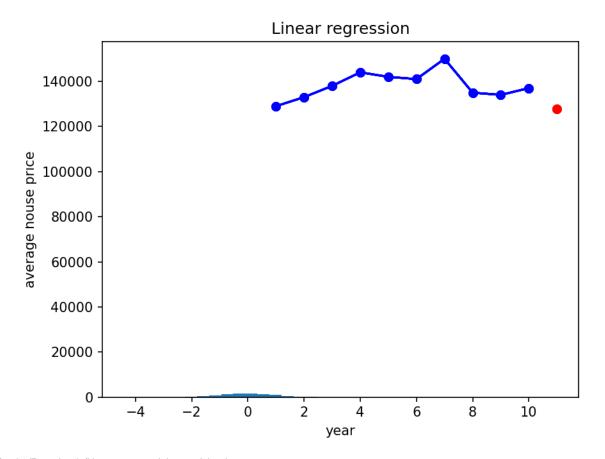
#### Preferred workoption





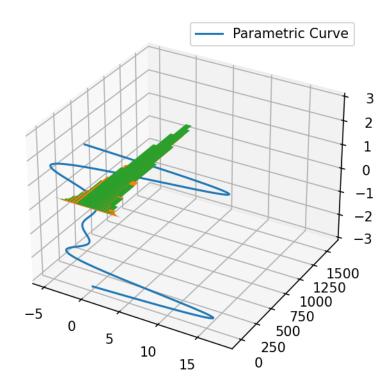
#### **Advanced Plots**

```
import numpy as np
import matplotlib.pyplot as plt
from mpl_toolkits.mplot3d import Axes3D
%matplotlib notebook
```



```
In [38]:
    fig = plt.figure()
    ax = fig.add_subplot(projection='3d')
    theta = np.linspace(-3 * np.pi, 3 * np.pi, 200)
    z = np.linspace(-3, 3, 200)
    r = z**3 + 1
    x = r * np.sin(theta)
    y = r * np.cos(theta)

ax.plot(x, y, z, label='Parametric Curve')
    ax.legend()
    plt.show()
```



## **Chapter 3: From Beginner to advance Numpy**

```
array([ 0.84147098, 0.90929743, 0.14112001, -0.7568025 , -0.95892427,
Out[45]:
                -0.2794155 , 0.6569866 , 0.98935825 , 0.41211849 , -0.54402111])
In [46]:
          np.log(numbers)
         array([0.
                          , 0.69314718, 1.09861229, 1.38629436, 1.60943791,
Out[46]:
                1.79175947, 1.94591015, 2.07944154, 2.19722458, 2.30258509])
In [47]:
          # creating numpy array
          integers = np.arange(1, 101)
          print("integers :", *integers)
          # creating own function
          def modulo(val):
            return (val % 10)
          # adding into numpy
          mod 10=np.frompyfunc(modulo, 1, 1)
          # using function over numpy array
          mod_integers=mod_10(integers)
          print("mod integers :", *mod integers)
```

integers : 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 2 8 29 30 31 32 33 34 35 36 37 38 39 40 41 42 43 44 45 46 47 48 49 50 51 52 53 54 55 56 57 58 59 60 61 62 63 64 65 66 67 68 69 70 71 72 73 74 75 76 77 78 79 80 81 82 83 84 85 86 8 7 88 89 90 91 92 93 94 95 96 97 98 99 100 mod\_integers : 1 2 3 4 5 6 7 8 9 0 1 2 3

