# Large Data and Clojure

The Middle Ground Between RAM and EC2

#### Mission: Probable

- 20k Random Sample
- Population size: ~400 Million

#### DBeee!

FROM some\_huge\_table
ORDER BY RANDOM()
LIMIT 20000;



- •N = Sample Set Size
- M = Remaining Population Size

- $\bullet N = 20,000$
- $\bullet M = 400,000,000$
- -Pr(e) = 0.000005

- Decrement N when a sample is taken
- Decrement M for every element

- IN=2, M=7, Pr(e)=0.285 MISS
- 2 N=2, M=6, Pr(e)=0.333 HIT
- $\rightarrow$  3 N=1, M=5, Pr(e)=0.20 MISS
- $\blacktriangleright$  4 N=1, M=4, Pr(e)=0.25 MISS
- 5 N=1, M=3, Pr(e)=0..33 MISS
- ► 6 N=1, M=2, Pr(e)=0.50 MISS
- 7 N=I, M=I, Pr(e)=I.0 HIT [DONE]



- Take Sample in One Pass over the Population
- Disk IO is Ix.
- Disk Usage is on the Order of Sample
   Size

HELLO my name is

Sample Size Guaranteed

Win

# Next Lurking Issue?



## Dummy Values

- 'NULL' / 'N/A'
- (000) 000-0000
- nobody@nobody.com
- 123 Main St.
- John Q. Public

# Naive Counting



# Only Way?

# Bloom Filter





#### There's Some Math...

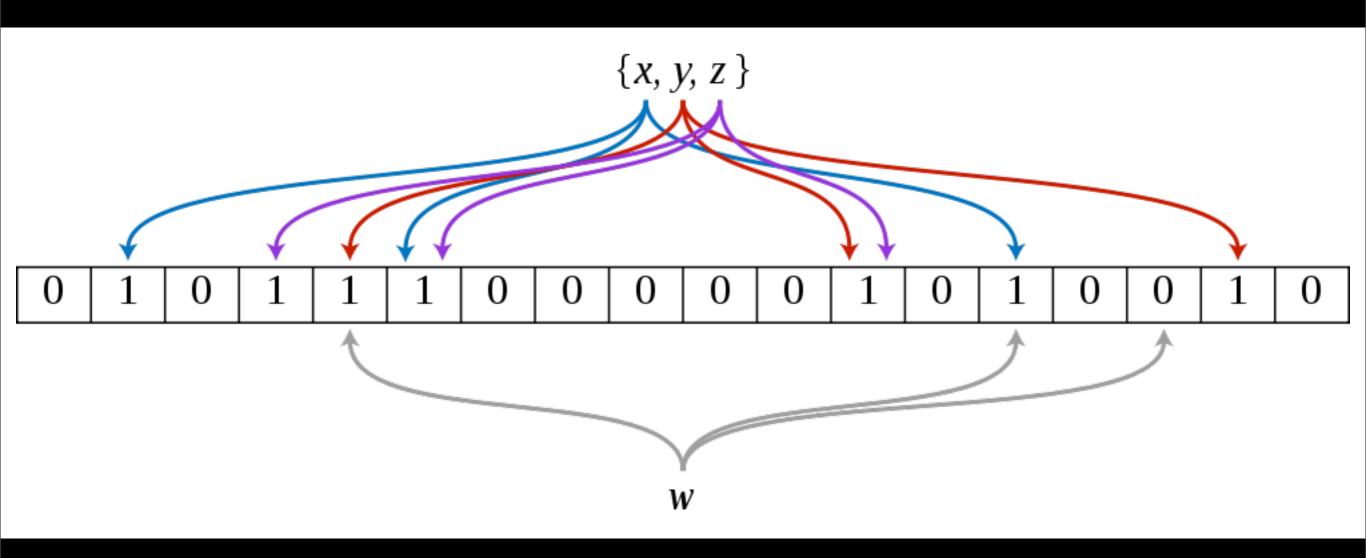
$$\left(1 - \left[1 - \frac{1}{m}\right]^{kn}\right)^k \approx \left(1 - e^{-kn/m}\right)^k.$$

$$m = -\frac{n\ln p}{(\ln 2)^2}.$$

$$\frac{m}{n}\ln 2 \approx \frac{9m}{13n} \approx 0.7 \frac{m}{n},$$

$$\left(1 - e^{-k(n+0.5)/(m-1)}\right)^k$$
.

#### Probabilistic Set



"foo" => show-permited-hashes and then the bit numbers...

# Naive Counting