#### **Introducing Strides**

```
In [48]:
          numbers = np.arange(10, dtype = np.int8)
          numbers
          array([0, 1, 2, 3, 4, 5, 6, 7, 8, 9], dtype=int8)
Out[48]:
In [49]:
          numbers.strides
Out[49]:
In [50]:
          numbers.shape = 2,5
          numbers
         array([[0, 1, 2, 3, 4],
Out[50]:
                 [5, 6, 7, 8, 9]], dtype=int8)
In [51]:
          numbers.strides
          (5, 1)
Out[51]:
In [52]:
```

```
first array = np.zeros((100000,))
          first array
         array([0., 0., 0., ..., 0., 0., 0.])
Out[52]:
In [53]:
          second_array = np.zeros((100000 * 100, ))[::100]
          second_array
          array([0., 0., 0., ..., 0., 0., 0.])
Out[53]:
In [54]:
          first_array.shape
          (100000,)
Out[54]:
In [55]:
          second_array.shape
          (100000,)
Out[55]:
In [56]:
          first array.strides
          (8,)
Out[56]:
In [57]:
          second array.strides
          (800,)
Out[57]:
In [58]:
          %timeit first array.sum()
          56.9 \mus \pm 5.16 \mus per loop (mean \pm std. dev. of 7 runs, 10,000 loops each)
In [59]:
          %timeit second array.sum()
          534 \mus \pm 44.3 \mus per loop (mean \pm std. dev. of 7 runs, 1,000 loops each)
         Structures Arrays
In [61]:
          student_records = np.array([('Lazaro','Oneal', '0526993', 2009, 2.33), ('Dorie','Salina
                  dtype=[('name', (np.str , 10)),('surname', (np.str , 10)), ('id', (np.str ,7)),(
          student_records
         array([('Lazaro', 'Oneal', '0526993', 2009, 2.33),
Out[61]:
                 ('Dorie', 'Salinas', '0710325', 2006, 2.26),
                 ('Mathilde', 'Hooper', '0496813', 2000, 2.56),
                 ('Nell', 'Gomez', '0740631', 2003, 2.22),
                 ('Lachelle', 'Jordan', '0490888', 2003, 2.13),
                 ('Claud', 'Waller', '0922492', 2004, 3.6),
                 ('Bob', 'Steele', '0264843', 2002, 2.79),
                 ('Zelma', 'Welch', '0885463', 2007, 3.69)],
```

```
dtype=[('name', '<U10'), ('surname', '<U10'), ('id', '<U7'), ('graduation_year',
          '<i4'), ('gpa', '<f8')])
In [62]:
          student_records[['id', 'graduation_year']]
         array([('0526993', 2009), ('0710325', 2006), ('0496813', 2000),
Out[62]:
                ('0740631', 2003), ('0490888', 2003), ('0922492', 2004),
                ('0264843', 2002), ('0885463', 2007)],
               dtype={'names': ['id', 'graduation_year'], 'formats': ['<U7', '<i4'], 'offsets':</pre>
          [80, 108], 'itemsize': 120})
In [63]:
          students sorted by surname = np.sort(student records, order='surname')
          print('Students sorted according to the surname :\n', students sorted by surname)
         Students sorted according to the surname :
          [('Nell', 'Gomez', '0740631', 2003, 2.22)
          ('Mathilde', 'Hooper', '0496813', 2000, 2.56)
          ('Lachelle', 'Jordan', '0490888', 2003, 2.13)
          ('Lazaro', 'Oneal', '0526993', 2009, 2.33)
          ('Dorie', 'Salinas', '0710325', 2006, 2.26)
          ('Bob', 'Steele', '0264843', 2002, 2.79)
          ('Claud', 'Waller', '0922492', 2004, 3.6)
          ('Zelma', 'Welch', '0885463', 2007, 3.69)]
In [64]:
          students_sorted_by_grad_year = np.sort(student_records, order='graduation_year')
          print('Students sorted according to the graduation year :\n', students sorted by grad y
         Students sorted according to the graduation year :
          [('Mathilde', 'Hooper', '0496813', 2000, 2.56)
          ('Bob', 'Steele', '0264843', 2002, 2.79)
          ('Lachelle', 'Jordan', '0490888', 2003, 2.13)
          ('Nell', 'Gomez', '0740631', 2003, 2.22)
                   'Waller', '0922492', 2004, 3.6 )
          ('Claud',
          ('Dorie', 'Salinas', '0710325', 2006, 2.26)
          ('Zelma', 'Welch', '0885463', 2007, 3.69)
          ('Lazaro', 'Oneal', '0526993', 2009, 2.33)]
```

#### Date and time in Numpy

```
Number of weekdays in June 2022:
Out[67]:

In [68]: 
np.is_busday(np.datetime64('2022-06-05'))

Out[68]: 
False
```

## Chapter 4 : Linear Algebra in Numpy Linear algebra capabilities in NumPy

```
In [69]:
          first_array = np.arange(16).reshape(4,4)
          first array
         array([[0, 1, 2, 3],
Out[69]:
                [4, 5, 6, 7],
                [8, 9, 10, 11],
                [12, 13, 14, 15]])
In [70]:
          first matrix = np.matrix(first array)
          first matrix
         matrix([[ 0, 1, 2,
                               3],
Out[70]:
                 [4, 5, 6, 7],
                  [8, 9, 10, 11],
                 [12, 13, 14, 15]])
In [71]:
          second matrix = np.matrix(np.identity(4))
          second matrix
         matrix([[1., 0., 0., 0.],
Out[71]:
                  [0., 1., 0., 0.],
                  [0., 0., 1., 0.],
                  [0., 0., 0., 1.]])
In [72]:
          matrix_a=np.random.randint(5,size=(2,3))
          matrix a
         array([[4, 0, 4],
Out[72]:
                [0, 4, 3]]
In [73]:
          matrix b=np.random.randint(5,size=(3,2))
          matrix b
         array([[1, 4],
Out[73]:
                 [0, 0],
                 [1, 3]])
In [74]:
          np.matmul(matrix a, matrix b)
         array([[ 8, 28],
                [ 3,
```

```
In [75]:
          matrix_c=np.matrix("0 1 2;1 0 3;4 -3 8")
          matrix c
         matrix([[ 0, 1, 2],
Out[75]:
                 [1, 0, 3],
                 [4, -3, 8]]
In [76]:
          inverse = np.linalg.inv(matrix_c)
          inverse
         matrix([[-4.5, 7., -1.5],
Out[76]:
                 [-2., 4., -1.],
                 [ 1.5, -2. , 0.5]])
In [78]:
          print(matrix_c*inverse)
         [[1. 0. 0.]
          [0. 1. 0.]
          [0. 0. 1.]]
In [79]:
          A = np.mat("1 -2 1;0 2 -8;-4 5 9")
         matrix([[ 1, -2, 1],
Out[79]:
                 [0, 2, -8],
                 [-4, 5, 9]])
In [80]:
          b = np.array([0, 16, -18])
         array([ 0, 16, -18])
Out[80]:
In [81]:
          x = np.linalg.solve(A, b)
          print("Solution", x)
         Solution [58. 32. 6.]
         Decomposition
In [82]:
          first_matrix=np.matrix([[4,8],[10,14]])
```

```
[ 0.54843365 -0.885509 ]]
In [84]:
          eigenvalues= np.linalg.eigvals(first_matrix)
          print("Eigenvalues:", eigenvalues)
         Eigenvalues: [-1.24695077 19.24695077]
In [85]:
          A = np.mat("3 1 4;1 5 9;2 6 5")
          print("A\n", A)
          U, Sigma, V = np.linalg.svd(A, full_matrices=False)
          print("U: ",U)
          print("Sigma : ",Sigma)
          print("V : ", V)
          [[3 1 4]
          [1 5 9]
          [2 6 5]]
         U: [[-0.32463251 0.79898436 0.50619929]
          [-0.75307473 0.1054674 -0.64942672]
          [-0.57226932 -0.59203093 0.56745679]]
         Sigma: [13.58235799 2.84547726 2.32869289]
         V: [[-0.21141476 -0.55392606 -0.80527617]
          [ 0.46331722 -0.78224635  0.41644663]
          [ 0.86060499  0.28505536 -0.42202191]]
In [86]:
          print("Product\n", U * np.diag(Sigma) * V)
         Product
          [[3. 1. 4.]
          [1. 5. 9.]
          [2. 6. 5.]]
```

#### M=Q\*R

```
In [87]:
         matrix([[3, 1, 4],
Out[87]:
                  [1, 5, 9],
                  [2, 6, 5]])
In [88]:
          b = np.array([1,2,3]).reshape(3,1)
          q, r = np.linalg.qr(A)
          x = np.dot(np.linalg.inv(r), np.dot(q.T, b))
          Х
         matrix([[ 0.26666667],
Out[88]:
                  [ 0.4666667],
                  [-0.06666667]])
In [89]:
          np.linalg.solve(A,b)
```

## Polynomial mathematics

```
In [90]:
           import numpy as np
           from numpy.polynomial import polynomial
In [91]:
           first polynomial = np.polynomial.Polynomial([2, -3, 1])
           first_polynomial
Out[91]: x \mapsto 2.0 - 3.0 x + 1.0 x^2
In [92]:
           second polynomial = np.polynomial.Polynomial.fromroots([1, 2])
           second polynomial
Out[92]: x \mapsto 2.0 - 3.0 x + 1.0 x^2
In [93]:
           first polynomial.roots()
          array([1., 2.])
Out[93]:
In [94]:
           second_polynomial.roots()
          array([1., 2.])
Out[94]:
         y=x^4+2x^3+3x^2+4x+5, x=1
         y=?
In [95]:
           np.polyval([5,4,3,2,1], 1)
Out[95]:
In [96]:
           third_polynomial = np.polynomial.Polynomial([1,2,3,4,5])
           third polynomial
Out[96]: x \mapsto 1.0 + 2.0 x + 3.0 x^2 + 4.0 x^3 + 5.0 x^4
In [97]:
           integral=third_polynomial.integ()
           integral
Out[97]: x \mapsto 0.0 + 1.0 x + 1.0 x^2 + 1.0 x^3 + 1.0 x^4 + 1.0 x^5
```

```
In [98]: integral.deriv()  \text{Out}[98]: \quad x\mapsto 1.0+2.0\,x+3.0\,x^2+4.0\,x^3+5.0\,x^4  In [99]:  \text{derivative=third_polynomial.deriv()}   \text{Out}[99]: \quad x\mapsto 2.0+6.0\,x+12.0\,x^2+20.0\,x^3
```

#### **Application Linear Regression**

#### House market

```
• Input: Price data from 2012 - 2021
```

- Output: Avarage house market 2022?
- Asume Relationship squared
- $y=ax^2+bx+c$

```
In [111...
          import numpy as np
          import matplotlib.pyplot as plt
In [112...
          year = np.arange(1,11)
          price = np.array([129000, 133000, 138000, 144000, 142000, 141000, 150000, 135000, 13400
         array([ 1, 2, 3, 4, 5, 6, 7, 8, 9, 10])
Out[112...
In [113...
          a, b, c = np.polyfit(year, price, 2)
          print ("a:",a)
          print ("b:",b)
          print ("c:",c)
         a: -594.6969696969702
         b: 7032.5757575754
         c: 122516.6666666669
In [114...
          print("Estimated price for 2022:",a*11**2 + b*11 + c )
         Estimated price for 2022: 127916.6666666658
In [118...
          plt.plot(year,price, color = 'blue')
          plt.scatter(year,price, color = 'blue')
          plt.scatter(11, a*11**2 + b*11 + c ,color='red')
          plt.title('Linear regression')
          plt.xlabel('year')
          plt.ylabel('average house price')
```

Out[118... Text(17.58333333333336, 0.5, 'average house price')

In [ ]: